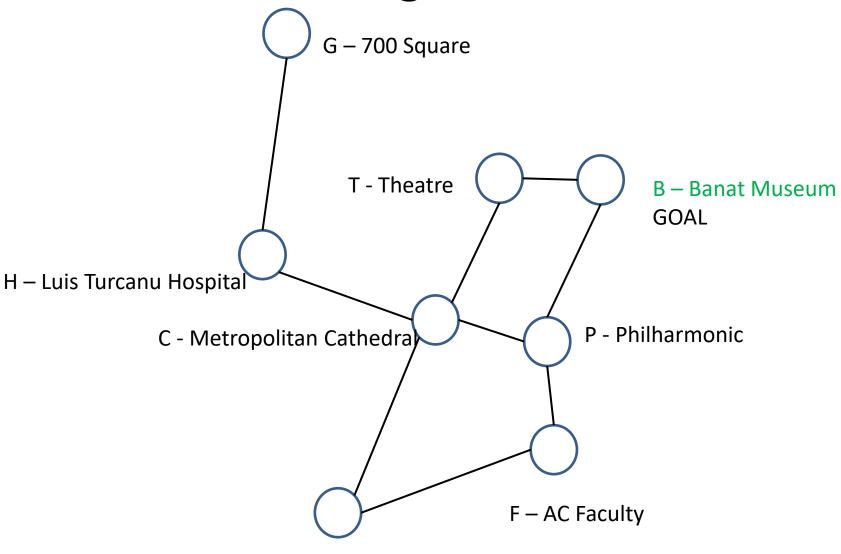
Artificial Intelligence Fundamentals

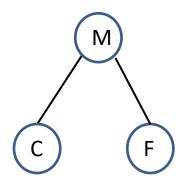
Search: Depth-First, Hill Climbing, Beam, Optimal, Branch and Bound, A*

Search - Terminology

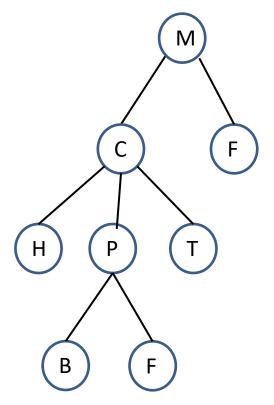
- Search algorithm an algorithms that takes a problem as input and returns a solution in the form of an action sequence.
- A problem can be defined formally by four components:
 - Initial state
 - Possible actions available defined by a successor function
 - The goal test determines whether a given state is a goal state
 - A path cost function that assigns a numeric cost to each path.
- Informed vs. Uninformed search there is some evaluation function that guide your search
- Complete vs. Incomplete search if there is a solution the algorithm will find it
- Optimal vs. Non-optimal the solution found is also the best one



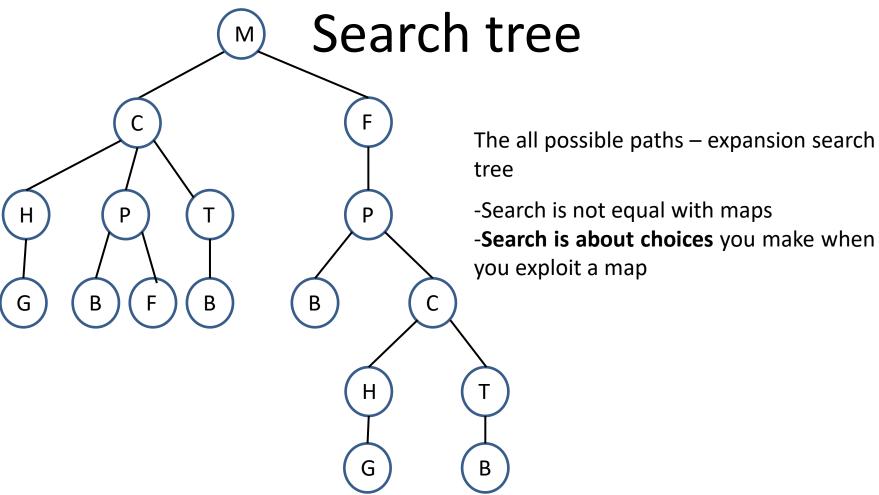
M - Maria Square START



Convention 1 : The nodes appear in lexical order



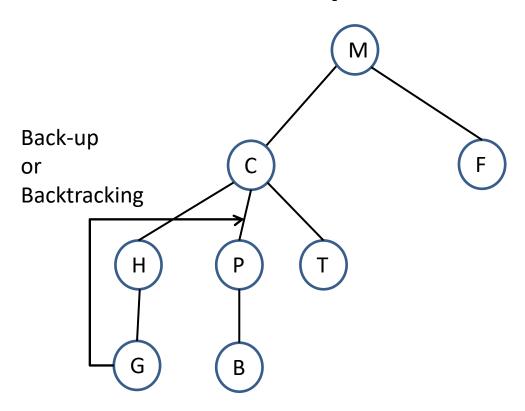
Convention 2: When expanding a node don't put an already visited node as a valid successor. (E.g. M is not a valid successor for C and M is not a valid successor for F)



Depth First Search

- Always expands the deepest node
- When all nodes have the same deep, expand the node from the left (by convention)
- If a node have no successors, the search backs-up to the place we made the last decision and choose another branch
- The process is knows as back-up or backtracking

Depth First Search



Depth First Search – The algorithm

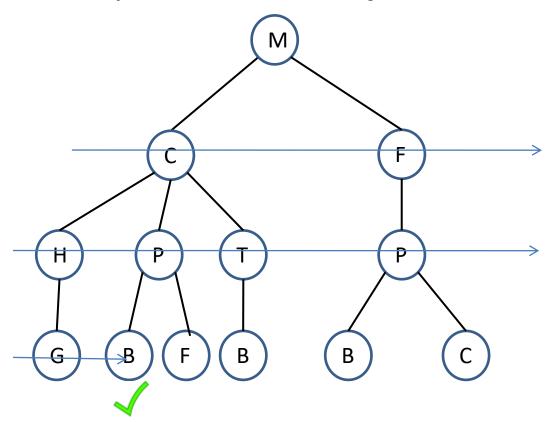
- Initialize the queue with the *Initial state*, having a zero-length path
- REPEAT until at least one path in the queue terminates at the goal node OR queue is empty
 - Remove the first path from queue -> firstPath
 - Extends the firstPath to all the neighbours (except the neighbors that are already in the firstPath) of the terminal node -> newPaths
 - Add the newPaths to the front of the queue
- If the goal is found return SUCCESS

Search characteristics

	Backtracking
Extended search	×
Depth First	✓

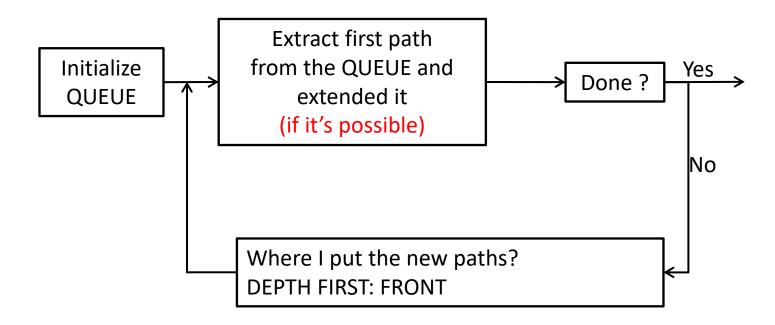
Breadth-first Search

- The root node is expanded first
- All the node at a given level are expanded
- Build up the tree level by level

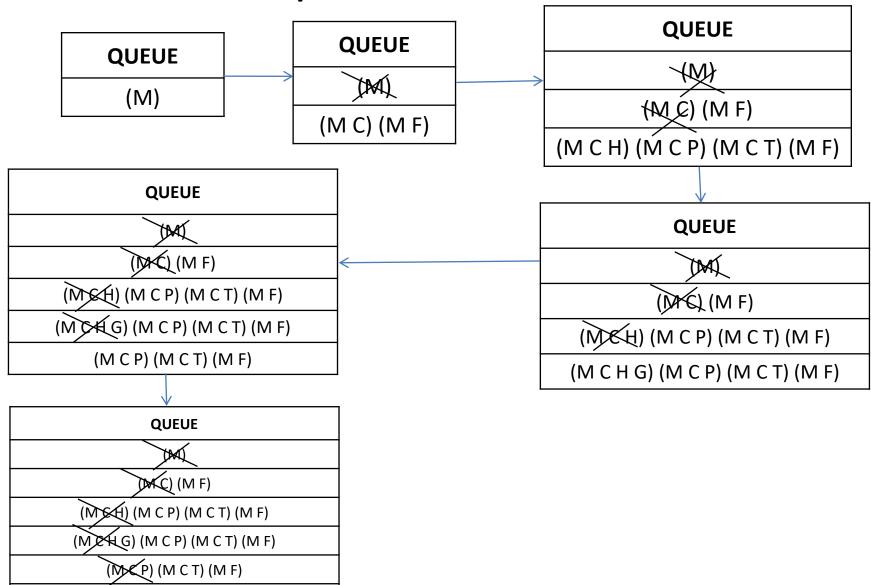


How the search works?

- Helps us to understand the differences between the search algorithms
- Develop a waiting list (QUEUE) of paths that are under consideration



Depth First Search



DONE

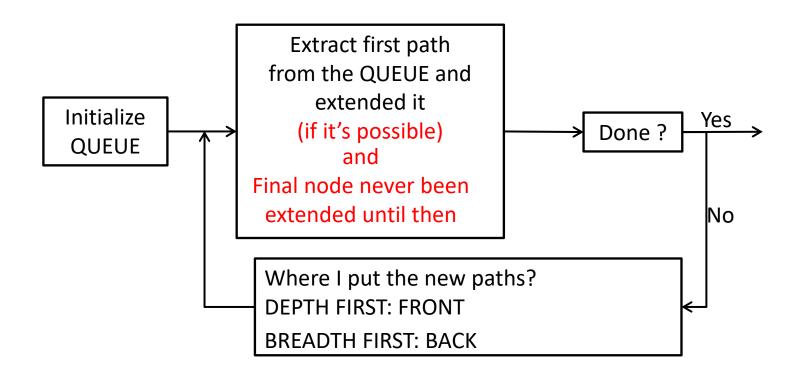
(MCPB)(MCPF)(MCT)(MF)

Breadth First Search – The algorithm

- Initialize the queue with the *Initial state*, having a zero-length path
- REPEAT until at least one path in the queue terminates at the goal node OR queue is empty
 - Remove the first path from queue -> firstPath
 - Extends the firstPath to all the neighbours (except the neighbors that are already in the firstPath) of the terminal node -> newPaths
 - Add the newPaths to the back of the queue
- If the goal is found return SUCCESS

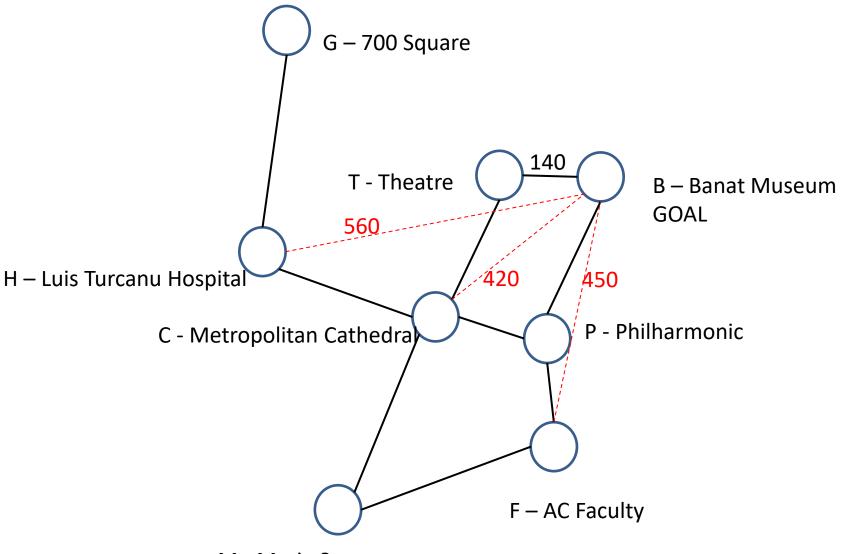
How the search works?

- Helps us to understand the differences between the search algorithms
- Develop a waiting list (QUEUE) of paths that are under consideration



Hill Climbing

- Depth first search and breadth first search uninformed search strategies
- Incredible inefficient in most of the cases
- Informed(Heuristic) search
 - uses problem-specific knowledge -> create a way to order the choices
 - can find solutions more efficiently
- Local search algorithms: best, hill-climbing, beam
- Hill climbing (greedy local search)
 - like depth search, but the successors are not listed lexically, they are ordered according to an objective function
 - It moves in the direction of increasing value (uphill)
 - It terminates when it reaches a peak
 - Does not maintain a search tree



M - Maria Square START

Hill climbing

Hill Climbing Search – The algorithm

- Initialize the queue with the *Initial state*, having a zero-length path
- REPEAT until at least one path in the queue terminates at the goal node OR queue is empty
 - Remove the first path from queue -> firstPath
 - Extends the firstPath to all the neighbours (except the neighbors that are already in the firstPath) of the terminal node -> newPaths
 - Sort the newPaths by the estimated distance between the terminates node and the goal
 - Add the new path (if exists) to the front of the queue
- If the goal is found return SUCCESS

Beam search

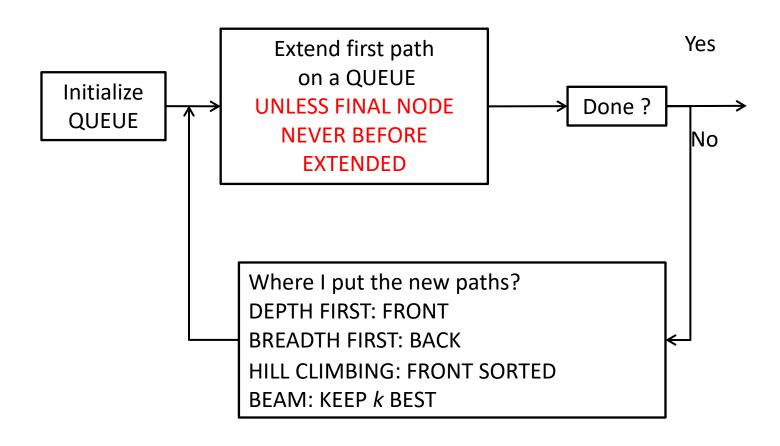
- Like breadth search but keep only a fixed number of possibilities – k (usualy small)
- Order the possibilities and take only k into consideration
- Example for k = 2

Beam Search – The algorithm

- Initialize the queue with the *Initial state*, having a zero-length path
- REPEAT until at least one path in the queue terminates at the goal node OR queue is empty
 - Remove the first path from queue -> firstPath
 - Extends the firstPath to all the neighbours (except the neighbors that are already in the firstPath) of the terminal node -> newPaths
 - Add the new path (if exists) to the end of the queue
 - If we must go down one level in the search tree, then sort the entire *queue* by the estimated distance between the terminates node and the goal, and keep only first *k* paths
- If the goal is found return SUCCESS

How the search works?

- Helps us to understand the differences between the search algorithms
- Develop a waiting list (QUEUE) of paths that are under consideration

