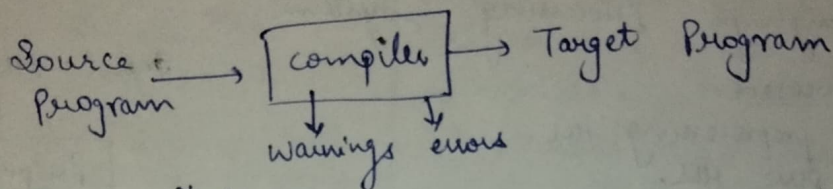


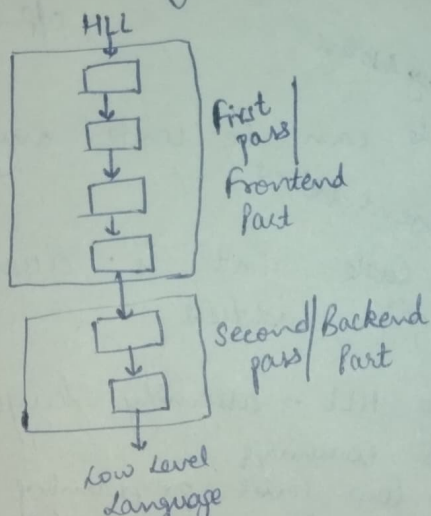
Compiler Design

- * Compiler → It is a software/program that converts a program written in HLL (source language) to a low level language (object / Target language).
- It also reports errors present in source programs.

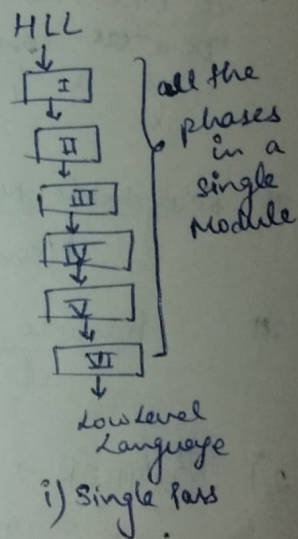


* Types of Compilers

- 1) Single Pass Compiler → Is a type of compiler that processes the source code only once.
- 2) Multi Pass Compiler → It is a type of compiler that processes the source code multiple times (to convert HLL → Low Level lang) i.e. to convert source code to target / object code.



ii) Multi Pass (Two Pass)



- * There are 2 parts of compilation process | 2 major phases of compiler

Analysis

- 1) It breaks up the source code / prog. into small parts and creates an Intermediate representation of the source prog.

Synthesis

- 1) It takes the intermediate representation of the source prog. as input and creates the desired target code / program.

* Language Processing Systems

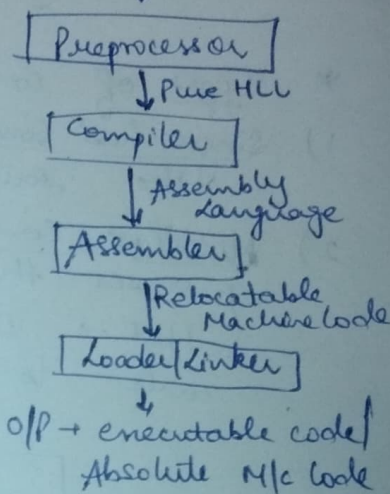
We write the programs in a HLL which is easy for us to understand in compiler design.

- These^(HLL) programs are fed into a series of tools and OS components to get the desired code that can be used by the Machine. This is called Language Processing System.

1) Pre-Processor →

- In preprocessing, HLL converted to pure HLL.
- Preprocessor removes the preprocessor directives (#include <stdio.h>) and will add the respective files i.e. File Inclusion.
- It will do macro expansion, operator conversion (eg a--; preprocessing a=a-1)

Input = HLL / Source Code



Relocatable M/C Code → Code can be loaded anywhere in the Memory. ^{Temporary Address}

Absolute M/C Code → Code that is assembled to work at one specific address. ^{Permanent Address}

2) COMPILER → • convert pure HLL → assembly language

- also gives errors & warnings
- Assembly language → low level programming language not in binary form.

3) ASSEMBLER → • for every platform (H/W + OS) we have a assembler. ^{is a program}

- A assembler for one platform will not work for another platform.

Assembly code ^{converted} → Executable M/C Code

H/W → intel
OS → window

Executable M/C Code → Can be loaded at any time & can be run.

4) LOADER / LINKER → Converts relocatable code → absolute M/C code.

