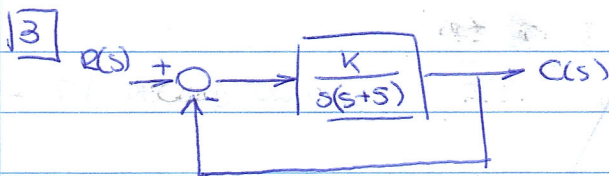


Portanto,

$$\frac{C(s)}{R(s)} = \left(\frac{G_1 \cdot G_2}{G_2(G_1 H_1 + H_2) + 1} \right) \left(\frac{G_3}{1 + G_3 H_3} \right)$$



(A) $M_p = 10\%$

(do gráfico $M_p \times \xi$) : $M_p(\xi) = 10\%$ PARA $\xi \approx 0,58$

$$G(s) = \frac{K}{s(s+5)} = \frac{\omega_n^2}{s(s+2\xi\omega_n)}$$

$$\Rightarrow 2\xi\omega_n = 5 \Rightarrow \omega_n = \frac{5}{2\xi} \approx \frac{5}{2(0,58)} \approx 4,31$$

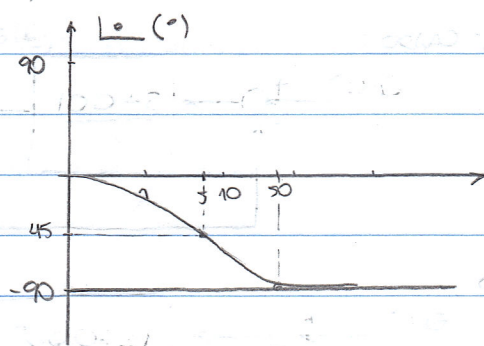
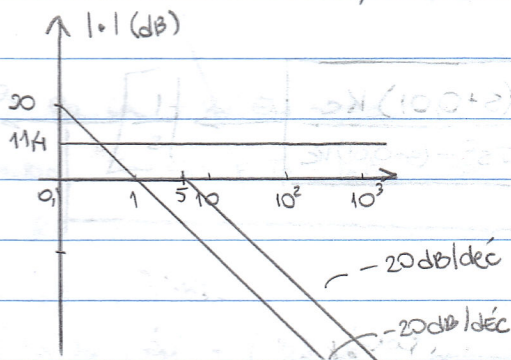
$$\text{Assim, } K = \omega_n^2 \approx (4,31)^2 \approx 18,58$$

$$\boxed{K = 18,58}$$

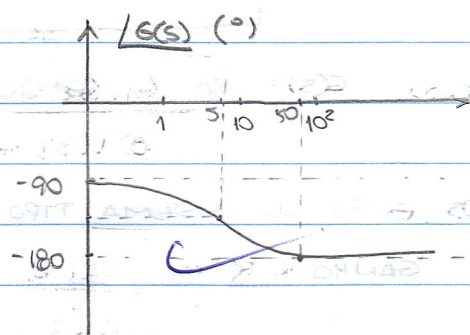
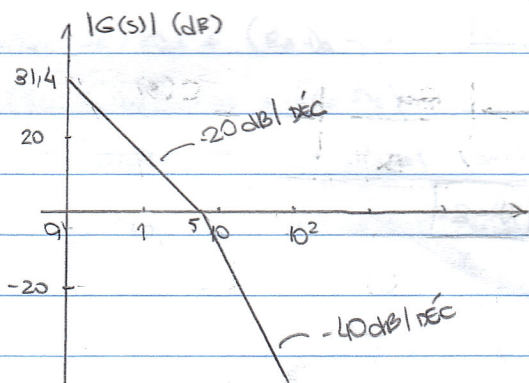
$$\rightarrow 20 \log 3,7 \approx 11,4$$

$$(b) \quad G(s) = \frac{18,58}{s(s+5)} = \frac{18,58}{s(\frac{1}{5}s+1)} = \frac{3,7}{s(\frac{s}{5}+1)}$$

↳ 3 TERMOS: GANHO, PÓLO NA ORIGEM, PÓLO REAL FORA DA ORIGEM



PORTANTO, AS CURVAS DE BODE DE MALHA ABERTA DO SISTEMA:



(C) TEMOS UM SISTEMA DE TIPO 1 E O ERRO ESTACIONÁRIO DE UM

$$\text{SISTEMA GÊNÉRICO É DADO POR: } e_{\infty} = \lim_{s \rightarrow 0} s \cdot \frac{1}{1 + \frac{K}{s^N}} \cdot R(s)$$

ONDE, NESSE CASO, $N=1$ E $K=3,7$

$$\text{PARA RAMPA UNITÁRIA: } R(s) = \frac{1}{s^2}$$

$$\text{PORTANTO, } e_{\infty} = \lim_{s \rightarrow 0} s \cdot \frac{1}{1 + \frac{3,7}{s}} \cdot \frac{1}{s^2} = \lim_{s \rightarrow 0} \frac{s}{s+3,7} \cdot \frac{1}{s} = \frac{1}{3,7}$$

$$\Rightarrow e_{\infty} = \frac{1}{3,7} = 0,27 //$$