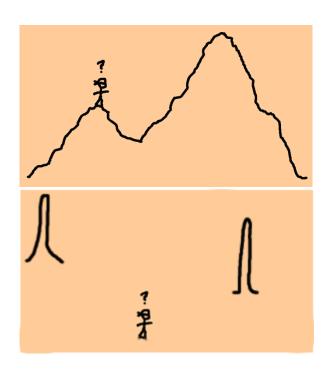


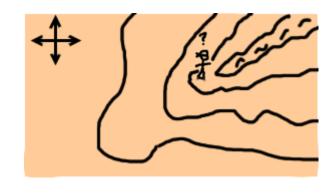
Hill climbing problems

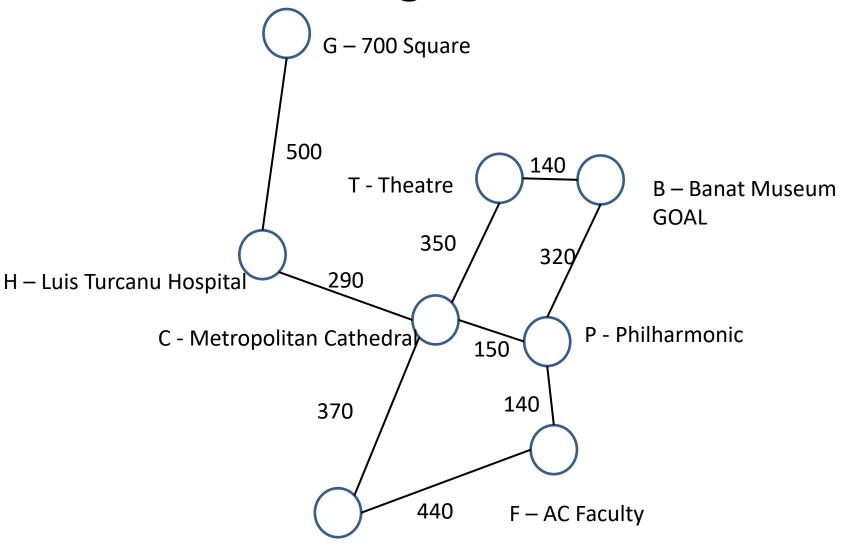
- Problems:
 - Stuck into a local maximum

Hard to find the *peak*(plateau problem)

Miss the right direction (ridge problem)

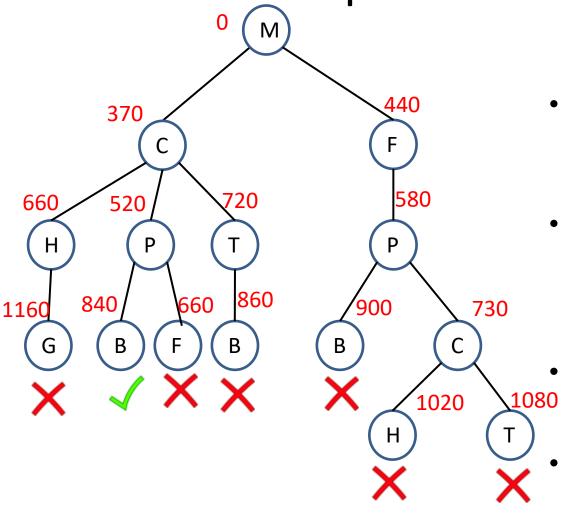






M - Maria Square START

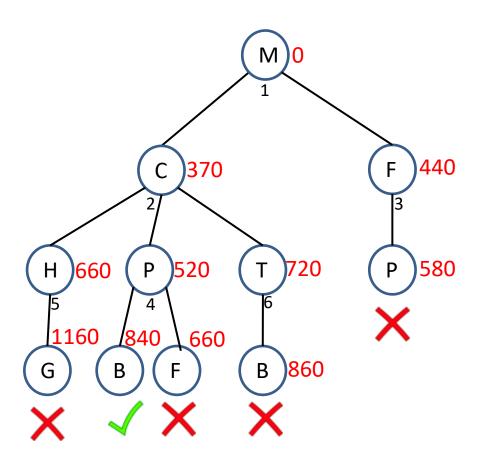
Optimal search



- Deals with search situations in which the cost of traversing a path is of a primary importance
- One procedure -> find all possible paths (depth first or breadth first) and select the best one -> works good for small search trees
 - If the search tree is large we must apply an heuristic search
 - One solution branch and bound

Branch and bound search – The algorithm

- Initialize the queue with the *Initial state*, having a zero-length path
- REPEAT until at least one path in the queue terminates at the goal node OR queue is empty
 - Remove the first path from queue -> firstPath
 - Extends the firstPath to all the neighbours (except the neighbors that are already in the firstPath) of the terminal node -> newPaths
 - Add the newPath (if exists) to the queue
 - Sort the entire queue by path length with least-cost paths in front
- If the goal is found return SUCCESS

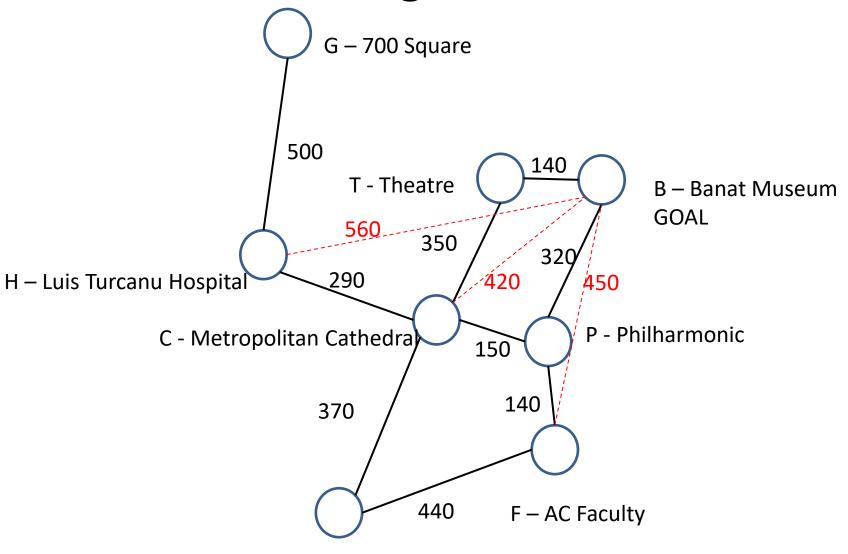


Branch and bound + Extended List

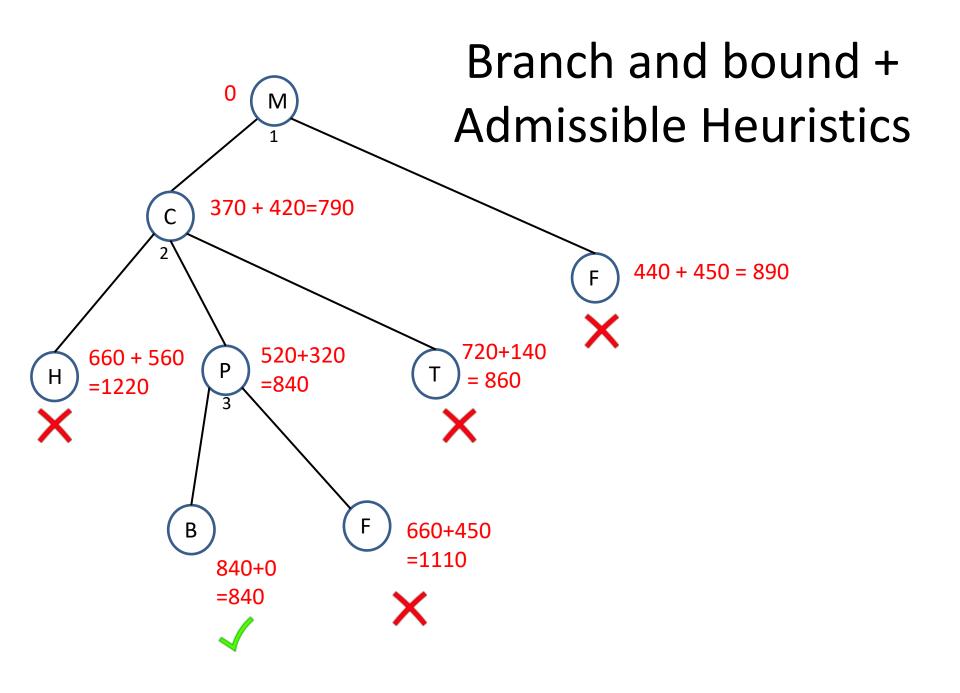
MCFPHT

Branch and bound + Admissible heuristics

- We can improve the bound and branch search using guesses about the remaining distance from a node to the goal
- If our guess is good we have an estimation (e) of the total path length:
 - e(total path length) = d(already traversed) + e(distance remaining)
- In most of the cases guesses are not perfect, and a bad overestimate can cause errors (the right path can be overlooked)
- Admissible heuristics heuristics that underestimate(u) the path; it's always smaller or equal than the real distance
 - u(total path length) = d(already traversed) + u(distance remaining)
- When the algorithm found a total path, you don't need to go further because all partial-path distance estimates are longer that the total path you already found (we underestimate the distances)