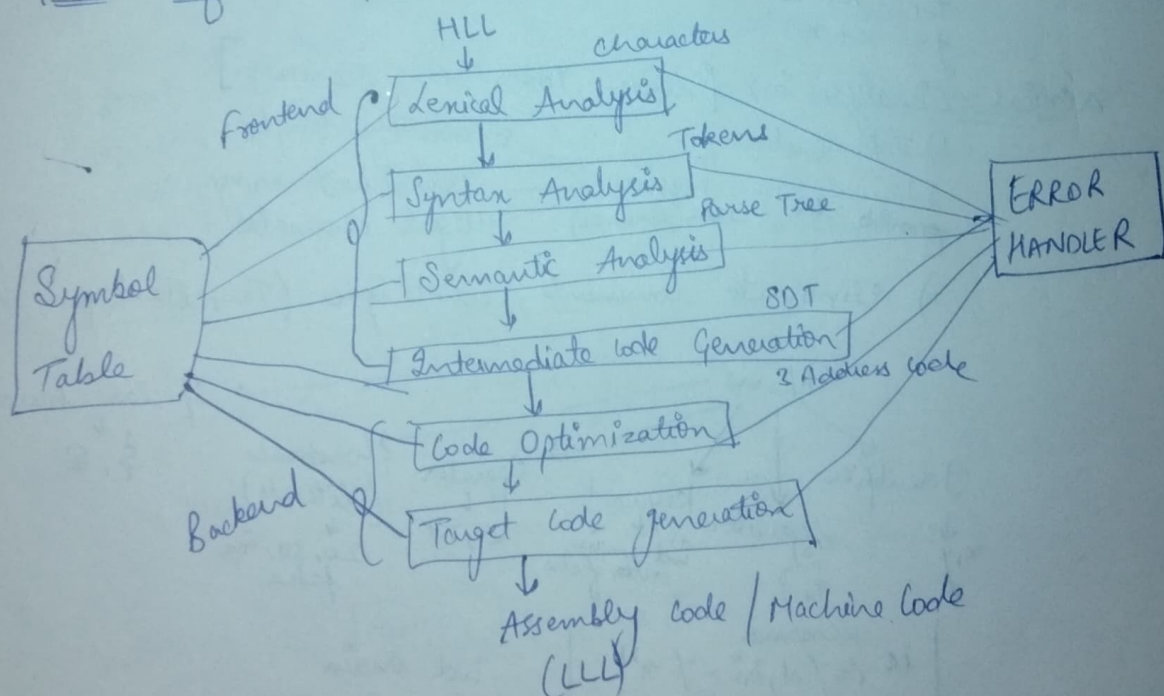
A Linker links diff. files into a single file (executable file) & then Loader - loads that executable file.

in the Memory & executes it

NOTE → If we talk of any compiler like Turbo C, gcc etc all these phases are included to convert Source code → M/c code.

* Compiler	Interpreter
1) Takes entire prog at once as Input.	1) It takes single line of code at a time.
2) Speed - high	2) Speed - Low
3) generates Intermediate object code. So Memory requirement is More	3) Memory requirement is less because no Intermediate code created.
4) Eg → C, C++, Scala uses compiler	4) Example → perl, python, Matlab
5) <u>Errors</u> → all errors are displayed together	5) <u>Errors</u> → continues translating the prog. until the 1st error is met, in which case it stops.
6) Error detection is difficult.	6) Error detection is easy
7) Compilers are larger in size.	7) Smaller in size.

* Phases of Compiler



example →

$$y = 2 * x$$

Lexical Analysis to convert into stream of tokens

5 tokens

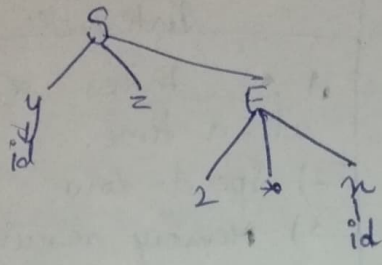
\downarrow identifier assignment
 \downarrow constant
 \downarrow operator
 \downarrow identifier

$\frac{a}{0} \Rightarrow$ Run Time Error

1) Lexical Analysis also known as Scanner / Tokenizer

Size, type, scope, ^{variables} reference & stored

2) Imp Phase \rightarrow Syntan Analysis act as Parser



compile time error in Symbol Table.
3) Semantic Analysis \rightarrow check logical errors (scoping, properly declared)

SOT \rightarrow Syntan Directed Translation

4) Imp Phase \rightarrow Intermediate Code Generation \rightarrow 3 Address Code \rightarrow generate Machine Independent Code.

