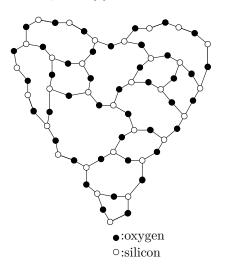
156) Song [3]



157) Song [4]

158) Book [4]

159) Song [3]

160) Song [7]

161) Song [8]

162) Series/Book [3,4]

 $_{\rm a}-{\rm chat}$

 $\forall \sigma \text{ such that } \sigma \in \mathring{\mathbb{S}}$

$$R_{\bigodot} < \frac{2GM_{\bigodot}}{c^2}$$

 $\mathrm{HeD} \xrightarrow{\hspace*{1cm}} u + \mathrm{HeHdd}$

$$\exists \gamma \text{ where, } \forall t, \ r_{\gamma} < \frac{2GM}{c^2}$$

Leader A

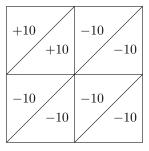
Kill zombies

Ignore zombies

Kill zombies

Leader B

Ignore zombies



163) Film [5]
try{
 if(urable)
 throw new Exception();
};
catch(Exception i){
...

164) Song [4]

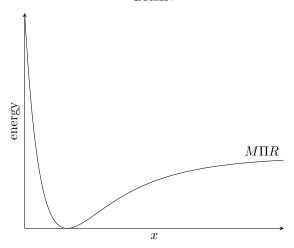
165) Series [3]

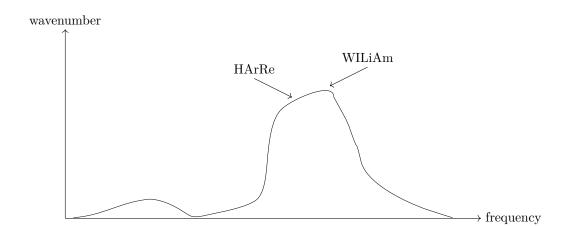
166) Film [4]

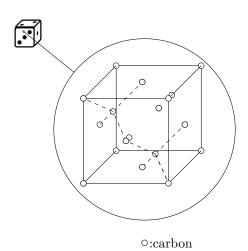
167) Film [2] 168) Film [7] $\frac{2 \cancel{k} \cdot \cdot \cdot}{\cancel{k}}$

1

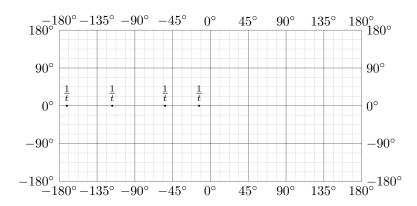








$$\frac{\frac{1}{t}\frac{1}{t}}{\vdots} \quad \frac{1}{t} \qquad \qquad W \stackrel{N}{\longleftrightarrow} F$$



171) Book [3]

$$f(x) = 39H(x) = \begin{cases} 0 & x \le 0\\ 39 & x > 0 \end{cases}$$

Song [2]

$$f(x) = 15H(x) = \begin{cases} 0 & x \le 0\\ 15 & x > 0 \end{cases}$$

172) Book/Film [6]

$$\frac{H_1N_1}{a^{(N)} + \frac{H_1N_1}{a^{(N)} + \frac{H_1N_1}{a^{(N)} + \dots}}}$$

173) Book/Film [2]

Indexed family $\{(U_{\alpha}, \gamma_{\alpha}) : \alpha \in I\}$ of charts on \odot which covers \odot

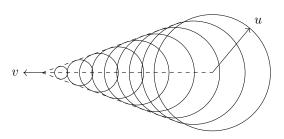
174) Game [1]

$$|f(x)| \le 5$$
 for all x

175) Song [4]

3♀

176) Song [1]

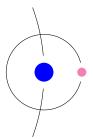


177) Album/Song [6]

$$\frac{\in \mathcal{F}}{C}$$

178) Album/Song [2] and Album/Song [1] and Series [2]





- 179) Song [3]
- 180) Song [3]
- 181) Song [4]
- 182) Song [5]
- 183) Song [2]



- $\{a,b,c,k,l\}\setminus\{l\}$
 - $\mathrm{me}\notin \heartsuit$
- $\{1,1,1,1\}\in \mathrm{life}\in \mathrm{me}$



$$\frac{\mathrm{d}V}{\mathrm{d}t} = uA = (2n)\mathrm{m}^3\mathrm{s}^{-1}, \, n \in \mathbb{N}$$

