The bodeplot package*

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1 Introduction

Generate Bode, Nyquist, and Nichols plots for transfer functions in the canonical (TF) form

$$G(s) = e^{-T_s} \frac{b_m s^m + \dots + b_1 s + b_0}{a_n s^n + \dots + a_1 s + a_0}$$
(1)

^{*}This document corresponds to bodeplot ?, dated ?.

and the zero-pole-gain (ZPK) form

$$G(s) = Ke^{-T_s} \frac{(s-z_1)(s-z_2)\cdots(s-z_m)}{(s-p_1)(s-p_2)\cdots(s-p_n)}.$$
 (2)

In the equations above, b_m, \dots, b_0 and a_n, \dots, a_0 are real coefficients, $T \geq 0$ is the loop delay, z_1, \dots, z_m and p_1, \dots, p_n are complex zeros and poles of the transfer function, respectively, and $K \in \Re$ is the loop gain. For transfer functions in the ZPK format in (2) with zero delay, this package also supports linear and asymptotic approximation of Bode plots.

2 Usage

2.1 Bode plots

\BodeZPK

Plots the Bode plot of a transfer function given in ZPK format using the groupplot environment. The three mandatory arguments include: (1) a list of tuples, comprised of the zeros, the poles, the gain, and the transport delay of the transfer function, (2) the lower end of the frequency range for the x- axis, and (3) the higher end of the frequency range for the x-axis. The zeros and the poles are complex numbers, entered as a comma-separated list of comma-separated lists, of the form {{real part 1, imaginary part 1}, {real part 2, imaginary part 2},...}. If the imaginary part is not provided, it is assumed to be zero.

The optional argument is comprised of a comma separated list of tuples, either obj/typ/{opt}, or obj/{opt}, or just {opt}. Each tuple passes options to different pgfplots macros that generate the group, the axes, and the plots according to:

- Tuples of the form obj/typ/{opt}:
 - plot/typ/{opt}: modify plot properties by adding options {opt} to the \addplot macro for the magnitude plot if typ is mag and the phase plot if typ is ph.
 - axes/typ/{opt}: modify axis properties by adding options {opt} to
 the \nextgroupplot macro for the magnitude plot if typ is mag and
 the phase plot if typ is ph.
 - commands/typ/{opt}: add any valid TikZ commands (including the the parametric function generator macros in this package, such as \addBodeZPKPlots, \addBodeTFPlot, and \addBodeComponentPlot) to the magnitude axes plot if typ is mag and the phase plot if typ is ph. The commands passed to opt need to be valid TikZ commands, separated by semicolons as usual. For example, a TikZ command is

used in the description of the **\BodeTF** macro below to mark the gain crossover frequency on the Bode Magnitude plot.

- Tuples of the form obj/{opt}:
 - plot/{opt}: adds options {opt} to \addplot macros for both the magnitude and the phase plots.
 - axes/{opt}: adds options {opt} to \nextgroupplot macros for both the magnitude and the phase plots.
 - group/{opt}: adds options {opt} to the groupplot environment.
 - approx/linear: plots linear approximation.
 - approx/asymptotic: plots asymptotic approximation.
- Tuples of the form {opts} add all of the supplied options to \addplot macros for both the magnitude and the phase plots.

The options {opt} can be any key=value options that are supported by the pgfplots macros they are added to. Linear or asymptotic approximation of transfer functions that include a transport delay is not supported.

For example, given a transfer function

$$G(s) = 10 \frac{s(s + 0.1 + 0.5i)(s + 0.1 - 0.5i)}{(s + 0.5 + 10i)(s + 0.5 - 10i)},$$
(3)

its Bode plot over the frequency range [0.01,100] can be generated using \BodeZPK [blue,thick]

$${z/{0,{-0.1,-0.5},{-0.1,0.5}},p/{{-0.5,-10},{-0.5,10}},k/10}$$

 ${0.01}{100}$

which generates the plot in Figure 1. If a delay is not specified, it is assumed to be zero. If a gain is not specified, it is assumed to be 1. By default, each of the axes, excluding ticks and labels, are 5cm wide and 2.5cm high. The width and the height, along with other properties of the plots, the axes, and the group can be customized using native pgf keys as shown in the example below.

As demonstrated in this example, if a single comma-separated list of options is passed, it applies to both the magnitude and the phase plots. Without any optional arguments, we gets a thick black Bode plot.

A linear approximation of the Bode plot with customization of the plots, the axes, and the group can be generated using

```
\BodeZPK[plot/mag/{red,thick},plot/ph/{blue,thick},
   axes/mag/{ytick distance=40,xmajorticks=true,
   xlabel={Frequency (rad/s)}},axes/ph/{ytick distance=90},
   group/{group style={group size=2 by 1,horizontal sep=2cm,
   width=4cm,height=2cm}},approx/linear]
  {z/{0,{-0.1,-0.5},{-0.1,0.5}},p/{{-0.5,-10},{-0.5,10}},k/10}
  {0.01}{100}
```

which generates the plot in Figure 2.

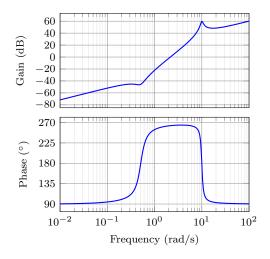


Figure 1: Output of the default \BodeZPK macro.

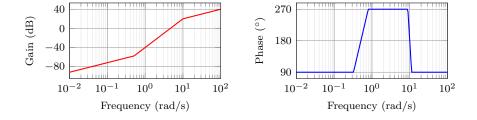


Figure 2: Customization of the default \BodeZPK macro.

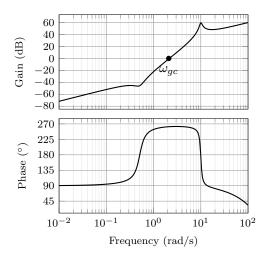


Figure 3: Output of the \BodeTF macro with an optional TikZ command used to mark the gain crossover frequency.

\BodeTF

```
\BodeTF [\langle obj1/typ1/\{\langle opt1\rangle\}, obj2/typ2/\{\langle opt2\rangle\},...\rangle] \{\langle num/\{\langle coeffs\rangle\}, den/\{\langle coeffs\rangle\}, d/\{\langle delay\rangle\}\}\} \{\langle min-freq\rangle\}\{\langle max-freq\rangle\}
```

Plots the Bode plot of a transfer function given in TF format. The three mandatory arguments include: (1) a list of tuples comprised of the coefficients in the numerator and the denominator of the transfer function and the transport delay, (2) the lower end of the frequency range for the x-axis, and (3) the higher end of the frequency range for the x-axis. The coefficients are entered as a commaseparated list, in order from the highest degree of s to the lowest, with zeros for missing degrees. The optional arguments are the same as BodeZPK, except that linear/asymptotic approximation is not supported, so approx/... is ignored.

For example, given the same transfer function as (3) in TF form and with a small transport delay,

$$G(s) = e^{-0.01s} \frac{s(10s^2 + 2s + 2.6)}{(s^2 + s + 100.25)},$$
(4)

its Bode plot over the frequency range [0.01,100] can be generated using $\BodeTF[commands/mag/{\node at (axis cs: 2.1,0)}]$

```
[circle,fill,inner sep=0.05cm,label=below:\{\infty,0\},\{0,0\},\{1,0,2,100\},\{0,0\},\{1,0,2\},\{0,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1,0\},\{1
```

which generates the plot in Figure 3. Note the 0 added to the numerator coefficients to account for the fact that the numerator does not have a constant term in it. Note the semicolon after the TikZ command passed to the \commands option. \begin{BodePlot} [$\langle axis-options \rangle$] { $\langle min-frequency \rangle$ } { $\langle max-frequency \rangle$ }

BodePlot

```
\addBode...
\end{BodePlot}
```

The BodePlot environment works in conjunction with the parametric function generator macros \addBodeZPKPlots, \addBodeTFPlot, and \addBodeComponentPlot. If supplied, axis-options are passed directly to the semilogaxis environment and the frequency limits are translated to the x-axis limits and the domain of the semilogaxis environment. Example usage in the description of \addBodeZPKPlots, \addBodeTFPlot, and \addBodeComponentPlot.

\addBodeZPKPlots

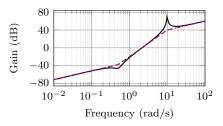
\addBodeTFPlot

```
\label{eq:local_approx1} $$ \addBodeZPKPlots $$ [\langle approx1/\{\langle opt1\rangle\}, approx2/\{\langle opt2\rangle\}, ...\rangle] $$ $$ \{\langle plot\text{-}type\rangle\} $$ $$ $\{\langle z/\{\langle zeros\rangle\}, p/\{\langle poles\rangle\}, k/\{\langle gain\rangle\}, d/\{\langle delay\rangle\}\}\}$$
```

Generates the appropriate parametric functions and supplies them to multiple \addplot macros, one for each approx/{opt} pair in the optional argument. If no optional argument is supplied, then a single \addplot command corresponding to a thick true Bode plot is generated. If an optional argument is supplied, it needs to be one of true/{opt}, linear/{opt}, or asymptotic/{opt}. This macro can be used inside any semilogaxis environment as long as a domain for the x-axis is supplied through either the approx/{opt} interface or directly in the optional argument of the semilogaxis environment. Use with the BodePlot environment supplied with this package is recommended. The second mandatory argument, plot-type is either magnitude or phase. If it is not equal to phase, it is assumed to be magnitude. The last mandatory argument is the same as \BodeZPK.