$t_1 = 2 * x$
 $y = t_1$
 $z = a + b * c$
 $t_1 = b * c$
 $t_2 = a + t_1$
 $z = t_2$

Man. 3 Address } 3 Address Code

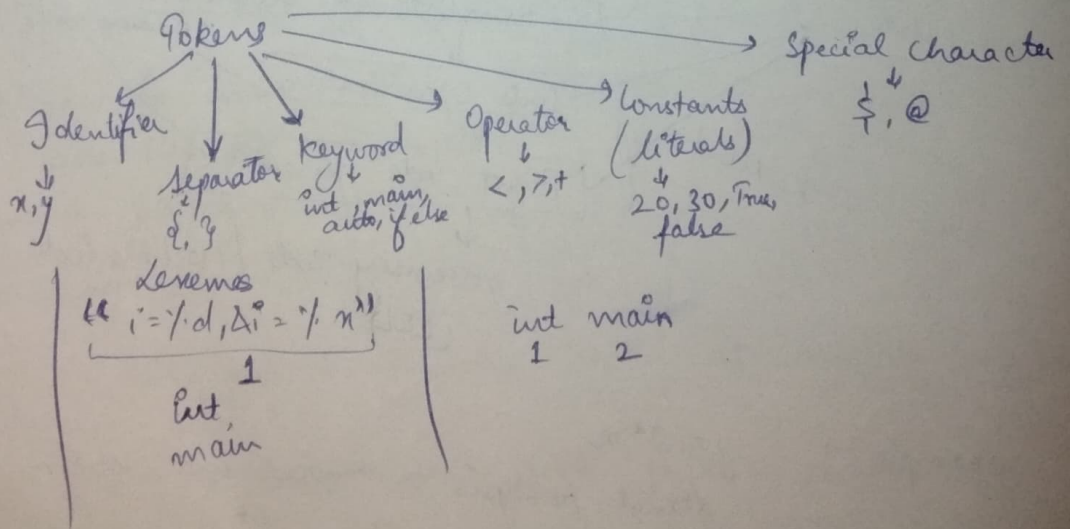
5) Code Optimization \rightarrow Divide Code into Block.

Inside Block \rightarrow local optimization
Outside Block \rightarrow Global optimization

$t_1 = 2 * x$
 $t_1 = x + x$
 $y = x + x$

Lexical Analysis \rightarrow [Lexer, Tokenizer, Scanner]

- 1) Tokenization
- 2) Give Error Message \leftarrow exceeding length, unmatched string, illegal character
provide lexical error (lexemes)
- 3) eliminate comments, white space (Tab, blank space, Newline)



Lexeme → Sequence of characters from the Input that match a pattern.

Tokens → Symbolic names for the entities that make up the text of the program. ex: ID, Constant, Keywords, Operators, Punctuations, Literal String

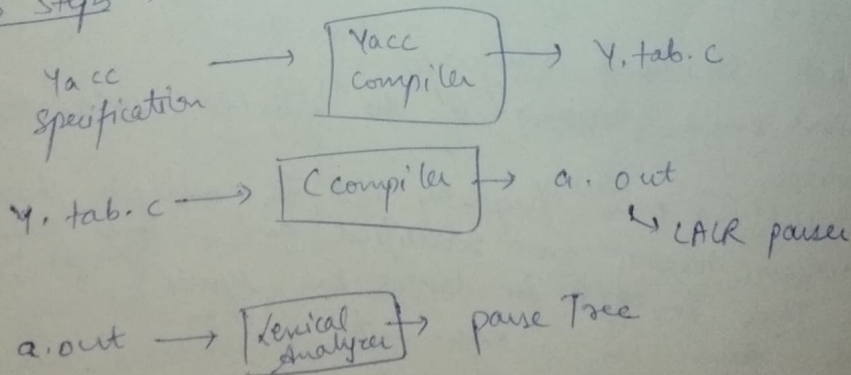
Source Code → Lexeme → Token → Parser

int x = 5;

Lexeme	Token
int	Keyword
x	id
=	Assignment operator
5	constant
;	operator

- * YACC → It stands for Yet Another Compiler-Compiler (developed by Stephen C Johnson)
- It is a tool for generating Look Ahead Left-to-Right (LALR) parser.
 - It takes Input from the lexical analyzer and generates parse Tree.
 - Syntax Analyzer / Parser is the 2nd phase of the compiler which takes Input as tokens and generates a parse tree.