- 184) Series [1]
- 185) Film [4] 86) Film [1]

 ρ_m

- - Let $I \subset S$, $\forall i \in I$ $m_i \vec{a}_i(t) = m_i \vec{a}'_i(-t)$

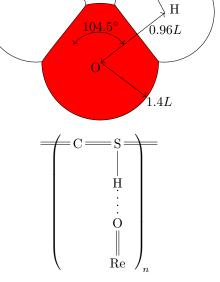
where

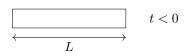
$$m_i \vec{a}_i'(t) = \sum_{j(\neq i) \in I} \vec{F}_{ji}(t) + \sum_{k \in S \setminus I} \vec{F}_{ki}(-t)$$

- 187) Album/Song [2] 188)Song [2]
 - 189) Song[2]
 - 190) Song [2]
 - 191) Film [2]



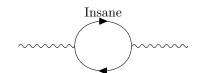
1.2L





$$F \longrightarrow F \quad t \ge 0$$





 $[New Data] \rightarrow [Predictive Model] \rightarrow [Prediction]$

const een

for($$ = n; $ < n + 4; $++){...}$

193) Film [6]

194) Song [3]

Material
composition
SiO₂
Al₂O₃
MgO
CaO
FeO
Na₂O
K₂O
CaCO₃
and
U

195) Song [5]

196) Film [3]

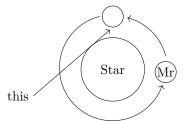
197) Film [3]

 $\{\mathring{oldsymbol \Sigma},\ldots, rac{oldsymbol M}{M}\}$

<u>3</u>

br =
$$[\underbrace{1.0/\text{sqrt}(1.0-v**2/c**2)}_{\text{this}},...]$$

198) Song[2]



Mr: $\omega_{\rm axis} = \omega_{\rm orbit}$

Angry'(x) = 0, Angry''(x) < 0

Game [2]

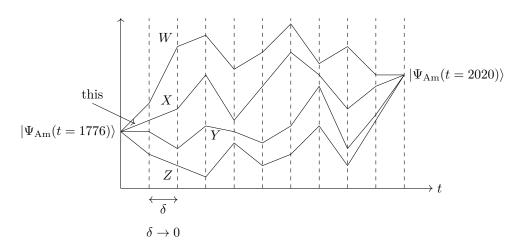
 $\operatorname{Hurt}'(x) = 0, \ \operatorname{Hurt}''(x) < 0$

200) Song/Album [1]

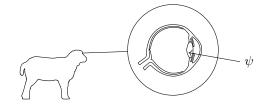
 ${\rm CaLiFORnI}^+$

$201)~{\rm Film}~[3]$

$$X = \{ |\Psi_{\rm Am}(t)\rangle \, | \, -\infty < t \le 0 \}$$



202) Book/Film [4]



203) Album/Song/Film [3]

 $\frac{\text{linear} mc}{h}$

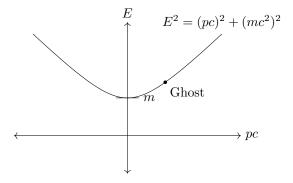
204) Book/Film [2]

$$R \begin{pmatrix} o \\ i \\ v \\ e \end{pmatrix}, R^T = R^{-1}, \det R = 1$$

205) Film [2]

 $a^\dagger {\rm AZ}$

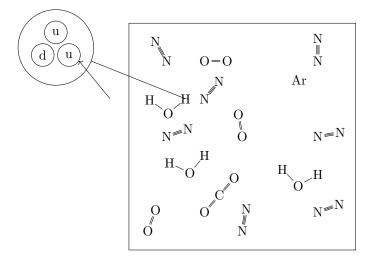
206) Film [4]



207) Film [3]

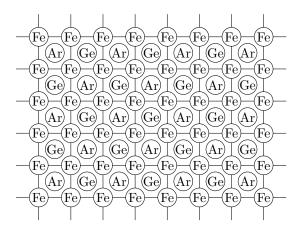


if man:
 print(...
208) Film [4]



209) Song [3]
if random.random() > 0.5:
 me()

210) Game [3]