For example, given the transfer function in (3), its linear, asymptotic, and true Bode plots can be superimposed using

```
\begin{BodePlot}[ ylabel={Gain (dB)}, ytick distance=40,
  height=2cm, width=4cm] {0.01} {100}
  \addBodeZPKPlots[
    true/{black,thick},
    linear/{red,dashed,thick},
    asymptotic/{blue,dotted,thick}]
    {magnitude}
    \{z/\{0,\{-0.1,-0.5\},\{-0.1,0.5\}\},p/\{\{-0.1,-10\},\{-0.1,10\}\},k/10\}
\end{BodePlot}
\begin{BodePlot}[ylabel={Phase ($^{\circ}$)},
  height=2cm, width=4cm, vtick distance=90,] {0.01} {100}
  \addBodeZPKPlots[
    true/{black,thick},
    linear/{red,dashed,thick},
    asymptotic/{blue,dotted,thick}]
    {phase}
    \{z/\{0,\{-0.1,-0.5\},\{-0.1,0.5\}\},p/\{\{-0.1,-10\},\{-0.1,10\}\},k/10\}
\end{BodePlot}
which generates the plot in Figure 4.
   \addBodeTFPlot[\langle plot-options \rangle]
    \{\langle plot\text{-}type\rangle\}
```



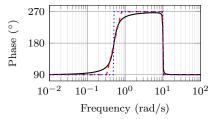


Figure 4: Superimposed approximate and true Bode plots using the BodePlot environment and the \addBodeZPKPlots macro.

 $\{\langle num/\{\langle coeffs \rangle\}, den/\{\langle coeffs \rangle\}, d/\{\langle delay \rangle\}\}\}$

Generates a single parametric function for either Bode magnitude or phase plot of a transfer function in TF form. The generated parametric function is passed to the \addplot macro. This macro can be used inside any semilogaxis environment as long as a domain for the x-axis is supplied through either the plot-options interface or directly in the optional argument of the container semilogaxis environment. Use with the BodePlot environment supplied with this package is recommended. The second mandatory argument, plot-type is either magnitude or phase. If it is not equal to phase, it is assumed to be magnitude. The last mandatory argument is the same as \BodeTF.

 $\verb|\addBodeComponentPlot| \\$

 $\addBodeComponentPlot[\langle plot-options \rangle] \{\langle plot-command \rangle\}$

Generates a single parametric function corresponding to the mandatory argument plot-command and passes it to the \addplot macro. The plot command can be any parametric function that uses t as the independent variable. The parametric function must be gnuplot compatible (or pgfplots compatible if the package is loaded using the pgf option). The intended use of this macro is to plot the parametric functions generated using the basic component macros described in Section 2.1.1 below.

2.1.1 Basic components up to first order

\TypeFeatureApprox

 $\TypeFeatureApprox{\langle real-part \rangle}{\langle imaginary-part \rangle}$

This entry describes 20 different macros of the form \TypeFeatureApprox that take the real part and the imaginary part of a complex number as arguments. The Type in the macro name should be replaced by either Mag or Ph to generate a parametric function corresponding to the magnitude or the phase plot, respectively. The Feature in the macro name should be replaced by one of K, Pole, Zero, or Del, to generate the Bode plot of a gain, a complex pole, a complex zero, or a transport delay, respectively. If the Feature is set to either K or Del, the imaginary-part mandatory argument is ignored. The Approx in the macro name should either be removed, or it should be replaced by Lin or Asymp to generate the true Bode plot, the linear approximation, or the asymptotic approximation, respectively. If the Feature is set to Del, then Approx has to be removed. For

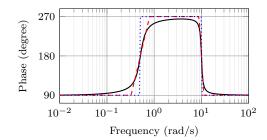


Figure 5: Superimposed approximate and true Bode Phase plot using the BodePlot environment, the \addBodeComponentPlot macro, and several macros of the \TypeFeatureApprox form.

example,

- \MagK{k}{0} or \MagK{k}{400} generates a parametric function for the true Bode magnitude of G(s)=k
- \PhPoleLin{a}{b} generates a parametric function for the linear approximation of the Bode phase of $G(s) = \frac{1}{s-a-ib}$.
- \PhDel{T}{200} or \PhDel{T}{0} generates a parametric function for the Bode phase of $G(s)=e^{-Ts}$.

All 20 of the macros defined by combinations of Type, Feature, and Approx, and any gnuplot (or pgfplot if the pgf class option is loaded) compatible function of the 20 macros can be used as plot-command in the addBodeComponentPlot macro. This is sufficient to generate the Bode plot of any rational transfer function with delay. For example, the Bode phase plot in Figure 4 can also be generated using:

```
\begin{BodePlot}[ylabel={Phase (degree)},ytick distance=90]{0.01}{100}
\addBodeComponentPlot[black,thick]{\PhZero{0}{0} + \PhZero{-0.1}{-0.5} +
\PhZero{-0.1}{0.5} + \PhPole{-0.5}{-10} + \PhPole{-0.5}{10} +
\PhK{10}{0}}
\addBodeComponentPlot[red,dashed,thick] {\PhZeroLin{0}{0} +
\PhZeroLin{-0.1}{-0.5} + \PhZeroLin{-0.1}{0.5} +
\PhPoleLin{-0.5}{-10} + \PhPoleLin{-0.5}{10} + \PhKLin{10}{20}}
\addBodeComponentPlot[blue,dotted,thick] {\PhZeroAsymp{0}{0} +
\PhZeroAsymp{-0.1}{-0.5} + \PhZeroAsymp{-0.1}{0.5} +
\PhPoleAsymp{-0.5}{-10} + \PhPoleAsymp{-0.5}{10} + \PhKAsymp{10}{40}}
\end{BodePlot}
```

which gives us the plot in Figure 5.

2.1.2 Basic components of the second order

\TypeSOFeatureApprox \TypeSOFeatureApprox $\{\langle a1 \rangle\}\{\langle a0 \rangle\}$

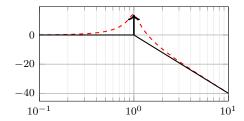


Figure 6: Resonant peak in asymptotic Bode plot using \MagSOPolesPeak.

This entry describes 12 different macros of the form \TypeSOFeatureApprox that take the coefficients a_1 and a_0 of a general second order system as inputs. The Feature in the macro name should be replaced by either Poles or Zeros to generate the Bode plot of $G(s) = \frac{1}{s^2 + a_1 s + a_0}$ or $G(s) = s^2 + a_1 s + a_0$, respectively. The Type in the macro name should be replaced by either Mag or Ph to generate a parametric function corresponding to the magnitude or the phase plot, respectively. The Approx in the macro name should either be removed, or it should be replaced by Lin or Asymp to generate the true Bode plot, the linear approximation, or the asymptotic approximation, respectively.

\MagSOFeaturePeak

 $\MagSOFeaturePeak[\langle draw-options \rangle] \{\langle a1 \rangle\} \{\langle a0 \rangle\}\}$

This entry describes 2 different macros of the form $\mbox{MagS0FeaturePeak}$ that take the the coefficients a_1 and a_0 of a general second order system as inputs, and draw a resonant peak using the \mbox{draw} TikZ macro. The Feature in the macro name should be replaced by either Poles or Zeros to generate a peak for poles and a valley for zeros, respectively. For example, the command

```
\begin{BodePlot}[xlabel={}]{0.1}{10}
  \addBodeComponentPlot[red,dashed,thick]{\MagSOPoles{0.2}{1}}
  \addBodeComponentPlot[black,thick]{\MagSOPolesLin{0.2}{1}}
  \MagSOPolesPeak[thick]{0.2}{1}
\end{BodePlot}
```

\TypeCSFeatureApprox

generates the plot in Figure 6.

\TypeCSFeatureApprox $\{\langle zeta \rangle\}$ $\{\langle omega-n \rangle\}$

This entry describes 12 different macros of the form \TypeCSFeatureApprox that take the damping ratio, ζ , and the natural frequency, ω_n of a canonical second order system as inputs. The Type in the macro name should be replaced by either Mag or Ph to generate a parametric function corresponding to the magnitude or the phase plot, respectively. The Feature in the macro name should be replaced by either Poles or Zeros to generate the Bode plot of $G(s) = \frac{1}{s^2 + 2\zeta\omega_n s + \omega_n^2}$ or $G(s) = s^2 + 2\zeta\omega_n s + \omega_n^2$, respectively. The Approx in the macro name should either be removed, or it should be replaced by Lin or Asymp to generate the true Bode plot, the linear approximation, or the asymptotic approximation, respectively.

\MagCSFeaturePeak

 $\MagCSFeaturePeak[\langle draw-options \rangle] \{\langle zeta \rangle\} \{\langle omega-n \rangle\}$ This entry describes 2 different macros of the form \MagCSFeaturePeak that take the damping ratio, ζ , and the natural frequency, ω_n of a canonical second order system as inputs, and draw a resonant peak using the \draw TikZ macro. The Feature in the macro name should be replaced by either Poles or Zeros to generate a peak for poles and a valley for zeros, respectively.

\MagCCFeaturePeak

 $\label{lem:magCCFeaturePeak} $$ \operatorname{CCFeaturePeak}[\langle draw-options \rangle] {\langle real-part \rangle} {\langle imaginary-part \rangle} $$$

This entry describes 2 different macros of the form \MagCCFeaturePeak that take the real and imaginary parts of a pair of complex conjugate poles or zeros as inputs, and draw a resonant peak using the \draw TikZ macro. The Feature in the macro name should be replaced by either Poles or Zeros to generate a peak for poles and a valley for zeros, respectively.

