$$\sum_{i=1}^{N} P((\text{VeryGood})_i)(\text{VeryGood})_i$$

13 Film [2]

$$\mathrm{Si}(x)\cos(x) + \mathrm{Si}(x)\cos(x) + \mathrm{Si$$

14 Album [2]
$$y = mx + c, \\ y = mx + d, \\ y = mx + e$$

\$ ls *.x

16 Film [4]

$$)2=t(\rightarrow)1=t($$

17 Album/Song [2]

 H_2O

18 Album (also an unrelated Song works) [3] [4]

$$\sup\{\heartsuit\}$$

19 Book/Film [6]

$$\phi(t) = \frac{2\pi t}{80}$$

20 Book/Film [2]

$$233\,^{\circ}\text{C} = 506\,\text{K} =$$

21 Film [3]

$$ma = mg - \underbrace{F_1}_{\text{this}} - F_2$$

$$F_1 = \gamma_1 v$$

$$F_2 = \gamma_2 v^2$$

22 Book [2]

$$\vec{g}$$
, (\vec{E}, \vec{B}) , $(\stackrel{(\not x, Cu)}{\underset{ ext{this}}{}}$

23 Song [2]

you are here

24 Film [3]

$${\rm La_3Nd}$$

25 Film [1]

$$\frac{GMm}{r^2}$$

26 Song [2]

$$P(\lozenge_1 \cap \lozenge_2) = P(\lozenge_1)P(\lozenge_2)$$

27 Song [4]

$$KE_{\text{Stone}} = \frac{1}{2}mv^2 + \frac{1}{2}I\omega^2$$

28 Book/Film [2]

D: discharged

M: mentally unsound

E: evaluation requested

1. $D \implies (M \land E)$ (premise 1)

2. $M \implies \neg E \text{ (premise 2)}$

3. From 2, $\neg M \lor \neg E$

4. From 3, $\neg (M \land E)$

5. From 1 and 4, $\neg D$

S: new office toner supplied

T: ran out of office toner

R: requisition form printed and filled in

1. $S \implies (T \land R)$ (premise 1)

2. $T \implies \neg R \text{ (premise 2)}$

3. From 2, $\neg T \lor \neg R$

4. From 3, $\neg (T \land R)$

5. From 1 and 4, $\neg S$

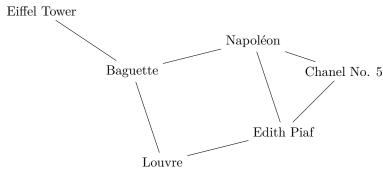
29 Film [4]

$$e^{i\pi} + 1 = 0$$
 and 666

30 Film [1]

31 Book/Film [3]

$$\int_{a}^{b} \vec{F}_{\bigcirc} \cdot d\vec{r},$$
$$b - a = o$$

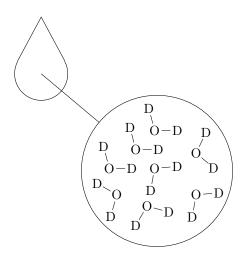


32 Film/Book [3]

33 Film/Book [2]
$$\neg(\text{PhD})$$
34 Song [3] $\varsigma \in \mathbb{N}$
35 Album/Song/Film [4] $\forall \sharp \sharp$
36 Film [2] $\text{Life}(t + 24\text{hr}) = \text{Life}(t)$
37 Film [3] $\text{Lost} \to \text{Lost} + \Delta x$
38 Film [5] $\text{Target: } \int \sqrt{1 + \left(\frac{\text{dMissing}}{\text{d}x}\right)^2} \, \text{d}x$
39 Film/Game [1] $\frac{a}{b}\sqrt{-1} = \frac{a+b}{a}\sqrt{-1}$
40 Film [1] $\frac{\partial u}{\partial t} = \alpha \nabla^2 u$
41 Film [3] $\left(\cos \theta - \sin \theta\right)$
42 Film [1] $\tan \hat{\sigma}$
43 Film [4] Python: $(-3, 4)$ Anaconda: $(1, -3)$ Cobra: $(4, 5)$ Viper: $(-1, -2)$
44 Film/Book [2] $\sin(\text{London})$
45 Game [2] $(d, 17), (e, 3), (i, 13), (m, 2), (o, 11), (r, 7), (t, 5)$
46 Song [2]

If A is 1, B is 10, C is 11, etc what is 1100 1111 10110 101?

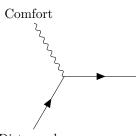
$$47 \operatorname{Song} [1] \\ \frac{\operatorname{d}W}{\operatorname{d}t} \\ 48 \operatorname{Song} [4] \\ (u \in \phi) \lor (u \not\in \phi) \\ 49 \operatorname{Song} [1] \\ f: X \to Y, \ g: X \to Y, \ h: X \to Y \\ 50 \operatorname{Song} [3] \\ \sum_{i}^{\heartsuit} \underset{}{} \underset{}{} \atop \stackrel{}{} \atop \stackrel{}{}} \atop \stackrel{}{}\atop \stackrel{}{}} \atop \stackrel{}{}\atop \stackrel{}{}} \atop 51 \operatorname{Show} [1] \\ t-30 \\ 52 \operatorname{Book/Film} [1] \\ \$^2 + \pounds^2 + \pounds^2 \leq R^2 \\ 53 \operatorname{Film} [2] \\ \operatorname{Falsehood} \Longrightarrow \operatorname{Falsehood}$$



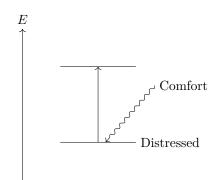
54 Game [2]

 $(\mathrm{D_2O})_{\approx 0.003\,\mathrm{mol}}$

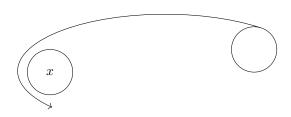
55 Film [3]



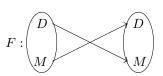
Distressed



56 Film [2]



- 57 Book [2]
- Equus \leq Canis \leq Suidae
- $58~\mathrm{Song}~[3]$
- > word + word + word
- 59 Film [2]



60 Film [3]

$$r_{\circlearrowleft_1}, r_{\circlearrowleft_2} < \frac{2GM}{c^2}$$

61 Show [2]
$$_{\text{Ba}}$$
 $_{^{2}\text{H}}$ \longrightarrow $_{\text{Ba}}$ $_{^{-}}$ $_{^{2}\text{H}}$

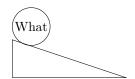
62 Film [1]

Average bond energy(kJ mol $^{-1}$)

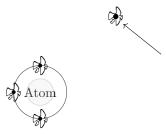
63) Song [4]

 $\rm H_2O~O_2~\mathred N_2~\mathred N_2~\mathred CO_2~Ar$

64) Song [5]



65) Song [2]



66) Album [9]

 $\mathrm{me} = \{ \neg A | \mathrm{Any} \ \mathrm{proposition} \ \mathrm{of} \ \mathrm{the} \ \mathrm{form} \colon A \in \mathrm{me} \}$

67) Album [2]

XOR

68) Album [4]



69) Album [2]

70) Song [2]

The distance of X from Sun where $\frac{\text{Distance of X from Sun}}{\text{Distance of Earth from Sun}} = \text{fools}$

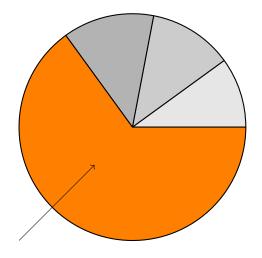


Figure 1: Particle decay products

$$\begin{bmatrix}
-1 & 0 & 0 & 0 \\
0 & 1 & 0 & 0 \\
0 & 0 & 1 & 0 \\
0 & 0 & 0 & 1
\end{bmatrix}$$

- 71) Album/Songs [4]
- 72) Film [1]

-r-x Brain

- 73) Game [1]
- 74) Album [2]

 ΔC

75) Show [2]

 $A\cos\omega_1 t$, $A\cos\omega_2 t$

- 76) Book/Film [1]
- 77) Show [3]
- 78) Song [4]

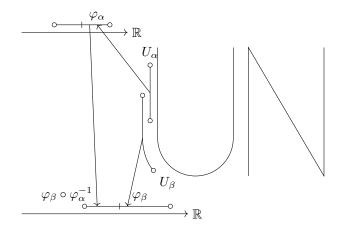
 $\heartsuit\in \clubsuit$

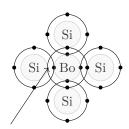
79) Album/Song [3]

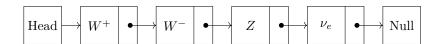
AgdB

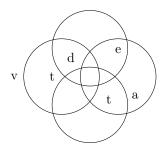
- 80) Film [3]
- 81) Film [3]

$$S = \int L_1 dt$$
, $S = \int L_2 dt$, $\underbrace{\boldsymbol{\Theta}}_{\text{this}} = \int L_3 dt$









82) Book/Film [4]

For group element \mathfrak{P} , smallest m such that $\mathfrak{P}^m = e$

83) Film [3]



- 84) Show [3]
- $-1.8288 \,\mathrm{m}$
- 85) Book/Film [5]

$$\sum_{i=1}^{U_N} (\text{Lucky Incident})_i$$

- 86) Book/Film [3]
- $\pi^0 \longrightarrow 2\gamma$
- 87) Film/Song (spelt differently) [1] or [2]

$$a \times 10^{-3}$$

88) Film (Sophus Lie...) [1]

$$a\mathcal{L}_N(S)$$

89) Film [2]

$$\nabla u_8$$

91) Book [1]

$$tx_1 + (1-t)x_2$$
 where

$$x_1 = \text{March } 1$$

$$x_2 = \text{April } 1$$

$$t = 0.5$$

92) Film [2]



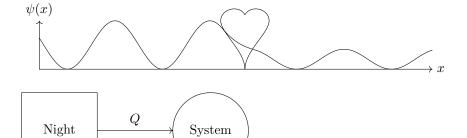
93) Albums

Using Pb with H₂

94) Books/Films [5]

\delta, where

 $\{\Phi|\Phi \text{ is a set }R \text{ equipped with binary operations }+\text{ and }\cdot$ (addition and multiplication, respectively) such that R is abelian under addition, a monoid under multiplication, and multiplication is distributive with respect to addition} $\in \mathfrak{B}$



- 95) Album [3] $\frac{h}{\lambda}, \ \lambda \sim 470\,\mathrm{nm}$
- 96) Film [3] $\underbrace{e^n}_{} \underbrace{d}_{} + \underbrace{\mathfrak{D}}_{} + \underbrace{\mathscr{O}t}_{}$
- 97) Albums/Songs [3] $-\frac{\hbar^2}{2m}\psi''(x) = E\psi(x) \qquad -\frac{\hbar^2}{2m}\psi''(x) = (E-\heartsuit)\psi(x) \qquad -\frac{\hbar^2}{2m}\psi''(x) = E\psi(x)$ $x < 0 \qquad \qquad 0 \le x \le L, \, \heartsuit > E \qquad \qquad x > L$
- 98) Film [6]
- 99) Song [1]

A bad name for entropy

100) Song [2]

$$\lceil \tau n \rceil$$
 \circ

101) Film [1]

$$\left| \frac{\mathrm{d}\vec{r}}{\mathrm{d}t} \right|$$

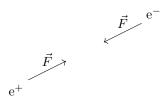
- 102) Film [3]
- 103) Game [2]

$$R_{\mu\nu} - \frac{1}{2}Rg_{\mu\nu} + \Lambda g_{\mu\nu} = \frac{8\pi G}{c^4}T_{\mu\nu}$$

The RHS's impact on the LHS



$$xy + xz = x(y+z)$$



$$\forall n \in \mathbb{N} : \frac{\mathrm{d}^n \mathrm{Thief}(x)}{\mathrm{d} x^n} \text{ exists}$$

Fe male

$$\rm LA^{+ti}_{-ce~interv}$$

$$x^2$$

Semester $\in (8 \lor 2)$

$$\begin{pmatrix} -1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & 1 \end{pmatrix} \text{Luke}$$

investigator =
$$!(6 <= 4)$$

$$\frac{1}{N}\sum_{i=1}^N \mathbf{Q}_i$$

$$x^{\heartsuit}$$

115) Film/Book [4]

(Relative to you:
$$\vec{r} = 0$$
) $\rightarrow t = \infty$

116) Song (also Album/Film with different name) [1]

$$\bigcirc$$



- $\begin{array}{c} 117) \ {\rm Film} \ [2] \\ 118) \ {\rm Film} \ [2] \end{array}$

$$a_{\mathrm{Ghost}} = e^{\frac{\mu_{\mathrm{Ghost}} - \mu_{\mathrm{Ghost}}^{\ominus}}{RT}}$$

119) Song [2]

 $Teenager_0 + hf_1 \rightarrow Teenager_1$ $\mathrm{Teenager}_1 \to \mathrm{Teenager}_2 + hf_2$ $f_1 > f_2$

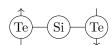
120) Song [4]

$$\vec{\text{this}} = \vec{r} \times \vec{F}$$

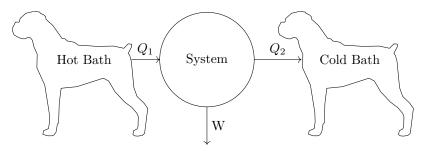
121) Film [2]

Point mass with v > 0 and a < 0

122) Film [1]



123) Film [2]



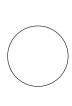
124) Film [3]

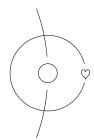
cd
pwd
ls
cat
cp
mv
mkdir
rmdir



touch

126) Song [5]





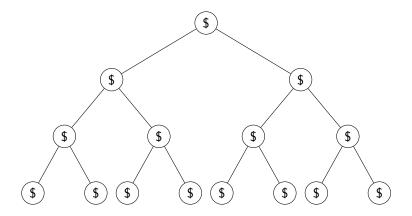
127) Album/Songs (Very similar names) [3] or [2]

What path does the electron take (assuming it stays in \vec{B})?

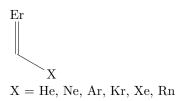
$$ec{v}_{e^-}$$
 $ec{eta}$ $ec{eta}$

- 128) Song [2]
- 129) Album/Song [1]

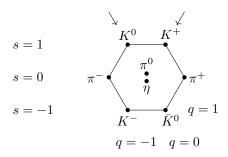
$$\int f(x) dx, \int g(x) dx, \underbrace{\int h(x) dx}_{\text{dis}}$$



130) Show [1]



131) Show [2]



132) Game [2]



133) Film [5]

$$\min_{x} |\mathrm{It}(x) - \mathrm{Good}(x)|$$

134) Film [2]

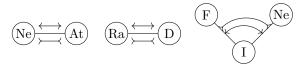
 $2 \times Loss Protection$

$$\mathcal{L}_{X}g=0$$

$$9 \le 9 \le 14$$

$${\bf 1}.034{\bf 1}28{\bf 1}7392 = \int_0^\infty t \lambda e^{-t/\lambda} \, \mathrm{d}t$$

138) Song [2]



$$Age(t) = 80 - t$$

$$f$$
 where $f(x) = x + Black$

$$141) \ \mathrm{Song} \ [5]$$

$$US \xrightarrow{\quad LuV \quad } U \, + \, S$$

$$L_{\rm sol} = \sigma A T^4, \ T = 0$$



$$\omega_p(t) = \begin{cases} \frac{2\pi}{T_{\text{orbit}}}, & 0 \le t \le T \\ 0, & t \ge T \end{cases}$$

where $T > T_{\text{orbit}}$ and it is part of the answer.

$$|\{x|x \in \text{house}\}| = 1$$



 $F = \alpha T_{\mathrm{IT}}$ where α is a constant.

146) Film [4]

$$\begin{split} m_{\bullet}a &= F - m_{\bullet}g \\ F &> m_{\bullet}g \end{split}$$

147) Song [5]

while(Gibson.numTears()>0){...}

148) Book/Song [5]

for(person i : PeopleWhoWillDie){...}

149) Song [6]

while(!Me.HadEnough()){...}

150) Song [3]

 $c\bar{d} \longrightarrow \bar{u}s + u\bar{d} + \bar{u}d$

 $c\bar{u} \longrightarrow \bar{u}s + u\bar{d}$

 $c\bar{s} \longrightarrow u\bar{s} + \bar{u}s + u\bar{d}$

151) Song [3]



152) Film [1]

 $\rm Se_7 Ne$

- 153) Film [2]
- $e^{3.2i} + 1 = 0$
- 154) Album [2]

 ${\it pleasure}_1$ and ${\it pleasure}_2$ before

 $f({\rm pleasure}_1, {\rm pleasure}_2) = 0$ is solved for ${\rm pleasure}_1$ and ${\rm pleasure}_2$ 155) Series [1] \sqrt{s}