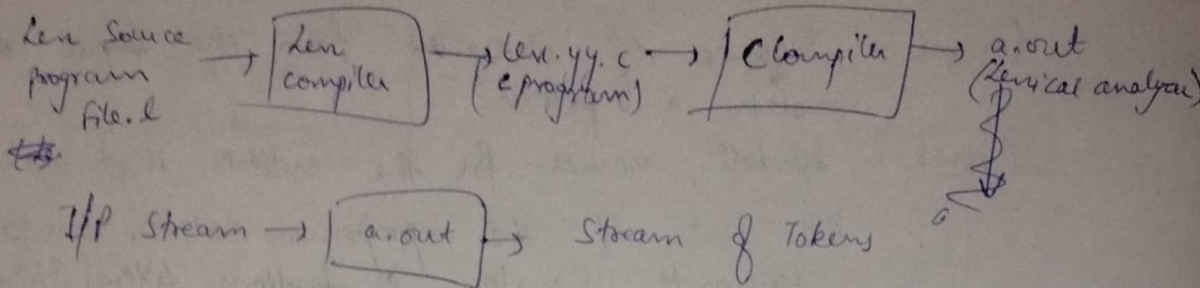
3 Steps →



LEX Tools → lex is a tool / computer program which generates Lexical Analyzer. It is used with YACC parser / generator.

1st phase of compiler which converts source code with HLL → stream of Tokens.

• lex written by Mike Lesk and Eric Schmidt and described in 1975.



* Symbol Table Data Structures that are used by compilers to hold info. about source-program constructs.

- It is used to store info. about the occurrence of various entities such as objects, classes, variable names, functions etc.
 - It is used by both analysis phase and synthesis phases.
- used for following purposes →

- 1) It is used to store the name of all entities in a structured form at one place.
- 2) It is used to verify if a variable has been declared.
- 3) It is used to determine the scope of a name.
- 4) It is used to implement type checking by verifying assignments and expressions in the source code are semantically correct.

A symbol table can either be linear or hash table

example

int count;

char x[7] = "NESO ACADEMY";

Name	Type	Size	Dimension	Line of Declaration	Line of Usage
count	int	2	0	—	—
x	char	12	1	—	—

Operations →

1) Non-Block Structured language.

- Contains single instance of the variable declaration
- operations:

a) Insert() → More frequently used in analysis phase (frontend) when tokens are identified and names are stored in table. The Insert() fn takes the symbol & its value in the form of argument.
eg insert(x, int)

b) lookup() → used to search a name & it determines:

- The existence of symbol in the table
- Declaration of symbol before it is used
- check whether the name is used in the scope
- initialization of the symbol.

• checking whether the name is declared multiple times.

lookup(symbol)

2) Block Structured languages variable declaration may happen ~~many~~ multiple times.

- Insert()
- Lookup()
- Set() → Specify [the scope of variable]
- Reset() → Redefine the scope of variable

Imp → $T1: a? (b|c)^* a$

$T2: b? (a|c)^* b$

$T3: c? (b|a)^* c$

if $c? = 1$ then $(b|a)^* c$ not processed
Lexical Analyser uses these patterns to recognize 3 tokens
 $T1, T2, T3$ over the alphabet $a, b \& c$.

Note that $[x?]$ specifies 0 or 1 occurrence of the symbol x
Note that the analyser outputs the token that matches the longest possible prefix.

If the string "bbaacabc" is processed by the Analyser then which one the following is the sequence of

tokens it outputs

a) $T_1 T_2 T_3$

b) $T_1 T_1 T_3$

c) $T_2 T_1 T_3$

d) $T_3 T_3$

→ all options are right (d) is most suitable

d) $\frac{bbaac}{T_3} \quad \frac{abc}{T_3}$

* Recursive Grammar → The grammar G is said to be recursive if in atleast one production there is same variable at both L.H.S & R.H.S

Example: $S \rightarrow Sa|b$
 $S \rightarrow aS|b$
 $S \rightarrow aSb|e$

Left Recursion

Right Recursion

Middle Recursion

Types: 1) Left Recursion → The grammar is said to be left recursion if the leftmost variable of R.H.S. is same as the variable at L.H.S

eg → 1) $S \rightarrow Sa|b$

2) $S \rightarrow AB$
 $A \rightarrow Aa|b$
 $B \rightarrow ab|b$

2) Right Recursion → The grammar is said to be right recursion if the rightmost variable of R.H.S. is same as the variable of L.H.S.
eg → $S \rightarrow aS|b$

Grammar which is both left & right recursion is ambiguous.

$$\text{eg} \quad \begin{array}{l} S \rightarrow SS \mid AB \\ A \rightarrow Aa \mid a \\ B \rightarrow Bb \mid b \end{array}$$

[NOTE] \rightarrow If the grammar is left recursive then the parser goes to infinite loop so to avoid looping we need to convert the left recursive grammar into right recursive grammar.

* Conversion of LR into RR or Removal of LR

① $A \rightarrow A\alpha \mid \beta$ LR
 \Downarrow removed

$$\begin{array}{l} A \rightarrow \beta A' \\ A' \rightarrow \alpha A' \mid \epsilon \end{array}$$

② $A \rightarrow A\alpha_1 \mid A\alpha_2 \mid \dots \mid A\alpha_n$
 $A \rightarrow \beta_1 \mid \beta_2 \mid \dots \mid \beta_n$

$$\begin{array}{l} A \rightarrow \beta_1 A' \mid \beta_2 A' \mid \beta_3 A' \mid \dots \mid \beta_n A' \\ A' \rightarrow \alpha_1 A' \mid \alpha_2 A' \mid \dots \mid \alpha_n A' \mid \epsilon \end{array}$$

Example $E \rightarrow E + T \mid T$ LR
 $T \rightarrow T * F \mid F$ LR
 $F \rightarrow id \mid (E)$ No Recursion

Solve $E \rightarrow E + T \mid T$
 $A \rightarrow A\alpha \mid \beta$
 \Downarrow
 $A \rightarrow \beta A'$
 $A' \rightarrow \alpha A' \mid \epsilon$

$$\begin{array}{l} E \rightarrow TE' \\ E' \rightarrow +TE' \mid \epsilon \end{array}$$

$$\begin{array}{l} T \rightarrow T * F \mid F \\ T \rightarrow FT' \\ T' \rightarrow *FT' \mid \epsilon \\ F \rightarrow id \mid (E) \end{array}$$

eg 21 $S \rightarrow \underbrace{SaSb}_{\alpha_1} \mid \underbrace{SbSa}_{\alpha_2} \mid \underbrace{\epsilon}_{\beta}$

$$\begin{array}{l} S \rightarrow \epsilon S' \\ S' \rightarrow aSbS' \mid bSaS' \mid \epsilon \end{array}$$

eg 22 $S \rightarrow \underbrace{SPS}_{\alpha} \mid \underbrace{\epsilon}_{\beta}$
 $S \rightarrow \epsilon S'$
 $S' \rightarrow \alpha S S' \mid \epsilon$

eg 23 $S \rightarrow \underbrace{SSS}_{\alpha} \mid \underbrace{\epsilon}_{\beta}$
 $S \rightarrow \epsilon S'$
 $S' \rightarrow SSS'$

* Grammar \rightarrow It is basically set of rules that defines the valid structure of a particular language.

$G(V, T, P, S)$ — Start Symbol

Variables

Productions

- i) Set of ^{Terminals} terminals (i.e. that terminate, they are not replaced by any other thing further)
- ii) Set of non terminals (values/variables that are replaced by terminals). L.H.S
- iii) Set of productions \rightarrow
on LHS \rightarrow non terminal followed by arrow \rightarrow on RHS we can have T or V or combo of both
- iv) Start Symbol \rightarrow One of the non-terminal is designated as the start symbol from where the production begins.

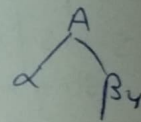
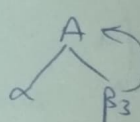
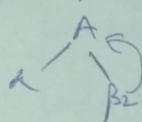
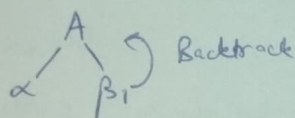
Classification of Grammar

- 1) Deterministic & Non-Deterministic \rightarrow

Non-deterministic \rightarrow for a given grammar if we have many options on single symbol/variable then that grammar is called Non-deterministic.

In NDG we have problem of backtracking.

Example $A \rightarrow \alpha\beta_1 / \alpha\beta_2 / \alpha\beta_3 / \alpha\beta_4$
we need string $\alpha\beta_4$



Deterministic \rightarrow Backtracking problem will remove

$A \rightarrow \alpha A'$

$A' \rightarrow \beta_1 / \beta_2 / \beta_3 / \beta_4$

This process is known as left factoring or eliminating non-deterministic.

- 2) Recursive and Non-Recursive \rightarrow

Left Recursive \rightarrow If the leftmost symbol in RHS is equal to symbol of LHS.

$A \rightarrow \alpha A / \beta$

Right Recursive \rightarrow If the rightmost symbol in RHS is equal to symbol of LHS.

