LogGamma prior

Parametrization

The Gamma distribution has density

$$\pi(\tau) = \frac{b^a}{\Gamma(a)} \tau^{a-1} \exp(-b \tau) \tag{1}$$

for $\tau > 0$ where:

a > 0 is the shape parameter, and

b > 0 is the inverse-scale parameter.

The mean of τ is a/b and the variance is a/b^2 , and we denote this distribution Gamma(a, b). The variable θ has algebraichard a log <math>Gamma(a, b) distribution, if $\theta = \log(\tau)$ and τ is Gamma(a, b) distributed.

Specification

The LogGamma prior for the hyperparameters is specified inside the f() function as following using the old-style,

```
f(<whatever>,prior=loggamma, param=c(<a>,<b>))
```

or better, the new style

```
f(<whatever>, hyper = list(<theta> = list(prior="loggamma", param=c(<a>,<b>))))
```

In the case where there is one hyperparameter for that particular f-model. In the case where we want to specify the prior for the hyperparameter of an observation model, for example the Gaussian, the the prior spesification will appear inside the control.family()-argument; see the following example for illustration.

Default values

nparameters 2

pdf prior-loggamma

Example

In the following example we estimate the parameters in a simulated example with gaussian responses and assign the hyperparameter (the precision parameter), a logGamma prior with parameters a=0.1 and b=0.1

Notes

None

¹We define it in this way; if variable X has distribution D then log(X) has distribution logD. This is oposite to the implicite convention leading to the definition of the logNormal distribution, which we believe is confusing.