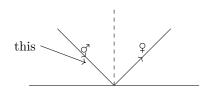
211) Game [1]

$$\frac{\mathrm{d}T}{\mathrm{d}t} = \alpha \mathrm{K} \,\mathrm{s}^{-1} > 0$$

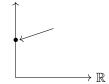
$$\to v = 0$$

 $F = \mu_k N$

212) Game [1]



competition



213) Song [1]

214) Game [2]

215) Game [4]

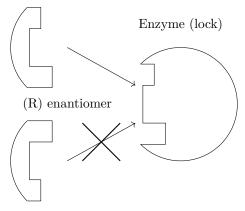
$$r_{\rm Animal}(d/v)$$
 where $r_{\rm Animal}(t)=R_{\nu}+d-vt,\ R_{\nu}=\frac{2GM}{c^2}$

216) Film [2]

$$\frac{2GM}{c^2}$$

217) Book/Film [5]

Substrate (key)



(S) enantiomer

218) Song [4] and Song [4]

219) Film [5]

$$\lambda_{\rm max} = \frac{2.898 \times 10^{-3}\,\mathrm{m\,K}}{T}$$

Possible λ_{\max} :

Blue: 450 nm-500 nm Green: 500 nm-565 nm Yellow: 565 nm-590 nm Orange: 590 nm-625 nm

 $Red:~625\,nm{-}700\,nm$

	job-ID	name uphill	user	state R				
	2	thehill thehill	tom tom	Q Q				
	220) Serie	es [5]						
				$ u_{ m violet}:~670 m THz ext{}790 m THz$				
				$ u_{ m blue}: 600 m THz$				
				$ u_{ m green}:~530 m THz ext{-}600 m THz$				
				$ u_{ m yellow}: 510 m THz ext{-}530 m THz$				
				$ u_{ m black}: 590 m THz ext{-}625 m THz$				
				$ u_{ m red}:~625 m THz ext{}700 m THz$				
	221) Gam	no [4]						
	221) Gan	IC [4]		$\begin{pmatrix} \cos(\text{human}) & -\sin(\text{human}) \\ \sin(\text{human}) & \cos(\text{human}) \end{pmatrix} \mathbf{t}_x$				
	222) Bool	k/Film [3]						
				$ au_{ m R}^-, au_{ m R}^+$				
	223) Song	g [2]						
(S:	i \times \times \times \times \times)w(O)						
	99.4) C	[6]						
	224) Song	g [2]						
	Selection rules:							
				$\Delta J = 0, \pm 1, (0 \leftrightarrow 0)$				
				$\Delta K = 0, \pm 1$				
				$\rightarrow \Delta \nu = 0, \pm 1, \pm 2, \dots$				
	225) Song	g [3]						
	,			$\boxed{\text{Historic Data}} \rightarrow \boxed{\text{Algorithm}} \rightarrow \boxed{\text{Predictive Model (failed)}}$				
	226) Bool	k/Series [3]						
	226) Book/Series [3]			hunter^2				
	227) Song	g [3]						
	, .		Eiffel T	ower, Arc de Triomphe, ni^{as} , Notre-Dame, Louvre, Champs-Élysées, }				
	228) Song	g [2]						
				$M_{ m lack} \gtrsim 1.4 M_{\odot}$				
	229) Song	g [1]						
7.7	71	T00						
	Vavelength: nergy: 2.22							
	olour:	- 0 ,						
	230) Film	n [6]						

Particle class	
t and \bar{t}	$T = \pm 1$
c and \bar{c}	$C = \pm 1 \leftarrow$
b and \bar{b}	$B = \mp 1$

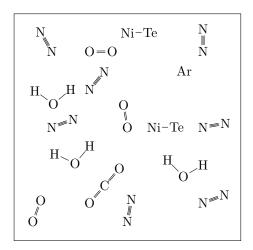
```
231) Film [3]
```

```
public:
  int adams = 6;
  int carragher = 23;
  int maldini = 3;
private:
  int neville = 2;
  int giggs = 11;
  int totti = 10;
ofstream myfile;
myfile.open("file.txt");
myfile << giggs;</pre>
```

232) Film [2]

private: string superman; string batman; string wonderwoman; public: string lexluther; string joker; string penguin;

63alt) Song [4]



233) Song [2]

