Assignment_updated

January 4, 2021

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[109]: # Thomas Dugdale - Radio Astronomy Assignment - Simulating a
       # References
       # http://www-static-2019.jmmc.fr/mirrors/obsvlti/book/Segransan_1.pdf - Used_{\sqcup}
        → for uv-plane equations
       # https://matplotlib.org/3.1.1/api/ - Where I collected different commands for
        \rightarrow matplotlib
       # https://online.manchester.ac.uk/webapps/blackboard/execute/content/file?
        \rightarrow cmd=view&content_id=_12102131_1&course_id=_63179_1
       import numpy as np
                                                                                     # . .
        → Importing packages
       import matplotlib.pyplot as plt
       %matplotlib inline
       def data(config,source): # Data function
            config = np.loadtxt(config)
                                                                                    # Loading_
        \rightarrow in VLA configuration D data
            source = np.loadtxt(source)
                                                                                    # Source
        \rightarrow 1 and 2 data
           return (config, source)
       config,source = data("Dconfig.txt", "source.txt")
       def configuration(config, source):
                                                                                    #__
        → Telescope configuration
           XYZ = config[:,0:3]
                                                                                    # Array
        \rightarrow with VLA data
           RAh,RAm,RAs = source[:,0],source[:,1],source[:,2]
                                                                                    #__
        → Collecting the hours, minutes, seconds of Right Ascension
           DECh,DECm,DECs = source[:,3],source[:,4],source[:,5]
                                                                                    #__
        \hookrightarrow Collecting source declinations
            JySource = source[:,6]
```

```
Y,Z = config[:,1],config[:,2]
 \rightarrow Telescope coordinates
    plt.scatter(Y,Z)
                                                                           #__
→Plotting the positions of the antennas
    plt.title('VLA D configuration')
    plt.ylabel('y (ns)')
    plt.xlabel('x (ns)')
    plt.show()
    return(Y,Z)
Y,Z = configuration(config,source)
def uvcoverage(config,declination): # U-V coverage at HA = 0 function
    DATA = []
                                                                           # Empty_
→arrays for modulus baselines, Azimuth and Elevation values
    for i, x_i in enumerate(config):
                                                                           # This
→loop is for calculating all 351 baselines, elevations and azimuth components
        for j, y_i in enumerate(config):
             if i < j:
                                                                           # This
\rightarrow condition ensures no duplicate values are calculated, ie 2-1 and 1-2, 10-5
\rightarrow and 5-10 etc.
                 DATA.append(x_i-y_i)
    DATA = np.array(DATA)
                                                                           # Loading_
 → in all the antenna coordinates
    X = DATA[:,0]
                                                                           #__
\hookrightarrow Allocating to X, Y, Z
    Y = DATA[:,1]
    Z = DATA[:,2]
    dec = declination
    U = Lambda*(np.sin(0)*X + np.cos(0)*Y)
                                                                           # U-V
→values, again with RA set to 0 hrs
    V = Lambda*(-np.sin(dec)*np.cos(0)*X + np.sin(dec)*np.sin(0)*Y + np.
→cos(dec)*Z) # Equations taken from Neal Jackson and Segransan
    plt.scatter(V/1e3,U/1e3,s=1)
\rightarrowPlotting the UV coverage which is both the positive and negatives values of
\hookrightarrow U and V
    plt.scatter(-V/1e3,-U/1e3,s=1)
\rightarrow for U and V are divided by 1,000 to match the units used in the VLA document
 \rightarrowprovided
    plt.xlabel('x (kilo wavelengths)')
    plt.ylabel('y (kilo wavelengths)')
```

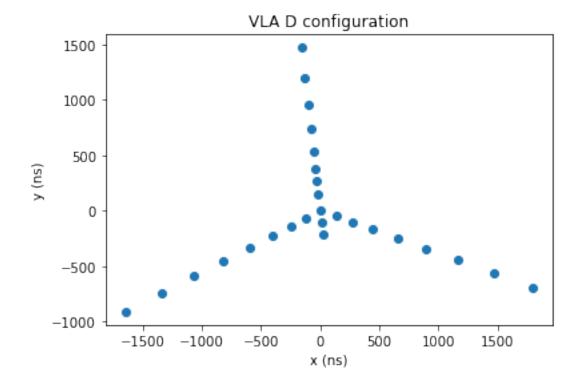
```
plt.title('VLA UV coverage HA=0 at dec=45 degrees')
    plt.show()
    return(X,Y,Z,dec)
X,Y,Z,dec = uvcoverage(config,np.pi/4)
                                                                           # 45<sub>L</sub>
\rightarrow degree declination
def uvcoverageHA(hour,Interval,X,Y,Z,dec): # U-V coverage function for HA
    T = (2*np.pi/24) * hour
                                                                           #__
→ Equation which converts the input time (in hours) to radians
    interval = (hour * 3600) // Interval
                                                                           # The
→interval is every 30 seconds to this says how many data points there should,
 -be
    t = np.linspace(-T/2, T/2, interval)
                                                                           # One
→hour of RA in radians from -0.5 hr to +0.5hr
                                                                           # Blank
    u = []
 \rightarrow u-v arrays for appending
    v = \prod
    for i in range(len(X)):
                                                                           # Loop
\rightarrow for calculating u-v
        u = np.append(u, (f/c)*(np.sin(t)*X[i] + np.cos(t)*Y[i]))
                                                                           #
 →Equations taken from Segransan + Neal Jackson lectures
        v = np.append(v, (f/c)*(-np.sin(dec)*np.cos(t)*X[i] + np.sin(dec)*np.
