

## 1 2D Random Walk

To solve this problem, we first obtain  $x_n$  for one random walker. Put a random walker at the origin. Create a random number *movestep* in range (0,1,2,3), and these four numbers means moving one step right/left/up/down respectively. We use a list to record the number of moving steps in every direction. After we get the moving direction of a step, we add the number of total steps in that certain direction by 1. If the total number of moving steps is  $n$ , we repeat the previous procedure  $n$  times. The number of total rightward steps minus the number of total leftward steps generates the x-component of the random walker's displacement,  $x_n$ . Likewise, the number of total upward steps minus the number of total downward steps generates the y-component of the random walker's displacement,  $y_n$ . After that,  $x_n^2$  and  $r_n^2$  are easy to calculate. We use a function named `random.walk` to return the values of  $x_n$ ,  $x_n^2$ , and  $r_n^2$ . Since our goal is averaging over  $10^4$  different walkers, we need a loop with  $10^4$  iterations to get the values of  $x_n$ ,  $x_n^2$ , and  $r_n^2$  of each walker, and then realize the average values,  $\langle x_n \rangle$ ,  $\langle x_n^2 \rangle$ , and  $\langle r_n^2 \rangle$ .

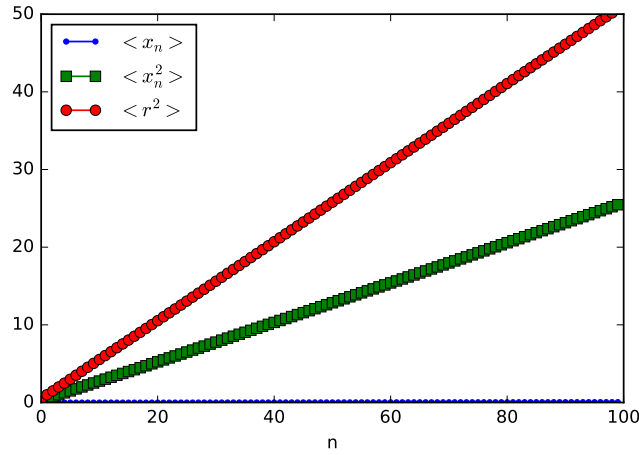


Figure 1: