# klein\_nishina

### December 17, 2019

```
[1]: import numpy as np
     import math as math
     deg20Target = np.loadtxt("20DegTarget1.mca")
     deg20Background = np.loadtxt("20DegBackground.mca")
     # deg60Target = np.loadtxt("60DegDataTarget1.mca")
     deg120Background = np.loadtxt("120DegDataBackground.mca")
     deg120Target = np.loadtxt("120DegTarget1.mca")
     deg160Target = np.loadtxt("160DegDataTarget1.mca")
     deg160Background = np.loadtxt("160DegDataBackground1.mca")
[2]: deg160Target2 = [x*1.277167903 for x in deg160Target]
     # deg80Target2 = [x * for x in deg160Target]
     deg120Background1 = [x*41.62 for x in deg120Background]
     deg20Background1 = [x*1.284 for x in deg20Background]
[3]: deg20 = (deg20Target - deg20Background1)
     deg120 = (deg120Target - deg120Background1)
     deg160 = (deg160Target2 - deg160Background)
[4]: # Computing the flux at the detector
     rate detector=84.90
     area_detector = 0.09
     flux_detector = rate_detector/area_detector
     # units are counts/cm^2*s
     print(flux_detector)
     distance_source_detector = 17.5
     #units are cm
     distance_source = 0.01
     flux_source = flux_detector*(distance_source_detector/distance_source)
     print(flux_source)
    943.333333333335
    1650833.3333333335
[5]: # Klein nishina formula to get theoretical cross section values.
     d_{target} = 2*1.69*.1
     # diameter of target in units cm.
     h_target = 10
```

```
rho = 2.7
# density of aluminum in units gm/cm^2
NO = 6*10**23
A = 27
Z = 13
# compute total number of electrons in target.
N = math.pi *(d_target/2)**2*h_target*rho*NO*Z/A
print(N)
solid_angle = 0.09/(17.5)**2
print(solid_angle)
```

- 6.998708166775891e+23
- 0.0002938775510204081

```
[6]: # To obtain the cross section we take
    rate_detector=84.90
     area_detector = 0.09
     flux_detector = rate_detector/area_detector
     # units are counts/cm^2*s
     print(flux_detector)
     distance_source_detector = 17.5
     #units are cm
     distance_source_target = 10.0
     flux_target = flux_detector*(distance_source_detector/distance_source)
     print(flux_source)
     angle = [20, 120, 160]
     data = [deg20, deg120, deg160]
     counts = [abs(sum(x)) for x in data]
     # The units for cross section is cm^2/steradians
     cross_section = [i / (solid_angle*N*flux_target) for i in counts]
     print(cross_section)
     adjusted_cross_section = [i * 10**24 for i in cross_section]
     print(adjusted_cross_section)
```

```
943.3333333333335
1650833.333333335
[5.441887679555535e-24, 2.1718442715528925e-22, 1.5055404884865246e-23]
[5.441887679555535, 217.18442715528926, 15.055404884865245]
```

```
[9]: # scatter plot of the cross section on the y-axxis and angle on the x axis.

# Not what I was expecting for 160 degrees because it is so much lower than 120□

→degrees.

# Of course the 120 degrees is also very bad because it was actually -217 when□

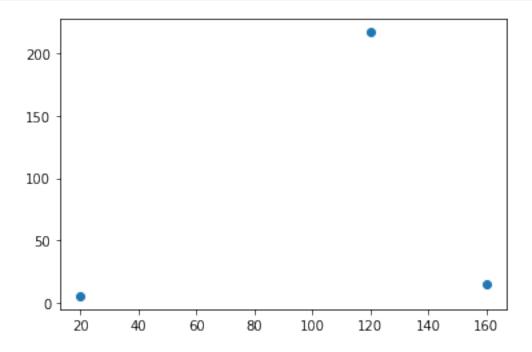
→you take

# the yield of target minus the background.

import matplotlib.pyplot as plt

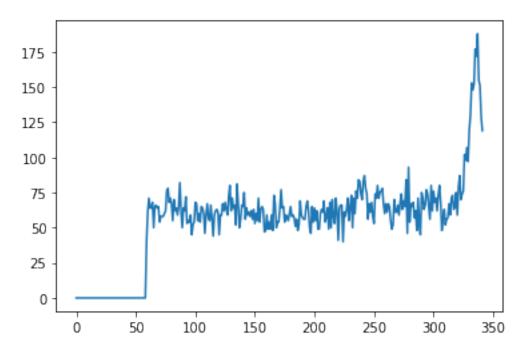
plt.scatter(angle, adjusted_cross_section)
```

## plt.show()



```
[25]: # Scattered electron energy distribution (compton continuum).
      # The peak above channel 1800 would correspond to about 59.54 keV.
      # But I know that the data should just be a range of 0-11 keV based on fact of \Box
      # photons back scattering or not scattering in the detector,
      # The change in energy of the photon is equal to the energy imparted to the \Box
       \rightarrowelectron in the
      # semiconductor so it should range between 0-11 keV or channels
      data = np.loadtxt("OverTheWeekend.mca")
      # multiply by 1000 to convert back to keV from MeV.
      energyPerChannel = 3.216639654240951e-05*1000
      max_channel = 11/energyPerChannel
      print(max_channel)
      data = data[0:342]
      plt.plot(data)
      plt.show()
      # The graph looks a bit like the data for the scattered electron energy,
       \rightarrow distribution.
      # (compton continuum). That is we see it increasing the number of counts and _{\! \sqcup}
       \rightarrow thus the
      # cross section as we get closer to the 11 keV mark. But it dips to zero_{\sf L}
       → instead of increasing
      # as the energy is decreasing. We expect the minimum to be at about 5.5 keV.
```

# 341.9717836748405



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# plotsssss

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```
[1]: import numpy as np
     import matplotlib.pyplot as plt
     #energy
     def scattered_energy(theta):
        E = 0.05954
          tempE = 0.662
         restEnergyElectron = 0.511
         return E / (1 + (E / restEnergyElectron) *(1 - np.cos(np.deg2rad(theta))))
[2]: # Find the channel where the peak should be at with given angle.
     def channel_finder(theta):
         Ef = scattered_energy(theta)
         energyPerChannel = 3.216639654240951e-05
           energyPerChannel = 0.08327044025157233
         return Ef / energyPerChannel
[1]: # Convert the channel number to the corresponding energy value for that peak.
     def channToEn(channel):
         energyPerChannel = 3.216639654240951e-05
           energyPerChannel = 0.08327044025157233
         return energyPerChannel * channel
[1]: 0.05950783360345759
[4]: def finale(channels, angles):
         energies = [1 / channToEn(x) for x in channels]
         x_real = [1-np.cos(np.deg2rad(x)) for x in angles]
         plt.plot(x_real, energies)
         plt.show()
         slope, _, _, _ = stats.linregress(x_real, energies)
         return slope
[5]: from scipy import stats
     # Fundamental idea is that the energy is shifted by the different
     # scattered angles of compton scattering.
     def energyShiftCompton(energy, angle, error):
```

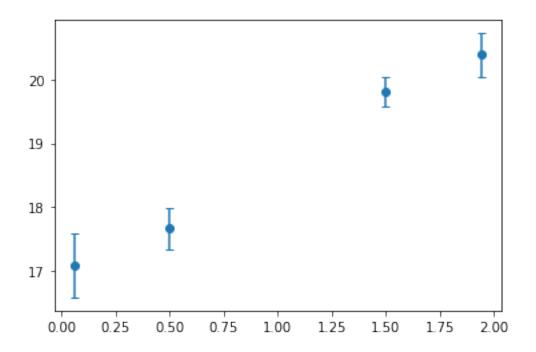
```
energy = [1 / x for x in energy]
xAxis = [1-np.cos(np.deg2rad(x)) for x in angle]
plt.errorbar(xAxis, energy, yerr = error, fmt = 'o', capsize = 3)
plt.show()
plt.scatter(xAxis, energy, c = "b", alpha = 1)
plt.title('Scatter Plot of Compton Shift')
slope, intercept, r_value, p_value, std_err = stats.linregress(xAxis, energy)
print(slope)
```

