Supplement S6

Assessing injury on GOM pelagic cetaceans

June 7, 2023

Introduction

In this document we present the results of the age, sex and class structured model implemented for all species/stock in the GOM.

We report here the injury metrics originally considered in Schwacke et al. (2017): (1) lost cetacean years (LCY), the difference between the baseline and injured population sizes, summed over the entire modeled time period; (2) years to recovery (YTR), the number of years required before the injured population trajectory reaches 95% of the baseline population trajectory; and (3) maximum proportional decrease (MPD), the difference between the two population trajectories when the injured trajectory is at its lowest point, divided by the baseline. Note that LCY is intuitively the metric that is most dependent on initial population size.

Running the simulations

The code below runs the simulations for all species, and stores the results in appropriate files, stored in appropriate species specific folders.

This code is included for completeness and does not need to be run as part of compiling this dynamic report as the results are already available in relevant files and it takes a considerably log time to run.

Creating objects to hold summary results:

The taxonomic units and the corresponding codes considered in this document are:

- Bwsp beaked whales, Beaked whales spp
- Fatt pygmy killer whale, Feresa attenuata
- Ggri Risso's dolphin, Grampus griseus
- Gmac short-finned pilot whale, Globicephala macrorhynchus
- Kosp Kogia species, Kogia sp.
- Pele melon-headed whale, Peponocephala electra
- Pmac sperm whale, Physeter macrocephalus
- Satt pantropical spotted dolphin, Stenella attenuata
- Sbre rough-toothed dolphin, Steno bredanensis
- Scly Clymene dolphin, Stenella clymene
- Scoe striped dolphin, Stenella coeruleoalba
- Sfro Atlantic spotted dolphin, Stenella frontalis
- Slon spinner dolphin, Stenella longirostris
- Ttro offshore bottlenose dolphins, Tursiops truncatus
- Ttrs shelf bottlenose dolphins, Tursiops truncatus

We re-order the results tables upfront so that results are organized by alphabetical order of the 4 letter code used to describe the taxonomic unit (this is also the order that the species are reported in tables 1 to 3 of the offshore paper).

The data for initial population sizes and proportion exposed are imported from a txt file produced inside Supplement S3.

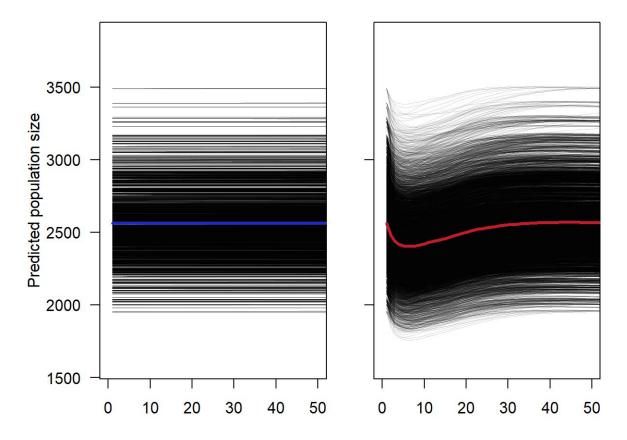
Results by species

We represent in turn, for each species, the simulated population trajectories under the oil spill and under the baseline scenarios, as well as the histograms of the distributions of the 3 injury metrics for each species. To each histogram four dashed vertical lines were added:

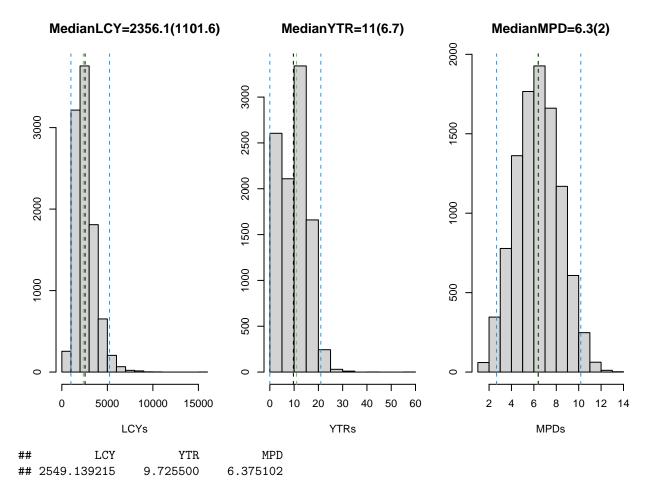
- $\bullet\,$ green median value for the injury metric
- black mean value for the injury metric
- blue 95% confidence interval for the injury metric

Physeter macrocephalus (Pmac, sperm whale)

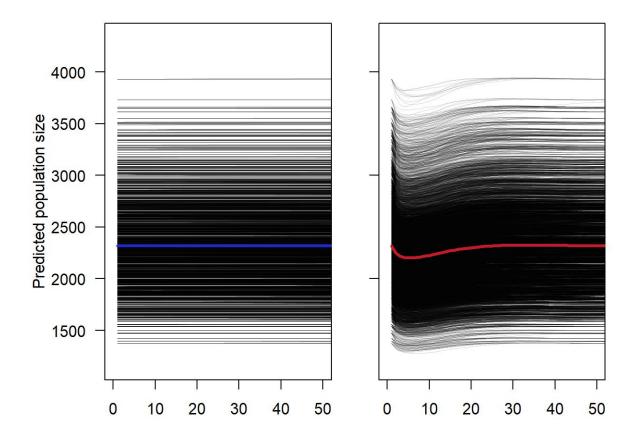
Population trajectories



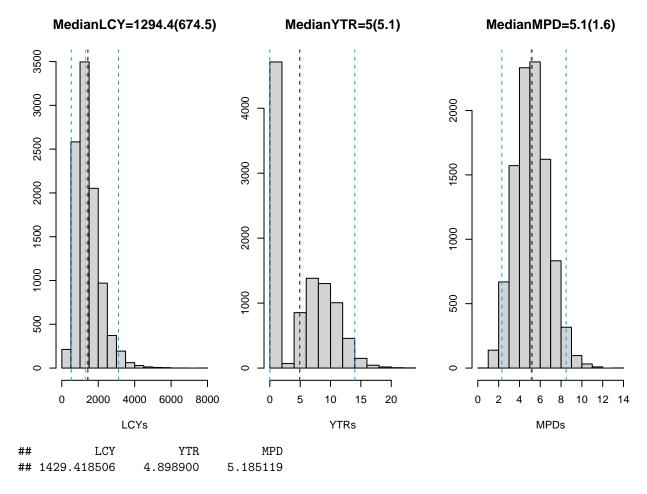
Mean for each of the injury metrics



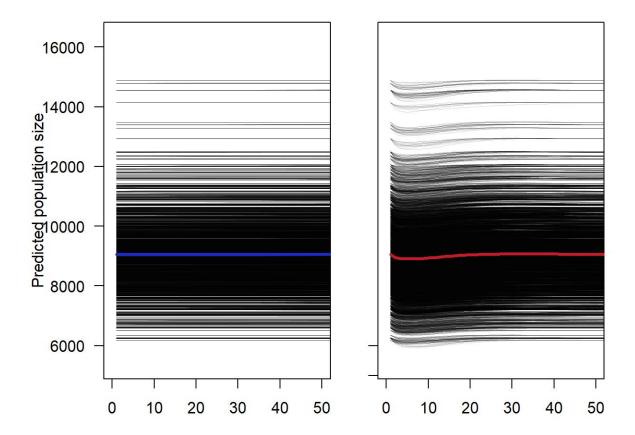
Kogia sp. (Kosp, kogia)



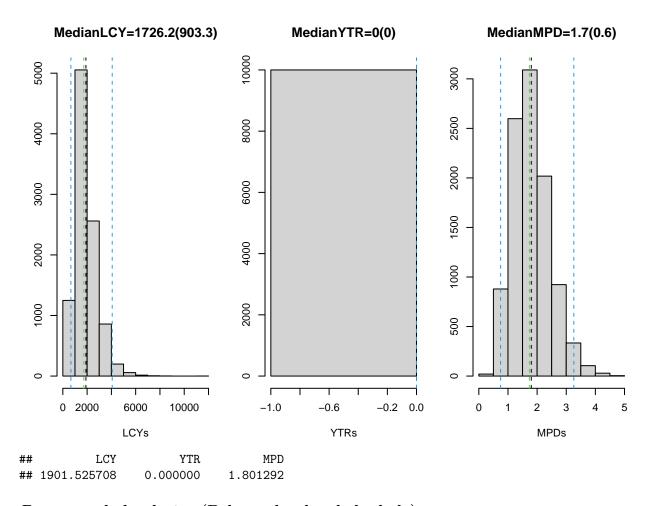
Mean for each of the injury metrics



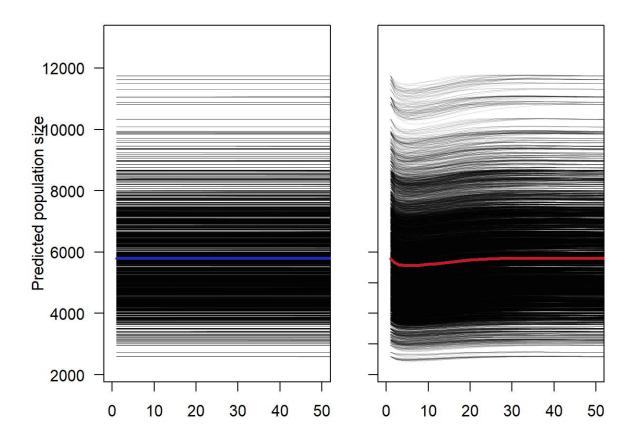
Stenella clymene (Scly, Clymene dolphin)



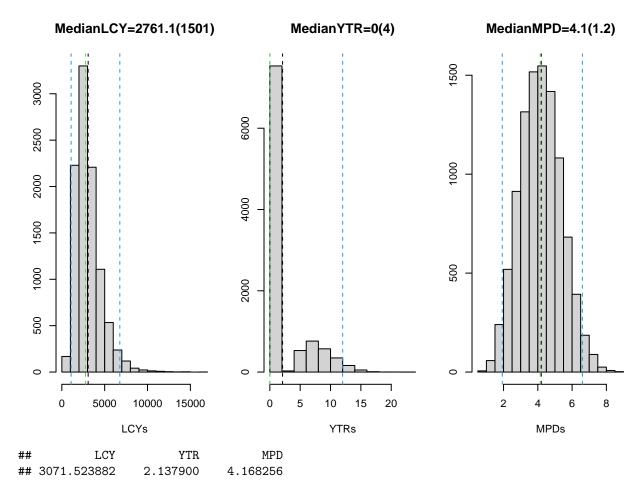
Mean for each of the injury metrics



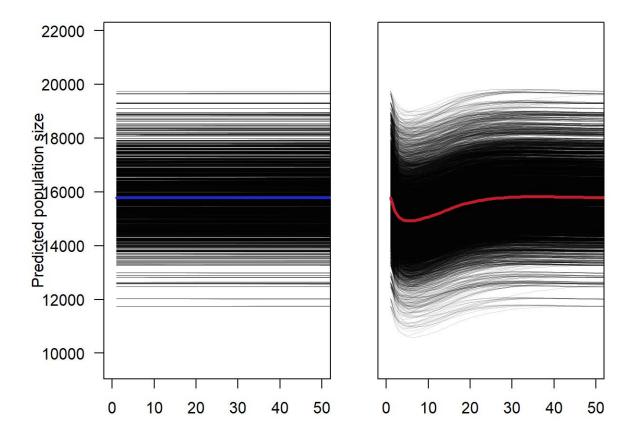
Peponocephala electra (Pele, melon-headed whale)



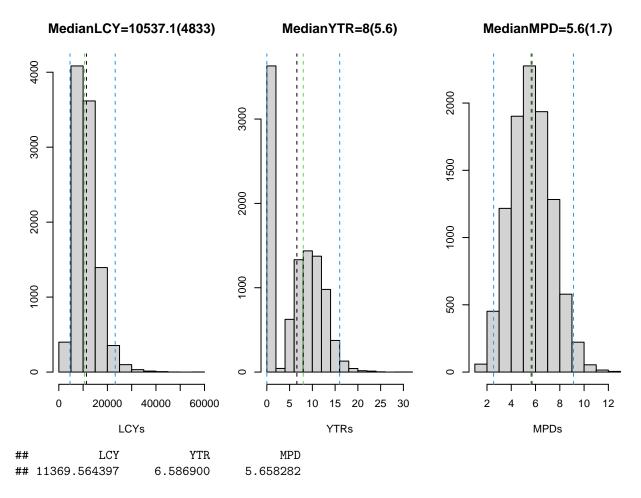
Mean for each of the injury metrics



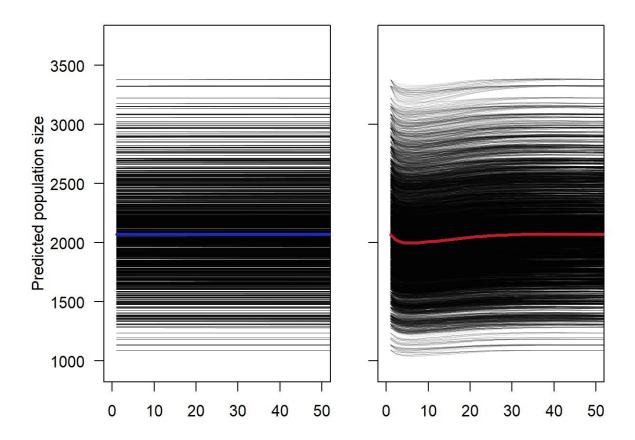
Tursiops truncatus (Ttro, offshore bottlenose dolphin)



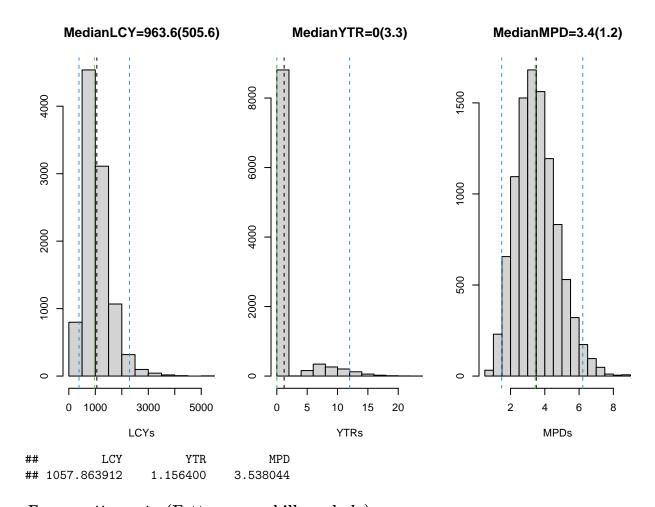
Mean for each of the injury metrics



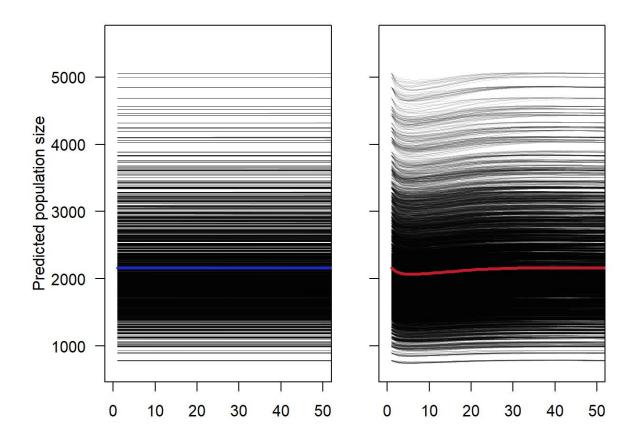
Globicephala macrorhynchus (Gmac, short finned pilot whale)



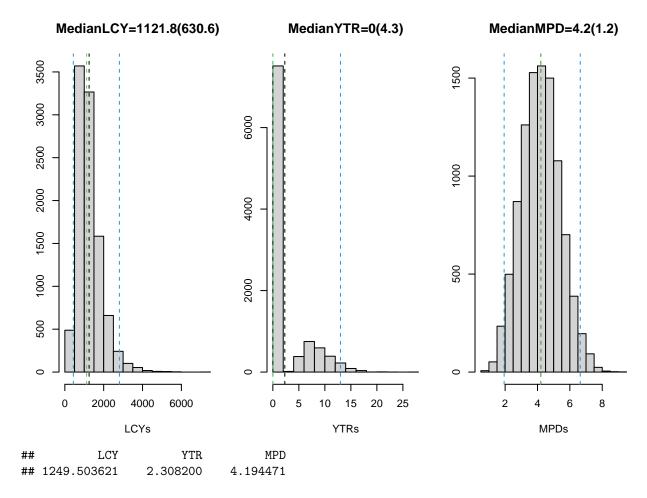
Mean for each of the injury metrics



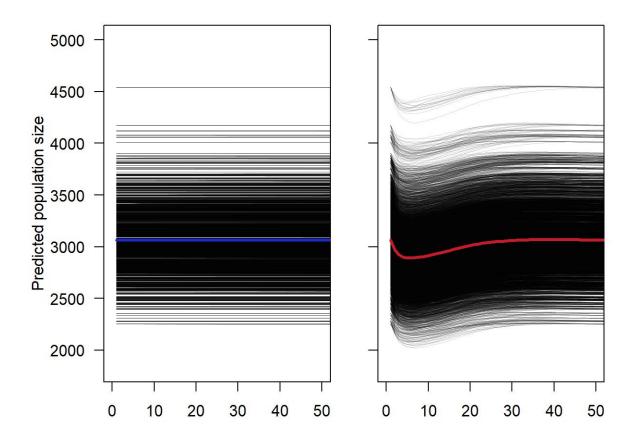
Feresa attenuata (Fatt, pygmy killer whale)



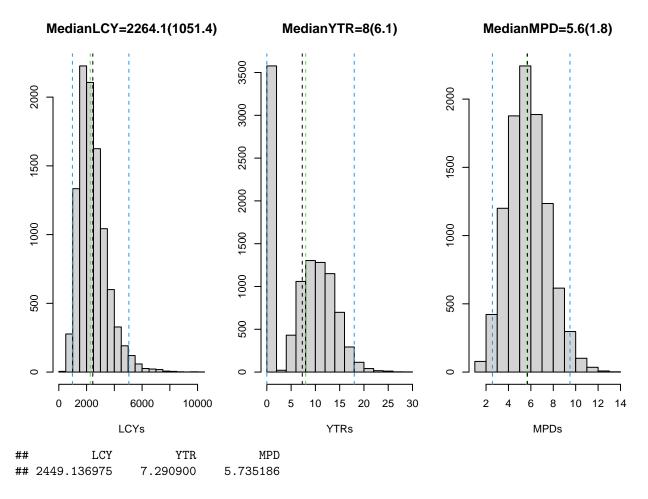
Mean for each of the injury metrics



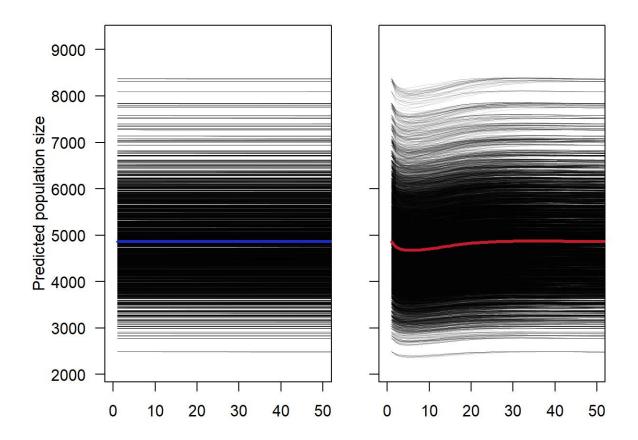
Grampus griseus (Ggri, Risso's dolphin)



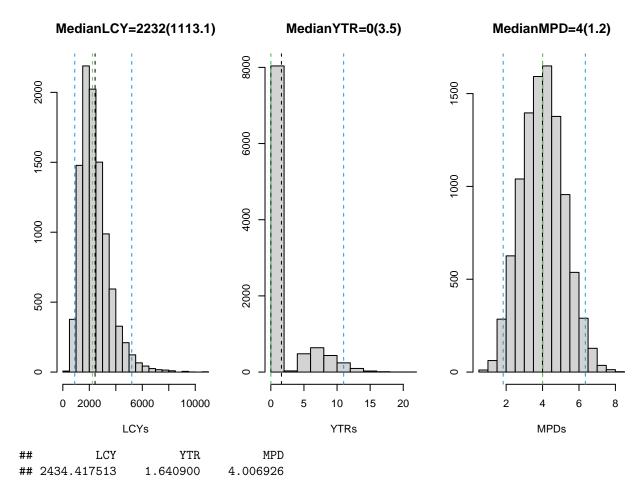
Mean for each of the injury metrics



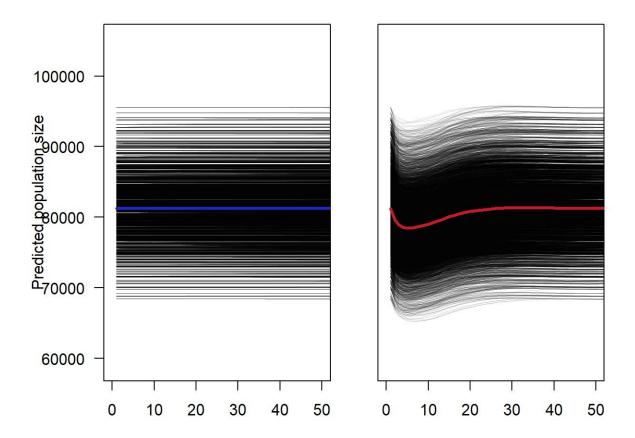
Steno bredanensis (Sbre, rough-toothed dolphin)



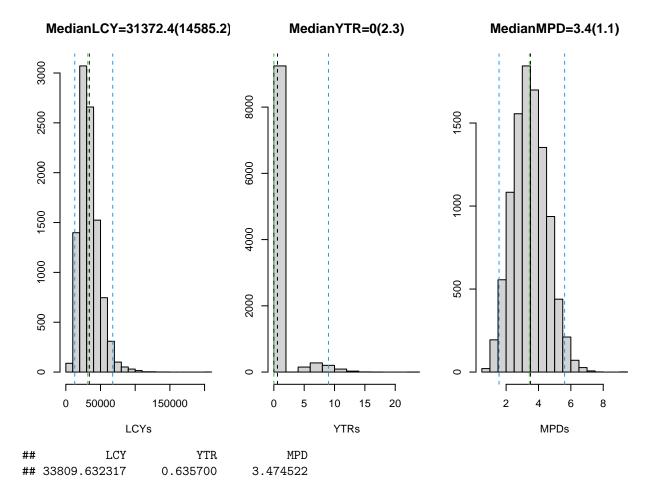
Mean for each of the injury metrics



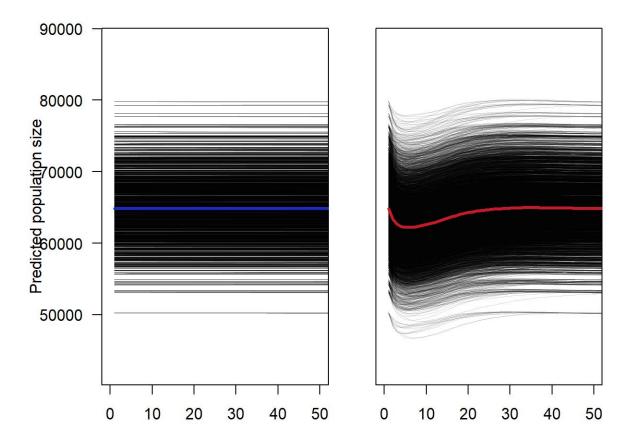
Stenella attenuata (Satt, pantropical spotted dolphin)



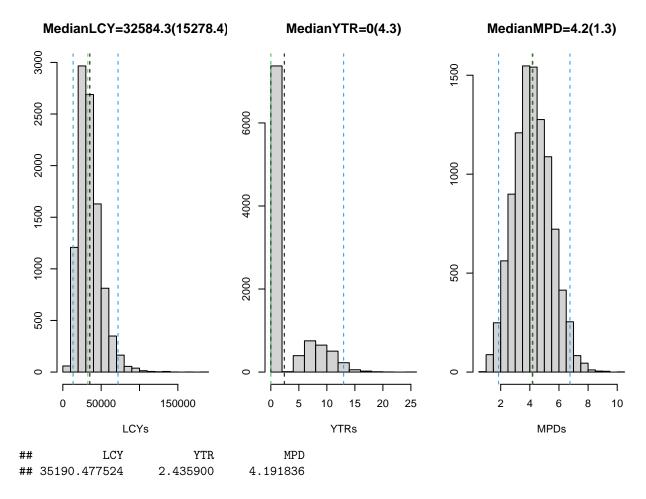
Mean for each of the injury metrics



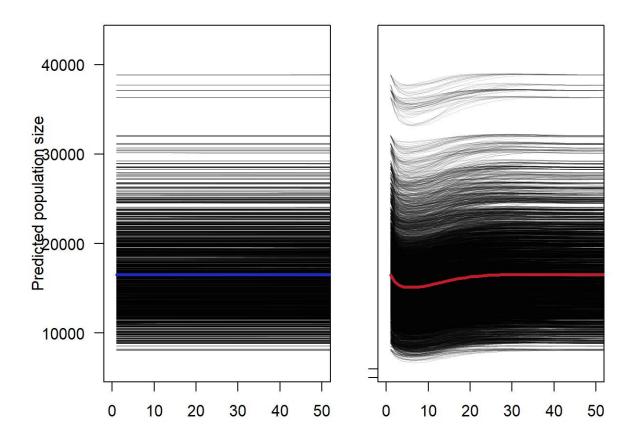
Tursiops truncatus (Ttrs, shelf bottlenose dolphin)



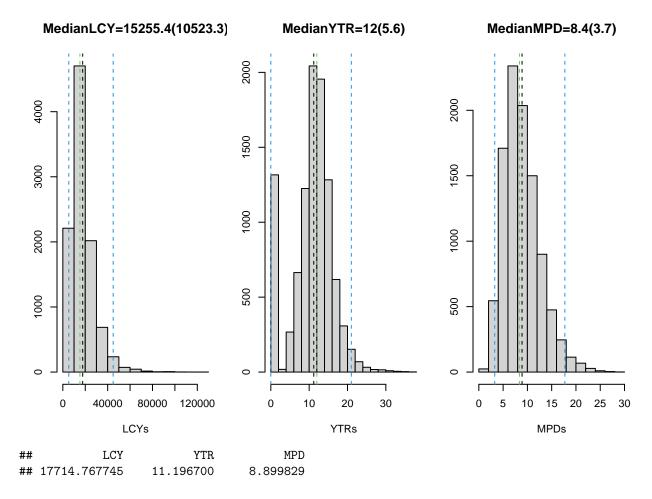
Mean for each of the injury metrics



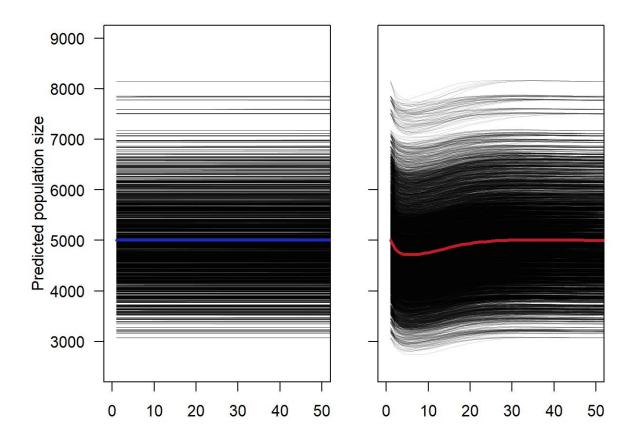
Stenella longirostris (Slon, spinner dolphin)



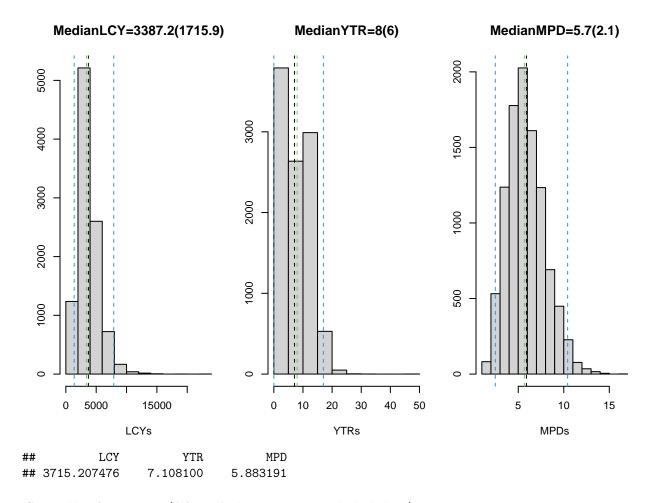
Mean for each of the injury metrics



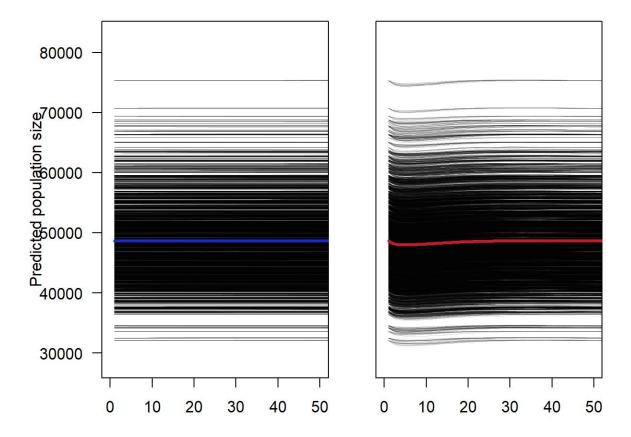
Stenella coeruleoalba (Scoe, striped dolphin)



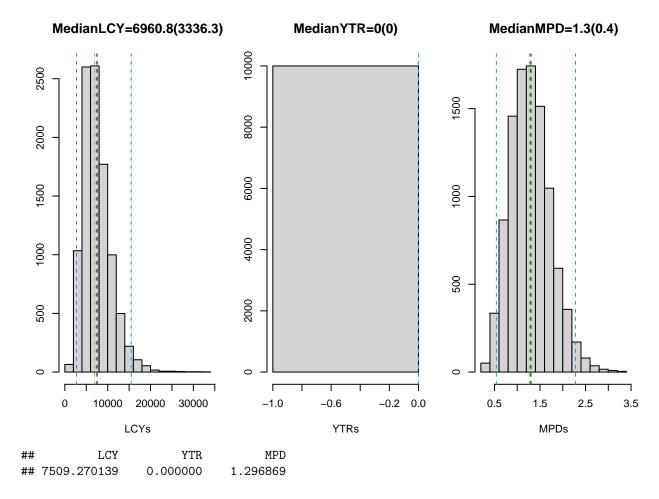
Mean for each of the injury metrics



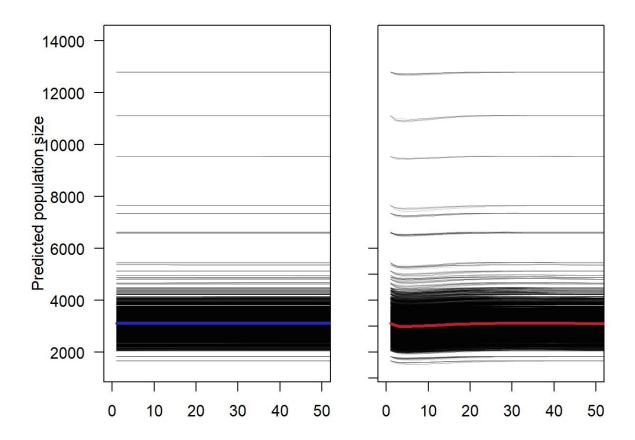
Stenella frontalis (Sfro, Atlantic spotted dolphin)



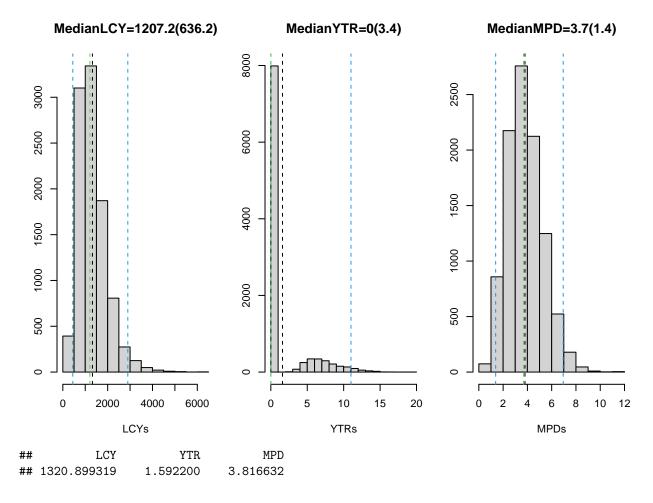
Mean for each of the injury metrics



Beaked whales spp (Bwsp)



Mean for each of the injury metrics



Comparisons across species

In this section we present some summary analysis of the results across the 15 taxonomic units considered.

Initial population and proportion exposed

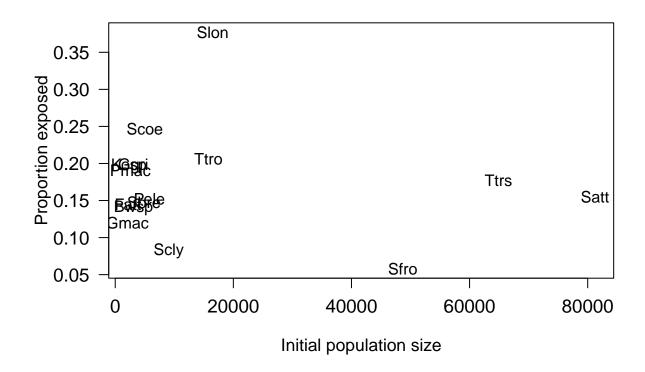
The population size and the proportion exposed are *apriori* expected to be key determinants of injury, since the population size will have a direct impact on LCY and the proportion exposed should have a direct impact on all 3 measures.

Table 1: Initial population size (N) and proportion exposed (Pexp) for the different stocks considered.

Sp	Nstart	Pexp		
Bwsp	3098	0.140		
Fatt	2152	0.145		
Ggri	3063	0.197		
Gmac	2065	0.120		
Kosp	2322	0.197		
Pele	5784	0.152		
Pmac	2561	0.191		
Satt	81233	0.155		
Sbre	4867	0.148		

$\overline{\mathrm{Sp}}$	Nstart	Pexp
Scly	9065	0.082
Scoe	5011	0.247
Sfro	48688	0.058
Slon	16501	0.377
Ttro	15791	0.206
Ttrs	64897	0.177

The proportion exposed against the initial population size is shown here for the 15 taxonomic units



Injury metrics

In the following table we present the means of the 3 injury metrics:

Table 2: Injury results for the different stocks considered.

Sp	LCY	MPD	YTR
Bwsp	1321	-0.038	1.6
Fatt	1250	-0.042	2.3
Ggri	2449	-0.057	7.3
Gmac	1058	-0.035	1.2
Kosp	1429	-0.052	4.9
Pele	3072	-0.042	2.1
Pmac	2549	-0.064	9.7

Sp	LCY	MPD	YTR
Satt	33810	-0.035	0.6
Sbre	2434	-0.040	1.6
Scly	1902	-0.018	0.0
Scoe	3715	-0.059	7.1
Sfro	7509	-0.013	0.0
Slon	17715	-0.089	11.2
Ttro	11370	-0.057	6.6
Ttrs	35190	-0.042	2.4

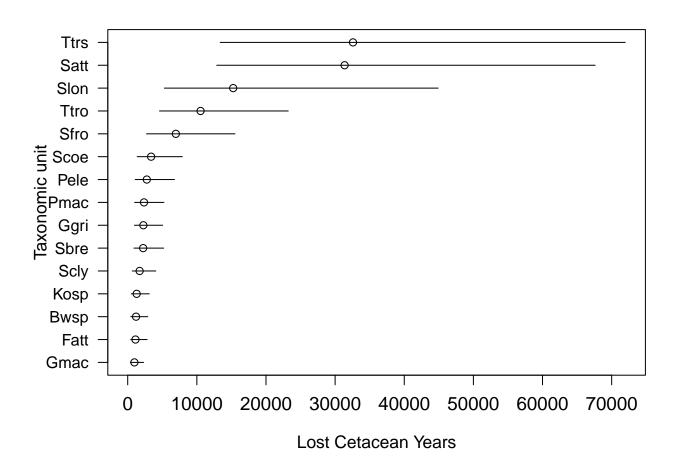
In the following table we present the medians and the 95% confidence intervals for our current estimates of injury. These correspond to the results in table 3 in the main paper.

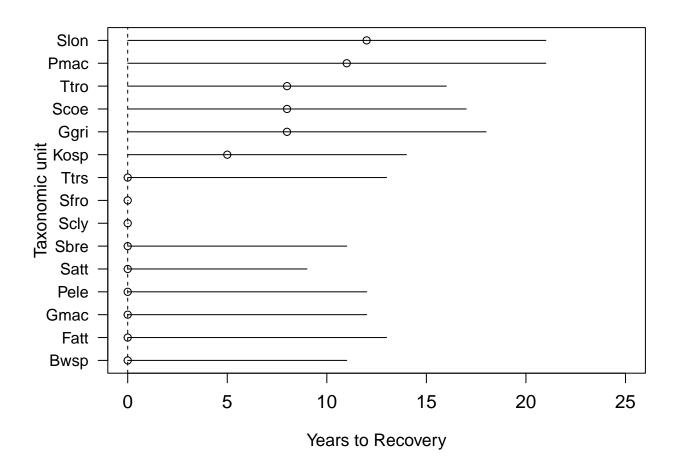
Table 3: Median injury results for the different stocks considered and respective 95% confidence intervals by the percentile method

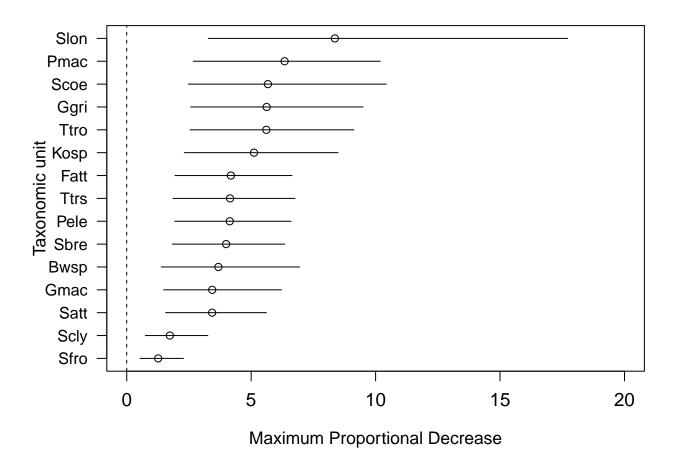
$\overline{\mathrm{Sp}}$	LCYmed	LCYl	LCYu	MPDmed	MPDl	MPDu	YTRmed	YTRl	YTRu
Bwsp	1207	445	2899	3.683	1.386	6.951	0	0	11
Fatt	1122	437	2809	4.186	1.939	6.642	0	0	13
Ggri	2264	978	5049	5.623	2.569	9.494	8	0	18
Gmac	964	385	2291	3.435	1.486	6.216	0	0	12
Kosp	1294	519	3112	5.114	2.315	8.492	5	0	14
Pele	2761	1081	6767	4.140	1.925	6.601	0	0	12
Pmac	2356	996	5240	6.344	2.672	10.189	11	0	21
Satt	31372	12884	67606	3.433	1.563	5.615	0	0	9
Sbre	2232	901	5207	3.995	1.836	6.349	0	0	11
Scly	1726	664	4067	1.734	0.747	3.261	0	0	0
Scoe	3387	1369	7897	5.673	2.479	10.426	8	0	17
Sfro	6961	2722	15509	1.264	0.542	2.280	0	0	0
Slon	15255	5302	44903	8.363	3.277	17.716	12	0	21
Ttro	10537	4597	23220	5.610	2.546	9.125	8	0	16
Ttrs	32584	13377	71967	4.152	1.859	6.758	0	0	13

These are the values that are used in table 3 of the paper, and the code to do so is in the .Rmd.

Representing the above information visually, focusing on each of the 3 injury metrics:







Exploring the injury metric results

In this section we explore the results obtained in terms of the different injury metrics and how these injury metrics might be explained by the different input parameters. To do so we consider linear models to model the mean value of the injury per species as a function of the mean values of the input parameters. After a preliminary exploratory analysis, only the following four parameters seem to have a non-negligible potential relevant effect on the injury metrics:

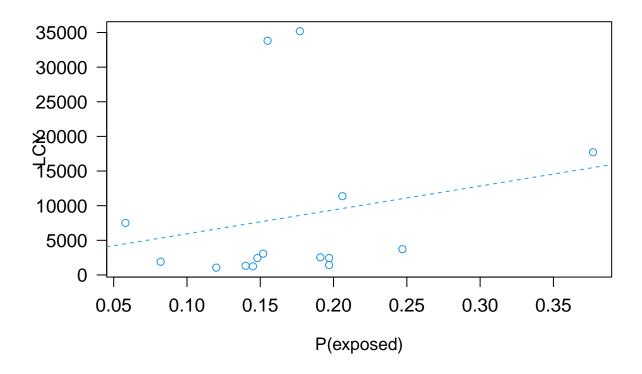
- Proportion Exposed
- Initial population size
- Gestation duration
- Survival reduction

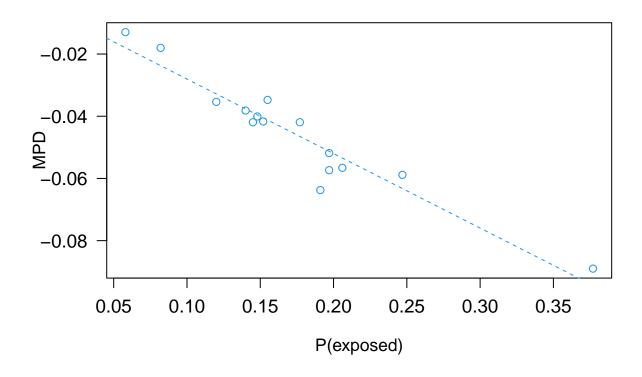
Exploratory analysis

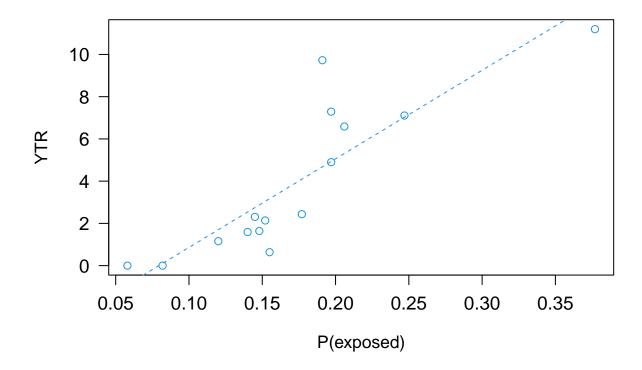
Here we plot the values of the injury metrics as a function of the four key parameters going into the model.

Proportion exposed

The next three plots describe the relationship between the proportion exposed and Lost Cetacean Years, the Maximum Proportion Decrease and the Years to recovery, respectively

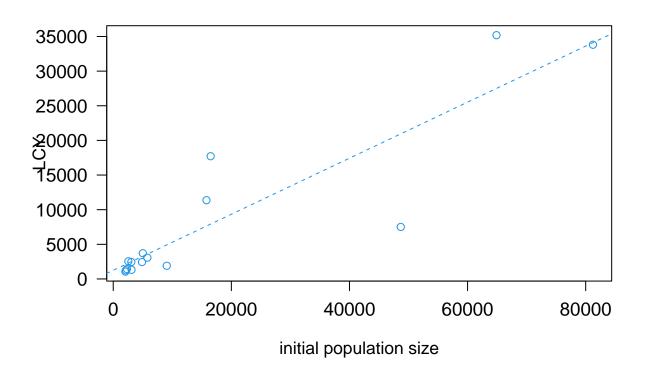


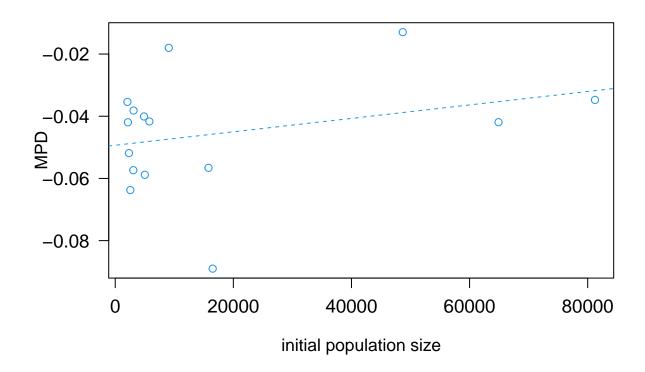


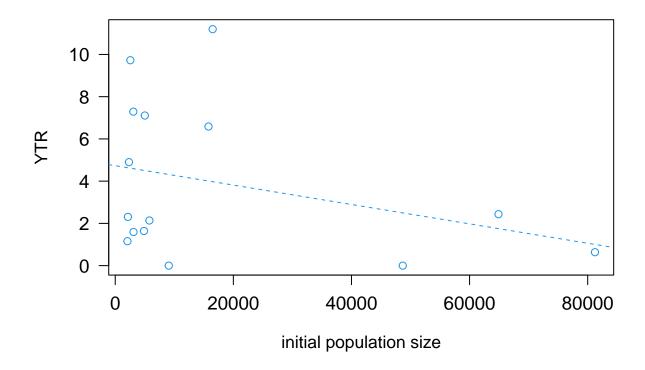


Initial population size

The next three plots describe the relationship between the initial population size and Lost Cetacean Years, the Maximum Proportion Decrease and the Years to recovery, respectively.

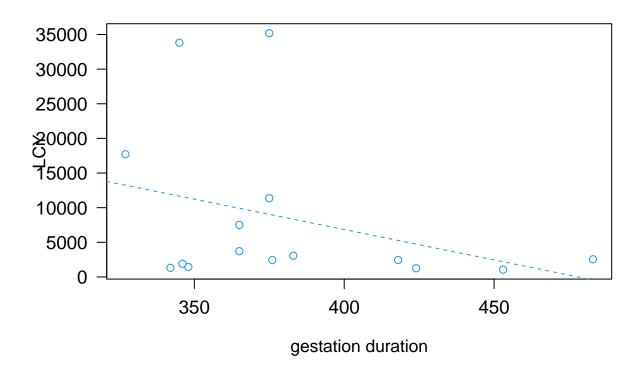


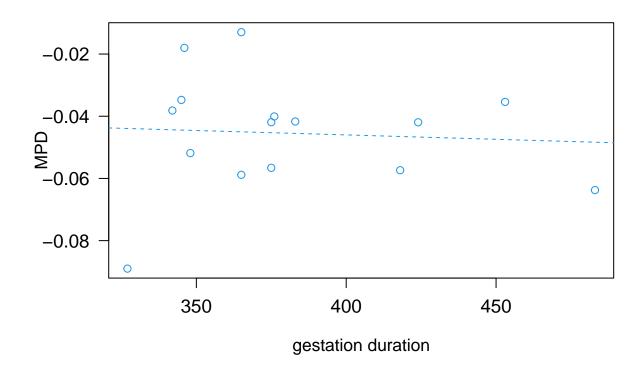


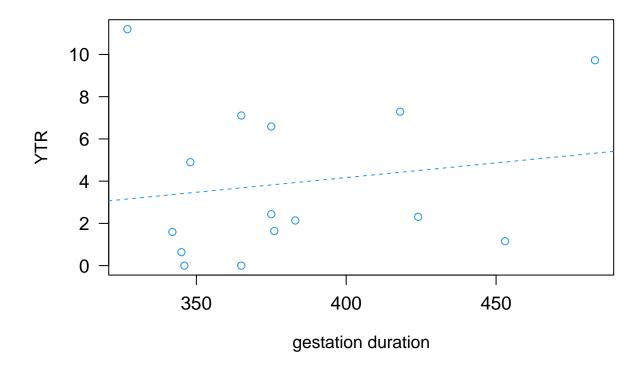


Gestation duration

The next three plots describe the relationship between the gestation duration and Lost Cetacean Years, the Maximum Proportion Decrease and the Years to recovery, respectively

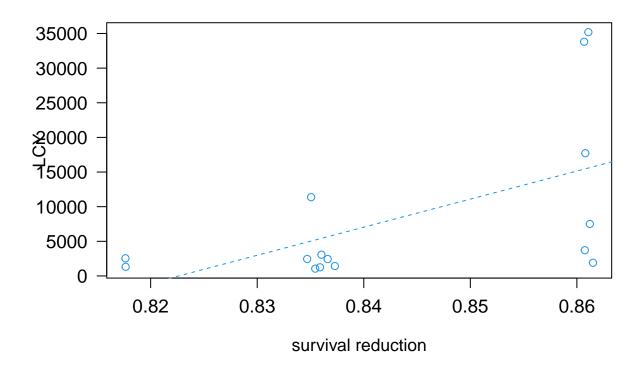


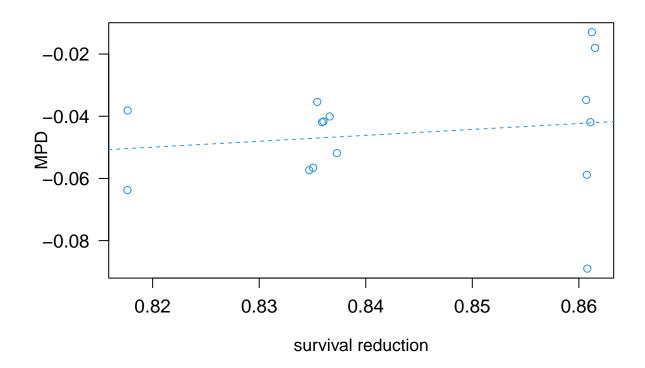


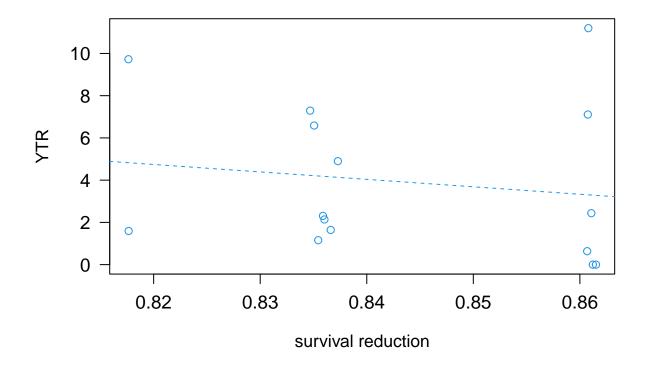


Survival reduction

The next three plots describe the relationship between the survival reduction and Lost Cetacean Years, the Maximum Proportion Decrease and the Years to recovery, respectively







Explaining injury metrics across species

Here we consider standard linear models to explain the injury metrics as a function of the input parameters. To obtain what we considered the most parsimonious model we conducted a traditional model selection approach using AIC, selecting the model with the lowest AIC.

We considered only the 4 explanatory variables which, given the exploratory data analysis above, could explain the injury metrics. Given only 4 explanatory variables, we conducted a full search over the possible models, ignoring interactions, using function bestglm from the package bestglm (McLeod & Lai, 2020).

LCY

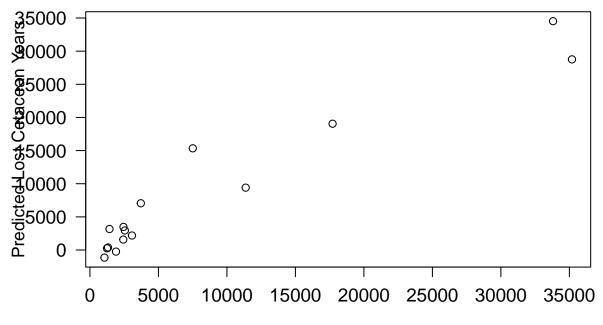
The summary of the best linear model follows.

```
## BICq equivalent for q in (0.00257603089392322, 0.714355969058066)
## Best Model:
##
                    Estimate
                                 Std. Error
                                               t value
                                                               Pr(>|t|)
## (Intercept) -8585.8086023
                              2457.09226124 -3.494296 0.00442815340683
                                  0.03567448 11.952412 0.00000005054783
## N
                   0.4263961
## p
               54656.6056191 12278.22336920 4.451508 0.00079078410382
##
## Call:
## lm(formula = y ~ p + N, data = LCY4bestglm)
##
## Residuals:
##
       Min
                1Q Median
                                 3Q
                                        Max
```

```
## -7835.4 -1189.7
                     855.8 1477.7 6430.2
##
## Coefficients:
##
                  Estimate
                           Std. Error t value
                                                   Pr(>|t|)
## (Intercept) -8585.80860
                            2457.09226
                                        -3.494
                                                   0.004428 **
              54656.60562 12278.22337
                                         4.452
                                                   0.000791 ***
## p
## N
                               0.03567 11.952 0.0000000505 ***
                   0.42640
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 3380 on 12 degrees of freedom
## Multiple R-squared: 0.9263, Adjusted R-squared:
## F-statistic: 75.45 on 2 and 12 DF, p-value: 0.0000001598
We can look at the ANOVA table for the most parsimonious model based on lowest AIC criteria.
## Analysis of Variance Table
##
## Response: y
##
             Df
                              Mean Sq F value
                                                      Pr(>F)
                    Sum Sq
## p
              1
                  91857453
                             91857453
                                        8.0395
                                                     0.01502 *
## N
              1 1632291730 1632291730 142.8602 0.00000005055 ***
## Residuals 12
                137109617
                             11425801
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

Using the most parsimonious model, the proportion of the variability explained by each input retained in the regression model and the remaining unexplained variation can be obtained from the ANOVA table of the linear regression (as shown above). The proportion of variance explained in Lost Cetacean Years by the initial population size is 87.7 %, while the proportion exposed accounts for 4.94 %. Only 7.37 of the variability remains unexplained.

We illustrate how well the model predicts the observed values in the plot below:



Observed Lost Cetacean Years

YTR

The summary of the best linear model follows.

```
## AIC
## BICq equivalent for q in (0.0565670801885914, 0.714907105110615)
## Best Model:
                   Estimate Std. Error
                                          t value
                                                        Pr(>|t|)
## (Intercept) -14.46579200 3.864204450 -3.743537 0.002803820209
                 0.02778531 0.009303748 2.986464 0.011348598337
                44.99620475 5.546928494 8.111914 0.000003260501
## p
##
## Call:
## lm(formula = y ~ p + gd, data = YTR4bestglm)
## Residuals:
              1Q Median
## -2.364 -1.229 0.256 1.220
                                2.177
##
## Coefficients:
                 Estimate Std. Error t value
                                               Pr(>|t|)
## (Intercept) -14.465792
                            3.864204
                                      -3.744
                                                 0.0028 **
                44.996205
                            5.546928
                                       8.112 0.00000326 ***
## p
## gd
                            0.009304
                                       2.986
                                                 0.0113 *
                 0.027785
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

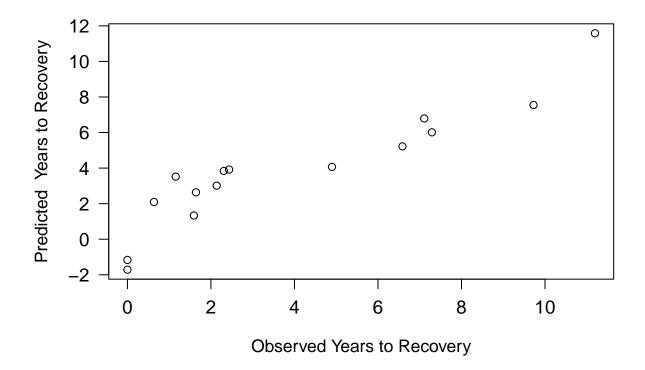
```
##
## Residual standard error: 1.515 on 12 degrees of freedom
## Multiple R-squared: 0.8502, Adjusted R-squared: 0.8253
## F-statistic: 34.06 on 2 and 12 DF, p-value: 0.00001129
```

We can look at the ANOVA table for the most parsimonious model based on lowest AIC criteria.

```
## Analysis of Variance Table
##
## Response: y
##
             \mathsf{Df}
                 Sum Sq Mean Sq F value
                                              Pr(>F)
## p
              1 135.955 135.955
                                  59.199 0.000005592 ***
                 20.483
                         20.483
                                   8.919
                                             0.01135 *
## gd
                 27.559
## Residuals 12
                           2.297
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

The proportion of variance explained in Years to Recovery by the proportion exposed is 73.89 %, while the gestation duration accounts for 11.13 %. About 14.98 % of the total variability remains unexplained.

We illustrate how well the model predicts the observed values in the plot below:



MPD

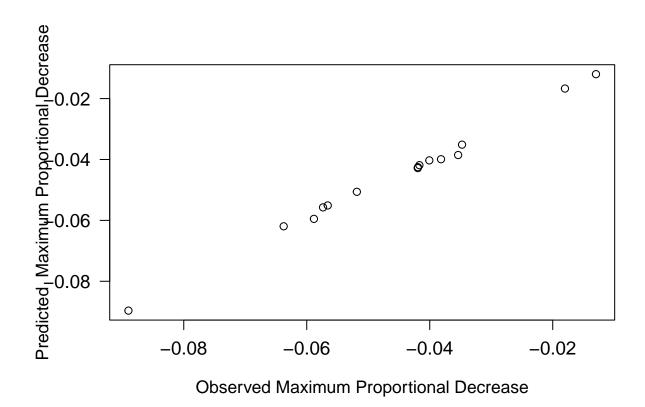
The summary of the best linear model follows.

```
## AIC
## BICq equivalent for q in (0.00014113788861092, 0.794680162090628)
## Best Model:
```

```
##
                                 Std. Error
                                               t value
                                                                     Pr(>|t|)
                     Estimate
## (Intercept) -0.14867260888 0.02932923213 -5.069093 0.0003610977087376066
                                            -5.654255 0.0001478779894897496
               -0.00006541328 0.00001156886
                0.20334755489 0.03159907353
                                              6.435238 0.0000483946777137601
## sr
## p
               -0.25096325166 0.00579857048 -43.280193 0.0000000000001221673
##
## Call:
## lm(formula = y ~ p + gd + sr, data = MPD4bestglm)
##
## Residuals:
##
                      1Q
                             Median
                                            3Q
                                                      Max
          Min
  -0.0018133 -0.0012751 0.0002173 0.0006556
##
## Coefficients:
##
                                                        Pr(>|t|)
                  Estimate Std. Error t value
## (Intercept) -0.14867261
                            0.02932923
                                        -5.069
                                                         0.000361 ***
## p
               -0.25096325
                           0.00579857 -43.280 0.000000000000122 ***
## gd
               -0.00006541 0.00001157
                                        -5.654
                                                         0.000148 ***
                0.20334755 0.03159907
                                         6.435 0.000048394677714 ***
## sr
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.001584 on 11 degrees of freedom
## Multiple R-squared: 0.9943, Adjusted R-squared: 0.9928
## F-statistic: 642.1 on 3 and 11 DF, p-value: 0.00000000001252
We can look at the ANOVA table for the most parsimonious model based on lowest AIC criteria.
## Analysis of Variance Table
##
## Response: y
##
             Df
                   Sum Sq
                            Mean Sq F value
                                                         Pr(>F)
              1 0.0044337 0.0044337 1766.668 0.0000000000001683 ***
## p
## gd
              1 0.0002966 0.0002966 118.182 0.0000003189287075 ***
              1 0.0001039 0.0001039
                                      41.412 0.0000483946777138 ***
## sr
## Residuals 11 0.0000276 0.0000025
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

The proportion of variance explained in MPD by the proportion exposed is 91.19, while the gestation duration and the survival reduction only account for only 6.1~% and 2.14~%, respectively. About 0.57~% of the variability remains unexplained.

We illustrate how well the model predicts the observed values in the plot below:



References

DWH MMIQT 2015, Models and analyses for the quantification of injury to Gulf of Mexico cetaceans from the Deepwater Horizon Oil Spill, MM_TR.01_Schwacke_Quantification.of.lnjury.to.GOM.Cetaceans LINK.

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