Final_raisin

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1. Load data

```
library(readxl)
library(car)
## Loading required package: carData
library(tidyverse)
## -- Attaching core tidyverse packages ----- tidyverse 2.0.0 --
## v dplyr 1.1.4
                         v readr 2.1.5
## v forcats 1.0.0
                      v stringr 1.5.1
## v ggplot2 3.5.0 v tibble 3.2.1
## v lubridate 1.9.3
                      v tidyr 1.3.1
## v purrr
               1.0.2
## -- Conflicts ----- tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag() masks stats::lag()
## x dplyr::recode() masks car::recode()
## x purrr::some() masks car::some()
## i Use the conflicted package (<a href="http://conflicted.r-lib.org/">http://conflicted.r-lib.org/</a>) to force all conflicts to become error
raisin<-read_excel("Raisin_Dataset.xlsx")</pre>
raisin$Class<-factor(raisin$Class)</pre>
str(raisin)
## tibble [900 x 8] (S3: tbl_df/tbl/data.frame)
## $ Area
                     : num [1:900] 87524 75166 90856 45928 79408 ...
## $ MajorAxisLength: num [1:900] 442 407 442 287 352 ...
## $ MinorAxisLength: num [1:900] 253 243 266 209 291 ...
## $ Eccentricity : num [1:900] 0.82 0.802 0.798 0.685 0.564 ...
## $ ConvexArea : num [1:900] 90546 78789 93717 47336 81463 ...
## $ Extent : num [1:900] 0.759 0.684 0.638 0.7 0.793 
## $ Perimeter : num [1:900] 1184 1122 1209 844 1073 ... 
## $ Class : Factor w/ 2 levels "Besni", "Kecimen": 2
                    : num [1:900] 0.759 0.684 0.638 0.7 0.793 ...
                     : Factor w/ 2 levels "Besni", "Kecimen": 2 2 2 2 2 2 2 2 2 2 ...
```

2. EDA (Exploratory Data Analysis)

```
options(scipen = 999)
#Summary table
library(skimr)
library(gt)
skim_tb<-skim(raisin)</pre>
raisin_summary<-data.frame(</pre>
  Type = skim_tb$skim_type,
  Variables = skim_tb$skim_variable,
  Missing = skim_tb$n_missing,
  Min = skim_tb$numeric.p0,
  Mean = skim_tb$numeric.mean,
  Median = skim_tb$numeric.p50,
  Max = skim_tb$numeric.p100,
  SD = skim_tb$numeric.sd
raisin_summary[2:8,4:8] <-round(raisin_summary[2:8,4:8],2)</pre>
gt(raisin_summary)%>%
  tab_header(
    title = "STATISTICAL SUMMARY TABLE"
```

STATISTICAL SUMMARY TABLE

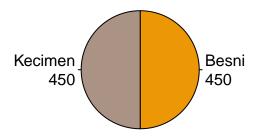
Type	Variables	Missing	Min	Mean	Median	Max	SD
factor	Class	0	NA	NA	NA	NA	NA
numeric	Area	0	25387.00	87804.13	78902.00	235047.00	39002.11
numeric	MajorAxisLength	0	225.63	430.93	407.80	997.29	116.04
numeric	MinorAxisLength	0	143.71	254.49	247.85	492.28	49.99
numeric	Eccentricity	0	0.35	0.78	0.80	0.96	0.09
numeric	ConvexArea	0	26139.00	91186.09	81651.00	278217.00	40769.29
numeric	Extent	0	0.38	0.70	0.71	0.84	0.05
numeric	Perimeter	0	619.07	1165.91	1119.51	2697.75	273.76

```
raisin[c(86,291),]
```

```
## # A tibble: 2 x 8
##
      Area MajorAxisLength MinorAxisLength Eccentricity ConvexArea Extent
##
      <dbl>
                      <dbl>
                                      <dbl>
                                                   <dbl>
                                                              <dbl> <dbl>
## 1 180898
                                       323.
                                                   0.924
                                                             221396 0.454
                       844.
## 2 136340
                      723.
                                       311.
                                                   0.902
                                                             176818 0.530
## # i 2 more variables: Perimeter <dbl>, Class <fct>
```

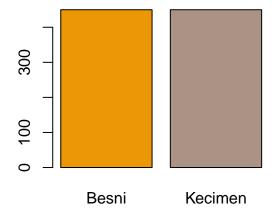
```
# Pie Chart from data frame with Appended Sample Sizes
mytable <- table(raisin$Class)
lbls <- paste(names(mytable), "\n", mytable, sep="")
pie(mytable, labels = lbls, clockwise = T,col=c("#EC9706","#AA9385"),
    main="Pie Chart of Raisin's Class")</pre>
```

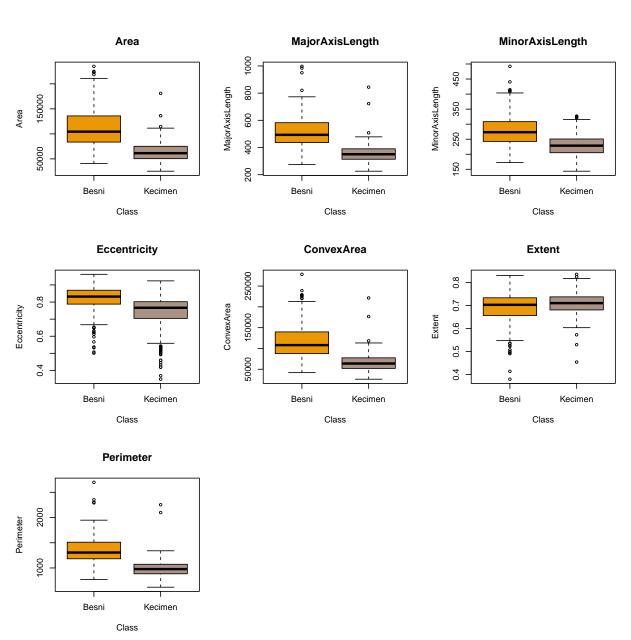
Pie Chart of Raisin's Class



```
# Histogram of raisin
plot(raisin$Class,col=c("#EC9706","#AA9385"), main= "Histogram of the Raisin's types")
```

Histogram of the Raisin's types



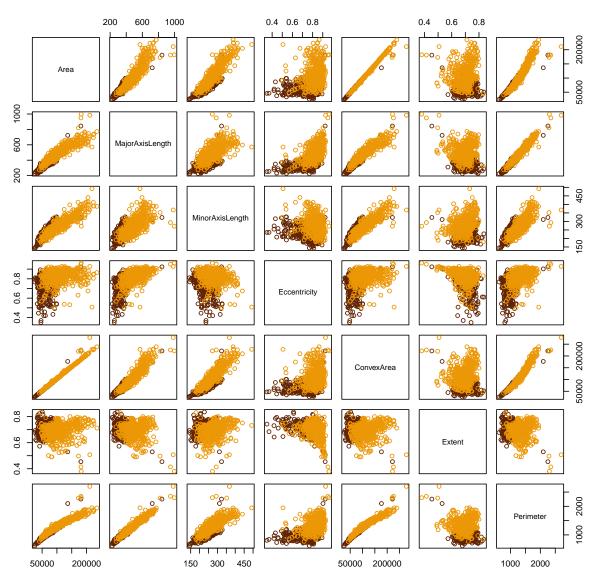


According to the multiple boxplot, the Besni raisin seems to have higher median in each measurement than the Kecimen raisin.

c. Matrix Scatter plot

```
class_col<-ifelse(raisin$Class=="Besni","#EC9706","#612302")
pairs(raisin[1:7],
    pch = 21,
    col = class_col,
    main = "Matrix Scatter Plot")</pre>
```

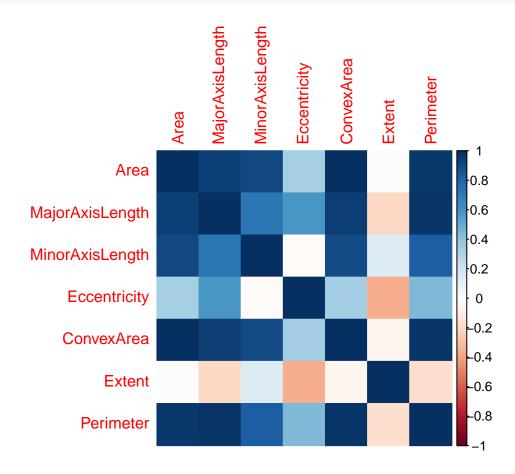
Matrix Scatter Plot



```
# Correlation Heatmap
library(corrplot)
```

corrplot 0.92 loaded

```
corr_matrix<-cor(raisin[,1:7])
corrplot(corr_matrix, method="color")</pre>
```



3. Statistic Analysis

a. Full model

```
fullmodel<-glm(Class ~ . ,data = raisin, family = binomial)</pre>
summary(fullmodel)
##
## Call:
## glm(formula = Class ~ ., family = binomial, data = raisin)
## Coefficients:
##
                   Estimate Std. Error z value
                                                 Pr(>|z|)
                  2.2319880 7.0449015
## (Intercept)
                                       0.317
                                                 0.751378
                 -0.0005010 0.0001244 -4.027 0.0000566058 ***
## Area
## MajorAxisLength 0.0445871 0.0159710
                                       2.792
                                                 0.005242 **
## MinorAxisLength 0.0910874 0.0269403
                                       3.381
                                                 0.000722 ***
## Eccentricity
                  3.8908609 4.9124257
                                       0.792
                                                 0.428335
## ConvexArea
                  0.0004089 0.0001191
                                       3.434
                                                 0.000594 ***
## Extent
                                      0.251
                                                 0.801502
                  0.6828128 2.7159964
## Perimeter
                 ## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## (Dispersion parameter for binomial family taken to be 1)
##
      Null deviance: 1247.66 on 899 degrees of freedom
## Residual deviance: 608.98 on 892 degrees of freedom
## AIC: 624.98
##
## Number of Fisher Scoring iterations: 7
nullmodel <- glm (Class~1, data=raisin, family=binomial)
summary(nullmodel)
##
## glm(formula = Class ~ 1, family = binomial, data = raisin)
##
## Coefficients:
##
                           Estimate
                                              Std. Error z value Pr(>|z|)
## (Dispersion parameter for binomial family taken to be 1)
##
      Null deviance: 1247.7 on 899 degrees of freedom
## Residual deviance: 1247.7 on 899 degrees of freedom
## AIC: 1249.7
## Number of Fisher Scoring iterations: 2
```

b. Variable selection:

AIC backward:

```
model1<-step(fullmodel,trace=0)</pre>
summary(model1)
##
## Call:
## glm(formula = Class ~ Area + MajorAxisLength + MinorAxisLength +
      ConvexArea + Perimeter, family = binomial, data = raisin)
##
## Coefficients:
                    Estimate Std. Error z value
##
                                                   Pr(>|z|)
## (Intercept)
                   6.7317525 4.4215966
                                         1.522
                                                   0.127891
                  ## Area
## MajorAxisLength 0.0467310 0.0156343
                                         2.989
                                                   0.002799 **
## MinorAxisLength 0.0788838 0.0212508
                                         3.712
                                                   0.000206 ***
                   0.0003990 0.0001127
## ConvexArea
                                         3.540
                                                   0.000401 ***
## Perimeter
                  -0.0360055 0.0063523 -5.668 0.0000000144 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## (Dispersion parameter for binomial family taken to be 1)
##
      Null deviance: 1247.66 on 899 degrees of freedom
##
## Residual deviance: 609.64 on 894 degrees of freedom
## AIC: 621.64
## Number of Fisher Scoring iterations: 7
# Multicolinearity
vif(model1)
##
             Area MajorAxisLength MinorAxisLength
                                                      ConvexArea
                                                                      Perimeter
##
        429.59691
                         68.26062
                                        51.69712
                                                       431.27441
                                                                       65.34105
```

Since the Area and CovexArea has a high multi colinearity. We decide to drop ConvexArea in the model1

Pr(>|z|)

0.4294

0.0476 *

glm(formula = Class ~ Area + MajorAxisLength + MinorAxisLength +

Estimate Std. Error z value

3.3473160 4.2360894 0.790

-0.0001113 0.0000562 -1.981

Perimeter, family = binomial, data = raisin)

Call:

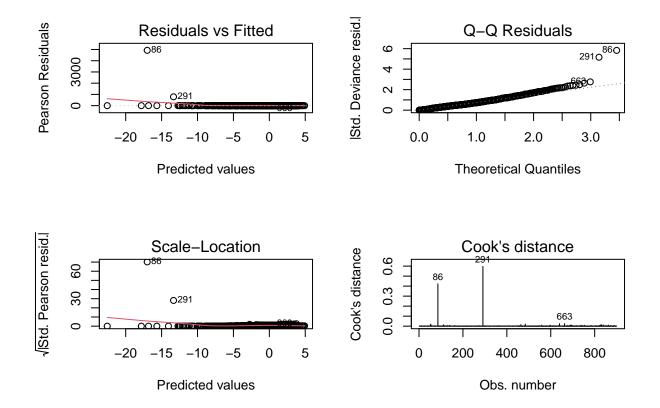
Area

##

Coefficients:

(Intercept)

```
## MajorAxisLength 0.0321112 0.0148931
                                       2.156
                                                   0.0311 *
## MinorAxisLength 0.0682675 0.0209138 3.264
                                                   0.0011 **
## Perimeter -0.0219106 0.0044520 -4.921 0.000000859 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## (Dispersion parameter for binomial family taken to be 1)
##
##
      Null deviance: 1247.7 on 899 degrees of freedom
## Residual deviance: 618.6 on 895 degrees of freedom
## AIC: 628.6
## Number of Fisher Scoring iterations: 7
par(mfrow=c(2,2))
plot(model2,1:4)
```



c. Transformation:

PT<-powerTransform(cbind(Area, MajorAxisLength, MinorAxisLength, Perimeter)~1, data=raisin) summary(PT)

```
## bcPower Transformations to Multinormality
##
                   Est Power Rounded Pwr Wald Lwr Bnd Wald Upr Bnd
## Area
                     -0.1786
                                    -0.18
                                               -0.2181
                                                             -0.1392
## MajorAxisLength
                     -0.3810
                                    -0.33
                                               -0.4475
                                                             -0.3145
                                    -0.33
                                               -0.4985
## MinorAxisLength
                     -0.4007
                                                             -0.3029
## Perimeter
                     -0.4228
                                    -0.50
                                               -0.5112
                                                             -0.3344
##
## Likelihood ratio test that transformation parameters are equal to 0
##
    (all log transformations)
                                                               pval
##
                                     LRT df
## LR test, lambda = (0 0 0 0) 141.9336 4 < 0.0000000000000000222
##
## Likelihood ratio test that no transformations are needed
                                     LRT df
## LR test, lambda = (1 1 1 1) 3101.776 4 < 0.0000000000000000222
```

```
transform1 < -glm(Class \sim I((Area^{-1/5})-1)/(-1/5)) + I((MajorAxisLength^{-1/3})-1)/(-1/3)) + I((MinorAxisLength^{-1/3})-1)/(-1/3)) + I((MinorAxisLength^{-1/3})-1)/(-1/3) + I((
                                                              data = raisin, family = binomial)
summary(transform1)
##
## glm(formula = Class ~ I((Area^{-1/5}) - 1)/(-1/5)) + I((MajorAxisLength^{-1/3}) - 1)
                           1)/(-1/3)) + I((MinorAxisLength^(-1/3) - 1)/(-1/3)) + I((Perimeter^(-1/2) - 1)/(-1/3))) + I((Perimet
                           1)/(-1/2), family = binomial, data = raisin)
##
## Coefficients:
                                                                                                                                                                   Estimate Std. Error z value
                                                                                                                                                                                                                                                                                               Pr(>|z|)
## (Intercept)
                                                                                                                                                                                                                                                        5.702 0.0000000119
                                                                                                                                                                       1662.99
                                                                                                                                                                                                                291.67
## I((Area^{-1/5}) - 1)/(-1/5))
                                                                                                                                                                           -65.64
                                                                                                                                                                                                                        90.47 -0.726
                                                                                                                                                                                                                                                                                                            0.468
## I((MajorAxisLength^(-1/3) - 1)/(-1/3))
                                                                                                                                                                           106.12
                                                                                                                                                                                                                        84.36
                                                                                                                                                                                                                                                        1.258
                                                                                                                                                                                                                                                                                                            0.208
## I((MinorAxisLength^(-1/3) - 1)/(-1/3))
                                                                                                                                                                          107.08
                                                                                                                                                                                                                        66.29
                                                                                                                                                                                                                                                     1.615
                                                                                                                                                                                                                                                                                                           0.106
## I((Perimeter^(-1/2) - 1)/(-1/2))
                                                                                                                                                                       -986.90
                                                                                                                                                                                                                     177.39 -5.564 0.0000000264
## (Intercept)
## I((Area^(-1/5) - 1)/(-1/5))
## I((MajorAxisLength^(-1/3) - 1)/(-1/3))
## I((MinorAxisLength^(-1/3) - 1)/(-1/3))
## I((Perimeter^(-1/2) - 1)/(-1/2))
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## (Dispersion parameter for binomial family taken to be 1)
##
##
                           Null deviance: 1247.66 on 899 degrees of freedom
## Residual deviance: 606.66 on 895 degrees of freedom
## AIC: 616.66
## Number of Fisher Scoring iterations: 6
d. Evaluation:
library(pROC)
## Type 'citation("pROC")' for a citation.
## Attaching package: 'pROC'
## The following objects are masked from 'package:stats':
##
##
```

logistic_models <- list(fullmodel,model1,model2,transform1, nullmodel)</pre>

cov, smooth, var

Prediction

Accuracy_score <- c()</pre>

```
confusion_matrix <-list()</pre>
AUC_score<-c()
AIC_score<-c()
for (i in seq_along(logistic_models)) {
  probabilities <- predict(logistic_models[[i]], newdata = raisin, type="response")</pre>
  predictions <- ifelse(probabilities>0.5, "Kecimen", "Besni")
  cm<-table(prediction =predictions, actual=raisin$Class)</pre>
  confusion_matrix[[i]]<-cm</pre>
  acc<-sum(diag(cm))/900
  Accuracy_score[[i]]<-acc</pre>
 roc_obj<-roc(raisin$Class,probabilities)</pre>
  auc_score<-auc(roc_obj)</pre>
  AUC_score[[i]] <-auc_score
  aic_score<-AIC(logistic_models[[i]])</pre>
  AIC_score[[i]] <-aic_score
## Setting levels: control = Besni, case = Kecimen
## Setting direction: controls < cases
## Setting levels: control = Besni, case = Kecimen
## Setting direction: controls < cases
## Setting levels: control = Besni, case = Kecimen
## Setting direction: controls < cases
## Setting levels: control = Besni, case = Kecimen
## Setting direction: controls < cases
## Setting levels: control = Besni, case = Kecimen
## Setting direction: controls < cases
models=c('fullmodel','model1','model2','transform1', 'nullmodel')
cbind(models,Accuracy_score,AUC_score,AIC_score)
##
        models
                     Accuracy_score AUC_score AIC_score
## [1,] "fullmodel" 0.8577778
                                     0.9279111 624.9814
## [2,] "model1"
                     0.8555556
                                     0.9278864 621.6371
## [3,] "model2"
                                     0.9333531 628.6019
                     0.8611111
## [4,] "transform1" 0.87
                                     0.9345333 616.6606
## [5,] "nullmodel" 0.5
                                     0.5
                                               1249.665
```

MULTIPLE LOGISTICS REGRESSION MODELS

Models	Num.Predictors	Accuracy	AUC	AIC
fullmodel	7	0.8577778	0.9279111	624.9814
model1	5	0.8555556	0.9278864	621.6371
model2	4	0.8611111	0.9333531	628.6019
transform1	4	0.8700000	0.9345333	616.6606
$\operatorname{nullmodel}$	0	0.5000000	0.5000000	1249.6649

^{=&}gt; Conclusion: 'transform1' has the good value in most of metrics, however the p_value in the summary table shows that the coefficient are not significant. The full model also did a great job in clasification of the raisin model, however the evaluate metric is lower than 'model2'. In conclusion, we choose 'model2' which has 4 predictors (Area, MajorAxisLength, MinorAxisLength, Perimeter) as the final model.