$A \rightarrow \alpha A / \beta$

- 3) Ambiguous and Non-Ambiguous \rightarrow

A $\&G$ is said to be ambiguous if there exists more than one derivation trees for the given α/p string. or more than one leftmost derivation.
or " " " " rightmost "

Example 6

$$E \rightarrow E + E / E * E / id$$

we have to derive $id + id * id$

Soln

LMD $E \rightarrow E + E$

$$\begin{aligned} id + E \\ id + E * E \\ id + id * E \\ id + id * id \end{aligned}$$

RMD

$E \rightarrow E + E$

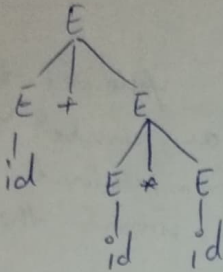
$$\begin{aligned} E + E * id \\ E + E * id \\ E + id * id \\ id + id * id \end{aligned}$$

RMD

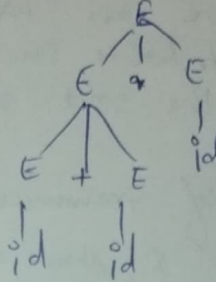
$E \rightarrow E * E$

$$\begin{aligned} E * id \\ E + E * id \\ E + id * id \\ id + id * id \end{aligned}$$

Parse Tree-1 (Valid)



Parse Tree-2



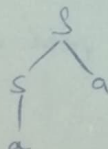
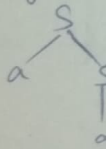
So we have more than 1 parse tree possible \therefore Grammar is ambiguous.

Ambiguous in the sense that "if we have 2 parse trees possible then parser will get confused about which one to generate or which one is correct."

Ques. check grammar is ambiguous or not?

i) $S \rightarrow aS / Sa / a$
string - aa

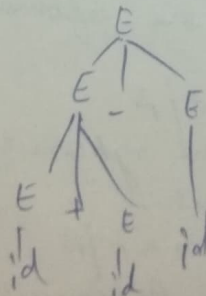
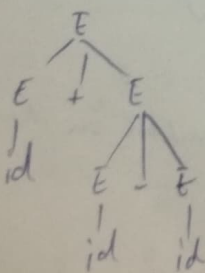
Soln



Yes

ii) $E \rightarrow E + E$
 $E \rightarrow E - E$
 $E \rightarrow id$
 $id + id - id$

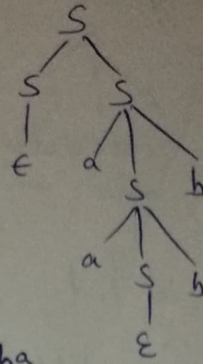
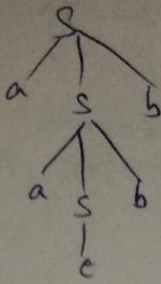
Soln



Yes

iii) $S \rightarrow asb / ss$
 $S \rightarrow \epsilon$

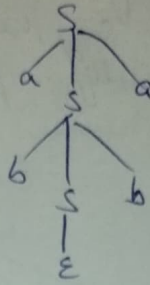
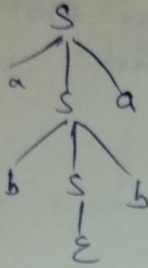
aabab



Yes

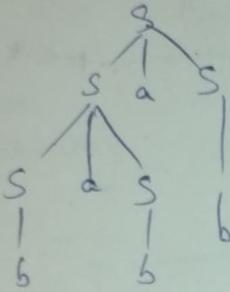
iv) $S \rightarrow aSa / bsb / \epsilon$

abba

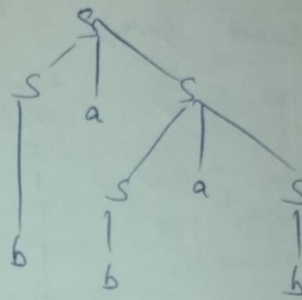


Unambiguous.

v) $S \rightarrow Sas / b$



babab



babab

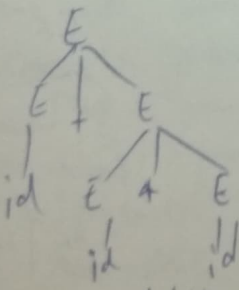
Yes

* Converting Ambiguous \rightarrow Unambiguous.

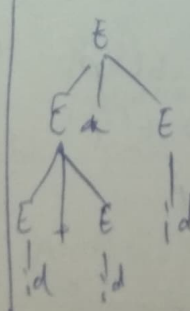
$E \rightarrow E + E / E * E$
 $E \rightarrow id$

① $id + id + id$ Grammar failed because rules of associativity failed

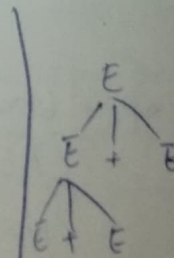
② $id + id * id$ Grammar failed \because precedence is not taken care of



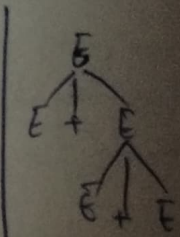
* evaluated left to right



+ is evaluated first \therefore wrong

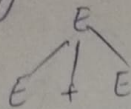


Left Associative



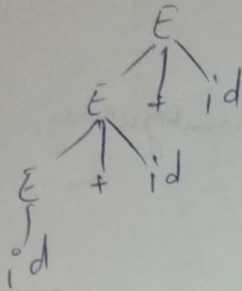
Right Associative

Getting both associativities \therefore we are defining the GRAMMAR without any order. So we can grow in any direction.



To achieve left associativity, we have to grow in left direction only. So now we will restrict the growth of parse tree.

$$E \rightarrow E + id \mid id$$



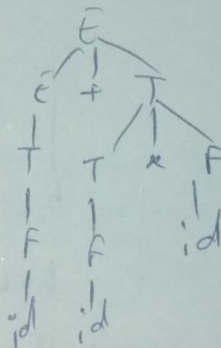
Left Recursive

So, there is no possibility of getting diff. parse tree.

for precedence problems

we should take care that highest precedence operator should be at the least level.

$$\begin{aligned}
 E &\rightarrow E + T \mid T \\
 T &\rightarrow T * F \mid F \\
 F &\rightarrow id \\
 id + id * id
 \end{aligned}$$



$+ < *$

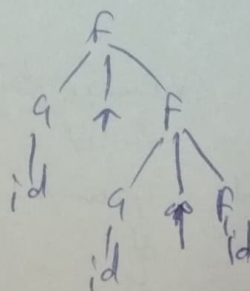
Example 2b

$2 \uparrow 3 \downarrow 12$

2^{3^2}

Right Associative

$$\begin{aligned}
 F &\rightarrow G \uparrow F \mid G \\
 G &\rightarrow id
 \end{aligned}$$



eg 3b

$$\begin{aligned}
 bExp &\rightarrow bExp \text{ OR } bExp \\
 &\mid bExp \text{ AND } bExp \\
 &\mid \text{NOT } bExp
 \end{aligned}$$

$\mid \text{True}$
 $\mid \text{False}$

OR — less
AND
NOT — least level

Precedence
NOT > AND > OR
OR
AND } left Associative

Soln

$$\begin{aligned}
 E &\rightarrow E \text{ OR } F \mid F \\
 F &\rightarrow F \text{ AND } G \mid G
 \end{aligned}$$

$$G \rightarrow \text{NOT } G \mid \text{True} \mid \text{False}$$

eg

$A \rightarrow A \$ B | B$
 $B \rightarrow B \# C | C$
 $C \rightarrow C @ D | D$
 $D \rightarrow d$

Tell associativity & precedence

Soln

$\$ \rightarrow \text{left}$ Associative
 $\# \rightarrow "$ " "
 $@ \rightarrow "$ " "