\rightarrowsin(t)*Y[i] + np.cos(dec)*Z[i]))
    plt.scatter(v/1e3,u/1e3,s=5,c='black')
                                                                           #
\rightarrowPlotting the u-v plane
    plt.scatter(-v/1e3,-u/1e3,s=5,c='black')
                                                                           #__
\rightarrowNegative have to be plotted for other half of u-v plane
    plt.xlabel('x (kilo wavelengths)')
    plt.ylabel('y (kilo wavelengths)')
    plt.title('VLA UV coverage HA=+/-0.5hr at dec=45 degrees')
    plt.show()
   return(u,v)
u,v = uvcoverageHA(1,30,X,Y,Z,dec)
                                                                           # 1 hour
\hookrightarrow (+/- 0.5HA) at 30 second intervals
def truesky(extent_x,extent_y): # Function to be recalled
                                                                           # Blank
    TrueSky = np.zeros((extent_x,extent_y))
→array for point sources
```

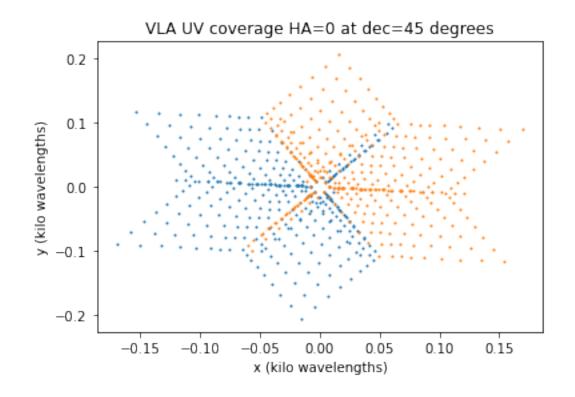
```
centre_x,centre_y = int(extent_x/2),int(extent_y/2)
                                                                         # Centre
 → value of image
    TrueSky[centre_x,centre_y] = JySource[0]
                                                                         # This is ...
→ the first centred image
    TrueSky[20,50] = JySource[1]
                                                                         # This is
\rightarrowthe second source. 3 arc minutes difference in Declination and 10 seconds.
 \rightarrow difference in RA.
    plt.imshow(TrueSky,extent=[-centre_x,centre_x,-centre_y,centre_y])# This is_
\rightarrow an image of the two sources
    plt.title('Observed sources')
    plt.xlabel('RA offset (arcsec, J2000)')
    plt.ylabel('DEC offset (arcsec, J2000)')
    plt.show()
    return(TrueSky)
TrueSky = truesky(400,400)
def visibility(truesky):
                                                                         #
→Function for fourier transforming to get visibilies
    Visibility = np.fft.fft2(TrueSky)
                                                                         # Fourier
\hookrightarrow transform \ of \ sources
    plt.imshow(np.real(Visibility),extent=[-200,200,-200,200])
                                                                         # This
→image shows the real fourier space of the two observed sources
    plt.xlabel('RA offset (arcsec, J2000)')
    plt.ylabel('DEC offset (arcsec, J2000)')
    plt.title('Fourier space of two point sources')
    plt.show()
   return(Visibility)
Visibility = visibility(TrueSky)
def sampling(extent_x,extent_y,scale):
                                                                         #
→ Function for sampling function
    Sampling = np.zeros((extent_x,extent_y))
                                                                         # Empty
→array for sampling function
    for i in range(len(u)):
                                                                         # Fills
        Sampling[int(u[i]/scale),int(v[i]/scale)] = 1
 →in empty image array with a 1 if uv data exists
        Sampling[int(-u[i]/scale),int(-v[i]/scale)] = 1
                                                                         # also
→divided by 500 so all u,v data fits within sampling array
    ShiftSampling = np.fft.fftshift(Sampling)
                                                                         # Shifts
 → the image to the centre of the spectrum
```

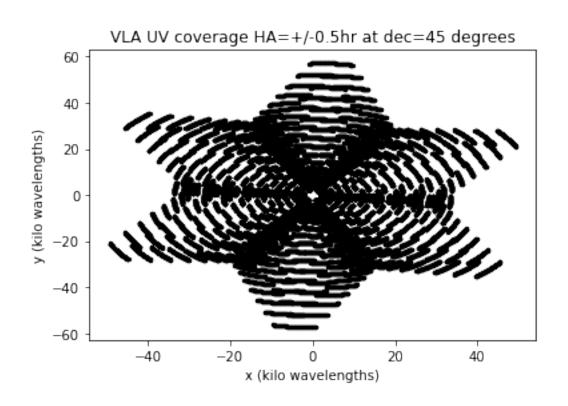
```
# Values
    centre_x,centre_y = int(extent_x/2), int(extent_y/2)
 → for centering the image
    plt.imshow(np.
