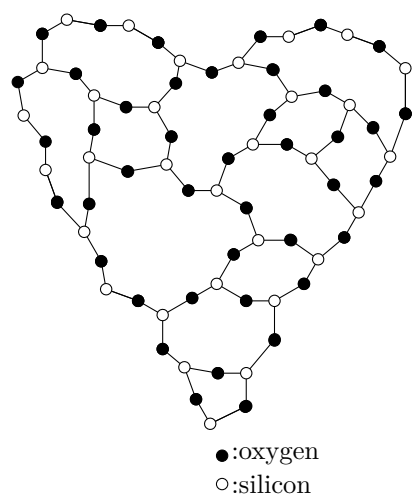


156) Song [3]



157) Song [4]

$\mathbf{a} - \mathbf{chat}$

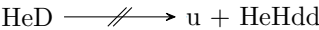
158) Book [4]

$\forall \sigma^\circ$  such that  $\sigma^\circ \in \mathfrak{W}$

159) Song [3]

$R_{\odot} < \frac{2GM_{\odot}}{c^2}$

160) Song [7]



161) Song [8]

$\exists \gamma$  where,  $\forall t, \; r_\gamma < \frac{2GM}{c^2}$

162) Series/Book [3,4]

|          |                | Leader A             |                      |
|----------|----------------|----------------------|----------------------|
|          |                | Kill zombies         | Ignore zombies       |
| Leader B | Kill zombies   | <div>+10 / +10</div> | <div>-10 / -10</div> |
|          | Ignore zombies | <div>-10 / -10</div> | <div>-10 / -10</div> |

163) Film [5]

```
try{
    if(ucan)
        throw new Exception();
};
catch(Exception i){
    ...
}
```

164) Song [4]

165) Series [3]

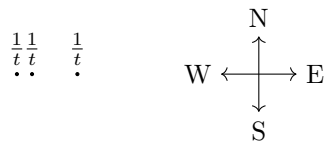
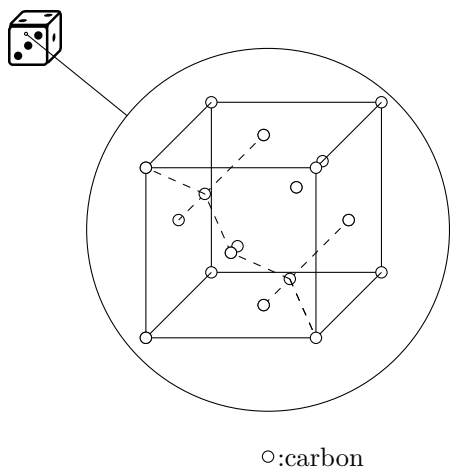
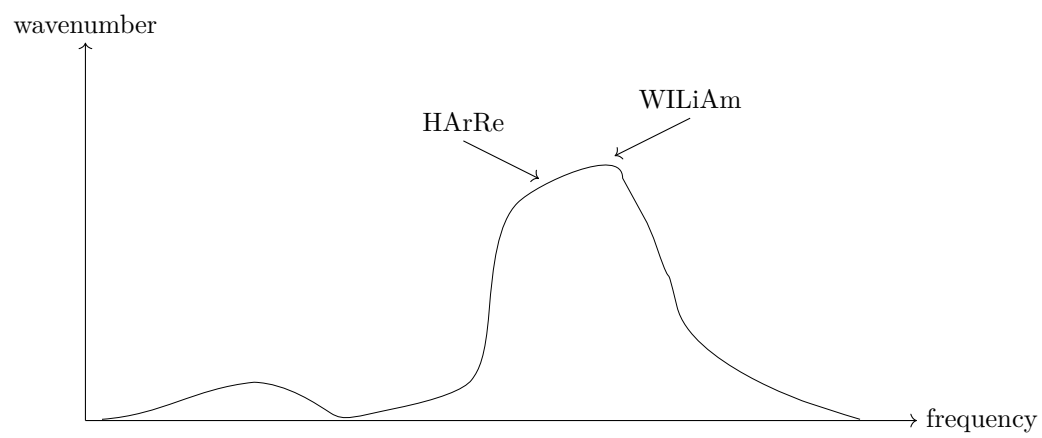
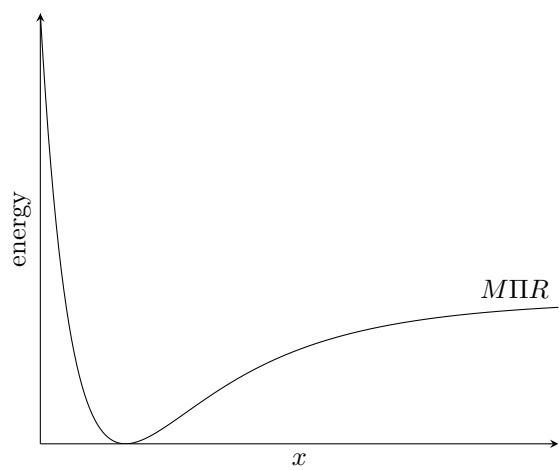
166) Film [4]

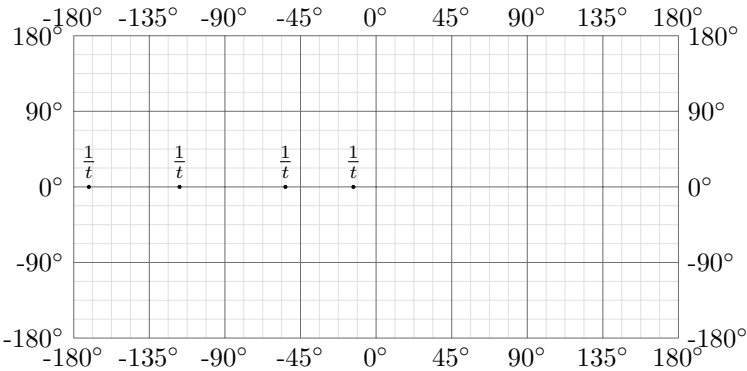
$\frac{2\mathbb{N}[\Box]}{\mathbb{N}}$

167) Film [2]

168) Film [7]

BRaIN





171) Book [3]

$$f(x)=39H(x)=\begin{cases}0&x\leq 0\\39&x>0\end{cases}$$

Song [2]

$$f(x)=15H(x)=\begin{cases}0&x\leq 0\\15&x>0\end{cases}$$

172) Book/Film [6]

$$\frac{H_1N_1}{a\mathfrak{V}+\frac{H_1N_1}{a\mathfrak{V}+\frac{H_1N_1}{a\mathfrak{V}+\ldots}}}$$

173) Book/Film [2]

Indexed family  $\{(U_\alpha,\gamma_\alpha): \alpha \in I\}$  of charts on  $\mathfrak{C}$  which covers  $\mathfrak{C}$

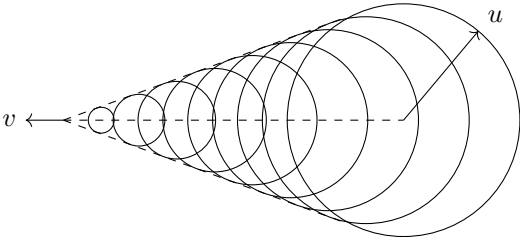
174) Game [1]

$$|f(x)|\leq \mathfrak{s} \text{ for all } x$$

175) Song [4]

$$3\mathfrak{q}$$

176) Song [1]



177) Album/Song [6]

$$\frac{\in \mathfrak{A}}{C}$$

178) Album/Song [2]



179) Song [3]

$$e\vee\neg e$$

180) Song [3]

$$\{a,b,c,k,l\}\setminus\{l\}$$

181) Song [4]

$$\mathrm{me}\notin\heartsuit$$

182) Song [5]

$$\{1,1,1,1\}\in\mathrm{life}\in\mathrm{me}$$

183) Song [2]



$$\frac{\mathrm{d}V}{\mathrm{d}t}=uA=(2n)\mathrm{m}^3\mathrm{s}^{-1},\,n\in\mathbb{N}$$

184) Series [1]

$$\rho_m$$

185) Film [4]

186) Film [1]

Let  $I\subset S$ ,  $\forall i\in I$ ,

$$m\vec{a}_i(t)=m\vec{a}_i'(-t)$$

where

$$m\vec{a}_i'(t)=\sum_{j(\neq i)\in I}F_{ji}(t)+\sum_{k\in S\backslash I}F_{ki}(-t)$$

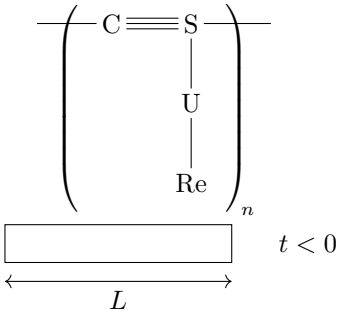
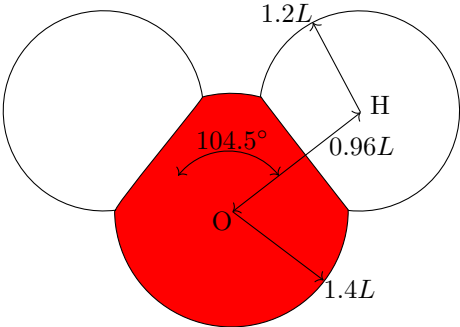
187) Album/Song [2]

188)Song [2]

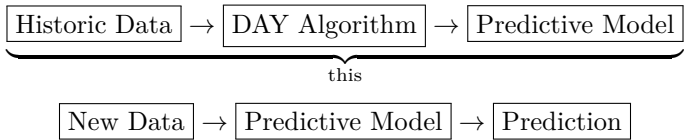
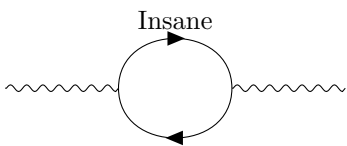
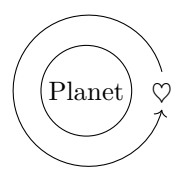
189) Song[2]

190) Song [2]

191) Film [2]



$$F\rightarrow\Box\leftarrow F\quad t\geq 0$$



192) Film [1]

const een

193) Film [6]

for(\$ = n; \$ < n + 4; \$++){...

194) Song [3]

| Material composition           |
|--------------------------------|
| SiO <sub>2</sub>               |
| Al <sub>2</sub> O <sub>3</sub> |
| MgO                            |
| CaO                            |
| FeO                            |
| Na <sub>2</sub> O              |
| K <sub>2</sub> O               |
| CaCO <sub>3</sub>              |
| and                            |
| U                              |

195) Song [5]

{ 🍷, ..., 🍷 }

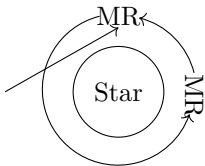
196) Film [3]

$\frac{\sigma}{3}$

197) Film [3]

br = [  $\underbrace{1.0/\text{sqrt}(1.0-v^{**2}/c^{**2})}_{\text{this}}$  ,...]

198) Song[2]



199) Film [2]

$\text{Angry}'(x) = 0, \text{ Angry}''(x) < 0$

Game [2]

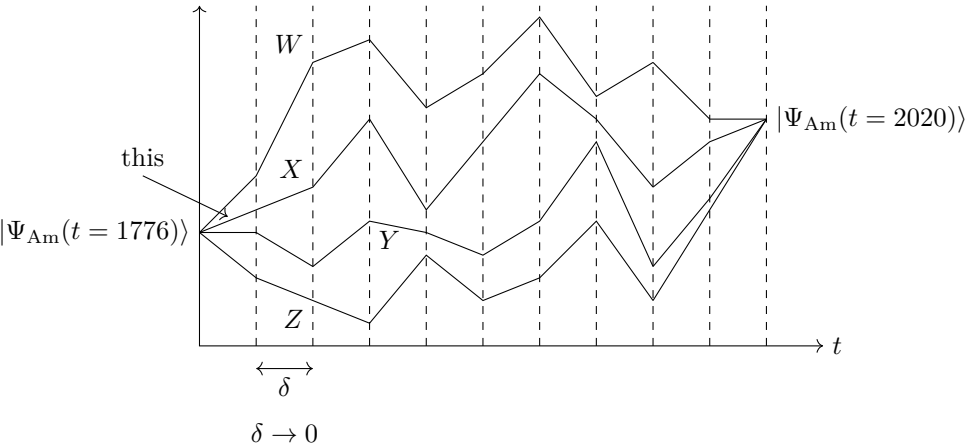
$\text{Hurt}'(x) = 0, \text{ Hurt}''(x) < 0$

200) Song/Album [1]

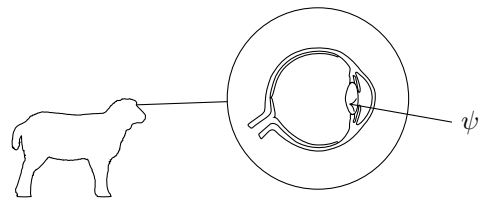
CaLiFORnI<sup>+</sup>

201) Film [3]

$X = \{|\Psi_{\text{Am}}(t)\rangle \, | \, -\infty < t \leq 0\}$



202) Book/Film [4]



203) Album/Song/Film [3]

$\frac{\text{linearmc}}{h}$

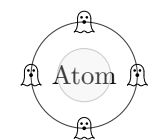
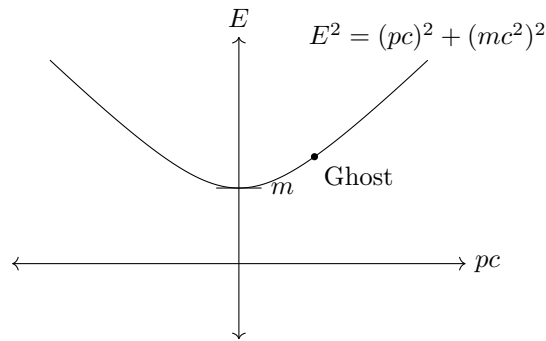
204) Book/Film [2]

$R \begin{pmatrix} o \\ l \\ i \\ v \\ e \end{pmatrix}, \, R^T = R^{-1}, \, \det R = 1$

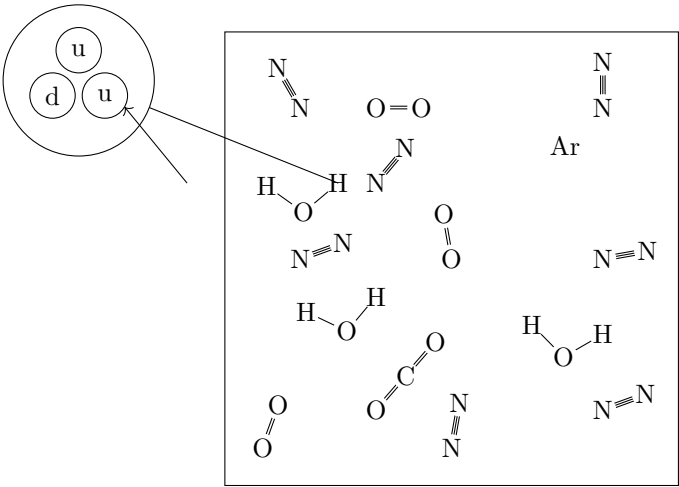
205) Film [2]

$a^\dagger \text{AZ}$

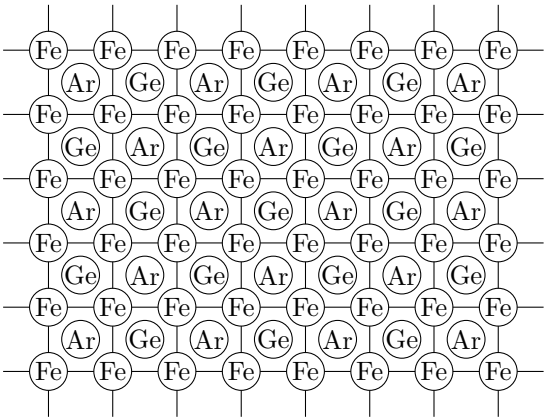
206) Film [4]



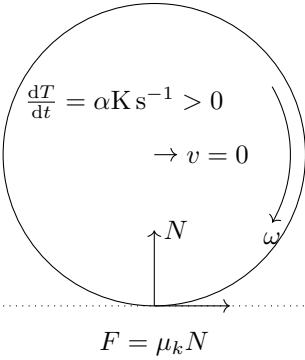
207) Film [3]  
 if man:  
   print(...  
 208) Film [4]



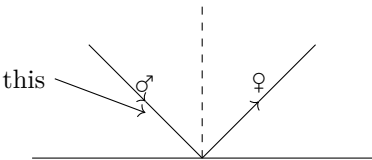
209) Song [3]  
 if random.random() > 0.5:  
   me()  
 210) Game [3]

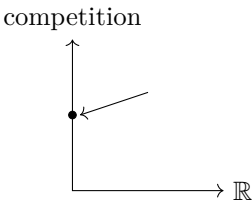


211) Game [1]



212) Game [1]





213) Song [1]

$$\odot \sigma$$

214) Game [2]

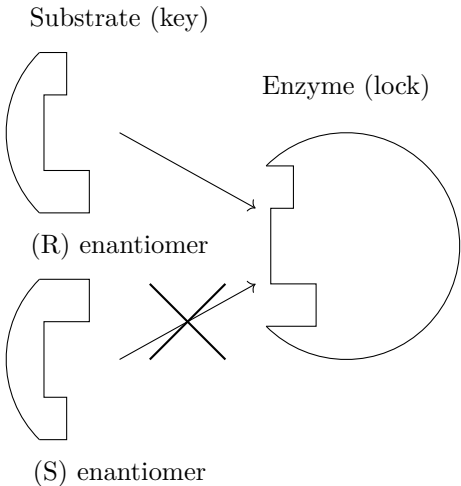
215) Game [4]

$$r_{\text{Animal}}(d/v) \text{ where } r_{\text{Animal}}(t) = R_{\nu} + d - vt, \; R_{\nu} = \frac{2GM}{c^2}$$

216) Film [2]

$$\frac{2GM}{c^2}$$

217) Book/Film [5]



218) Song [4]

$$\text{\$ } ./\text{thehill}; ./\text{thehill}$$

219) Film [5]

$$\lambda_{\rm max} = \frac{2.898 \times 10^{-3} \, \rm m \, K}{T}$$

Possible  $\lambda_{\rm max}$  :

Blue: 450 nm–485 nm

Cyan: 485 nm–500 nm

Green: 565 nm–590 nm

Yellow: 565 nm–590 nm

Orange: 590 nm–625 nm

Red: 625 nm–700 nm

220) Series [5]

$$\nu_{\rm violet} \, : \quad 670 \, \rm THz\!-\!790 \, \rm THz$$

$$\nu_{\rm blue} \, : \quad 620 \, \rm THz\!-\!670 \, \rm THz$$

$$\nu_{\rm cyan} \, : \quad 600 \, \rm THz\!-\!620 \, \rm THz$$

$$\nu_{\rm green} \, : \quad 530 \, \rm THz\!-\!600 \, \rm THz$$

$$\nu_{\rm yellow} \, : \quad 510 \, \rm THz\!-\!530 \, \rm THz$$

$$\nu_{\rm black} \, : \quad 590 \, \rm THz\!-\!625 \, \rm THz$$

$$\nu_{\rm red} \, : \quad 625 \, \rm THz\!-\!700 \, \rm THz$$



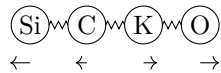
221) Game [4]

$$\begin{pmatrix} \cos(\text{human}) & -\sin(\text{human}) \\ \sin(\text{human}) & \cos(\text{human}) \end{pmatrix} \mathbf{\dagger}_x$$

222) Book/Film [3]

$$\tau_{\mathrm{R}}^{-}, \tau_{\mathrm{R}}^{+}$$

223) Song [2]



224) Song [2]

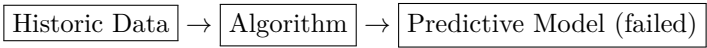
Selection rules:

$$\Delta J = 0, \pm 1, \quad (0 \nleftrightarrow 0)$$

$$\Delta K = 0, \pm 1$$

$$\rightarrow \Delta \nu = 0, \pm 1, \pm 2, \ldots$$

225) Song [3]



