## Thomas Forster

## February 25, 2010

## Contents

Here are the basic propositions and the letters we are going to abbreviate them to.

God exists	E
God is omnipotent	P
God is omniscient	O
God is benevolent	B
God can prevent Evil	D
God knows that Evil exists	K
God prevents Evil	J
Evil exists	V

If God exists then He is omnipotent. 
$$E \to P$$
 (1)

If God exists then He is omniscient. 
$$E \to O$$
 (2)

If God exists then He is benevolent. 
$$E \to B$$
 (3)

If God can prevent Evil then—if He knows that Evil exists—then He is not  $D \to (K \to (\neg J \to \neg B)) \quad (4)$  benevolent if He does not prevent it.

If God is omnipotent, He can prevent Evil. 
$$P \to D$$
 (5)

If God is omniscient then He knows that

Evil exists if it does indeed exist. 
$$O \to (V \to K)$$
 (6)

Evil does not exist if God prevents it. 
$$J \to \neg V$$
 (7)

Evil exists. 
$$V$$
 (8)

We want to persuade ourselves that God does not exist. Well, suppose he does. Let's deduce a contradiction

Assume E. Then (1), (2) and (3) give us

$$P$$
 (9),

$$O$$
 (10)

and

$$B (11)$$

Now that we know O, (7) tells us that

$$V \to K$$
 (12)

But we know V (that was (8)) so we know

$$K$$
 (13)

We know P, so (5) tells us that

$$D (14)$$

We can feed D into (4) and infer

$$K \to (\neg J \to \neg B) \tag{15}$$

But we know K (that was line 13) so we get

$$\neg J \to \neg B$$
 (16)

(8) and (7) together tell us  $\neg J$ , so we get  $\neg B$ . But we got B at line 11.

 $V \, \to \, \neg \, J$  $\frac{\overline{J}}{J} \rightarrow -\text{elin}$  $\frac{E \quad E \to O}{O} \to \operatorname{elim} \quad O \to (V \to K)$   $\frac{V \to K}{K} \xrightarrow{K \to \operatorname{elim}} \frac{V}{K} \to \operatorname{elim}$   $\frac{E \quad E \to B}{M} \to \operatorname{elim}$   $\frac{V}{M} \to \operatorname{elim}$   $\frac{V}{M} \to \operatorname{elim}$  $\frac{E \to P}{P} \to \operatorname{elim} \qquad P \to D \longrightarrow \operatorname{elim} \qquad D \to (K \to (B \to J))$   $K \to (B \to J) \longrightarrow \operatorname{elim}$ 

(1)