Precedence

$@ > \# > \$$

eg $E \rightarrow E + F | E * F$
 $F \rightarrow id$

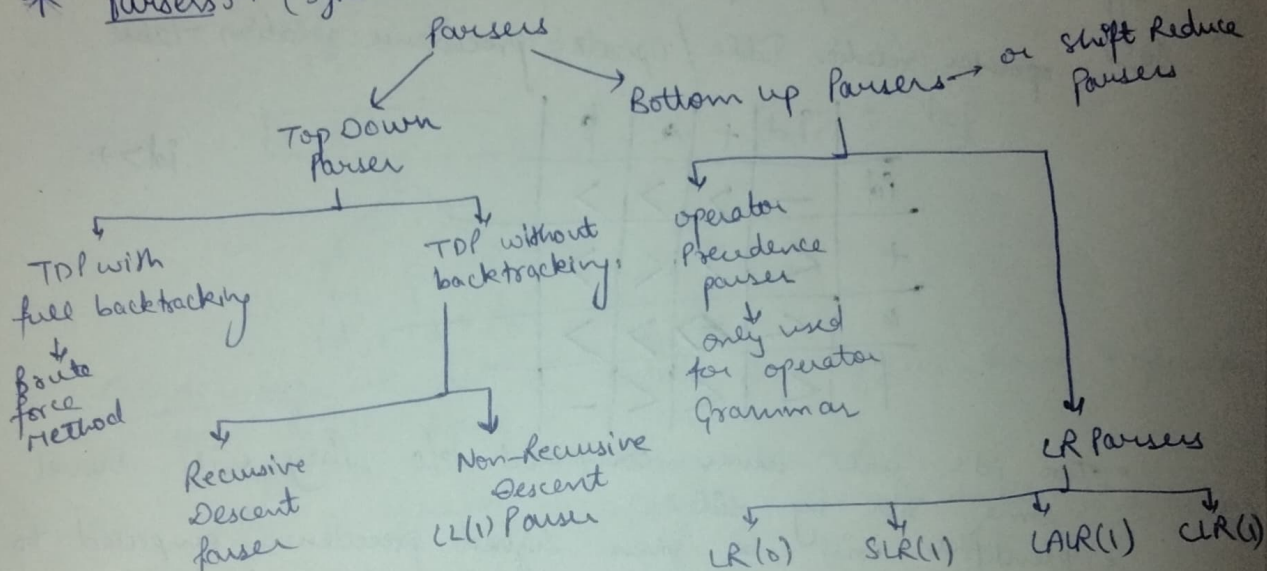
Soln

+ and * are at same level

\therefore Same precedence

& both defined as left Associative

* Parsers \rightarrow (Syntax Analyzer)



LR parsers can scan string from L \rightarrow R
use reverse of RMD

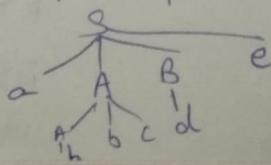
* Bottom up parser \rightarrow generates the parse tree for the given input string with the help of grammar productions by compressing the non-terminals. i.e., it starts from the terminals and ends on the start symbol.

It uses reverse of Right most derivation.
Top Down generates parse tree for the given S/P string with the help of grammar productions by expanding the non-terminals. i.e., it starts from the start symbol & ends on the terminals.

It uses LMD.

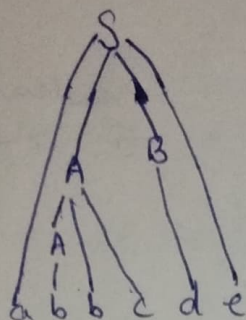
eg $S \rightarrow a A b e$

$A \rightarrow A b c | b$ $B \rightarrow d$



abbcde

Top Down \rightarrow what is the next production we should use
 Bottom Up \rightarrow when to reduce the given terminal



* Operator Precedence Parsers Ambiguous grammars are not allowed in any parser except operator precedence parser.

Eg: $E \rightarrow E + E / E * E / id$

sol: operator relation Table / Operator precedence relation table

	id	+	*	\$
id	-	>	>	>
+	<	>	<	>
*	<	<	>	>
\$	<	<	<	-

id > +

- Two id's will never be compared b/c they will never come side by side.
- Identifier will be given highest precedence compared to any other operator.
- \$ has least precedence compared to any other operator.
- + is left associative

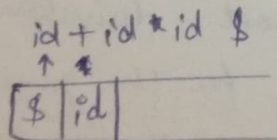
$$\frac{1+3+3}{3+3}$$

* precedence > + precedence

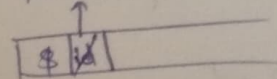
Input $\rightarrow id + id * id$

look ahead :- pointer

\$ < id Push id



Stack
id + id * id \$



id + id * id \$

id + id * id \$

id + id * id \$

id > + Pop
id - E
\$ < + Push

id > + Push

id > * Pop

id - E id + id * id

Top of stack < look ahead $\$$ push

$\$ \mid id \mid + \mid id \mid \mid \mid$

$id + id * id \$$

$* < id$ push

$\$ \mid * \mid id \mid$

$id + id * id \$$

$\$ \mid + \mid id \mid$

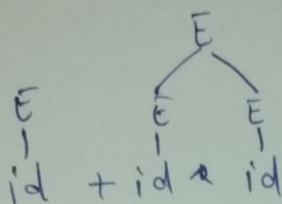
$id > \$$ pop

$id - E$

$E \quad E \quad E$
 $\mid \quad \mid \quad \mid$
 $id + id * id$

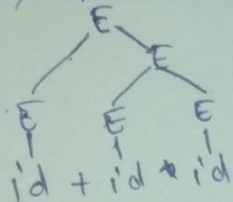
$\$ \mid + \mid$

$* > \$$ pop



$\$ \mid + \mid$

$+ > \$$ pop



Disadvantage \rightarrow No. of entries i.e. if we have 4 operators we will have 16 entries
 10 operators we will have 100 entries
 for N operator $\rightarrow O(n^2)$ size of table will be very big
 So to dec. the size of the table, we use operator fn table.