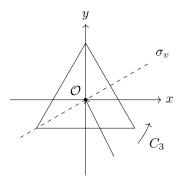
 $I\dot{\theta}, \quad \dot{\theta} \sim 0 \, \mathrm{s}^{-1}$

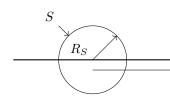
234) Album [3] 235) Game [1]

236) Song [5]

 $c = 3 \times 10^8 \,\mathrm{m \, s^{-1}}$ $h = 6.63 \times 10^{-34} \,\mathrm{J}\,\mathrm{s}$ $G = 6.67 \times 10^{-11} \, \mathrm{m^3 \, kg^{-1} \, s^{-2}}$ $e = 1.602 \times 10^{-19} \,\mathrm{C}$ $\sigma = 5.67 \times 10^{-8} \, \mathrm{J \, m^{-2} \, K^{-4} \, s^{-1}}$

237) Game [4]





• • •

 \xrightarrow{T} $\overrightarrow{r_T}$

$$r_T(\theta) = \frac{2R_S r_{T0}}{R_S + r_{T0} + (r_{T0} - R_S)\cos(\theta - \pi)}, \quad \theta(t = 0) = 0, \quad r_T(0) = r_{T0}, \quad \theta \in (0, \pi)$$

 $238)~\mathrm{Game}~[2]$

$$\sum_i \left(\text{conflict} \right)_i$$

239) Game [4]

$$\frac{\mathrm{d}R_{\circlearrowleft}}{\mathrm{d}t} < 0\,\Omega\,\mathrm{s}^{-1}$$

240) Game [2]

$$\longrightarrow \begin{pmatrix} \text{Boris} & \text{Joe} & \text{Vladimir} & \text{Jacinda'} \\ \text{Drake} & \text{Snoop} & \text{Kendrick} & \text{Nicki} \\ \text{Teresa} & \text{Paul} & \text{Peter} & \text{Patrick} \\ \text{Jane} & \text{Virginia} & \text{Agatha} & \text{Joanne} \end{pmatrix}$$

241) Book/Show [2]



242) Book [2]

$$F(\rho, \sigma) = \left(\operatorname{tr} \sqrt{\sqrt{\rho} \sigma \sqrt{\rho}} \right)^2 \gg 0$$

243) Album/Song [6]

$$\frac{\odot}{7}\times\frac{\odot}{7}$$

244) Album [2]

$$r'_{\rm photos}(t) \neq 0$$

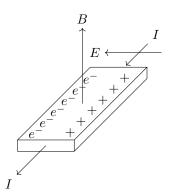
245) Game [2]

$$R = 0 \, \Omega$$

246) Film [2]

247) Song [4]

Troubles'(\$) > 0



248) Song [3]

$$\int \vec{F}_{\mathbb{Q}_1} \cdot \mathrm{d}\vec{r} \,, \quad \underbrace{\int \vec{F}_{\mathbb{Q}_2} \cdot \mathrm{d}\vec{r}}_{\text{this}}, \quad \int \vec{F}_{\mathbb{Q}_3} \cdot \mathrm{d}\vec{r}$$

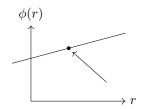
249) Album/Song [7]

$$\frac{mv_{\mathfrak{Q}_i}^2}{r_{\mathfrak{Q}_i}} = \frac{GM}{r_{\mathfrak{Q}_i}^2}, \quad i \in \{1, \dots, n\}, \quad \frac{mv_{\mathfrak{C}_j}^2}{r_{\mathfrak{C}_j}} = \frac{GM}{r_{\mathfrak{C}_j}^2}, \quad j \in \{1, \dots, m\}$$

250) Series [3]

$$C++: \\ \mbox{Conflicts a("world1", "world2");} \\ \to \mbox{Conflicts b = a;} \\$$

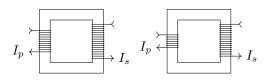
251) Film [5]



252) Film [2]

$$496 \,\mathrm{nm} = (1 + 2 + 4 + 8 + 16 + 31 + 62 + 124 + 248) \,\mathrm{nm}$$

253) Film [2] and Film [1]



254) Film [3]

	job-ID	name	user	state
	1	paris	tom	Q
	2	berlin	tom	Q
	3	moscow	tom	Q
\rightarrow	4	rome	tom	Q
	4	madrid	tom	Q
	5	athens	tom	0