

$$1) \lim_{n \rightarrow \infty} \frac{n(\log_2 n)}{(\log_2 n)^{\log_2 n}} = \lim_{n \rightarrow \infty} \frac{n}{\log_2 n \cdot \log_2 n^{\log_2 n}} = \frac{1}{\infty} = 0$$

$$\lim_{n \rightarrow \infty} \frac{1}{\log_2 n^{\log_2 n - 1}} = 0$$

$$\lim_{n \rightarrow \infty} \frac{(\log_2 n)^{\log_2 n}}{n(\log_2 n)^3} = \frac{\infty}{\infty} \stackrel{L'H}{=} \lim_{n \rightarrow \infty} \frac{\frac{2 \ln(x)}{\ln^2(2) x}}{\log_2(x)^3 + \frac{3 \log_2(x)^2}{\ln(2)}} = \frac{2 \ln(x)}{\ln^2(2) x (\log_2(x)^3 + \frac{3 \log_2(x)^2}{\ln(2)})} = 0$$

$$= 0$$

$$\lim_{n \rightarrow \infty} \frac{n(\log_2 n)^3}{n^{\log_2 n}} = \lim_{n \rightarrow \infty} \frac{n}{n^{\log_2 n}} = \lim_{n \rightarrow \infty} \frac{1}{n^{\log_2 n - 1}} = 0$$

$$g_2 < g_1 < g_4 < g_3$$

g_4 passes g_2 at $(2, 2)$ g_3 passes g_2 at $(2, 2)$
 g_1 passes g_2 at $(2.866, 1.866)$ g_3 passes g_4 at $(6.023, 104.667)$

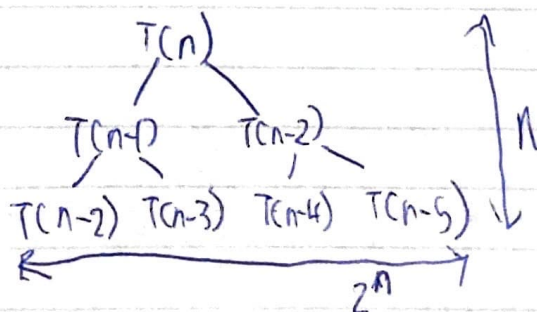
2) S is always first, E is always last

~~S, A, B, C, D, E~~
 (S, C, A, B, D, E) (1 ordering)

~~S, A, B, C, D, E~~

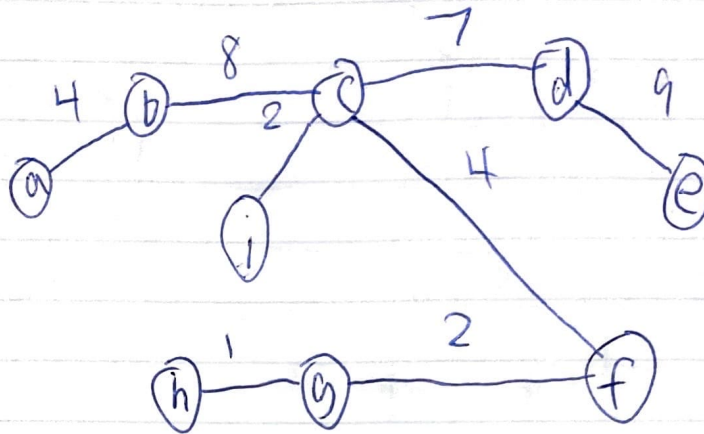
$$3) T(n) = T(n-1) + T(n-2) + c$$

$$T(n) = (T(n-2) + T(n-3) + c) + (T(n-3) + T(n-4) + c) + c$$



$$O(2^n)$$

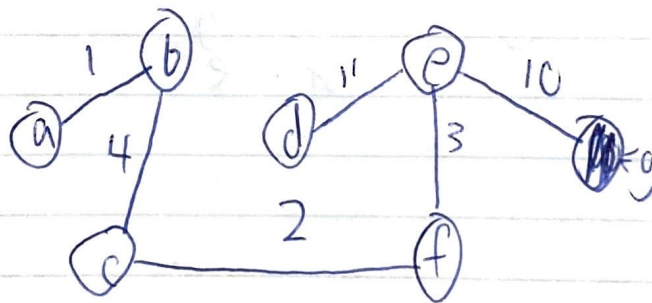
4) ~~12~~ 4
~~12~~ 2
~~12~~ 2
~~12~~ 4
~~12~~ 4
~~12~~ 6
~~12~~ 7
~~12~~ 7
~~12~~ 8
~~12~~ 8
~~12~~ 9
~~12~~ 10
~~12~~ 11
~~12~~ 14



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edge	value
h ↔ g	1
g ↔ f	2
c ↔ i	2
a ↔ b	4
f ↔ c	4
c ↔ d	7
b ↔ c	8
d ↔ e	9

5)



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edge	value
a ↔ b	1
c ↔ f	2
e ↔ f	3
b ↔ c	4
e ↔ g	10
d ↔ e	11

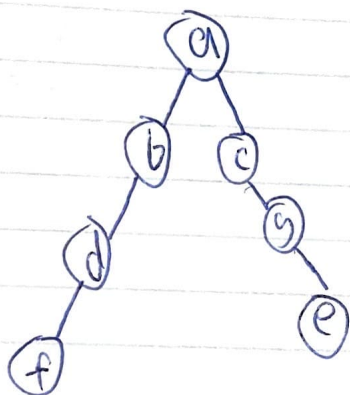
a)

	a	b	c	d	e	f	g
a	0	1	1	1	1	0	0
b	1	0	0	1	0	1	0
c	1	0	0	0	0	0	1
d	1	1	0	0	0	1	0
e	1	0	0	0	0	0	1
f	0	1	0	1	0	0	0
g	0	0	1	0	1	0	0

list

$a \rightarrow b, c, d, e$
 $b \rightarrow a, d, f$
 $c \rightarrow a, g$
 $d \rightarrow a, b, f$
 $e \rightarrow a, g$
 $f \rightarrow b, d$
 $g \rightarrow c, e$

b)



order

first: a
 ↓
 b
 d
 f
 c
 g
 last: e