

1:	$\exists x. \forall y. ((R(y, x) \rightarrow \neg \exists z. (R(y, z) \wedge R(z, y))) \wedge (\neg \exists z. (R(y, z) \wedge R(z, y)) \rightarrow R(y, x)))$	assumption
2:	actual , $\forall y. ((R(y, i) \rightarrow \neg \exists z. (R(y, z) \wedge R(z, y))) \wedge (\neg \exists z. (R(y, z) \wedge R(z, y)) \rightarrow R(y, i)))$	assumptions
3:	$(R(i, i) \rightarrow \neg \exists z. (R(i, z) \wedge R(z, i))) \wedge (\neg \exists z. (R(i, z) \wedge R(z, i)) \rightarrow R(i, i))$	$\forall$ elim 2.2, 2.1
4:	$\neg \exists z. (R(i, z) \wedge R(z, i)) \rightarrow R(i, i)$	$\wedge$ elim 3
5:	$R(i, i) \rightarrow \neg \exists z. (R(i, z) \wedge R(z, i))$	$\wedge$ elim 3
6:	$\exists z. (R(i, z) \wedge R(z, i))$	assumption
7:	actual i1, $R(i, i1) \wedge R(i1, i)$	assumptions
8:	$R(i, i1)$	$\wedge$ elim 7.2
9:	$R(i1, i)$	$\wedge$ elim 7.2
10:	$R(i1, i) \wedge R(i, i1)$	$\wedge$ intro 9, 8
11:	$(R(i1, i) \rightarrow \neg \exists z. (R(i1, z) \wedge R(z, i1))) \wedge (\neg \exists z. (R(i1, z) \wedge R(z, i1)) \rightarrow R(i1, i))$	$\forall$ elim 2.2, 7.1
12:	$\neg \exists z. (R(i1, z) \wedge R(z, i1)) \rightarrow R(i1, i)$	$\wedge$ elim 11
13:	$R(i1, i) \rightarrow \neg \exists z. (R(i1, z) \wedge R(z, i1))$	$\wedge$ elim 11
14:	$\neg \exists z. (R(i1, z) \wedge R(z, i1))$	$\rightarrow$ elim 13, 9
15:	$\exists z. (R(i1, z) \wedge R(z, i1))$	$\exists$ intro 10, 2.1
16:	$\perp$	$\neg$ elim 15, 14
17:	$\perp$	$\exists$ elim 6, 7-16
18:	$\neg \exists z. (R(i, z) \wedge R(z, i))$	$\neg$ intro 6-17
19:	$R(i, i)$	$\rightarrow$ elim 4, 18
20:	$\neg \exists z. (R(i, z) \wedge R(z, i))$	$\rightarrow$ elim 5, 19
21:	$R(i, i) \wedge R(i, i)$	$\wedge$ intro 19, 19
22:	$\exists z. (R(i, z) \wedge R(z, i))$	$\exists$ intro 21, 2.1
23:	$\perp$	$\neg$ elim 22, 20
24:	$R(i, i)$	$\rightarrow$ elim 4, 20
25:	$\perp$	hyp 23
26:	$\perp$	$\exists$ elim 1, 2-25
27:	$\neg \exists x. \forall y. ((R(y, x) \rightarrow \neg \exists z. (R(y, z) \wedge R(z, y))) \wedge (\neg \exists z. (R(y, z) \wedge R(z, y)) \rightarrow R(y, x)))$	$\neg$ intro 1-26