Interpreter

Motivation

- What can we do with the parse tree?
- How about running the program we've parsed?
- ► This is where our compiler code is no longer independent of the grammar we're using

Grammar

Recall: The grammar:

```
IF \rightarrow \bif\b
ELSE \rightarrow \belse \b
WHILE → \bwhile\b
SEMI \rightarrow :
NUM \rightarrow \d+
ID \rightarrow \w+
EO \rightarrow =
LP \rightarrow [(]
RP \rightarrow []
ADDOP \rightarrow [-+]
MULOP \rightarrow [*/]
LBR \rightarrow [{]
RBR \rightarrow []
```

```
S \rightarrow \text{stmt SEMI } S \mid \lambda
a-o-f \rightarrow ID \ a-o-f'
a-o-f' \rightarrow EO e \mid LP a-o-f''
a-o-f" \rightarrow RP \mid e RP
cond \rightarrow IF LP e RP LBR S RBR cond'
cond' \rightarrow \lambda | ELSE LBR S RBR
e \rightarrow t e'
e' \rightarrow ADDOP t e' \mid \lambda
f \rightarrow ID \mid NUM \mid LP \in RP
loop \rightarrow WHILE e LBR S RBR
stmt \rightarrow a-o-f \mid cond \mid loop
t \rightarrow f t'
t' \rightarrow MULOP f t' \mid \lambda
```

Table

	\$	ADDOP	ELSE	EQ	ID	IF	LBR	LP	MULOP	NUM	RBR	RP	SEMI	WHILE
S	λ	•	•	•	stmt SEMI S	stmt SEMI S	•	•	•	•	λ	•	•	stmt SEMI S
a-o-f	•	•	•	•	ID a-o-f	•	•	•	•	•	•	•	•	•
a-o-f'		•	•	EQ e	•	•	•	LP a-o-f"	•	•	•	•	•	•
a-o-f"	•	•	•	•	e RP	•	•	e RP	•	e RP	•	RP	•	•
cond		•	•	•	•	IF LP e RP LBR S RBR cond'	•	•	•	•	•	•	•	•
cond'	•	•	ELSE LBR S RBR	•	•	•	•	•	•	•	•	•	λ	•
e	•	•	•	•	t e'	•	•	t e'	•	t e'	•	•	•	•
e'	•	ADDOP t e'	•	•	•	•	λ	•	•	•	•	λ	λ	•
f	•	•	•	•	ID	•	•	LP e RP	•	NUM	•	•	•	•
loop	•	•	•	•	•	•	•	•	•	•	•	•	•	WHILE e LBR S RBR
stmt	•	•	•	•	a-o-f	cond	•	•	•	•	•	•	•	loop
t	•	•	•	•	f t'	•	•	f t'	•	f t'	•	•	•	•
t'	•	λ	•	•	•	•	λ	•	MULOP f t'	•	•	λ	λ	•

Interpreter

- We'll create a very simple interpreter that just walks over the tree and executes statements
- Creating interpreter is straightforward, but tedious: We need to write case statements for every grammar production

Suppose our interpreter is structured like so:

```
def interpret(n):
    #n = TreeNode: Has fields
    # sym (string)
    # token (Token),
    # children (list of TreeNode)
    t=n.sym
    ch=n.children
    ...do something...
```

Begin with the easy cases:

```
if t=="S":
    if len(ch) > 0:  # S -> stmt SEMI S
        interpret(ch[0])
        interpret(ch[2])
    else:
        pass  # S -> lambda
elif t=="stmt":  # stmt -> aof | cond
    interpret(ch[0])
```

Now we have these:

$$a ext{-}o ext{-}f o ID a ext{-}o ext{-}f'$$
 $a ext{-}o ext{-}f' o EQ e \mid LP a ext{-}o ext{-}f''$
 $a ext{-}o ext{-}f'' o e RP \mid RP$

- ▶ If we're processing a-o-f node: We don't know what to do quite yet
- We could have a-o-f examine its child
 - ▶ But that's a bit messy: We're conflating different nodes' processing together
- We could have a-o-f' look at its sibling
 - But that's also messy
 - ▶ And a-o-f" would need to consider its uncle: More convoluted

Attributes

- We introduce the concept of attributes
- Two types: inherited and synthesized
 - ▶ Inherited = passed down the tree
 - Synthesized = passed up the tree

Define

- We need to define the attributes of each production
- None of the productions we've seen so far have any attributes
- We'll introduce some now...

Attributes

Productions:

- ightharpoonup a-o-f'
 - Sends data to children
- ▶ a-o-f' \rightarrow EQ e
 - ▶ Inherited attribute: The ID from its parent (a-o-f)
- ▶ $a-o-f' \rightarrow LP \ a-o-f''$
 - ▶ Inherited attribute: The ID from its parent (a-o-f). Sends to its child
- ▶ $a-o-f'' \rightarrow RP$
 - ▶ Inherited attribute: The ID from its parent
- ▶ a-o-f" \rightarrow e RP
 - ▶ Inherited attribute: The ID from its parent

- To implement this, we need to change signature of interpret() def interpret(n , inherited=None)
 - inherited will contain any inherited attributes
 - interpret() will return any synthesized attributes

Now we can write our handler:

```
elif t == "a-o-f":
   interpret( ch[1], ch[0].token.lexeme )
```

a-o-f'

- a-o-f' \rightarrow EQ e
- This involves expression (e)
- We haven't looked at expression (e) yet, but assume it has a synthesized attribute: The value of the expression

Assignment

- Interpreter will maintain a symbol table: A dictionary
- Key = variable name; value = its value
 - Our language only supports numerical values
 - ▶ If we had several types, the symbol table would also keep track of the variable's type

```
elif t == "a-o-f'":
    if ch[0].sym == "EQ": #EQ e
      val = interpret( ch[1] )
      symtable[ inherited ] = val
    else: # LP a-o-f''
      ...what now?...
```

a-o-f'

- Our grammar doesn't allow defining of custom functions
- So we have to specify some
- We'll give two: write() and halt()
- Semantics:
 - write() takes one argument and outputs this value to the console
 - halt() takes no arguments and terminates the program

a-o-f'

```
elif t == "a-o-f'":
    ...
    else: # LP a-o-f''
        interpret( ch[1], inherited )
```

a-o-f"

We can now finish off the function processing

```
elif t == "a-o-f''":
    if len(ch) == 1: # e RP
        val = interpret(ch[0])
        if inherited == "write":
            print(val)
        else:
            error!
    else:
                    #RP
        if inherited == "halt":
            sys.exit(0)
        else:
            error!
```

Numeric

- We can now begin working on the expression (e) / term (t) / factor (f) chain
- ► All of these will have synthesized attributes that represent the value of the thing evaluated
- Begin at the bottom of the chain: f

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- $f \rightarrow ID \mid NUM \mid LP e RP$
- ▶ If it's a number: Easy: Just return the value
- ► If it's LP e RP: Also easy: Evaluate the expression and return its synthesized attribute
- ▶ If it's ID:
 - Look it up in symbol table
 - ▶ If not found: Error
 - Else, return its value
 - Since only one variable type, no need to do type checking

```
elif t == "f":
    if ch[0].sym == "NUM":
        return int(ch[0].token.lexeme)
    elif ch[0].sym == "ID":
        varname = ch[0].token.lexeme
        if varname not in symtable: error
        else: return symtable[varname]
    else:
        return interpret(ch[1])
```

t

- We now have a tandem:
 - $t \rightarrow f t'$
 - ▶ $t' \rightarrow MULOP f t' | \lambda$
- This is a little trickier. We need to make use of both inherited and synthesized attributes

t

▶ $t' \rightarrow MULOP f t' \mid \lambda$ elif t == "t'": if len(ch) > 0: op = ch[0].token.lexeme v2 = interpret(ch[1]) if op == "*": v = inherited * v2elif op == "/": v = inherited / v2else: ICE #internal compiler error return interpret(ch[2], v) #data flows up and down #the tree... else: #lambda return inherited #data bounces back up

e and e'

Same idea as t and t' just with different op's

cond & cond'

- ▶ cond → IF LP e RP LBR S RBR cond'
- cond' $\rightarrow \lambda$ | ELSE LBR S RBR
- By now, you probably already can guess how to proceed...

loop

- ▶ $loop \rightarrow WHILE \ e \ LBR \ S \ RBR$
- ► This is easy, too!

Assignment

► Implement the complete interpreter for the language

Sources

- Aho, Lam, Sethi, Ullman. Compilers: Principles, Techniques, & Tools (2nd ed).
- K. Louden. Compiler Construction: Principles and Practice.

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