

# SLR(1) Parsing

## Recall

- ▶ Fairly straightforward to make LR(0) parser
- ▶ But languages that LR(0) parser can recognize are very limited
  - ▶ Usually, we have SR or RR conflicts
- ▶ Paradoxically, we can make the parser more powerful by restricting what it can do

## SLR(1)

- ▶ Compute DFA as for LR(0)
- ▶ Create table
  - ▶ Shift-entries: Just as in LR(0)
  - ▶ Reduce entries: Will be conditioned on *follow* of left hand side
- ▶ Note: Consider  $\text{follow}[S']$  to be  $\{\$ \}$

## Code

- Compute table: The only difference from LR(0) is in the reductions:

```
for s in states:
    row = {}
    for sym in s.transitions:
        if sym is a terminal:
            row[sym] = ("S",s.transitions[sym].index)
        else:
            row[sym] = ("T",s.transitions[sym].index)
    for item in s.items:
        lhs, rhs, dpos = item
        if dpos at end of rhs:
            for w in follow[lhs]:
                row[w] = ("R", len(rhs), lhs )
    table.append(row)
```

## Example

► Grammar:

$\text{if} \rightarrow \backslash \text{bif} \backslash \text{b}$

$= \rightarrow =$

$\text{x} \rightarrow \backslash \text{d}^+$

$\text{id} \rightarrow \backslash \text{w}^+$

$;\rightarrow ;$

$( \rightarrow \backslash ($

$) \rightarrow \backslash )$

$S \rightarrow S \text{ stmt} \mid \lambda$

$\text{stmt} \rightarrow \text{id} ( \text{x} ) ; \mid \text{id} = \text{stmt} ; \mid \text{x} ;$

# Table

	State	\$	(	)	;	=	S	id	stmt	x
0	$S \rightarrow \bullet$ $S \rightarrow \bullet S \text{ stmt}$ $S' \rightarrow \bullet S$	R,0,S					T,1	R,0,S		R,0,S
1	$\text{stmt} \rightarrow \bullet \text{id} (x);$ $\text{stmt} \rightarrow \bullet \text{id} = \text{stmt};$ $\text{stmt} \rightarrow \bullet x;$ $S \rightarrow S \bullet \text{stmt}$ $S' \rightarrow S \bullet$	R,1,S'						S,2	T,4	S,3
2	$\text{stmt} \rightarrow \text{id} \bullet (x);$ $\text{stmt} \rightarrow \text{id} \bullet = \text{stmt};$		S,6			S,7				
3	$\text{stmt} \rightarrow x \bullet;$				S,5					
4	$S \rightarrow S \text{ stmt} \bullet$	R,2,S						R,2,S		R,2,S
5	$\text{stmt} \rightarrow x; \bullet$	R,2,stmt			R,2,stmt			R,2,stmt		R,2,stmt
6	$\text{stmt} \rightarrow \text{id} ( \bullet x );$									S,10
7	$\text{stmt} \rightarrow \bullet \text{id} (x);$ $\text{stmt} \rightarrow \bullet \text{id} = \text{stmt};$ $\text{stmt} \rightarrow \bullet x;$ $\text{stmt} \rightarrow \text{id} = \bullet \text{stmt};$							S,2	T,8	S,3
8	$\text{stmt} \rightarrow \text{id} = \text{stmt} \bullet;$				S,9					
9	$\text{stmt} \rightarrow \text{id} = \text{stmt}; \bullet$	R,4,stmt			R,4,stmt			R,4,stmt		R,4,stmt
10	$\text{stmt} \rightarrow \text{id} (x \bullet);$			S,11						
11	$\text{stmt} \rightarrow \text{id} (x) \bullet;$				S,12					
12	$\text{stmt} \rightarrow \text{id} (x); \bullet$	R,5,stmt			R,5,stmt			R,5,stmt		R,5,stmt

## Using Table

- ▶ How do we use the table?
- ▶ We maintain a stack
  - ▶ Stack contains automaton states
  - ▶ Top stack state  $\rightarrow$  current state
  - ▶ Table actions tell us what to do with the stack and input

## Shift

- ▶ Take token from input
- ▶ Push new FA state to stack



## Reduce

- ▶ Let  $n$  = number of things in RHS of production we are reducing with
- ▶ Let  $L$  = lhs of production we're reducing with
- ▶ Pop  $n$  things from stack
- ▶ Consider the state that's on top of the stack.
- ▶ Transition out of that state using symbol  $L$
- ▶ Push resulting state to stack

## Example

$\text{if} \rightarrow \backslash \text{bif} \backslash \text{b}$

$= \rightarrow =$

$\text{x} \rightarrow \backslash \text{d}^+$

$\text{id} \rightarrow \backslash \text{w}^+$

$;\rightarrow ;$

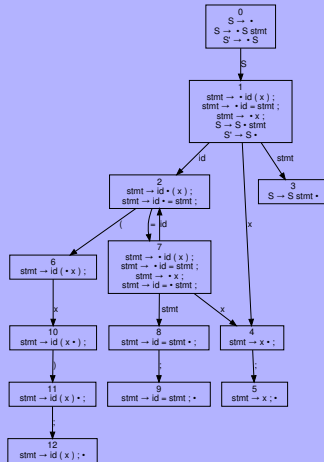
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$S \rightarrow S \text{ stmt} \mid \lambda$

$\text{stmt} \rightarrow \text{id} ( \text{x} ) ; \mid \text{id} = \text{stmt} ; \mid \text{x} ;$

# DFA



# Table

	State	\$	(	)	;	=	S	id	stmt	x
0	$S \rightarrow \bullet$ $S \rightarrow \bullet S \text{ stmt}$ $S' \rightarrow \bullet S$	R,0,S					T,1	R,0,S		R,0,S
1	$\text{stmt} \rightarrow \bullet \text{id} ( x ) ;$ $\text{stmt} \rightarrow \bullet \text{id} = \text{stmt} ;$ $\text{stmt} \rightarrow \bullet x ;$ $S \rightarrow S \bullet \text{stmt}$ $S' \rightarrow S \bullet$	R,1,S'						S,2	T,4	S,3
2	$\text{stmt} \rightarrow \text{id} \bullet ( x ) ;$ $\text{stmt} \rightarrow \text{id} \bullet = \text{stmt} ;$		S,6			S,7				
3	$\text{stmt} \rightarrow x \bullet ;$				S,5					
4	$S \rightarrow S \text{ stmt} \bullet$	R,2,S						R,2,S		R,2,S
5	$\text{stmt} \rightarrow x ; \bullet$	R,2,stmt			R,2,stmt			R,2,stmt		R,2,stmt
6	$\text{stmt} \rightarrow \text{id} ( \bullet x ) ;$									S,10
7	$\text{stmt} \rightarrow \bullet \text{id} ( x ) ;$ $\text{stmt} \rightarrow \bullet \text{id} = \text{stmt} ;$ $\text{stmt} \rightarrow \bullet x ;$ $\text{stmt} \rightarrow \text{id} = \bullet \text{stmt} ;$							S,2	T,8	S,3
8	$\text{stmt} \rightarrow \text{id} = \text{stmt} \bullet ;$				S,9					
9	$\text{stmt} \rightarrow \text{id} = \text{stmt} ; \bullet$	R,4,stmt			R,4,stmt			R,4,stmt		R,4,stmt
10	$\text{stmt} \rightarrow \text{id} ( x \bullet ) ;$			S,11						
11	$\text{stmt} \rightarrow \text{id} ( x ) \bullet ;$				S,12					
12	$\text{stmt} \rightarrow \text{id} ( x ) ; \bullet$	R,5,stmt			R,5,stmt			R,5,stmt		R,5,stmt

# Parse

- ▶ Parse:  
x = 42 ;

# Code

```
stk=[0] #stack with initial state
ti = 0 #current token index
while 1:
    s = stk.top() #index of a state
    t = tokens[ti].sym
    if table[s][t] does not exist:
        syntax error
    action = table[s][t]
    if action[0] == "S":
        #shift
        stk.push( action[1] )
        ti+=1 #consume token
    elif action[0] == "R":
        _,numpop,lhs = action
        if lhs == "S'":
            if ti == len(tokens): Accept
            else: Reject
        pop numpop things from stk
        si=stk.top()
        action = table[si][lhs]
        stk.push( action[1] )
```

# Parsing Algorithm

- ▶ What we've just seen: A transducer
- ▶ But if we want parse tree, we need to do a little more work
- ▶ We have two stacks: One for state numbers, one for tree nodes
- ▶ Every time we shift: We create a tree node and push
  - ▶ Token field of node = shifted token
- ▶ Every time we reduce
  - ▶ Create new node P
  - ▶ Nodes popped become children of P

# Code

```
stateStack=[]; nodeStack=[]; ti=0
while 1:
    s = stateStack.top()
    t = tokens[ti].sym
    if table[s][t] does not exist: error
    action = table[s][t]
    if action[0] == "S":
        stateStack.push( action[1] )
        nodeStack.push( TreeNode( t, tokens[ti] ) )
    else:
        numpop = action[1]; reduceTo = action[2]
        n = TreeNode( reduceTo, None )
        do numpop times:
            stateStack.pop();
            n.children.prepend(nodeStack.pop())
        if reduceTo == "S'":
            if t == "$": accept
            else: reject
        s = stateStack.top()
        stateStack.push( table[s][reduceTo][1] )
        nodeStack.push(n)
```



## Example

- ▶ Example parse of: `a = foo(42);`
  - ▶ Do in class
- ▶ Why does this stop with an error?

## Error

- ▶ Grammar requires two semicolons!

## Example

- ▶ Parse of `a = foo(42);;`

# Assignment

- ▶ Write a program which works with the [test harness](#).

## Sources

- ▶ K. Louden. *Compiler Construction: Principles and Practice*
- ▶ A. Aho, M. Lam, R. Sethi, J. Ullman. *Compilers: Principles, Techniques, & Tools*. (2nd ed.) Addison-Wesley.

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