

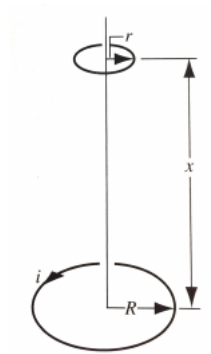
Problem – (E34.30) A long solenoid has a diameter of 12.6 cm. When a current i is passed through its windings, a uniform magnetic field $B = 28.6$ mT is produced in its interior. By decreasing i , the field is caused to decrease at the rate 6.51 mT/s. Calculate the magnitude of the induced electric field

- a) 2.20 cm and
- b) 8.20 cm from the axis of the solenoid.

Solution:

Problem – (P34.6)* The figure below shows two parallel loops of wire having a common axis. The smaller loop (radius r) is above the larger loop (radius R), by a difference $x \gg R$. Consequently the magnetic field, due to the current i in the larger loop, is nearly constant throughout the smaller loop and equal to the value on the axis. Suppose that x is increasing at the constant rate $dx/dt = v$.

- Determine the magnetic flux across the area bounded by the smaller loop as a function of x .
- Compute the emf generated in the smaller loop.
- Determine the direction of the induced current flowing in the smaller loop.



Solution:

Problem – (P34.9)

- a) Find an expression for the energy density as a function of the radial distance r for a toroid of rectangular cross section.
- b) Integrating the energy density over the volume of the toroid, calculate the total energy stored in the field of the toroid.
- c) Using Eq. 36-10, evaluate the energy stored in the toroid directly from the inductance and compare with (b).

Solution:

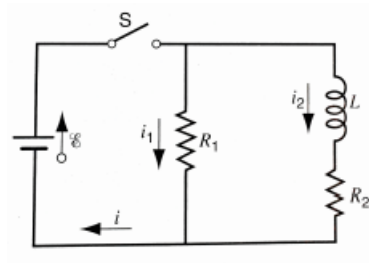
Problem – (E36.21) In the circuit shown in the figure below, $\mathcal{E} = 10 \text{ V}$, $R_1 = 5.0\Omega$, $R_2 = 10\Omega$, and $L = 5.0 \text{ H}$. For the two separate conditions

(I) switch S just closed and

(II) switch S closed for a long time,

calculate

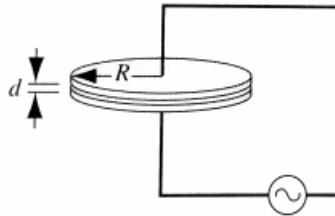
- a) the current i_1 through R_1 ,
- b) the current i_2 through R_2 ,
- c) the current i through the switch,
- d) the potential difference across R_2 ,
- e) the potential difference across L , and
- f) di_2/dt .



Solution:

Problem – ¶(P38.3) The capacitor in the figure below consisting of two circular plates with radius $R = 18.2 \text{ cm}$ is connected to a source of emf $\mathcal{E} = \mathcal{E}_m \sin(\omega t)$, where $\mathcal{E}_m = 225 \text{ V}$ and $\omega = 128 \text{ rad/s}$. The maximum value of the displacement current is $i_d = 7.63 \text{ }\mu\text{A}$. Neglect fringing of the electric field at the edges of the plates.

- What is the maximum value of the current i ?
- What is the maximum value of $d\Phi_E/dt$, where Φ_E is the electric flux through the region between the plates?
- What is the separation d between the plates?
- Find the maximum value of the magnitude of \mathbf{B} between the plates at a distance $r = 11.0 \text{ cm}$ from the center.



Solution:

Problem – ¶Supplementary Problem 3 A parallel plate capacitor has circular plates of radius R and separation d . The capacitor is connected to a battery of voltage V and then disconnected so that the charge ought to remain constant. The air is humid, however, and therefore slightly conducting; thus the stored charge leaks back across the air gap between the capacitor plates at rate i_{leak} . Assume that this leakage current is uniformly distributed across the area of the plates. Find the magnetic field everywhere between the plates.

Solution:

Problem – ¶Supplementary Problem 4 In a material of non-zero electrical resistivity ρ , the relationship between electric field and current density is $\mathbf{E} = \rho \mathbf{j}$. For copper, $\rho = 2 \times 10^{-8} \Omega \cdot \text{m}$. A copper wire with a circular cross-sectional area of 4 mm^2 carries a current of 40 A.

- a) What is the longitudinal electric field (field along the length of the wire) in the copper?
- b) If the current is changing at a rate of 5000 A/s, at what rate is \mathbf{E} changing, and what is the resulting displacement current?
- c) Does the displacement current contribute significantly to the magnetic field outside the wire? Explain your answer.

Solution: