EECE.3170: Microprocessor Systems Design I

Spring 2016

Homework 3 Solution

Assume the initial state of an x86 processor's registers, memory, and carry flag are:

EAX: 0x00003170 EBX: 0x9876DCBA ECX: 0x00001995 EDX: 0xAC921E14 ESI: 0x00008440

CF: 0

Address	Lo			Hi
0x8440	FF	00		87
0x8444	08	09	F6	BB
0x8448	78	15	00	00

What is the result of each of the instructions listed below? Assume that the instructions execute in sequence—in other words, the result of each instruction may depend on the results of earlier instructions. Correctly evaluating each instruction will earn you 10 points.

Note that you may assume any constant values shown using less than 32 bits are zero-extended to 32 bits if necessary (for example, 0x000F = 0x0000000F).

ADD AX, BX

Solution: AX = AX + BX = 0x3170 + 0xDCBA = 0x0E2Ah, CF = 1

ADC EAX, ECX

Solution: EAX = EAX + ECX + CF = 0x000000E2A + 0x00001995 + 1 = 0x000027C0, CF = 0

INC WORD PTR [ESI]

Solution: Add 1 to word at address ESI = 0x00008440

→ Word @ 0x8440 = 0x03FF + 1 = 0x0400 (byte @ 0x8440 = 0x00,

byte @ 0x8441 = 0x04)

MUL BYTE PTR [ESI+4]

Solution: AX = AL * unsigned byte @ (ESI+4)

 \rightarrow Address = ESI + 4 = 0x8440 + 4 = 0x8444; byte @ 0x8444 = 0x08

 \rightarrow AX = 0xC0 * 0x08 = 192 * 8 = 1536 = **0x0600**

SUB AX, [*ESI*+8]

Solution: AX = AX - word @ ESI+8

 \rightarrow Address = ESI + 8 = 0x8440 + 8 = 0x8448; word @ 0x8448 = 0x1578

 \rightarrow AX = 0x0600 - 0x1578 = 0xF088, CF = 1 (since borrow out of MSB required)

DEC AH

Solution: AH = AH - 1 = 0xF0 - 1 = 0xEFh

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IMUL AH

Solution: AX = AL * AH (signed multiplication) = $0x88 * 0xEF = -120 * -17 = 2040 = \mathbf{0}x\mathbf{0}7\mathbf{F}8$

IDIV DL

Solution: AL = AX / DL (signed division) = 0x07F8 / 0x14 = 2040 / 20 = 102 =**0x66** AH = AX % DL (remainder) = 2040 % 20 =**0x00**

DIV DH

Solution: AL = AX / DH (unsigned division) = 0x0066 / 0x1E = 102 / 30 = 0x03AH = AX % DH (remainder) = 102 % 30 = 12 = 0x0C

NEG AH

Solution: AH = -AH = $-0x0C = -(0000\ 1100_2) = (1111\ 0011_2 + 1 = 1111\ 0100_2 = \mathbf{0xF4h}$