2.2 Nyquist plots

 $\verb|\NyquistZPK|$

\NyquistTF

```
\label{eq:local_system} $$ \begin{aligned} & \langle plot/\{\langle opt \rangle\}, axes/\{\langle opt \rangle\} \rangle \\ & \{ \langle z/\{\langle zeros \rangle\}, p/\{\langle poles \rangle\}, k/\{\langle gain \rangle\}, d/\{\langle delay \rangle\} \rangle \} \\ & \{ \langle min-freq \rangle\} \{ \langle max-freq \rangle \} \end{aligned}
```

Plots the Nyquist plot of a transfer function given in ZPK format with a thick red + marking the critical point (-1,0). The mandatory arguments are the same as \BodeZPK . Since there is only one plot in a Nyquist diagram, the \typ specifier in the optional argument tuples is not needed. As such, the supported optional argument tuples are plot/{opt}, which passes {opt} to \addplot and $\axes/{opt}$, which passes {opt} to the axis environment. Asymptotic/linear approximations are not supported in Nyquist plots. If just {opt} is provided as the optional argument, it is interpreted as plot/{opt}. Arrows to indicate the direction of increasing ω can be added by adding $\adding \adding \adding \adding \adding \adding and then passing a tuple of the form$

```
plot/{postaction=decorate,decoration={markings,
  mark=between positions 0.1 and 0.9 step 5em with
  {\arrow{Stealth [length=2mm, blue]}}}}
```

Caution: with a high number of samples, adding arrows in this way may cause the error message! Dimension too big.

```
For example, the command
```

generates the Nyquist plot in Figure 7.

```
\NyquistTF [\langle plot/f\langle opt \rangle \}, axes/f\langle opt \rangle \}\] {\langle num/f\langle coeffs \rangle \}, den/f\langle coeffs \rangle \}, d/f\langle delay \rangle \}\} {\langle min-freq \rangle \}{\langle max-freq \rangle \}
```

Nyquist plot of a transfer function given in TF format. Same mandatory arguments as \BodeTF and same optional arguments as \NyquistZPK. For example, the command

```
\NyquistTF[plot/{green,thick,samples=500,postaction=decorate,
  decoration={markings,
  mark=between positions 0.1 and 0.9 step 5em
```

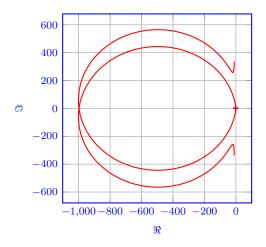


Figure 7: Output of the \NyquistZPK macro.

```
with{\arrow{Stealth[length=2mm, blue]}}}]  
  {num/{10,2,2.6,0},den/{1,1,100.25}}  
  {-30}{30}  
  generates the Nyquist plot in Figure 8.  
  \begin{NyquistPlot} [\langle axis\text{-}options \rangle] {\langle min\text{-}frequency \rangle}  
\addNyquist...  
\end{NyquistPlot}
```

NyquistPlot

The NyquistPlot environment works in conjunction with the parametric function generator macros \addNyquistZPKPlot and \addNyquistTFPlot. If supplied, axis-options are passed directly to the axis environment and the frequency limits are translated to the x-axis limits and the domain of the axis environment.

\addNyquistZPKPlot

```
\label{eq:local_local_problem} $$ \addNyquistZPKPlot[\langle plot-options\rangle] $$ $ \{\langle z/\{\langle zeros\rangle\}, p/\{\langle poles\rangle\}, k/\{\langle gain\rangle\}, d/\{\langle delay\rangle\}\} $$ $$
```

Generates a twp parametric functions for the magnitude and the phase a transfer function in ZPK form. The generated magnitude and phase parametric functions are converted to real and imaginary part parametric functions and passed to the \addplot macro. This macro can be used inside any axis environment as long as a domain for the x-axis is supplied through either the plot-options interface or directly in the optional argument of the container axis environment. Use with the NyquistPlot environment supplied with this package is recommended. The mandatory argument is the same as \BodeZPK.

\addNyquistTFPlot

```
 \begin{tabular}{ll} $$ & (num/\{\langle coeffs \rangle\}, den/\{\langle coeffs \rangle\}, d/\{\langle delay \rangle\} \}$ \\ Similar to \addNyquistZPKPlot, with a transfer function input in the TF form. \\ \end{tabular}
```

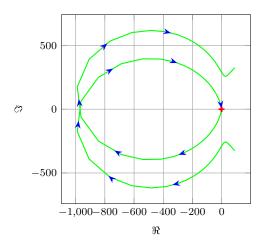


Figure 8: Output of the \NyquistTF macro with direction arrows. Increasing the number of samples can cause decorations.markings to throw errors.

2.3 Nichols charts

```
\NicholsZPK
                    \NicholsZPK [\langle plot/\{\langle opt \rangle\}, axes/\{\langle opt \rangle\}\}]
                          \{\langle z/\{\langle zeros\rangle\}, p/\{\langle poles\rangle\}, k/\{\langle gain\rangle\}, d/\{\langle delay\rangle\}\}\}
                          {\langle min-freq \rangle} {\langle max-freq \rangle}
                    Nichols chart of a transfer function given in ZPK format. Same arguments as
                    \NyquistZPK.
   \NicholsTF
                         \NicholsTF [\langle plot/\{\langle opt \rangle\}, axes/\{\langle opt \rangle\} \rangle]
                          \{\langle num/\{\langle coeffs \rangle\}, den/\{\langle coeffs \rangle\}, d/\{\langle delay \rangle\}\}\}
                          {\langle min-freq \rangle} {\langle max-freq \rangle}
                    Nichols chart of a transfer function given in TF format. Same arguments as
                    \NyquistTF. For example, the command
                    \NicholsTF[plot/{green,thick,samples=2000}]
                       \{num/\{10,2,2.6,0\},den/\{1,1,100.25\},d/0.01\}
                       {0.001}{100}
                    generates the Nichols chart in Figure 9.
                        \begin{NicholsChart}{(\langle axis-options \rangle)} {\langle min-frequency \rangle} {\langle max-frequency \rangle} 
NicholsChart
                          \addNichols...
                         \end{NicholsChart}
                    The NicholsChart environment works in conjunction with the parametric func-
```

tion generator macros \addNicholsZPKChart and \addNicholsTFChart. If supplied, axis-options are passed directly to the axis environment and the frequency limits are translated to the x-axis limits and the domain of the axis environment.

\addNicholsZPKChart

```
\label{eq:local_local_local_local_local} $$ \addNicholsZPKChart[\langle plot-options\rangle] $$ $ \{\langle z/f(\langle zeros\rangle\}, p/f(\langle poles\rangle\}, k/f(\langle gain\rangle\}, d/f(\langle delay\rangle\}) \}$$
```

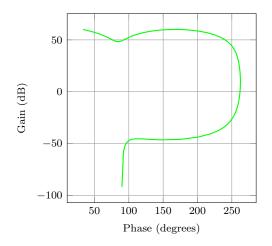


Figure 9: Output of the \NyquistZPK macro.

Generates a twp parametric functions for the magnitude and the phase a transfer function in ZPK form. The generated magnitude and phase parametric functions are passed to the \addplot macro. This macro can be used inside any axis environment as long as a domain for the x-axis is supplied through either the plot-options interface or directly in the optional argument of the container axis environment. Use with the NicholsChart environment supplied with this package is recommended. The mandatory argument is the same as \BodeZPK.

 $\verb|\addNicholsTFChart| \\$

```
\label{eq:local_continuous} $$ \addNicholsTFChart[\langle plot-options \rangle] $$ $ \{\langle num/\{\langle coeffs \rangle\}, den/\{\langle coeffs \rangle\}, d/\{\langle delay \rangle\} \}$$ $$
```

Similar to \addNicholsZPKChart, with a transfer function input in the TF form.

3 Implementation

3.1 Initialization

\pdfstrcmp

The package makes extensive use of the \pdfstrcmp macro to parse options. Since that macro is not available in lualatex, this code is needed.

- 1 \RequirePackage{ifluatex}%
- 2 \ifluatex
- 3 \let\pdfstrcmp\pdf@strcmp
- 4\fi

\n@mod \n@pow idGnuplot This code is needed to support both pgfplots and gnuplot simultaneously. New macros are defined for the pow and mod functions to address differences between the two math engines. We start by processing the pgf class option.

gnuplot def gnuplot degrees

5 \newif\if@pgfarg\@pgfargfalse

6 \DeclareOption{pgf}{%

```
\@pgfargtrue
8 }
9 \ProcessOptions\relax
Then, we define two new macros to unify pgfplots and gnuplot.
10 \if@pgfarg
    \mbox{\ensuremath{\mbox{newcommand}{\n0pow}}[2]{(#1)^(#2)}}%
    \mbox{newcommand} \n0\mbox{mod} [2] {\mbox{mod}((#1),(#2))}%
12
13 \else
    \newcommand{\n@pow}[2]{(#1)**(#2)}%
    \label{localization} $\operatorname{n@mod}[2](\#1)-(\operatorname{floor}(\#1)/(\#2))*(\#2))}%
15
Then, we create a counter so that a new data table is generated and for each new
plot. If the plot macros have not changed, the tables, once generated, can be
reused by gnuplot, which reduces compilation time.
    \newcounter{idGnuplot}%
16
    \setcounter{idGnuplot}{0}%
17
    \tikzset{%
18
       gnuplot def/.style={%
19
20
         id=\arabic{idGnuplot},
21
         prefix=gnuplot/
       }%
22
23
    }
Then, we add set angles degrees to all gnuplot macros to avoid having to
convert from degrees to radians everywhere.
    \pgfplotsset{%
24
25
       gnuplot degrees/.code={%
26
         \ifnum\value{idGnuplot}=1
           \xdef\pgfplots@gnuplot@format{\pgfplots@gnuplot@format set angles degrees;}%
27
28
         \fi
      }%
29
    }
30
```

If the operating system is not Windows, we create the gnuplot folder if it does not already exist.

```
31 \ifwindows\else
32 \immediate\write18{mkdir -p gnuplot}%
33 \fi
34 \fi
```

Default axis properties for all plot macros are collected in the following pgf style.

${\tt bodeStyle}$

```
35 \pgfplotsset{%
36  bodeStyle/.style = {%
37  label style={font=\footnotesize},
38  tick label style={font=\footnotesize},
39  grid=both,
40  major grid style={color=gray!80},
41  minor grid style={color=gray!20},
```

```
42  x label style={at={(ticklabel cs:0.5)},anchor=near ticklabel},
43  y label style={at={(ticklabel cs:0.5)},anchor=near ticklabel},
44  scale only axis,
45  samples=200,
46  width=5cm,
47  }%
48}
```

3.2 Parametric function generators for poles, zeros, gains, and delays.

```
\MagK
                                   True, linear, and asymptotic magnitude and phase parametric functions for a pure
       \MagKAsymp
                                   gain G(s) = k + 0i. The macros take two arguments corresponding to real and
                                  imaginary part of the gain to facilitate code reuse between delays, gains, poles,
           \MagKLin
                     \PhK and zeros, but only real gains are supported. The second argument, if supplied, is
         \PhKAsymp
                                  ignored.
             \PhKLin
                                   49 \newcommand*{\MagK}[2]{(20*log10(abs(#1)))}
                                   50 \newcommand*{\MagKAsymp}{\MagK}
                                   51 \mbox{\mbox{\mbox{$\sim$}} 1 \mbox{\mbox{\mbox{$\sim$}}} {\mbox{\mbox{$\sim$}}} \mbox{\mbox{$\sim$}} \mbox{\mbox{\mbox{$\sim$}}} \mbox{\mbox{\mbox{\mbox{$\sim$}}}} \mbox{\mbox{\mbox{$\sim$}}} \mbox{\mbox{\mbox{$\sim$}}} \mbox{\mbox{\mbox{\mbox{$\sim$}}}} \mbox{\mbox{\mbox{$\sim$}}} \mbox{\mbox{\mbox{$\sim$}}} \mbox{\mbox{\mbox{\mbox{$\sim$}}} \mbox{\mbox{\mbox{$\sim$}}} \mbox{\mbox{\mbox{\mbox{$\sim$}}}} \mbox{\mbox{\mbox{\mbox{$\sim$}}}} \mbox{\mbox{\mbox{\mbox{$\sim$}}} \mbox{\mbox{\mbox{\mbox{$\sim$}}}} \mbox{\mbox{\mbox{\mbox{$\sim$}}}} \mbox{\mbox{\mbox{\mbox{$\sim$}}}} \mbox{\mbox{\mbox{\mbox{$\sim$}}}} \mbox{\mbox{\mbox{\mbox{\mbox{$\sim$}}}}} \mbox{\mbox{\mbox{
                                   52 \mbox{ newcommand}*{\PhK}[2]{(#1<0?-180:0)}
                                   53 \newcommand*{\PhKAsymp}{\PhK}
                                   54 \newcommand*{\PhKLin}{\PhK}
                                  True magnitude and phase parametric functions for a pure delay G(s) = e^{-Ts}.
         \PhKAsymp
             \PhKLin
                                  The macros take two arguments corresponding to real and imaginary part of the
                                   gain to facilitate code reuse between delays, gains, poles, and zeros, but only real
                                   gains are supported. The second argument, if supplied, is ignored.
                                   55 \newcommand*{\MagDel}[2]{0}
                                   56 \newcommand*{\PhDel}[2]{-#1*180*t/pi}
                                  These macros are the building blocks for most of the plotting functions provided
           \MagPole
                                   by this package. We start with Parametric function for the true magnitude of a
\MagPoleAsymp
    \MagPoleLin
                                   complex pole.
             \PhPole
                                   57 \newcommand*{\MagPole}[2]
  \PhPoleAsymp
                                            {(-20*log10(sqrt(\n@pow{#1}{2} + \n@pow{t - (#2)}{2})))}
       \PhPoleLin
                                   Parametric function for linear approximation of the magnitude of a complex pole.
                                   59 \newcommand*{\MagPoleLin}[2]{(t < qrt(\n@pow{#1}{2} + \n@pow{#2}{2})?
                                   60
                                             -20*log10(sqrt(\n@pow{#1}{2} + \n@pow{#2}{2})) :
                                   61
                                             -20*log10(t)
                                   62
                                   Parametric function for asymptotic approximation of the magnitude of a complex
                                   pole, same as linear approximation.
                                   63 \newcommand*{\MagPoleAsymp}{\MagPoleLin}
                                   Parametric function for the true phase of a complex pole.
                                   64 \mbox{ newcommand} {PhPole}[2]{(#1 > 0 ? (#2 > 0 ?)}
```

 $(\n0\md{-atan2((t - (#2)),-(#1))+360}{360}) :$

```
(-atan2((t - (#2)), -(#1)))) :
                                               (-atan2((t - (#2)),-(#1))))}
                                    Parametric function for linear approximation of the phase of a complex pole.
                                    68 \newcommand*{\PhPoleLin}[2]{%
                                               (abs(#1)+abs(#2) == 0 ? -90 :
                                    69
                                               (t < (sqrt(\n@pow{#1}{2} + \n@pow{#2}{2}) /
                                    70
                                    71
                                                     (\n^0pow{10}{sqrt(\n^0pow{#1}{2}/(\n^0pow{#1}{2} + \n^0pow{#2}{2}))}))?
                                    72
                                               (-atan2(-(#2),-(#1))):
                                               (t \ge (sqrt(\n0pow{#1}{2} + \n0pow{#2}{2}) *
                                    73
                                                     (\n@pow{10}{sqrt(\n@pow{#1}{2}/(\n@pow{#1}{2} + \n@pow{#2}{2}))}))?
                                    74
                                               (#2>0?(#1>0?270:-90):-90):
                                    75
                                               (-atan2(-(#2),-(#1)) + (log10(t/(sqrt(\n@pow{#1}{2} + \n@pow{#2}{2})) / (-atan2(-(#2),-(#1)) + (log10(t/(sqrt(\n@pow{#1}{2}) + \n@pow{#2}))) / (-atan2(-(#2),-(#1)) + (log10(t/(sqrt(\n@pow{#1}) + \n@pow{#2}))) / (-atan2(-(#2),-(#2)))) / (-atan2(-(#2),-(#2))) / (-atan2(-(#2),-(#2))) / (-atan2(-(#2),-(#2)))) / (-atan2(-(#2),-(#2))) / (-atan2(-(#2),-(#2))) / (-atan2(-(#2),-(#2)))) / (-atan2(-(#2),-(#2))) / (-atan2
                                    76
                                                     (\n@pow{10}{sqrt(\n@pow{#1}{2}/(\n@pow{#1}{2})} +
                                    77
                                                     \n@pow{#2}{2}))}))))*((#2>0?(#1>0?270:-90):-90) + atan2(-(#2),-(#1)))/
                                    78
                                    79
                                                     (log10(\n@pow{10}{sqrt((4*\n@pow{#1}{2}))/
                                                     (\n@pow{#1}{2} + \n@pow{#2}{2})))))))))
                                    Parametric function for asymptotic approximation of the phase of a complex pole.
                                    81 \newcommand*{\PhPoleAsymp}[2]{(t < (sqrt(\n@pow{#1}{2} + \n@pow{#2}{2}))) ?
                                               (-atan2(-(#2),-(#1))):
                                    82
                                               (#2>0?(#1>0?270:-90):-90))}
                                    Plots of zeros are defined to be negative of plots of poles. The 0- is necessary due
            \MagZero
                                    to a bug in gnuplot (fixed in version 5.4, patchlevel 3).
\MagZeroAsymp
     \MagZeroLin
                                    84 \newcommand*{\MagZero}{0-\MagPole}
              \PhZero
                                    85 \newcommand*{\MagZeroLin}{0-\MagPoleLin}
  \PhZeroAsymp
                                    86 \newcommand*{\MagZeroAsymp}{0-\MagPoleAsymp}
                                    87 \newcommand*{\PhZero}{0-\PhPole}
       \PhZeroLin
                                    88 \newcommand*{\PhZeroLin}{0-\PhPoleLin}
                                    89 \mbox{\newcommand}*{\PhZeroAsymp}{0-\PhPoleAsymp}
```

3.3 Second order systems.

Although second order systems can be dealt with using the macros defined so far, the following dedicated macros for second order systems involve less computation.

```
Consider the canonical second order transfer function G(s) = \frac{1}{s^2 + 2\zeta w_n s + w_n^2}. We
     \MagCSPoles
\MagCSPolesAsymp
                  start with true, linear, and asymptotic magnitude plots for this transfer function.
  \MagCSPolesLin
                  90 \newcommand*{\MagCSPoles}[2]{(-20*log10(sqrt(\n@pow{\n@pow{#2}{2}
      \PhCSPoles
                         - \n@pow{t}{2}}{2} + \n@pow{2*#1*#2*t}{2})))}
 \PhCSPolesAsymp
                  92 \newcommand*{\MagCSPolesLin}[2]{(t < #2 ? -40*log10(#2) : -40*log10(t))}
   \PhCSPolesLin
                  93 \newcommand*{\MagCSPolesAsymp}{\MagCSPolesLin}
     \MagCSZeros
                  Then, we have true, linear, and asymptotic phase plots for the canonical second
\MagCSZerosAsymp
                  order transfer function.
  \MagCSZerosLin
                  94 \mbox{ } [2]{(-atan2((2*(#1)*(#2)*t), (\n@pow{#2}{2}))}
      \PhCSZeros
                       - \n@pow{t}{2})))
 \PhCSZerosAsymp
                  96 \newcommand*{\PhCSPolesLin}[2]{(t < (#2 / (\n@pow{10}{abs(#1)})) ?
   \PhCSZerosLin
```

```
(#1>0 ? -180 : 180) :
                                                99
                                                            (#1>0 ? (-180*(log10(t*(\n@pow{10}{#1})/#2))/(2*#1)) :
                                              100
                                                                  (180*(\log 10(t*(\n@pow{10}{abs(#1)})/#2))/(2*abs(#1))))))
                                              101
                                              102 \newcommand*{\PhCSPolesAsymp}[2]{(#1>0?(t<#2?0:-180):(t<#2?0:180))}
                                                Plots of the inverse function G(s) = s^2 + 2\zeta\omega_n s + \omega_n^2 are defined to be negative of
                                                plots of poles. The 0- is necessary due to a bug in gnuplot (fixed in version 5.4,
                                                patchlevel 3).
                                              103 \newcommand*{\MagCSZeros}{0-\MagCSPoles}
                                              104 \newcommand*{\MagCSZerosLin}{0-\MagCSPolesLin}
                                              105 \newcommand*{\MagCSZerosAsymp}{0-\MagCSPolesAsymp}
                                              106 \newcommand*{\PhCSZeros}{0-\PhCSPoles}
                                             107 \newcommand*{\PhCSZerosLin}{0-\PhCSPolesLin}
                                              108 \newcommand*{\PhCSZerosAsymp}{0-\PhCSPolesAsymp}
  \MagCSPolesPeak
                                               These macros are used to add a resonant peak to linear and asymptotic plots of
                                               canonical second order poles and zeros. Since the plots are parametric, a separate
  \MagCSZerosPeak
                                                \draw command is needed to add a vertical arrow.
                                              109 \newcommand*{\MagCSPolesPeak}[3][]{%
                                                           \draw[#1,->] (axis cs:{#3},{-40*log10(#3)}) --
                                                            (axis cs:\{#3\},\{-40*log10(#3)-20*log10(2*abs(#2))\})
                                             111
                                             112 }
                                             113 \newcommand*{\MagCSZerosPeak}[3][]{%
                                                           \draw[#1,->] (axis cs:{#3},{40*log10(#3)}) --
                                                           (axis cs:{#3},{40*log10(#3)+20*log10(2*abs(#2))})
                                             116 }
            \MagSOPoles Consider a general second order transfer function G(s) = \frac{1}{s^2 + as + b}. We start with
                                               true, linear, and asymptotic magnitude plots for this transfer function.
\MagSOPolesAsymp
     \label{localin} $$\operatorname{MagSOPolesLin}_{117} \ensurement{\magSOPoles} [2] {\% }
                \label{log10} $$ \PhSOPoles $$ 118 $$ (-20*log10(sqrt(\n@pow{\#2 - \n@pow{t}_{2}}_{2}) + \n@pow{\#1*t}_{2})))$$ $$ (-20*log10(sqrt(\n@pow{\#2 - \n@pow{t}_{2}}_{2})))$$ $$ (-20*log10(sqrt(\n@pow{\#2 - \n@pow{t}_{2}}_{2})))$$ $$ (-20*log10(sqrt(\n@pow{\#2 - \n@pow{t}_{2}}_{2}))))$$ $$ (-20*log10(sqrt(\n@pow{\#2 - \n@pow{t}_{2})))$$ $$ (-20*log10(sqrt(\n@pow{\#2 - \n@pow{t}_{2}))))$$ $$ (-20*log10(sqrt(\n@pow{\#2 - \n@pow{t}_{2})))$$ $$ (-20*log10(sqrt(\n@pow{\#2 - \n@pow{t}_{2})))$$ $$ (-20*log10(sqrt(\n@pow{t}_{2})))$$ (-20*log10(sqrt(\n@pow{t}_{2})))$$ (-20*log10(sqrt(\n@pow{t}_{2}
  \PhSOPolesAsymp 119 \newcommand*{\MagSOPolesLin}[2]{%
       \PhSOPolesLin 120 (t < sqrt(abs(#2)) ? -20*log10(abs(#2)) : - 40*log10(t))}
             \MagSOZeros 121 \newcommand*{\MagSOPolesAsymp}{\MagSOPolesLin}
\MagSOZerosAsymp Then, we have true, linear, and asymptotic phase plots for the general second
     \MagSOZerosLin
                                              order transfer function.
               \PhS0Zeros
                                             122 \end{thmom} 122 \end{thmom} 122 \end{thmom} - \end{thmom} - \end{thmom} 122 \end{thmom} - \e
  (#1>0 ? -180 : 180))}
                                             126 \newcommand*{\PhSOPolesAsymp}[2]{(#2>0 ?
                                                           \PhCSPolesAsymp{(#1/(2*sqrt(#2)))}{(sqrt(#2))} :
                                             127
                                                           (#1>0 ? -180 : 180))}
                                             128
                                                Plots of the inverse function G(s) = s^2 + as + b are defined to be negative of
                                                plots of poles. The 0- is necessary due to a bug in gnuplot (fixed in version 5.4,
                                                patchlevel 3).
                                              129 \newcommand*{\MagSOZeros}{0-\MagSOPoles}
```

 $(t \ge (\#2 * (\n@pow{10}{abs(\#1)})) ?$

98

```
130 \newcommand*{\MagSOZerosLin}{0-\MagSOPolesLin}
131 \newcommand*{\MagSOZerosAsymp}{0-\MagSOPolesAsymp}
132 \newcommand*{\PhSOZeros}{0-\PhSOPoles}
133 \newcommand*{\PhSOZerosLin}{0-\PhSOPolesLin}
134 \newcommand*{\PhSOZerosAsymp}{0-\PhSOPolesAsymp}
```

\MagSOPolesPeak \MagSOZerosPeak

These macros are used to add a resonant peak to linear and asymptotic plots of general second order poles and zeros. Since the plots are parametric, a separate \draw command is needed to add a vertical arrow.

```
135 \newcommand*{\MagSOPolesPeak}[3][]{%
136 \draw[#1,->] (axis cs:{sqrt(abs(#3))},{-20*log10(abs(#3))}) --
137 (axis cs:{sqrt(abs(#3))},{-20*log10(abs(#3))} -
138 20*log10(abs(#2/sqrt(abs(#3))));
139 }
140 \newcommand*{\MagSOZerosPeak}[3][]{%
141 \draw[#1,->] (axis cs:{sqrt(abs(#3))},{20*log10(abs(#3))} --
142 (axis cs:{sqrt(abs(#3))},{20*log10(abs(#3))} +
143 20*log10(abs(#2/sqrt(abs(#3))));
144 }
```

3.4 Commands for Bode plots

3.4.1 User macros

\BodeZPK

This macro takes lists of complex poles and zeros of the form {re,im}, and values of gain and delay as inputs and constructs parametric functions for the Bode magnitude and phase plots. This is done by adding together the parametric functions generated by the macros for individual zeros, poles, gain, and delay, described above. The parametric functions are then plotted in a tikzpicture environment using the \addplot macro. Unless the package is loaded with the option pgf, the parametric functions are evaluated using gnuplot.

```
145 \newcommand{\BodeZPK}[4][approx/true]{%
```

Most of the work is done by the \parseQopt and the \buildQZPKQplot macros, described in the 'Internal macros' section. The former is used to parse the optional arguments and the latter to extract poles, zeros, gain, and delay from the first mandatory argument and to generate macros \funcQmag and \funcQph that hold the magnitude and phase parametric functions.

```
146 \parse@opt{#1}%
147 \gdef\func@mag{}%
148 \gdef\func@ph{}%
149 \build@ZPK@plot{\func@mag}{\func@ph}{\opt@approx}{#2}%
```

The \noexpand macros below are needed to so that only the macro \opt@group is expanded.

```
150 \edef\temp@cmd{\noexpand\begin{tikzpicture}\noexpand\begin{groupplot}[%
151 bodeStyle,
152 xmin={#3},
153 xmax={#4},
```

```
domain=#3:#4,
height=2.5cm,
    xmode=log,
group style = {group size = 1 by 2,vertical sep=0.25cm,},
    \opt@group,]}
temp@cmd
```

To ensure frequency tick marks on magnitude and the phase plots are always aligned, we use the groupplot library. The \expandafter chain below is used to expand macros in the plot and group optional arguments.

```
\if@pgfarg
160
       \expandafter\nextgroupplot\expandafter[ytick distance=20,
161
162
         vlabel={Gain (dB)},xmajorticks=false,\optmag@axes]
163
       \edef\temp@cmd{\noexpand\addplot[thick,\optmag@plot]}%
       \temp@cmd {\func@mag};
164
165
       \optmag@commands;
       \expandafter\nextgroupplot\expandafter[ytick distance=45,
166
         ylabel={Phase ($^{\circ}$)},xlabel={Frequency (rad/s)},\optph@axes]
167
       \edef\temp@cmd{\noexpand\addplot[thick,\optph@plot]}%
168
       \temp@cmd {\func@ph};
169
       \optph@commands;
170
171
     \else
```

In gnuplot mode, we increment the idGnuplot counter before every plot to make sure that new and reusable .gnuplot and .table files are generated for every plot.

```
\stepcounter{idGnuplot}
172
       \expandafter\nextgroupplot\expandafter[ytick distance=20,
173
         ylabel={Gain (dB)},xmajorticks=false,\optmag@axes]
174
       \edef\temp@cmd{\noexpand\addplot[thick,\optmag@plot]}%
175
       \temp@cmd gnuplot[gnuplot degrees,gnuplot def] {\func@mag};
176
177
       \optmag@commands;
       \stepcounter{idGnuplot}
178
       \expandafter\nextgroupplot\expandafter[ytick distance=45,
179
         ylabel={Phase ($^{\circ}$)},xlabel={Frequency (rad/s)},\optph@axes]
180
       \edef\temp@cmd{\noexpand\addplot[thick,\optph@plot]}%
181
       \temp@cmd gnuplot[gnuplot degrees,gnuplot def] {\func@ph};
182
       \optph@commands;
183
184
     \end{groupplot}\end{tikzpicture}
185
186 }
```

\BodeTF Implementation of this macro is very similar to the \BodeZPK macro above. The only difference is the lack of linear and asymptotic plots and slightly different parsing of the mandatory arguments.

```
187 \newcommand{\BodeTF}[4][]{%
188 \parse@opt{#1}%
189 \gdef\func@mag{}%
190 \gdef\func@ph{}%
191 \build@TF@plot{\func@mag}{\func@ph}{#2}%
```

```
\edef\temp@cmd{\noexpand\begin{tikzpicture}\noexpand\begin{groupplot}[%
192
       bodeStyle,
193
       xmin={#3},
194
       xmax={#4},
195
       domain=#3:#4,
196
197
       height=2.5cm,
198
       xmode=log,
       group style = {group size = 1 by 2, vertical sep=0.25cm,},
199
200
       \opt@group,]}
     \temp@cmd
201
     \if@pgfarg
202
203
       \expandafter\nextgroupplot\expandafter[ytick distance=20,
         ylabel={Gain (dB)},xmajorticks=false,\optmag@axes]
204
       \edef\temp@cmd{\noexpand\addplot[thick,\optmag@plot]}%
205
       \temp@cmd {\func@mag};
206
       \optmag@commands;%
207
       \expandafter\nextgroupplot\expandafter[ytick distance=45,
208
         ylabel={Phase ($^{\circ}$)},xlabel={Frequency (rad/s)},\optph@axes]
209
210
       \edef\temp@cmd{\noexpand\addplot[thick,\optph@plot]}%
211
       \temp@cmd {\func@ph};
212
       \optph@commands;%
     \else
213
       \stepcounter{idGnuplot}%
214
       \expandafter\nextgroupplot\expandafter[ytick distance=20,
215
216
         ylabel={Gain (dB)},xmajorticks=false,\optmag@axes]
217
       \edef\temp@cmd{\noexpand\addplot[thick,\optmag@plot]}%
       \temp@cmd gnuplot[gnuplot degrees,gnuplot def] {\func@mag};
218
219
       \optmag@commands;%
       \stepcounter{idGnuplot}%
220
       \expandafter\nextgroupplot\expandafter[ytick distance=45,
221
         ylabel={Phase ($^{\circ}$)},xlabel={Frequency (rad/s)},\optph@axes]
222
223
       \edef\temp@cmd{\noexpand\addplot[thick,\optph@plot]}%
224
       \temp@cmd gnuplot[gnuplot degrees,gnuplot def] {\func@ph};
       \optph@commands;%
225
     \fi
226
     \end{groupplot}\end{tikzpicture}
227
228 }
This macro is designed to issues multiple \addplot macros for the same set of
```

\addBodeZPKPlots

poles, zeros, gain, and delay. All of the work is done by the \build@ZPK@plot macro.

```
229 \newcommand{\addBodeZPKPlots}[3][true/{}]{%
230
     \foreach \approx/\opt in {#1} {%
       \gdef\plot@macro{}%
231
232
       \gdef\temp@macro{}%
       \ifnum\pdfstrcmp{#2}{phase}=0
233
         \build@ZPK@plot{\temp@macro}{\plot@macro}{\approx}{#3}%
234
235
236
         \build@ZPK@plot{\plot@macro}{\temp@macro}{\approx}{#3}%
237
       \fi
```

```
\if@pgfarg
238
         \edef\temp@cmd{\noexpand\addplot[thick,\opt]}%
239
         \temp@cmd {\plot@macro};
240
241
         \stepcounter{idGnuplot}%
242
243
         \edef\temp@cmd{\noexpand\addplot[thick,\opt]}
244
         \temp@cmd gnuplot[gnuplot degrees,gnuplot def] {\plot@macro};
245
       \fi
     }%
246
247 }
```

\addBodeTFPlot This macro is designed to issues a single \addplot macros for the set of coefficients and delay. All of the work is done by the \build@TF@plot macro.

```
248 \newcommand{\addBodeTFPlot}[3][thick]{%
     \gdef\plot@macro{}%
249
     \gdef\temp@macro{}%
250
     \ifnum\pdfstrcmp{#2}{phase}=0
251
252
       \build@TF@plot{\temp@macro}{\plot@macro}{#3}%
253
     \else
       \build@TF@plot{\plot@macro}{\temp@macro}{#3}%
254
     \fi
255
     \if@pgfarg
256
       \addplot[#1]{\plot@macro};
257
     \else
258
259
       \stepcounter{idGnuplot}%
       \addplot[#1] gnuplot[gnuplot degrees, gnuplot def] {\plot@macro};
260
     \fi
261
262 }
```

\addBodeComponentPlot

This macro is designed to issue a single \addplot macro capable of plotting linear combinations of the basic components described in Section 2.1.1. The only work to do here is to handle the pgf package option.

```
263 \newcommand{\addBodeComponentPlot}[2][thick]{%
264 \if@pgfarg
265 \addplot[#1]{#2};
266 \else
267 \stepcounter{idGnuplot}%
268 \addplot[#1] gnuplot[gnuplot degrees,gnuplot def] {#2};
269 \fi
270 }
```

BodePlot An environment to host macros that pass parametric functions to \addplot macros. Uses the defaults specified in bodeStyle to create a shortcut that includes the tikzpicture and semilogaxis environments.

```
271 \newenvironment{BodePlot}[3][]{%
272 \begin{tikzpicture}
273 \begin{semilogxaxis}[%
274 bodeStyle,
275 xmin={#2},
```

3.4.2 Internal macros

\add@feature

This is an internal macro to add a basic component (pole, zero, gain, or delay), described using one of the macros in Section 2.1.1 (input #2), to a parametric function stored in a global macro (input #1). The basic component value (input #3) is a complex number of the form {re,im}. If the imaginary part is missing, it is assumed to be zero. Implementation made possible by this StackExchange answer.

```
285 \newcommand*{\add@feature}[3]{%
     \ifcat$\detokenize\expandafter{#1}$%
286
       \xdef#1{\unexpanded\expandafter{#1 0+#2}}%
287
288
       \xdef#1{\unexpanded\expandafter{#1+#2}}%
289
290
     \fi
291
     \foreach \y [count=\n] in #3 {%
       \xdef#1{\unexpanded\expandafter{#1}{\y}}%
292
       \xdef\Last@LoopValue{\n}%
293
     }%
294
     \ifnum\Last@LoopValue=1%
295
       \xdef#1{\unexpanded\expandafter{#1}{0}}%
296
297
     \fi
298 }
```

\build@ZPK@plot

This is an internal macro to build parametric Bode magnitude and phase plots by concatenating basic component (pole, zero, gain, or delay) macros (Section 2.1.1) to global magnitude and phase macros (inputs #1 and #2). The \add@feature macro is used to do the concatenation. The basic component macros are inferred from a feature/{values} list, where feature is one of z,p,k, and d, for zeros, poles, gain, and delay, respectively, and {values} is a comma separated list of comma separated lists (complex numbers of the form {re,im}). If the imaginary part is missing, it is assumed to be zero.

```
299 \newcommand{\build@ZPK@plot}[4]{%
300 \foreach \feature/\values in {#4} {%
301 \ifnum\pdfstrcmp{\feature}{z}=0
302 \foreach \z in \values {%
303 \ifnum\pdfstrcmp{#3}{linear}=0
304 \add@feature{#2}{\PhZeroLin}{\z}%
305 \add@feature{#1}{\MagZeroLin}{\z}%
```

```
\else
306
             \ifnum\pdfstrcmp{#3}{asymptotic}=0
307
               308
               309
             \else
310
311
               \add@feature{#2}{\PhZero}{\z}\%
312
               \add@feature{#1}{\MagZero}{\z}%
             \fi
313
           \fi
314
         }%
315
       \fi
316
       \ifnum\pdfstrcmp{\feature}{p}=0
317
         \foreach \p in \values {%
           \ifnum\pdfstrcmp{#3}{linear}=0
319
             \add@feature{#2}{\PhPoleLin}{\p}%
320
             \add@feature{#1}{\MagPoleLin}{\p}%
321
           \else
322
             \ifnum\pdfstrcmp{#3}{asymptotic}=0
323
324
               \add@feature{#2}{\PhPoleAsymp}{\p}%
325
               \add@feature{#1}{\MagPoleAsymp}{\p}%
326
               \add@feature{#2}{\PhPole}{\p}%
327
               \add@feature{#1}{\MagPole}{\p}%
328
             \fi
329
           \fi
330
         }%
331
332
       \ifnum\pdfstrcmp{\feature}{k}=0
333
         \ifnum\pdfstrcmp{#3}{linear}=0
334
           \add@feature{#2}{\PhKLin}{\values}%
335
           \add@feature{#1}{\MagKLin}{\values}%
336
337
         \else
338
           \ifnum\pdfstrcmp{#3}{asymptotic}=0
             \add@feature{#2}{\PhKAsymp}{\values}%
339
             \add@feature{#1}{\MagKAsymp}{\values}%
340
           \else
341
             \add@feature{#2}{\PhK}{\values}%
342
343
             \add@feature{#1}{\MagK}{\values}%
           \fi
344
         \fi
345
346
       \ifnum\pdfstrcmp{\feature}{d}=0
347
         \ifnum\pdfstrcmp{#3}{linear}=0
348
           \PackageError {bodeplot} {Linear approximation for pure delays is not
349
350
           supported.} {Plot the true Bode plot using 'true' instead of 'linear'.}
351
352
           \ifnum\pdfstrcmp{#3}{asymptotic}=0
353
             \PackageError {bodeplot} {Asymptotic approximation for pure delays is not
             supported.} {Plot the true Bode plot using 'true' instead of 'asymptotic'.}
354
355
           \else
```

```
\ifdim\values pt < Opt
356
                \PackageError {bodeplot} {Delay needs to be a positive number.}
357
              \fi
358
              \add@feature{#2}{\PhDel}{\values}%
359
              \add@feature{#1}{\MagDel}{\values}%
360
361
            \fi
362
          \fi
363
        \fi
     }%
364
365 }
```

