

## PID Controller

The implementation basically followed Sabastian's Algorithm.

$$\text{Steer} = -\tau_p * \text{cte} - \tau_d * \text{diff\_cte} - \tau_i * \text{int\_cte}$$

Cte: cross track error

Diff\_cte: difference of CTEs between two samples

Int\_cte: integral of CTE errors

$\tau_p$ ,  $\tau_d$ , and  $\tau_i$  are three parameters

" $-\tau_p * \text{cte}$ " directly compensates CTE in proportion.

" $-\tau_d * \text{diff\_cte}$ " makes it smoothly approaching the target line.

" $-\tau_i * \text{int\_cte}$ " eliminates bias of mechanic issue.

ZieglerNichols method provides a method to calculate  $\tau_p$ ,  $\tau_d$ ,  $\tau_i$ .

I recorded a series of trials and errors under Images directory.

" $\tau_p$ " was chosen to 0.2

When  $\tau_d$  is zero, it couldn't complete track with S shape driving.

" $\tau_d = 0.1$ " is speedy. People might get sea sick easily.

" $\tau_d = 0.2$ " is more comfortable than 0.1.

When  $\tau_d$  gets larger, it slows the car. When it over-componstates, car shifts to right or left with unnecessary drag force.

<b>tau_d</b>	<b>recording</b>
<b>0.00</b>	D_00.mov
<b>0.10</b>	D_010.mov
<b>0.20</b>	D_020.mov
<b>0.25</b>	D_025.mov
<b>0.30</b>	D_030.mov
<b>0.40</b>	D_040.mov
<b>0.50</b>	D_050.mov
<b>0.60</b>	D_060.mov
<b>1.0</b>	D_100.mov
<b>1.5</b>	D_150.mov

The car has a small bias, neglect-able.

I\_00.mov shows recording with  $\tau_i$  equal to zero.

I\_05.mov shows recording with  $\tau_i$  equal to 0.5, which couldn't complete the track.