 →real(ShiftSampling),extent=[-centre x,centre x,-centre y,centre y]) #
 → Plotting sampling function
    plt.title('U-V sampling function')
                                                                        # sampled_
\hookrightarrow qrid
    plt.xlabel('RA offset (arcsec, J2000)')
    plt.ylabel('DEC offset (arcsec, J2000)')
    plt.show()
    return(Sampling)
Sampling = sampling (400, 400, 500)
                                                                        # size_
\rightarrow400x400 with pixels being 500 data points each
def synthesise(extent_x,extent_y,sample_function): # Synthesised beam function
                                                                       # Values_
    centre x,centre y = int(extent x/2), int(extent y/2)
→ for centering the image
                                                                        # Fourier
    Synthesised = np.fft.fft2(sample_function)
→ transform of UV image to show synthesised(dirty) beam image
    Synthesised = np.fft.fftshift(Synthesised)
                                                                        # This
→command shifts the image to the centre of the plot rather than being at the
\rightarrow corners
    Synthesised = np.real(Synthesised)
→imshow(Synthesised, vmin=-10, vmax=300, extent=[-centre x, centre x, -centre y, centre y])
 →# Real values plotted
    plt.title('Synthesised beam')
                                                                        # vmin
→and vmax values best show the dirty beam
    plt.colorbar()
                                                                        # Shows
→values of the synthesised beam
    plt.xlabel('RA offset (arcsec, J2000)')
    plt.ylabel('DEC offset (arcsec, J2000)')
    plt.show()
    return(Synthesised)
Synthesised = synthesise(400,400,Sampling)
                                                                        # Size_
\rightarrow400x400 with sampling function as input
def dirtymap(extent_x,extent_y,sample_function,visibility): # Dirty map function
```

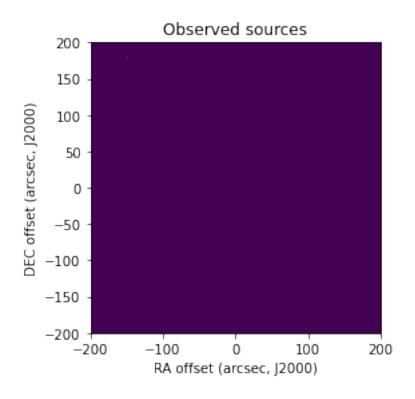
```
centre_x,centre_y = int(extent_x/2), int(extent_y/2)
                                                                         # Values
 → for centering the image
    SampleVis = Sampling * Visibility
→Multiplying together to get sampled visibilities
    DirtyMap = np.fft.ifft2(SampleVis)
                                                                         # Inverse
→fourier transform to get from sampled visibilities to dirty map
    plt.imshow(np.