4. Cross validation:

a. Split data:

```
set.seed(666)
n<-nrow(raisin)
train_index<-sample(1:n,round(0.7*n))
trainset<-raisin[train_index,]
testset<-raisin[-train_index,]</pre>
```

b. Our model:

```
# Fit model on train set
glm.train<-glm(Class ~ Area + MajorAxisLength + MinorAxisLength +
    Perimeter, data = trainset, family = binomial)
summary(glm.train)</pre>
```

```
##
## Call:
## glm(formula = Class ~ Area + MajorAxisLength + MinorAxisLength +
     Perimeter, family = binomial, data = trainset)
##
## Coefficients:
                  Estimate Std. Error z value Pr(>|z|)
##
## (Intercept)
               -0.21208366 4.88890062 -0.043 0.965398
               ## Area
## MajorAxisLength 0.03336397 0.01723271 1.936 0.052857 .
## MinorAxisLength 0.07633034 0.02431499 3.139 0.001694 **
## Perimeter
               ## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## (Dispersion parameter for binomial family taken to be 1)
##
     Null deviance: 873.37 on 629 degrees of freedom
## Residual deviance: 449.78 on 625 degrees of freedom
## AIC: 459.78
##
## Number of Fisher Scoring iterations: 7
```

```
# Evaluate
prob.test <- predict (glm.train, newdata=testset, type= "response")</pre>
preds.test<- ifelse(prob.test >0.5, "Kecimen", "Besni")
# Confusion matrix
cm1<- table (prediction = preds.test,</pre>
              actual= testset$Class)
addmargins(cm1)
##
              actual
## prediction Besni Kecimen Sum
      Besni 109 9 118
##

        Kecimen
        26
        126
        152

        Sum
        135
        135
        270

##
##
# Accuracy
Accuracy1<-sum(diag(cm1))/270</pre>
#Sensitivity (TP) identify Kecimen type of raisin
Sensitivity1 <-cm1[2,2]/135
# Specificity (TF)
Specificity1<-cm1[1,1]/135
# AUC
roc.test <- roc(testset$Class,prob.test)</pre>
## Setting levels: control = Besni, case = Kecimen
## Setting direction: controls < cases
auc_glm<-auc(roc.test)</pre>
```

c. Decision Tree:

```
# Fit trainset with decision tree
library(rpart)
tree.train<-rpart(Class~.,data=trainset, method= "class")</pre>
tree_prob <- predict (tree.train, newdata=testset)[,2]</pre>
tree_pred <- predict (tree.train, newdata=testset, type="class")</pre>
# Confusion matrix
cm2<- table (prediction = tree_pred,</pre>
              actual= testset$Class)
addmargins(cm2)
##
              actual
## prediction Besni Kecimen Sum
      Besni 108 9 117
##

        Kecimen
        27
        126
        153

        Sum
        135
        135
        270

##
##
# Accuracy
Accuracy2<-sum(diag(cm2))/270
#Sensitivity (TP) identify Kecimen type of raisin
Sensitivity2 <-cm2[2,2]/135
# Specificity (TF)
Specificity2<-cm2[1,1]/135
# AUC
tree.roc <- roc(testset$Class,tree_prob)</pre>
## Setting levels: control = Besni, case = Kecimen
## Setting direction: controls < cases
auc_tree<-auc(tree.roc)</pre>
```

d. Random Forest:

```
# Fit trainset with random forest
# library(randomForest)
set.seed(123)
rf.train<-randomForest(Class~.,data=trainset,type="classification")
# Evaluate
rf_prob <- predict (rf.train, newdata=testset,type="prob")[,2]</pre>
rf_pred <- predict (rf.train, newdata=testset, type="class")</pre>
# Confusion matrix
cm3<- table (prediction = rf_pred,</pre>
            actual= testset$Class)
addmargins(cm3)
##
            actual
## prediction Besni Kecimen Sum
##
      Besni 108 11 119
      Kecimen 27 124 151
##
          135 135 270
##
      Sum
# Accuracy
Accuracy3<-sum(diag(cm3))/270</pre>
#Sensitivity (TP) identify Kecimen type of raisin
Sensitivity3 <-cm3[2,2]/135
# Specificity (TF)
Specificity3<-cm3[1,1]/135
# AUC
rf.roc <- roc(testset$Class,rf_prob)</pre>
## Setting levels: control = Besni, case = Kecimen
## Setting direction: controls < cases
auc_rf<-auc(rf.roc)</pre>
```

e. Comparative table:

MODELS COMPARATIVE TABLE

Models	Accuracy	Sensitivity	Specificity	AUC
Logistic Regression	0.870	0.933	0.807	0.934
Decision Tree	0.867	0.933	0.800	0.867
Random Forest	0.859	0.919	0.800	0.932

Conclusion: Out final model did a great job in predicting the model, most of the metrics are higher than other machine learning method (decision tree, random forest)