\build@TF@plot

This is an internal macro to build parametric Bode magnitude and phase functions by computing the magnitude and the phase given numerator and denominator coefficients and delay (input #3). The functions are assigned to user-supplied global magnitude and phase macros (inputs #1 and #2).

```
366 \newcommand{\build@TF@plot}[3]{%
    \gdef\num@real{0}%
367
    \gdef\num@im{0}%
368
    \gdef\den@real{0}%
369
    \gdef\den@im{0}%
370
     \gdef\loop@delay{0}%
371
     \foreach \feature/\values in {#3} {%
372
373
      \ifnum\pdfstrcmp{\feature}{num}=0
374
        \foreach \numcoeff [count=\numpow] in \values {%
          \xdef\num@degree{\numpow}%
375
        }%
376
        \foreach \numcoeff [count=\numpow] in \values {%
377
          \pgfmathtruncatemacro{\currentdegree}{\num@degree-\numpow}%
378
379
          \ifnum\currentdegree = 0
            \xdef\num@real{\num@real+\numcoeff}%
380
381
          \else
            \ifodd\currentdegree
382
              383
                (\n@pow{t}{\currentdegree}))}%
384
385
            \else
386
              387
                (\n@pow{t}{\currentdegree}))}%
            \fi
388
          \fi
389
        }%
390
391
      \ifnum\pdfstrcmp{\feature}{den}=0
392
        \foreach \dencoeff [count=\denpow] in \values {%
393
          \xdef\den@degree{\denpow}%
394
395
        \foreach \dencoeff [count=\denpow] in \values {%
396
          \pgfmathtruncatemacro{\currentdegree}{\den@degree-\denpow}%
397
          \ifnum\currentdegree = 0
398
399
            \xdef\den@real{\den@real+\dencoeff}%
400
          \else
```

```
\ifodd\currentdegree
401
                402
                  (\n@pow{t}{\currentdegree}))}%
403
404
                \xdef\den@real{\den@real+(\dencoeff*(\n@pow{-1}{(\currentdegree)/2})*%
405
                  (\n@pow{t}{\currentdegree}))}%
406
407
              \fi
           \fi
408
         }%
409
       \fi
410
       \ifnum\pdfstrcmp{\feature}{d}=0
411
         \xdef\loop@delay{\values}%
412
413
414
     \xdef#2{(\n@mod{atan2((\num@im),(\num@real))-atan2((\den@im),%
415
       (\den@real))+360}{360}-\loop@delay*180*t/pi)}%
416
     \label{log10(sqrt((\n@pow{\num@real}{2})+(\n@pow{\num@im}{2})))-\%} $$ $$ xdef#1{(20*log10(sqrt((\n@pow{\num@real}{2})+(\n@pow{\num@im}{2})))-\%} $$
417
       20*log10(sqrt((\n@pow{\den@real}{2})+(\n@pow{\den@im}{2})))))%
418
419 }
```

\parse@opt

Parses options supplied to the main Bode macros. A for loop over tuples of the form \obj/\typ/\opt with a long list of nested if-else statements does the job. The input \obj is either plot, axes, group or approx, and the corresponding \opt are passed to the \addplot macro, the \nextgroupplot macro, the groupplot environment, and the \build@ZPK@plot macros, respectively. The input tuples should not contain any macros that need to be passed to respective pgf macros unexpanded. If an input tuple needs to contain such a macro, the \xdef macros below need to be defined using \unexpanded\expandafter{\opt} instead of just \opt. For example, the \parse@N@opt macro in Section 3.5.2 can pass macros in its arguments, unexpanded, to pgf plot macros and environments, which is useful, for example, when the user wishes to add direction arrows to Nyquist plots. I did not think such a use case would be encountered when plotting Bode plots.

```
420 \mbox{ } \mbox{newcommand{\parse@opt}[1]{}}
      \gdef\optmag@axes{}%
421
422
      \gdef\optph@axes{}%
423
      \gdef\optph@plot{}%
      \gdef\optmag@plot{}%
424
      \gdef\opt@group{}%
425
      \gdef\opt@approx{}%
426
     \xdef\optph@commands{}%
427
     \xdef\optmag@commands{}%
428
429
     \foreach \obj/\typ/\opt in {#1} {%
        \ifnum\pdfstrcmp{\obj}{plot}=0
430
431
          \ifnum\pdfstrcmp{\typ}{mag}=0
            \xdef\optmag@plot{\optmag@plot,\opt}%
432
433
          \else
            \displaystyle \prod \left( typ \right) = 0
434
435
              \xdef\optph@plot{\optph@plot,\opt}%
436
            \else
```

```
\xdef\optmag@plot{\optmag@plot,\opt}%
437
              \xdef\optph@plot{\optph@plot,\opt}%
438
           \fi
439
         \fi
440
        \else
441
442
         \ifnum\pdfstrcmp{\obj}{axes}=0
443
            \ifnum\pdfstrcmp{\typ}{mag}=0
              \xdef\optmag@axes{\optmag@axes,\opt}%
444
            \else
445
              \ifnum\pdfstrcmp{\typ}{ph}=0
446
                \xdef\optph@axes{\optph@axes,\opt}%
447
448
              \else
                \xdef\optmag@axes{\optmag@axes,\opt}%
449
                \xdef\optph@axes{\optph@axes,\opt}%
450
451
            \fi
452
         \else
453
            \ifnum\pdfstrcmp{\obj}{group}=0
454
455
              \xdef\opt@group{\opt@group,\opt}%
456
            \else
              \ifnum\pdfstrcmp{\obj}{approx}=0
457
                \xdef\opt@approx{\opt}%
458
459
                \ifnum\pdfstrcmp{\obj}{commands}=0
460
461
                  \ifnum\pdfstrcmp{\typ}{phase}=0
462
                    \xdef\optph@commands{\unexpanded\expandafter{\opt}}%
463
                    \xdef\optmag@commands{\unexpanded\expandafter{\opt}}%
464
                  \fi
465
                \else
466
                  \xdef\optmag@plot{\optmag@plot,\obj}%
467
468
                  \xdef\optph@plot{\optph@plot,\obj}%
469
                \fi
              \fi
470
471
           \fi
472
         \fi
       \fi
473
     }%
474
475 }
```

3.5 Nyquist plots

3.5.1 User macros

\NyquistZPK

Converts magnitude and phase parametric functions built using \build@ZPK@plot into real part and imaginary part parametric functions. A plot of these is the Nyquist plot. The parametric functions are then plotted in a tikzpicture environment using the \addplot macro. Unless the package is loaded with the option pgf, the parametric functions are evaluated using gnuplot. A large number of

samples is typically needed to get a smooth plot because frequencies near 0 result in plot points that are very close to each other. Linear frequency sampling is unnecessarily fine near zero and very coarse for large ω . Logarithmic sampling makes it worse, perhaps inverse logarithmic sampling will help, merge requests are welcome!

```
476 \newcommand{\NyquistZPK} [4] [] {\%}
     \parse@N@opt{#1}%
477
478
     \gdef\func@mag{}%
     \gdef\func@ph{}%
479
     \build@ZPK@plot{\func@mag}{\func@ph}{}{#2}%
480
     \edef\temp@cmd{\noexpand\begin{tikzpicture}\noexpand\begin{axis}[%
481
           bodeStyle,
482
           domain=#3:#4,
483
           height=5cm,
484
           xlabel={{Re}},
485
           ylabel={{\rm S}\ },
486
           samples=500,
487
           \opt@axes,]}%
488
     \temp@cmd
489
490
         \addplot [only marks,mark=+,thick,red] (-1 , 0);
         \edef\temp@cmd{\noexpand\addplot[thick,\unexpanded\expandafter{\opt@plot}]}%
491
         \if@pgfarg
492
            \temp@cmd ( {\n@pow{10}{((\func@mag)/20)}*cos(\func@ph)},
493
              {\n@pow{10}{((\func@mag)/20)}*sin(\func@ph)} );
494
         \else
495
            \stepcounter{idGnuplot}%
496
            \temp@cmd gnuplot[parametric,gnuplot degrees,gnuplot def] {%
497
498
              \n @pow{10}{((\func@mag)/20)}*cos(\func@ph),
              \n@pow{10}{((\func@mag)/20)}*sin(\func@ph)};
499
500
         \fi
501
       \end{axis}
     \end{tikzpicture}
502
503 }
```

\NyquistTF Implementation of this macro is very similar to the \NyquistZPK macro above. The only difference is a slightly different parsing of the mandatory arguments via \build@TF@plot.

```
504 \newcommand{\NyquistTF}[4][]{%
      \parse@N@opt{#1}%
505
506
      \gdef\func@mag{}%
      \gdef\func@ph{}%
507
      \label{lem:comag} $$ \left(\frac{0}{42}\%\right) = \frac{1}{42}\% 
508
      \edef\temp@cmd{\noexpand\begin{tikzpicture}\noexpand\begin{axis}[%
509
510
            bodeStyle,
511
            domain=#3:#4,
512
            height=5cm,
513
            xlabel={{Re}},
            ylabel={{\rm m$}},
514
            samples=500,
515
```

```
\opt@axes,]}
516
     \temp@cmd
517
          \addplot [only marks, mark=+, thick, red] (-1 , 0);
518
          \edef\temp@cmd{\noexpand\addplot[thick,\unexpanded\expandafter{\opt@plot}]]}
519
520
          \if@pgfarg
521
            \label{lem:lemplement} $$ \operatorname{ln@pow{10}{((\func@mag)/20)}*\cos(\func@ph)}, $$
522
              {\n@pow{10}{((\nc@mag)/20)}*sin(\func@ph)});}
523
            \stepcounter{idGnuplot}%
524
            \temp@cmd gnuplot[parametric,gnuplot degrees,gnuplot def]{%
525
              \n @pow{10}{((\func@mag)/20)}*cos(\func@ph),
526
527
               \n@pow{10}{((\func@mag)/20)}*sin(\func@ph));
          \fi
528
        \end{axis}
529
      \end{tikzpicture}
530
531 }
```

\addNyquistZPKPlot

Adds Nyquist plot of a transfer function in ZPK form. This macro is designed to pass two parametric function to an \addplot macro. The parametric functions for phase (\func@ph) and magnitude (\func@mag) are built using the \build@ZPK@plot macro, converted to real and imaginary parts and passed to \addplot commands.

```
532 \newcommand{\addNyquistZPKPlot}[2][]{%
533
     \gdef\func@mag{}%
     \gdef\func@ph{}%
534
     \build@ZPK@plot{\func@mag}{\func@ph}{}{#2}%
535
     \if@pgfarg
536
       \addplot [#1] ( {\n@pow{10}{((\func@mag)/20)}*cos(\func@ph)},
537
538
         {\n@pow{10}}((\n@mag)/20)}*sin(\nc@ph)});
539
     \else
       \stepcounter{idGnuplot}%
540
       \addplot [#1] gnuplot[parametric,gnuplot degrees,gnuplot def]{%
541
542
         \n @pow{10}{((\func@mag)/20)}*cos(\func@ph),
         \n @pow{10}{((\func@mag)/20)}*sin(\func@ph)};
543
     \fi
544
545 }
```

\addNyquistTFPlot

Adds Nyquist plot of a transfer function in TF form. This macro is designed to pass two parametric function to an \addplot macro. The parametric functions for phase (\func@ph) and magnitude (\func@mag) are built using the \build@TF@plot macro, converted to real and imaginary parts and passed to \addplot commands.

```
546 \newcommand{\addNyquistTFPlot}[2][]{%
547   \gdef\func@mag{}%
548   \gdef\func@ph{}%
549   \build@TF@plot{\func@mag}{\func@ph}{#2}%
550   \if@pgfarg
551   \addplot [#1] ( {\n@pow{10}{((\func@mag)/20)}*cos(\func@ph)},
552    {\n@pow{10}{((\func@mag)/20)}*sin(\func@ph)} );
```

```
553 \else
554 \stepcounter{idGnuplot}%
555 \addplot [#1] gnuplot[parametric,gnuplot degrees,gnuplot def]{%
556 \n@pow{10}{((\func@mag)/20)}*cos(\func@ph),
557 \n@pow{10}{((\func@mag)/20)}*sin(\func@ph)};
558 \fi
559 }
```

NyquistPlot An environment to host \addNyquist... macros that pass parametric functions to \addplot. Uses the defaults specified in bodeStyle to create a shortcut that includes the tikzpicture and axis environments.

```
560 \newenvironment{NyquistPlot}[3][]{%
     \begin{tikzpicture}
561
        \begin{axis}[%
562
563
          bodeStyle,
564
          height=5cm,
565
          domain=#2:#3
          xlabel={{Re}},
566
          ylabel={{\rm m}},
567
          #1]
568
569
        \addplot [only marks, mark=+, thick, red] (-1 , 0);
570 }{%
571
        \end{axis}
     \end{tikzpicture}
572
573 }
```

3.5.2 Internal commands

\parse@opt

Parses options supplied to the main Nyquist and Nichols macros. A for loop over tuples of the form \obj/\opt, processed using nested if-else statements does the job. The input \obj is either plot or axes, and the corresponding \opt are passed to the \addplot macro and the axis environment, respectively. If the input tuples contain macros, they are to be passed to respective pgf macros unexpanded.

```
574 \newcommand{\parse@N@opt}[1]{%
     \gdef\opt@axes{}%
575
     \gdef\opt@plot{}%
576
     \foreach \obj/\opt in {#1} {%
577
       \ifnum\pdfstrcmp{\obj}{axes}=0
578
          \xdef\opt@axes{\unexpanded\expandafter{\opt}}%
579
       \else
580
         \ifnum\pdfstrcmp{\obj}{plot}=0
581
            \xdef\opt@plot{\unexpanded\expandafter{\opt}}%
582
583
584
            \xdef\opt@plot{\unexpanded\expandafter{\obj}}%
585
         \fi
586
       \fi
587
     }%
588 }
```

3.6 Nichols charts

These macros and the NicholsChart environment generate Nichols charts, and \NicholsZPK \NicholsTF they are implemented similar to their Nyquist counterparts. NicholsChart 589 $\newcommand{\NicholsZPK}[4][]{%}$ \addNicholsZPKChart 590 \parse@N@opt{#1}% \addNicholsTFChart 591 \gdef\func@mag{}% \gdef\func@ph{}% 592 \build@ZPK@plot{\func@mag}{\func@ph}{}{#2}% 593 594\edef\temp@cmd{\noexpand\begin{tikzpicture}\noexpand\begin{axis}[% 595 bodeStyle, domain=#3:#4, 596 height=5cm, 597 xlabel={Phase (degrees)}, 598 ylabel={Gain (dB)}, 599 samples=500, 600 \opt@axes]} 601602\temp@cmd \edef\temp@cmd{\noexpand\addplot[thick,\opt@plot]}% 603 604 \if@pgfarg \temp@cmd ({\func@ph} , {\func@mag}); 605 606 \else 607 \stepcounter{idGnuplot}% \temp@cmd gnuplot[parametric, gnuplot degrees, gnuplot def] 608 609 { \func@ph , \func@mag }; \fi 610 \end{axis} 611 \end{tikzpicture} 612 613 } $614 \mbox{ } \mbox{ (NicholsTF) [4] [] {\%}$ \parse@N@opt{#1}% 615\gdef\func@mag{}% 616 617 \gdef\func@ph{}% \build@TF@plot{\func@mag}{\func@ph}{#2}% 618 $\verb|\edgin{tikzpicture} \noexpand \begin{tikzpicture} \noexpand \begin{axis} [\%] |$ 619 620 bodeStyle, domain=#3:#4, 621 622 height=5cm, xlabel={Phase (degrees)}, 623 ylabel={Gain (dB)}, 624 samples=500, 625 \opt@axes]} 626 \temp@cmd 627\edef\temp@cmd{\noexpand\addplot[thick,\opt@plot]}% 628 629 \if@pgfarg 630 \temp@cmd ({\func@ph} , {\func@mag}); 631 \else 632 \stepcounter{idGnuplot}% \temp@cmd gnuplot[parametric, gnuplot degrees, gnuplot def] 633 { \func@ph , \func@mag }; 634

```
635
                             \fi
                       \end{axis}
636
                \end{tikzpicture}
637
638 }
639 \newenvironment{NicholsChart}[3][]{%
640
                \begin{tikzpicture}
641
                       \begin{axis}[%
                             bodeStyle,
642
                             domain=#2:#3,
643
                            height=5cm,
644
                             ytick distance=20,
645
                             xtick distance=15,
646
647
                             xlabel={Phase (degrees)},
                             ylabel={Gain (dB)},
648
649
650 }{
                       \end{axis}
651
                \end{tikzpicture}
652
653 }
654 \mbox{ } \mbox{
                \gdef\func@mag{}%
655
656
                \gdef\func@ph{}%
                \build@ZPK@plot{\func@mag}{\func@ph}{}{#2}%
657
                \if@pgfarg
658
                       \addplot [#1] ( {\func@ph} , {\func@mag} );
659
660
                \else
661
                       \stepcounter{idGnuplot}%
                       \addplot [#1] gnuplot[parametric,gnuplot degrees,gnuplot def]
662
                             {\func@ph , \func@mag};
663
                \fi
664
665 }
666 \newcommand{\addNicholsTFChart}[2][]{%
667
                \gdef\func@mag{}%
                \gdef\func@ph{}%
668
669
                \build@TF@plot{\func@mag}{\func@ph}{#2}%
                \if@pgfarg
670
                       \addplot [#1] ( {\func@ph} , {\func@mag} );
671
                \else
672
673
                       \stepcounter{idGnuplot}%
674
                       \addplot [#1] gnuplot[gnuplot degrees,gnuplot def]
675
                             {\func@ph , \func@mag};
676
                \fi
677 }
```

Index

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