```
[6]: z = [0, 20, 60, 80, 120]
z = [0, 20, 50, 60, 70, 90, 120]
channelList = [channel_finder(x) for x in z]
energies = [scattered_energy(x) for x in z]
print(energies)
```

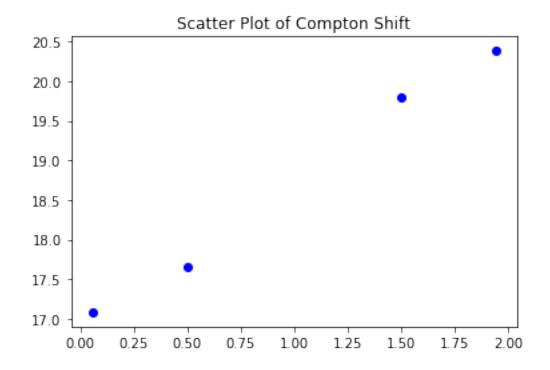
[0.05954, 0.059124542903097176, 0.057160895762107734, 0.056262255672467044, 0.05530036447810277, 0.053326567812949144, 0.05068204760873549]

```
[10]: # Energy that was collected by analyzing the photopeaks locations and then
# computing the energy based on what channel the peak is located at.
channels = [1820, 1760, 1570, 1525]
energy = [channToEn(i) for i in channels]
print(energy)
angle = [20, 60, 120, 160]
energyError = [0.5, 0.324, 0.234, 0.34]
energyShiftCompton(energy, angle, energyError)
xReal = [1-np.cos(np.deg2rad(x)) for x in angle]
```

[0.0585428417071853, 0.056612857914640734, 0.05050124257158293, 0.0490537547271745]



## 1.8419096230421097



```
[11]: MeV = (1/
      1.8419096230421097)
      print(MeV)
     0.5429148029252345
[12]: abs(1-MeV/0.511)
[12]: 0.062455583023942385
[13]: #optimize curve fit
      import numpy as np
      from scipy import stats
      angle = [20, 60, 120, 160]
      x = np.array([1-np.cos(np.deg2rad(j)) for j in angle])
      channels = [1820, 1760, 1570, 1525]
      energy = [channToEn(i) for i in channels]
      y = np.array([1 / j for j in energy])
      x0 = np.array([0,0,0])
      sigma = np.array([8.377, 14.252, 12.088, 11.629])
      import scipy.optimize as optimization
      def func(x, a, b, c):
          return a + b*x + c*x*x
      print(optimization.curve_fit(func, x, y, x0, sigma))
     (array([ 1.69356865e+01, 1.84214594e+00, -1.48990564e-02]), array([[
     0.03099602, -0.07646379, 0.03266061],
            [-0.07646379, 0.46357467, -0.23353293],
            [0.03266061, -0.23353293, 0.12204485]]))
[14]: def func(params, x, y):
          return (y - np.dot(x, params))
      x = np.transpose(np.array([[1.0, 1.0, 1.0], [1-np.cos(np.deg2rad(j)) for j_{\perp}
      →in angle]]))
      args = (x, y)
      x0 = np.array([0,0])
      print(optimization.leastsq(func, x0, args = (x, y)))
      # Least Squares estimate gives the following results.
      \# slope = b = 1.84190962
      # y-intercept = a = 16.89124832
     (array([16.89124832, 1.84190962]), 1)
 []:
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```

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<b>.</b> .	
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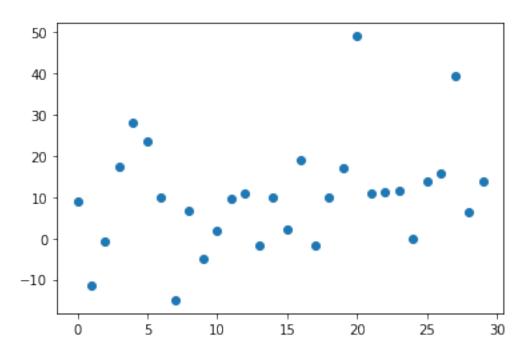
# subtractBackground

