

Justin Lin, Pato Solis / Freese Kamen, Stanley Goodwin.

0	None
1	None
2	"fun", "English"
3	"hi", "German"
4	None
5	"fun", "Greek"
6	"Chin", "Dutch"
7	None
8	"bat", "English"
9	None
10	"lid", "English"
11	None

"lid", $11 + 8 + 3 = 22 \% 12 = 10$

"bat", $1 + 0 + 19 = 20 \% 12 = 8$

"go", $6 + 14 = 20 \% 12 = 8$

"Chin", $2 + 7 + 8 + 13 = 30 \% 12 = 6$

→ "go", "Latin"

"fun", $19 + 21 + 13 = 53 \% 12 = 5$

↳ "sea", "Greek"

"fun", $5 + 20 + 13 = 38 \% 12 = 2$

"hi", $7 + 8 = 15 \% 12 = 3$

- "sea", $18 + 4 + 0 = 22 \% 12 = 10$

0	None
1	None
2	"lie", "English"
3	"chin", "Dutch" → "hi", "German"
4	None
5	None
6	"fun", "English" → "son", "Greek"
7	None
8	"bat", "English" → "so", "Latin" → "don", "Greek"
9	None
10	None
11	None

$$("id") = 11 + 3 = 14 \times 12 = 2$$

$$("bat") = 1 + 19 = 20 \times 12 = 9$$

$$- ("gy") = 6 + 14 = 20 \times 12 = 9$$

$$("hin") = 2 + 13 = 15 \times 12 = 3$$

$$= ("tin") = 19 + 3 = 22 \times 12 = 7$$

$$("fun") = 5 + 13 = 18 \times 12 = 6$$

$$- ("hi") = 7 + 8 = 15 \times 12 = 3$$

$$- ("son") = 5 + 10 = 15 \times 12 = 6$$

③ Count the amount of keys in the table & divide by the capacity. The closer the value is to 1, the better it is.

$\frac{\# \text{ Keys}}{\text{Capacity}}$

⑤

```
def put(table, key, value):
    hkey = hash(key) % table.size
    if table[hkey] is None:
        table[hkey] = Entry(key, value)
    else:
        for i in table[hkey]:
            if i.key == key:
                i.value = value
        return
    table[hkey].append(Entry(key, value))
```

④

```
@dataclass
class HashTable:
    table: list[Entry]
    size: int
    capacity: int
```

```
@dataclass
class Entry:
    key: Hashable
    value: Any
```