

Recursive Descent Parser

Recursive Descent Parser

Compilers: 1 module at a time; recursive descent fine for most programs.

Recursive Descent Parsing

- Top-down parsers can be implemented *as recursive descent* or table-driven
- Recursive descent parsers utilize the machine stack to keep track of parse tree expansion. This is very convenient, but may be less inefficient in larger compilers due to function calls
- Every nonterminal has a function, which does prediction if needed and then applies one RHS
- Errors can be accumulated but the simplest case error displays message and terminates the parser
- Recursive descent parser starts with some auxiliary function called, which then
 - Gets the first token from the scanner
 - Calls the function for the starting nonterminal
 - When this function returns, the auxiliary function checks that the next token is EOFtk and declares success or error
- Every function works the same way
 - If there is a single RHS, process it
 - Otherwise, predict one RHS based on the current token from the scanner
 - Select the RHS whose FIRST set contains the token
 - Otherwise, if there is the empty production, return from the function
 - Otherwise an error
- Processing the predicted RHS involves:
 - Process the symbols in that RHS left to right, one at a time
 - If it is a token
 - If it matches the token from the scanner, get new token from the scanner and continue next symbol
 - Else an error
 - If it is a nonterminal, call its function
 - At the end of RHS, return
- Implementation notes
 - Implement the extra auxiliary function to check the termination condition
 - Implement one function per nonterminal
 - Each function is called with unconsumed token, and returns with unconsumed token
 - Each function is void to allow building the tree later
 - Do not use implicit returns

implicit returns: reach end of function and no return;

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Example

Build recursive descent parser for

$S \rightarrow bA \mid c$ $\text{FIRST}(bA) = \{b\}$ $\text{FIRST}(c) = \{c\}$ thus LL(1)

$A \rightarrow dSa \mid \epsilon$ $\text{FIRST}(dSa) = \{d\}$ $\text{FOLLOW}(A) = \{a \text{ EOF}tk\}$ thus LL(1)

Assume `tk` is a token storage available and modifiable in all functions, and assume `scanner()` returns the next token.

```
void parser() {
    tk=scanner();    //Get the first token
    S();
    if (tk.ID == EOFtk)
        Message saying program was OK // continue, parse was ok
    else error();    // error message, exit, no recovery
    return;
}

void S() {    //Need node
    if (tk.ID == b) {    // predicts S->bA since b ∈ First(bAa)    //First of first production for S; process Left to Right
        tk=scanner();    // processing b, consume matching tokens
        A();    // processing A    //process next in first production for s
        return;
    }
    else if (tk.ID == c) {    // predict S->c    //First of second production for S
        tk=scanner();    // consume c
        return;    // explicit return
    }
    else error();
}

void A() {
    if (tk.ID == d) {    // predicts A->dSa
        tk=scanner();    // processing d    //call next token
        S();    // processing S
        if (tk.ID == a) {    // processing a
            tk=scanner();    // If token = a; consume it
            return;
        }
        else error();    //epsilon empty production
    }
    else
        return;    // predicts A->ε    // explicit return
}
```

Tree Generation in recursive-Descent Parser

- The parser above can be easily modified to generate parse tree, with the following changes
 - every function generates zero or one node and returns null or pointer to what was generated
 - every function stores or disposes tokens that are consumed
 - structural tokens are disposed
 - semantics tokens are stored in the node

Useful assumptions and suggestions to modify recursive descent parser to generate the parse tree

- Every node will contain
 - Label identifying the function that created the label (and thus nonterminal)
 - Potential token(s) **2 tokens**
 - Potential children **4 children**
- Every function making calls to other nonterminal function(s) will collect returned pointers and attach to its node children pointers
- Every function will return its node or null
- Every function will store processed tokens carrying any semantics information (ID, number, operator)
- The maximum number of children is the maximum number of nonterminal in any production

Example

Modify the previous code to generate the parse tree. Suppose **b** and **d** tokens need to be retained while **a** and **c** do not.

Max one child needed per node since at most one nonterminal on the right hand side of any production.

Max two tokens need to be stored in a node as one production use two semantics tokens.

Assume `node_t` structure with label, token1, token2, and child.

Assume `getNode(label)` allocates `node_t` node and labels it.

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```

node t* parser() {
    node t* root;
    tk=scanner();
    root = S();
    if (tk.ID == EOFtk)
        // continue, parse was ok
    else error(); // error message, exit, no recovery
    return root;
}

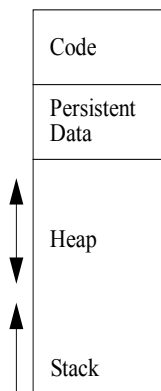
node t* S() {
    node t* p = getNode(S);
    if (tk.ID == b) { // predicts S->bA since  $b \in First(bAa)$ 
        p->token1 = tk; // b needed to be stored
        tk=scanner(); // processing b, consume matching tokens
        p->child = A(); // processing A
        return p;
    }
    else if (tk.ID == c) { // predict S->c
        tk=scanner(); // consume c, no need to store
        return p; // explicit return
    }
    else error();
}

node t* A() {
    if (tk.ID == d) { // predicts A->dSa
        token t* = getNode(A); // now we know we need node
        p->token = tk; // d needed to be stored
        tk=scanner(); // processing d
        p->child = S(); // processing S
        if (tk.ID == a) { // processing a
            tk=scanner();
        }
        else error();
        return p;
    }
    else // predicts A->ε
        return NULL;
}

```

Process Space and Stack

- Each process operates in its own (virtual) process space
 - size depending the addressing space and user's quota
 - in older OS heap space could have been common between processes, resulting in one process bring down other processes or even the OS
 - a process doesn't have direct access outside of the process space
- Process space parts
 - Code
 - main, functions
 - Persistent space
 - global data, local persistent data
 - Stack
 - function call management with Activation Records (AR) including local data and parameters
 - Heap
 - dynamic memory, controlled by heap manager and managed by programmer (C/C++) or garbage collection (Java)



System Stack and Activation Records

- System stack is accessed indirectly (HLL) to manage
 - Function calls
 - Memory for local scopes
- Compiler generates one AR per function
 - AR is a memory template specifying the relative location of the AR elements
 - Automatic data
 - Parameters and returning data
 - Address of the next instruction
 - Static Link
 - used for accessing data in enclosed scopes

Recursive Descent Parser

- not needed in languages w/o scoped functions or blocks
- Dynamic Link
 - pointing to the previous AR
- Actual activation records are allocated on the stack for each function call
 - multiple allocations for recursive calls
 - TOS is always the AR for the currently active function

Example

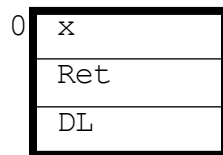
Example of ARs and runtime stack. Assume main calls f(2). Details of the AR for main are not shown

```
int global;
```

```
void f(int x) {  
    g(x); // instr 1  
}
```

```
void g(int y) {  
    int g1;  
    if (y>1) g(y-1);  
    else return; // instr 3  
}
```

AR(f)



AR(g)