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```
[4]: import numpy as np
     np.set_printoptions(threshold=1000)
     import matplotlib.pyplot as plt
[5]: # Loading all of my data for analysis.
     degOTarget = np.loadtxt("ODegDataTarget1.mca")
     degOBackground = np.loadtxt("CalibrationData1.mca")
     deg20Target = np.loadtxt("20DegTarget1.mca")
     deg20Background = np.loadtxt("20DegBackground.mca")
     deg60Target = np.loadtxt("60DegDataTarget1.mca")
     deg80Target = np.loadtxt("80DegDataTarget1.mca")
     deg80Background = np.loadtxt("80DegDataBackground1.mca")
     deg120Background = np.loadtxt("120DegDataBackground.mca")
     deg120Target = np.loadtxt("120DegTarget1.mca")
     deg160Target = np.loadtxt("160DegDataTarget1.mca")
     deg160Background = np.loadtxt("160DegDataBackground1.mca")
     a = list(deg0Background)
     a.index(max(a)) + 1
[5]: 1851
[6]: # Calibration to find the energy scale.
     # qain = 8.92
     calibration = list(deg0Background)
     peakIndex = calibration.index(max(calibration)) + 1
     # Units of MeV / channel
     energyPerChannel = 0.05954 / peakIndex
     print(energyPerChannel)
    3.216639654240951e-05
[7]: # Balancing my data so that it matches.
     deg160Target2 = [x*1.277167903 for x in deg160Target]
     \# deg80Target2 = [x * for x in deg160Target]
     deg120Background1 = [x*41.62 for x in deg120Background]
     deg20Background1 = [x*1.284 for x in deg20Background]
```

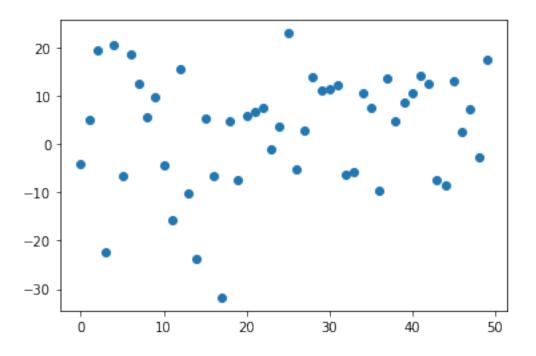
```
[22]: # Analysis ohe 160 degrees spectra collected.
      # 68% of values should be within 1 standard deviation of th emean.
      from scipy.signal import find_peaks
      from scipy.optimize import curve_fit
      from scipy import asarray as ar, exp
      deg160 = (deg160Target2 - deg160Background)
      itemIndex = np.where(max(deg160)==deg160)
      deg160List = list(deg160)
      y = deg160[1500:1530]
      x = [i \text{ for } i \text{ in } range(0, len(y))]
      n = len(y)
      mean = sum(x*y)/sum(y)
      print(mean)
      sigma = np.sqrt(sum(y*(x-mean)**2)/sum(y))
      print(sigma)
      std_error = sigma / np.sqrt(n)
      print(std_error)
      peaks, _ = find_peaks(x, height = 0)
      plt.scatter(x, y)
      # plt.scatter(peaks, x[peaks], "x")
      # plt.scatter(np.zeros_like(x), "--", color = "gray")
      plt.show()
      deg160Channel = 1525
      deg160ChannelError = 1.52943
```

- 17.765834246861843
- 8.377018162902417
- 1.52942727081738



```
[38]: # Analyze the data collected from when the detector was at 120 degrees.
      deg120 = (deg120Target - deg120Background1)
      #print(deg160)
      itemIndex = np.where(max(deg120)==deg120)
      print(itemIndex)
      # print(itemIndex)
      deg120List = list(deg120)
      y = deg160[1550:1600]
      x = [i for i in range(0, len(y))]
      n = len(y)
      mean = sum(x*y)/sum(y)
      print(mean)
      sigma = np.sqrt(sum(y*(x-mean)**2)/sum(y))
      print(sigma)
      std_error = sigma / np.sqrt(n)
      print(std_error)
      peaks, _ = find_peaks(x, height = 0)
      plt.scatter(x, y)
      # plt.plot(peaks, x[peaks], "x")
      # plt.plot(np.zeros_like(x), "--", color = "gray")
      plt.show()
      deg120Channel = 1570
      deg120ChannelError = 2.01554
```

(array([1567], dtype=int64),) 32.72620728000071 14.252044987672779 2.0155435313118333

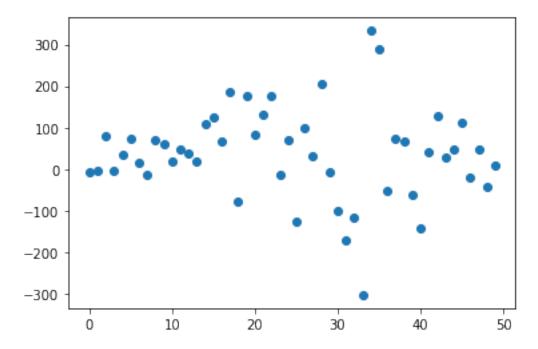


```
[50]: # Analyze the degree 20 results.
      deg20 = (deg20Target - deg20Background1)
      #print(deg160)
      itemIndex = np.where(max(deg20)==deg20)
      print(itemIndex)
      # print(itemIndex)
      deg20List = list(deg20)
      y = deg160[1820:1870]
      x = [i for i in range(0, len(y))]
      n = len(y)
      mean = sum(x*y)/sum(y)
      print(mean)
      sigma = np.sqrt(sum(y*(x-mean)**2)/sum(y))
      print(sigma)
      std_error = sigma / np.sqrt(n)
      print(std_error)
      peaks, _ = find_peaks(x, height = 0)
      plt.scatter(x, y)
      # plt.plot(peaks, x[peaks], "x")
      # plt.plot(np.zeros_like(x), "--", color = "gray")
      plt.show()
      deg20Channel = 1820
      deg20ChannelError = 1.7094
```

(array([1833], dtype=int64),) 20.865504589546152

#### 12.087565819235161

#### 1.7094399517639816

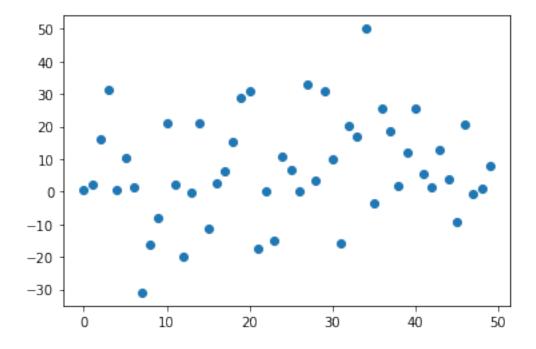


```
[66]: # Analyze the degree 0 results.
      \# deg0 = (deg - deg20Background1)
      # #print(deg160)
      # itemIndex = np.where(max(deg20)==deg20)
      # print(itemIndex)
      # # print(itemIndex)
      \# deg20List = list(deg20)
      # # print(max(deg160))
      # # print(deq160List)
      # # print(deg160List[1507])
      # x = deg20[1700:1850]
      # peaks, _ = find_peaks(x, height = 0)
      # plt.plot(x)
      # plt.plot(peaks, x[peaks], "x")
      # plt.plot(np.zeros_like(x), "--", color = "gray")
      # plt.show()
      # deg20Channel = 1820
      # deg20ChannelError = 5
```

```
[65]: # Analyze the degree 60 results.
#print(deg160)
itemIndex = np.where(max(deg60Target)==deg60Target)
print(itemIndex)
```

```
# peaks, _ = find_peaks(x, height = 0)
y = deg160[1740:1790]
x = [i for i in range(0, len(y))]
n = len(y)
mean = sum(x*y)/sum(y)
print(mean)
sigma = np.sqrt(sum(y*(x-mean)**2)/sum(y))
print(sigma)
std_error = sigma / np.sqrt(n)
print(std_error)
peaks, _ = find_peaks(x, height = 0)
plt.scatter(x, y)
# plt.plot(peaks, x[peaks], "x")
# plt.plot(np.zeros_like(x), "--", color = "gray")
plt.show()
deg20Channel = 1760
deg20ChannelError = 1.64466
```

```
(array([339], dtype=int64),)
29.84507088134634
11.629486674236265
1.6446577778142106
```



```
[47]:
```

[47]: [range(0, 10)]

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