

# Image shuffle

Faisal Qureshi

Professor

Faculty of Science

Ontario Tech University

Oshawa ON Canada

<http://vclab.science.ontariotechu.ca> (<http://vclab.science.ontariotechu.ca>)

## Copyright information

© Faisal Qureshi

## License



(<http://creativecommons.org/licenses/by-nc/4.0/>)

This work is licensed under a [Creative Commons Attribution-NonCommercial 4.0 International License](http://creativecommons.org/licenses/by-nc/4.0/)

(<http://creativecommons.org/licenses/by-nc/4.0/>).

## Outline

- Numpy arrays and OpenCV images

```
In [1]: import cv2 as cv
import numpy as np
import scipy as sp
from scipy import signal
import matplotlib.pyplot as plt
```

```
In [2]: img = cv.imread('data/hindenburg.jpg')
img = cv.cvtColor(img, cv.COLOR_BGR2RGB)

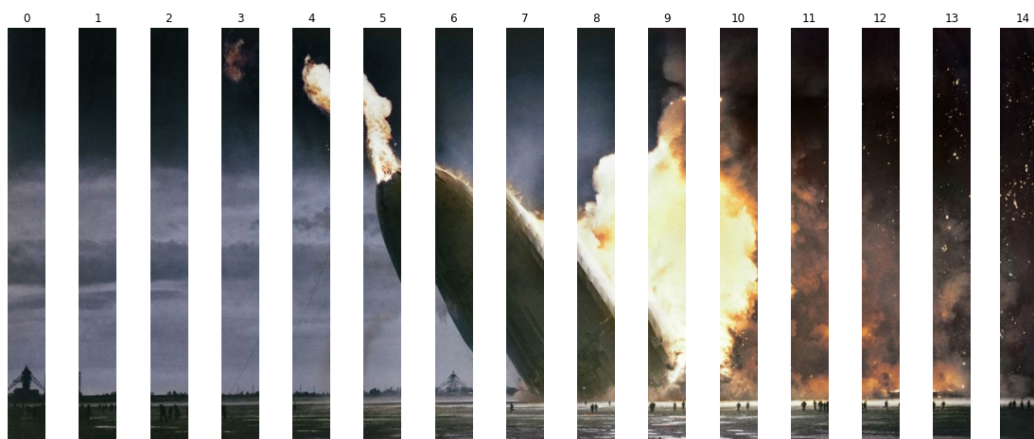
plt.figure(figsize=(10,10))
plt.title('Hindenburg')
plt.imshow(img)
plt.xticks([])
plt.yticks([]);
```

Hindenburg



## Task 1: Cut image into strips

Below, we have cut the image into 15 strips, indexed from 0 to 14.



In [4]: `# Your work goes here`

## Task 2: Shuffle the strips

Shuffle the image strips that you have constructed in the previous task. As shown below.



In [5]: `# Your work goes here`

## Task 3: Reconstruct the image

Now reconstruct the original given a shuffled list of strips.

## Solution sketch

In order to reconstruct the original image, you'll need to examine the boundary pixels of various patches. Patches whose boundary pixels "match scores" are high are more likely to be neighbouring patches. One way to compute match scores is to treat each boundary as a real-valued vector. Then the problem is simply to compute the similarity between two vectors. I encourage you to use Euclidean distance and Cosine similarity to see if two vectors (i.e., boundaries) are similar.

Mathematically, say  $\mathbf{x}_i$  and  $\mathbf{x}_j$  are two vectors representing boundaries of two patches. We can compute the similarity between these two vectors as follows.

### Euclidean distance

$$\text{Euclidean-distance}(\mathbf{x}_i, \mathbf{x}_j) = \sqrt{\|\mathbf{x}_i - \mathbf{x}_j\|^2}$$

### Cosine similarity

$$\text{Cosine-similarity}(\mathbf{x}_i, \mathbf{x}_j) = \frac{\mathbf{x}_i^T \mathbf{x}_j}{\|\mathbf{x}_i\| \|\mathbf{x}_j\|}$$

## Concerns about efficiency

I encourage you to think of ways on how to reconstruct the image efficiently.

## What to submit

You need to submit the following:

- Your solution and the resulting image;
- An analysis of which similarity scheme works best for this image; and
- What techniques did you employ to speed up the process.

In [7]: *# Your work goes here*

## Task 4 (Optional): Divide the images in rectangles and try to reconstruct it.

In [6]: *# Your work goes here*

In [ ]:

