

16.317: Microprocessor Systems Design I

Spring 2015

Homework 4 Solution

1. (40 points) Write the following subroutine in x86 assembly:

```
int fib(int n)
```

Given a single integer argument, n , return the n th value of the Fibonacci sequence—a sequence in which each value is the sum of the previous two values. The first 15 values are shown below—note that the first value is returned if n is 0, not 1.

n	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14
$fib(n)$	0	1	1	2	3	5	8	13	21	34	55	89	144	233	377

Solution: How you implement the low-level code for this version of the Fibonacci function depends on the algorithm you use. What follows is both C code and assembly for the algorithm implemented either with or without recursion.

```
int fib(int n) {    // FIBONACCI WITHOUT RECURSION
    int i;           // Loop index
    int first, sec;   // Two previous Fibonacci values
    int cur;         // Value from current iteration

    // For n == 0 or n == 1, fib(n) == n
    if (n <= 1)
        return n;

    // Use loop to calculate fib(n)--at each step,
    // current value is sum of previous two values
    else {
        first = 0;
        sec = 1;
        for (i = 2; i <= n; i++) {
            cur = first + sec;
            first = sec;
            sec = cur;
        }
        return cur;
    }
}
```

```

fib          PROC                                ; Start of subroutine
    push     ebp                                ; Save ebp
    mov      ebp, esp                            ; Copy ebp to esp
    sub      esp, 8                             ; Create space for first,
                                                ;   sec (cur, if needed,
                                                ;   will be in eax)

    push     ebx                                ; Save ebx and ecx (both
    push     ecx                                ;   (overwritten in fn)

; CODE FOR: if (n <= 1) return n
    cmp      DWORD PTR 8[ebp], 1                ; Compare n to 1
    jg       L1                                 ; If n isn't <= 1, jump
                                                ;   to else case
    mov      eax, DWORD PTR 8[ebp]              ; eax = n (eax holds
                                                ;   return value)
    jmp      L3                                 ; Jump to end of function

; CODE FOR: first = 0; sec = 1
L1:
    mov      DWORD PTR -4[ebp], 0                ; first = 0
    mov      DWORD PTR -8[ebp], 1                ; sec = 1

; CODE FOR: loop initialization
; Note that the loop will execute n - 1 iterations, so we
;   can initialize ECX to n - 1 and use loop instructions
    mov      ecx, DWORD PTR 8[ebp]              ; cx = n
    dec      ecx                                ; cx = cx - 1 = n - 1

; CODE FOR: cur = first + sec; first = sec; sec = cur
L2:
    mov      eax, DWORD PTR -4[ebp]              ; cur = eax = first
    add      eax, DWORD PTR -8[ebp]              ; cur = first + sec
    mov      ebx, DWORD PTR -8[ebp]              ; ebx = sec
    mov      DWORD PTR -4[ebp], ebx              ; first = ebx = sec
    mov      DWORD PTR -8[ebp], eax              ; sec = eax = cur

; CODE FOR: decrement loop counter & go to start of loop
    loop     L2

; CLEANUP (NOTE: No additional code needed for return cur
;   in else case, since cur is already stored in eax)
L3:
    pop      ecx                                ; Restore ecx
    pop      ebx                                ; Restore ebx
    mov      esp, ebp                            ; Clear first, sec
    pop      ebp                                ; Restore ebp
    ret                                           ; Return from subroutine
fib          ENDP

```

```

int fib(int n) {          // FIBONACCI WITH RECURSION
    // For n == 0 or n == 1, fib(n) == n
    if (n <= 1) return n;

    // Otherwise, value is sum of two previous steps
    else return fib(n-1) + fib(n-2);
}

fib                PROC                ; Start of subroutine
    push          ebp                ; Save ebp
    mov           ebp, esp           ; Copy ebp to esp
    push          ebx                ; Save ebx (overwritten
                                    ; in function)

; CODE FOR: if (n <= 1) return n
    cmp           DWORD PTR 8[ebp], 1 ; Compare n to 1
    jg            L1                 ; If n isn't <= 1, jump
                                    ; to else case
    mov           eax, DWORD PTR 8[ebp] ; eax = n (eax holds
                                    ; return value)
    jmp           L2                 ; Jump to end of function

; CODE FOR: calling fib(n-1)
L1:
    mov           ebx, DWORD PTR 8[ebp] ; Copy n to ebx
    dec           ebx                 ; ebx = n - 1
    push          ebx                 ; Push n - 1 to pass it
                                    ; as argument
    call          fib                 ; Call fib(n-1)
                                    ; Return value in eax

; CODE FOR: calling fib(n-2)
; NOTE: We can take advantage of the fact that n-1 is still
; on the stack--decrement that value, and we'll have the
; value n-2 to pass to our next function call
    mov           ebx, eax             ; ebx = eax = fib(n-1)
    dec           DWORD PTR [esp]      ; Value at top of stack =
                                    ; (n-1) - 1 = n-2
    call          fib                 ; Call fib(n-2)
                                    ; Return value in eax

; CODE FOR: return fib(n-1) + fib(n-2)
    add           eax, ebx             ; eax = fib(n-1)+fib(n-2)

; CLEANUP
L2:
    add           esp, 4               ; Clear argument passed to
                                    ; fib(n-2)
    pop           ebx                 ; Restore ebx
    pop           ebp                 ; Restore ebp
    ret                                ; Return from subroutine
fib                ENDP

```

2. (60 points) Show the result of each PIC 16F684 instruction in the sequences below. Be sure to show not only the state of updated registers, but also the carry (C) and zero (Z) bits.

a. cblock 0x20

 x
endc

movlw 0x05 **W = 0x05**

sublw 0x15 **W = 0x15 – W = 0x15 – 0x05 = 0x10**

clrf x **x = 0x00**

comf x, F **x = ~x = ~0x00 = 0xFF**

xorwf x, F **x = x XOR W = 0xFF XOR 0x10 = 0xEF**

swapf x, W **W = value in x with nibbles swapped = 0xFE**

btfsc x, 7 **Test bit 7 of x and skip next instruction if bit is 0**
 → x = 0xEF = 1110 1111₂ → bit 7 = 1 → do not skip

bsf x, 0 **Set bit 0 of x → x = 1110 1111₂ before set**
 → No change, since bit 0 already is 1

b. cblock 0x20
 A
 B
endc

clrf	A	<u>A = 0x00</u>
movlw	0x11	<u>W = 0x11</u>
movwf	B	<u>B = W = 0x11</u>
addlw	0x34	<u>W = W + 0x34 = 0x11 + 0x34 = 0x45</u>
subwf	A, F	<u>A = A - W = 0x00 - 0x45 = 0xBB</u>
comf	A, W	<u>W = ~A = ~ 0xBB = 0x44</u>
swapf	A, F	<u>Swap nibbles of A → A = 0xBB</u>

c. cblock 0x40
 var1
endc

movlw	0x1E	<u>W = 0x1E</u>
movwf	var1	<u>var1 = W = 0x1E</u>
rrf	var1, F	Rotate var1 1 bit right through carry → (var1, C) = 0001 1110 0 rotated right → (var1, C) = 0000 1111 0 → <u>var1 = 0x0F, C = 0</u>
xorwf	var1, W	W = var1 XOR W = 0x0F XOR 0x1E = 0000 1111 XOR 0001 1110 = 0001 0001 = <u>0x11</u>
btfss	var1, 4	Test bit 4 of var1; skip next instruction if bit = 1 → var1 = 0x0F = 0000 1111 → Bit is 0 → <u>do not skip</u>
iorlw	0x06	W = W OR 0x06 = 0x11 OR 0x06 = 0001 0001 OR 0000 0110 = 0001 0111 = <u>0x17</u>
andwf	var1, F	var1 = var1 AND W = 0x0F AND 0x17 = 0000 1111 AND 0001 0111 = 0000 0111 = <u>0x07</u>
bcf	var1, 0	Clear bit 0 of var1 → var1 = 0x07 = 0000 0111 → After clear, var1 = 0000 0110 = <u>0x06</u>

d. cblock 0x70
 num1, num2
 endc

movlw	0xAA	$W = 0xAA$
andlw	0x0F	$W = W \text{ AND } 0x0F = 0xAA \text{ AND } 0x0F = 0x0A$
movwf	num1	$num1 = W = 0x0A$
xorlw	0xFF	$W = W \text{ XOR } 0xFF = 0x0A \text{ XOR } 0xFF = 0xF5$
movwf	num2	$num2 = W = 0xF5$
asrf	num2, F	$num2 = num2 \gg 1$ (keep sign intact) $= 0xF5 \gg 1 = 0x1111\ 0101 \gg 1$ $= 0x1111\ 1010 = 0xFA$ $C = \text{bit shifted out} = 1$
lslf	num1, W	$W = num1 \ll 1 = 0x0A \ll 1$ $= 0000\ 1010 \ll 1 = 0001\ 0100 = 0x14$ $C = \text{bit shifted out} = 0$
xorwf	num2, F	$num2 = num2 \text{ XOR } W = 0xFA \text{ XOR } 0x14 = 0xEE$
comf	num2, W	$W = \sim num2$ (flip all bits of num2) $= \sim 0xEE = 0x11$