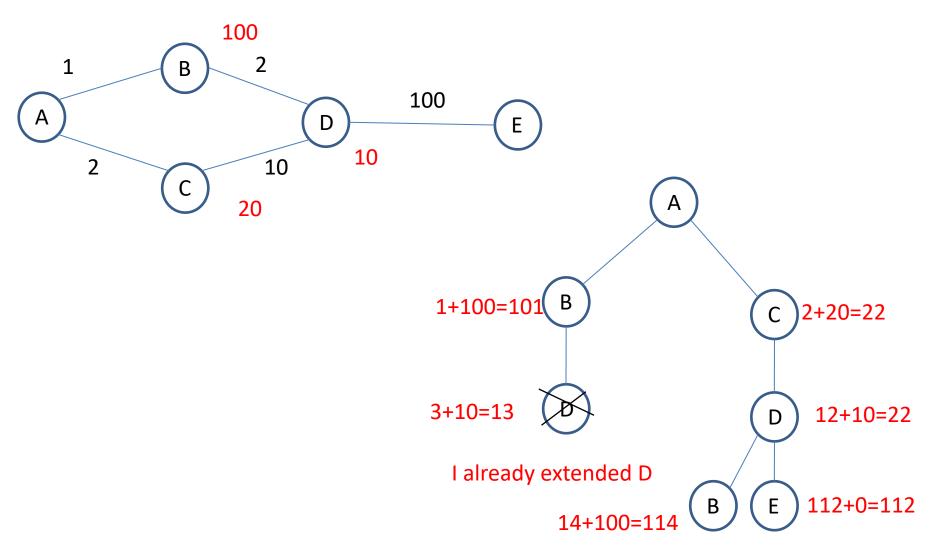
M - Maria Square START



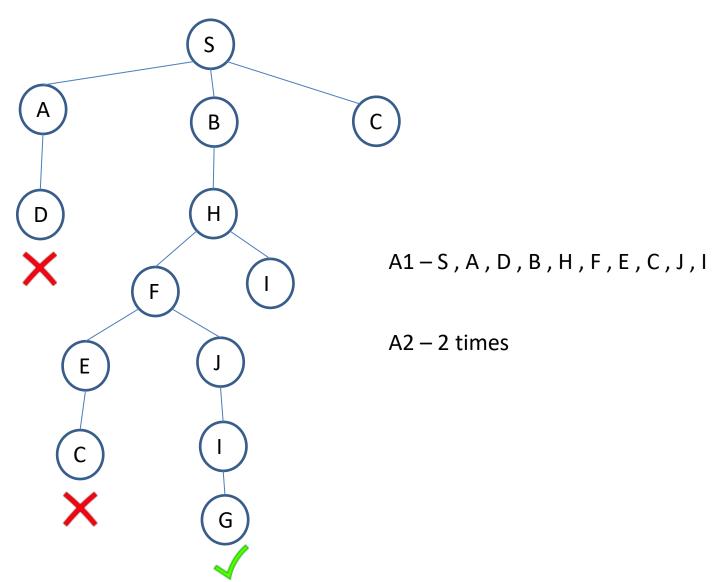
A*

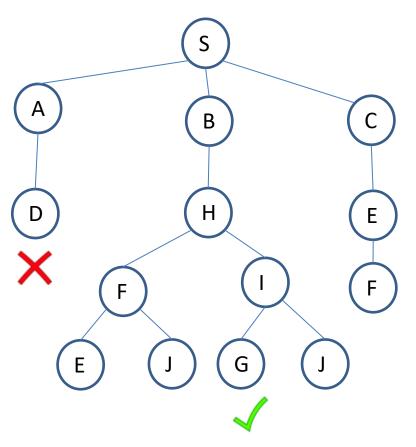
- A* = Branch and bound + Extended list + Admissible heuristics
- Initialize the queue with the *Initial state*, having a zero-length path
- REPEAT until at least one path in the queue terminates at the goal node OR queue is empty
 - Remove the first path from queue -> firstPath
 - Extends the *firstPath* to all the neighbours (except the neighbors that are already in the *firstPath*) of the terminal node -> *newPaths*
 - Add the newPath (if exists) to the queue
 - Sort the entire queue by the sum of the path length and a lowerbound estimate of the cost remaining, with least-cost in front
- If the goal is found return SUCCESS

A* - admissibility problem

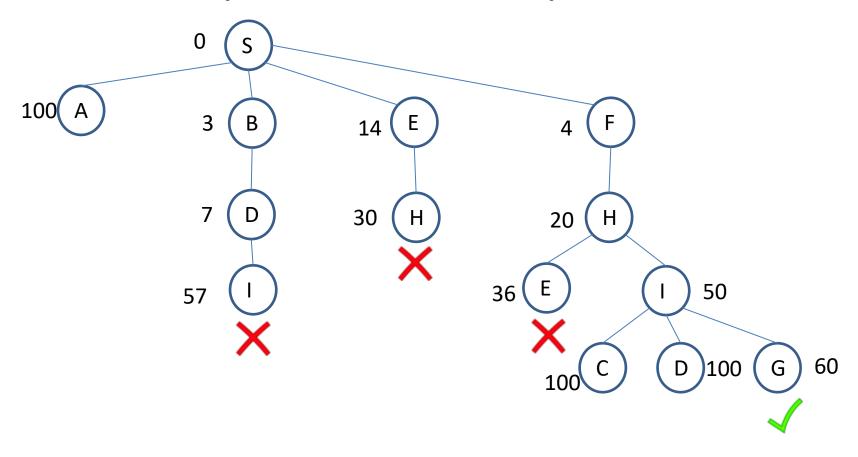


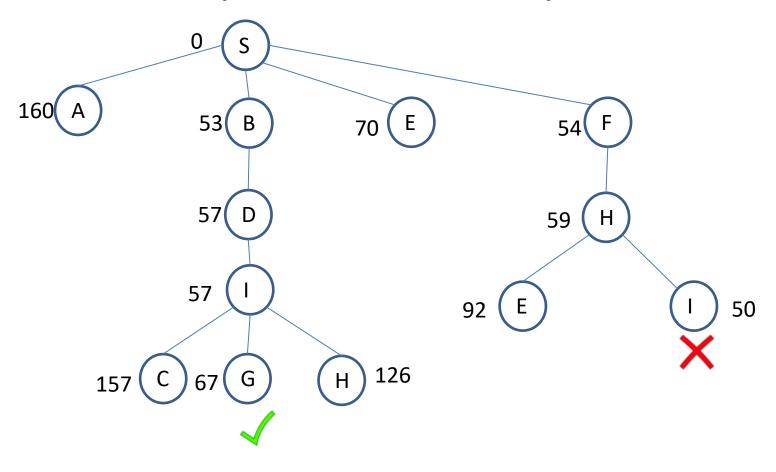
- ADMISSIBLE heuristic if the estimated distance (H) between any node X and the goal G is less or equal to the actual distance between the X and the goal (works if it's a map)
 - $H(X,G) \leq D(X,G)$
- CONSISTENCY for every 2 nodes X and Y if
 - $| H(X,G) H(Y,G) | \le D(X,Y)$





A3-S,A,B,C,D,H,E,F,I





B3 - Heuristics is not consistent.

Related resources

• http://ocw.mit.edu/courses/electrical-engineering-and-computer-science/6-034-artificial-intelligence-fall-2010/exams/MIT6_034F10_quiz1_2008.pdf

Readings

Artificial Intelligence (3rd Edition), Patrick Winston, Chapter 4 and Chapter 5