→real(DirtyMap), extent=[-centre_x,centre_x,-centre_y,centre_y]) # Plotting_
→and centering dirty map
    plt.xlabel('RA offset (arcsec, J2000)')
    plt.ylabel('DEC offset (arcsec, J2000)')
    plt.title('Dirty map')
    plt.show()
    return(DirtyMap)
DirtyMap = (400,400,Sampling,Visibility)
                                                                         # 400x400<sub>L</sub>
\rightarrow dirty map
def radius(Lambda,D): # Primary beam radius in arcseconds function
    Primary = Lambda / D
                                                                         # Angular
\rightarrowsize of primary beam in radians at 5GHz with 25m apertures
    PrimaryDeg = Primary * (180/np.pi) * 3600
                                                                         # Angular_
\rightarrow size of beam in arcseconds
    radius = int(np.round(PrimaryDeg/2))
                                                                         # Integer_
→and rounded value for radius of primary beam in arcseconds
    return(radius)
radius = radius(3e8/5e9,25)
→ Inputting wavelength calculated by c/f and inputting 25 metre aperture_
\rightarrow diameter
def primarybeam(extent_x,extent_y,Radius): # Primary beam function
                                                                         # Values
    centre_x,centre_y = int(extent_x/2), int(extent_y/2)
\rightarrow for centering the image
    x = np.linspace(1,2*radius,2*Radius)
                                                                         #__
→ Creating lists for meshgrid that range over the width of the beam
    y = np.linspace(1,2*radius,2*Radius)
    xx, yy = np.meshgrid(x,y)
                                                                         #__
→Meshgrid for calculating distance to a pixel
    PrimaryBeam = np.zeros((2*Radius, 2*Radius))
                                                                         # Blank
 → image for primary beam of size width of primary beam
```

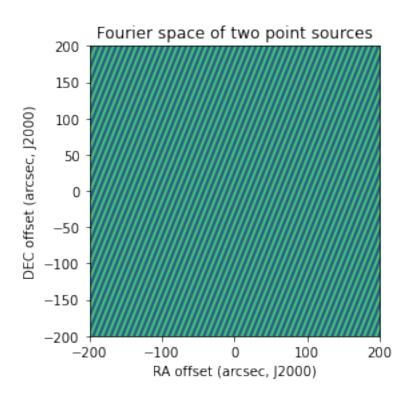
```
for i in range(1,2*Radius):
                                                                       # Loop
 →creating the primary beam
        r = ((xx-x[Radius])**2 + (yy-y[Radius])**2)**0.5
                                                                       # Length
 → from the centre of the primary beam
        PrimaryBeam += np.exp(-(r/[i])**2)
                                                                       #__
 → 'Temporary' equation for the primary beam
   plt.imshow(PrimaryBeam,extent=[-centre_x,centre_x,-centre_y,centre_y]) #__
 →Primary beam plotted, centre image is [0,0]
   plt.xlabel('arcseconds')
   plt.ylabel('arcseconds')
   plt.title('Primary Beam of VLA')
   plt.colorbar()
   plt.show()
   return(PrimaryBeam)
                                                                       # Primary
PrimaryBeam = primarybeam(2*radius,2*radius,radius)
 →beam with diameter 2*radius
```

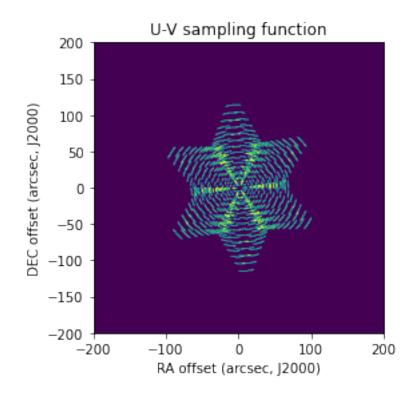


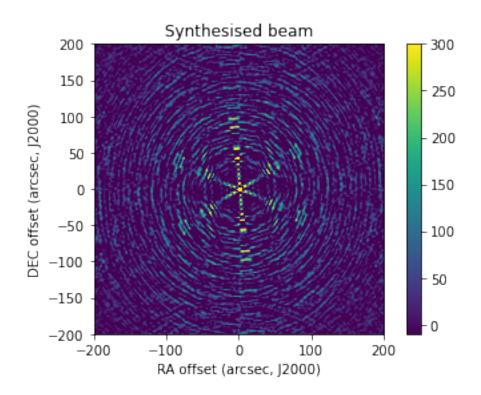


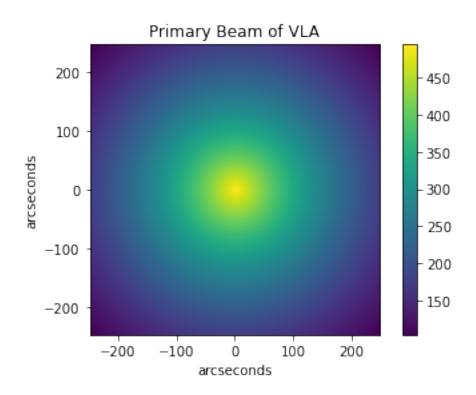












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