226) Book/Series [3]

$$\text{hunter}^2$$

227) Song [3]

{Eiffel Tower, Arc de Triomphe, *ni<sup>as</sup>*, Notre-Dame, Louvre, Champs-Élysées, ...}

228) Song [2]

$$M_{\P} \gtrsim 1.4 M_{\odot}$$

229) Song [1]

Wavelength: 588 nm

Energy: 2.22 eV

Colour:



230) Film [6]

| Particle class         |                        |
|------------------------|------------------------|
| t and $\bar{\text{t}}$ | $T = \pm 1$            |
| c and $\bar{\text{c}}$ | $C = \pm 1 \leftarrow$ |
| b and $\bar{\text{b}}$ | $B = \mp 1$            |

231) Film [3]

```
public:
    int adams = 6;
    int carragher = 23;
    int maldini = 3;
private:
    int neville = 2;
    int giggs = 11;
    int totti = 10;

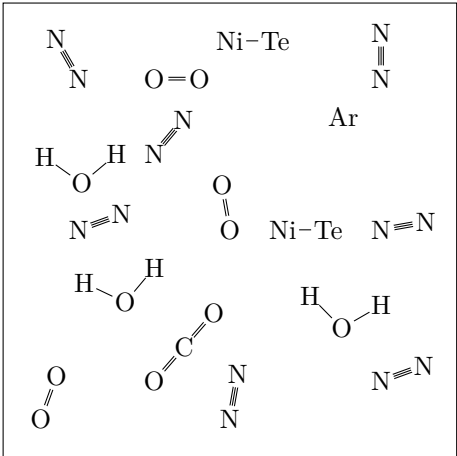
...
ofstream myfile;
myfile.open("file.txt");
myfile << giggs;

...
```

232) Film [2]

```
private:
    string superman;
    string batman;
    string wonderwoman;
public:
    string lexluther;
    string joker;
    string penguin;
```

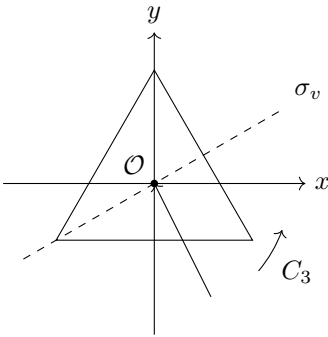
63alt) Song [4]



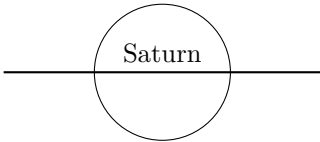
233) Song [2]

$I\dot{\theta}, \quad \dot{\theta} \sim 0\,\text{s}^{-1}$

234) Album [3]



235) Game [1]



236) Song [5]

$e=3\times10^8\text{ms}^{-1}$   
 $\hbar=6.63\times10^{-34}\text{Js}$   
 $G=6.67\times10^{-11}\text{m}^3\text{kg}^{-1}\text{s}^{-2}$   
 $e=1.602\times10^{-19}\text{C}$   
 $\sigma=5.67\times10^{-8}\text{Jm}^{-2}\text{K}^{-4}\text{s}^{-1}$

.

.

.

$$R_M(\theta)=\frac{R_{\text{Saturn}}}{1+e\cos\theta}$$

$M$

237) Game [4]

$$v>c$$

238) Game [2]

$$\text{World}_2 + \text{SinoJapanese} + 30\text{year} + \text{Vietman} + \text{Napoleonic} \dots$$

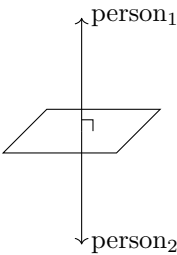
239) Game [2]

$$V/I=R=0$$

240) Game [3]

$$\text{for matrix holy, holy}_{2,n}$$

241) Book/Show [2]



242) Book [2]

$$F(\rho,\sigma)=\left(\mathrm{tr}\sqrt{\sqrt{\rho}\sigma\sqrt{\rho}}\right)^2\gg0$$