

VIST01511

AI & MACHINE

LEARNING

Practical 7

Time Series



What you will learn / do in this lab

1. *Analyzing time series data using Pandas*
2. *Analyzing time series data using Statsmodel*
3. *Perform time series data forecasting with various models*

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1.

OVERVIEW

In this practical, we will be exploring what is time series data and how to analyze time series data. We will also be building different time series model to perform time series forecasting.

1.1 INTRODUCTION TIME SERIES

Whether we wish to predict the trend in financial markets or electricity consumption, time is an important factor that must be considered in our models. For example, it would be interesting to forecast at what hour during the day is there going to be a peak consumption in electricity, such as to adjust the price or the production of electricity.



1.2 APPLICATIONS OF TIME SERIES FORECAST

The following are a list of applications for time series forecast:

- *Sports streaming platform to forecast online users.*
- *Forecasting traffic with sensor data of number of vehicles.*
- *Online retailer to forecast user-spending habits.*
- *Company to forecast staff turnover rate.*
- *Energy provider to predict user energy consumption.*
- *Many more...*

2.

ANALYSING TIME SERIES DATA IN PANDAS

In the section, we will learn how to create time series data using Pandas. Pandas was developed in the context of financial modelling, so as you might expect, it contains an extensive set of tools for working with dates, time, and time-indexed data.

2.1 CREATING TIME SERIES INDEX IN PANDAS

Define a time series index using pandas function, starting from 2021-01-01, ending at 2021-12-31, and with "day" as time interval. Your output should look like below:

```
['2021-01-01', '2021-01-02', '2021-01-03', '2021-01-04',  
'2021-01-05', '2021-01-06', '2021-01-07', '2021-01-08',  
'2021-01-09', '2021-01-10',  
...  
'2021-12-22', '2021-12-23', '2021-12-24', '2021-12-25',  
'2021-12-26', '2021-12-27', '2021-12-28', '2021-12-29',  
'2021-12-30', '2021-12-31'],
```

Define a time series index using pandas function, starting from 2021-01-01, ending at 2021-12-31, and with "week" as time interval. Your output should look like below:

```
['2021-01-03', '2021-01-10', '2021-01-17', '2021-01-24',  
'2021-01-31', '2021-02-07', '2021-02-14', '2021-02-21',  
'2021-02-28', '2021-03-07', '2021-03-14', '2021-03-21',  
'2021-03-28', '2021-04-04', '2021-04-11', '2021-04-18',  
'2021-04-25', '2021-05-02', '2021-05-09', '2021-05-16',  
'2021-05-23', '2021-05-30', '2021-06-06', '2021-06-13',  
'2021-06-20', '2021-06-27', '2021-07-04', '2021-07-11',  
'2021-07-18', '2021-07-25', '2021-08-01', '2021-08-08',  
'2021-08-15', '2021-08-22', '2021-08-29', '2021-09-05',  
'2021-09-12', '2021-09-19', '2021-09-26', '2021-10-03',  
'2021-10-10', '2021-10-17', '2021-10-24', '2021-10-31',  
'2021-11-07', '2021-11-14', '2021-11-21', '2021-11-28',  
'2021-12-05', '2021-12-12', '2021-12-19', '2021-12-26']
```

Define a time series index using pandas function, starting from 2021-01-01, ending at 2021-12-01, and with "month" as time interval. Your output should look like below:

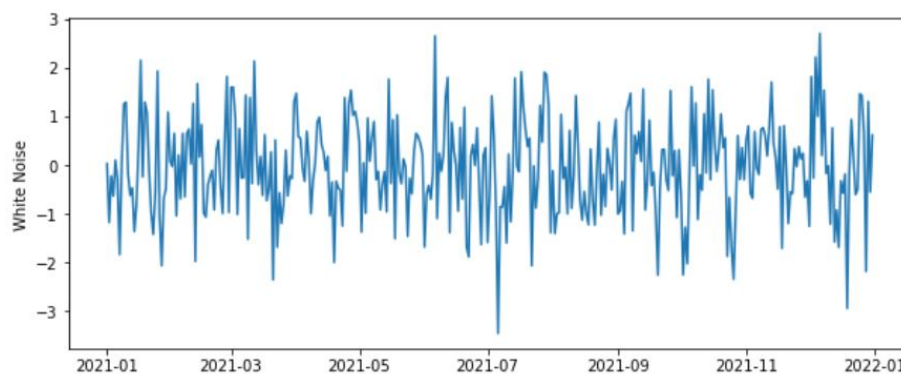
```
['2021-01-01', '2021-02-01', '2021-03-01', '2021-04-01',  
'2021-05-01', '2021-06-01', '2021-07-01', '2021-08-01',  
'2021-09-01', '2021-10-01', '2021-11-01', '2021-12-01']
```

2.2 CREATING TIME SERIES WHITE NOISE DATA

Consider a time series $\{w_t, t = 1, 2, \dots, n\}$. If the element of the series w_i are independent and identically distributed, with a mean of zero, and no correlation to each other, then we say the time series is white noise.

In the task, you will create a dataframe called `df`, with two columns, "Date" and "Noise". "Date" column is timestamp from 2021-01-01 to 2021-12-31, with time interval as day. "Noise" column is white noise data, with mean of 0 and standard deviation of 1 (hint: for white noise data, you can use `numpy` or `random` function). After creating dataframe, plot the white noise versus date in a graph to have a look. Your output should look like below:

	Date	Noise
0	2021-01-01	-0.664306
1	2021-01-02	-1.112410
2	2021-01-03	-1.180275
3	2021-01-04	-0.195893
4	2021-01-05	1.108913
...
360	2021-12-27	-2.423304
361	2021-12-28	1.379090
362	2021-12-29	0.320609
363	2021-12-30	-1.245095
364	2021-12-31	-0.422915
365 rows x 2 columns		



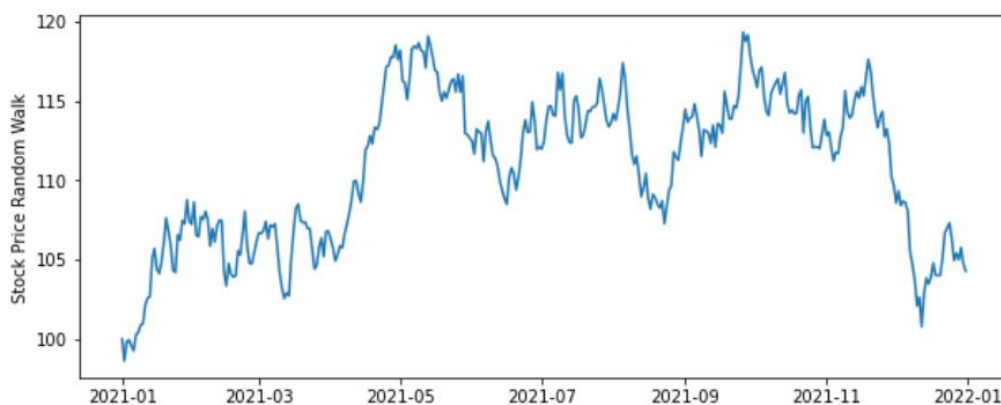
2.3 SIMULATING TIME SERIES RANDOM WALK

A random walk is another time series model where the current observation is equal to the previous observation with a random step up or down.

$$x_t = x_{t-1} + w_t, \text{ where } w_t \text{ is white noise}$$

In this task, you are going to simulate stock price. The date range is from 2021-01-01 to 2021-12-31, with day as frequency. The stock price starts from 100 on day 1, and you will simulate the stock price using random walk. Your output should look like below:

	Date	Stock
0	2021-01-01	100.000000
1	2021-01-02	98.629163
2	2021-01-03	99.838026
3	2021-01-04	99.961325
4	2021-01-05	99.573114
...
360	2021-12-27	105.414772
361	2021-12-28	105.012745
362	2021-12-29	105.763884
363	2021-12-30	104.729898
364	2021-12-31	104.292952
365 rows x 2 columns		



2.4 SUMMARIZING TIME SERIES DATA

In this task, you will use the dataset BikeSharing.csv. You are provided hourly bike rental data spanning two years. The description of data fields are as below:

dteday - hourly date + timestamp

season - 1 = spring, 2 = summer, 3 = fall, 4 = winter

holiday - whether the day is considered a holiday

workingday - whether the day is neither a weekend nor holiday

weather - 1: Clear, 2: Mist + Cloudy, 3: Light Snow + Light Rain, 4: Heavy Rain

temp - normalized temperature in Celsius

atemp - normalized "feels like" temperature in Celsius

humidity - normalized relative humidity

windspeed - normalized wind speed

casual - number of non-registered user rentals initiated

registered - number of registered user rentals initiated

count - number of total rentals

you are going to manipulate this time series data with Pandas function, and answer the following questions in order to extract useful insights.

1. *Compute the monthly average temperature.*
2. *Compute the daily sum of casual, register and total rentals.*
3. *Compute the monthly sum of total rentals in different weathers.*
4. *What is the peak hours of bike rental for casual users and registered users, respectively?*

3.

ANALYSING TIME SERIES DATA WITH STATSMODEL

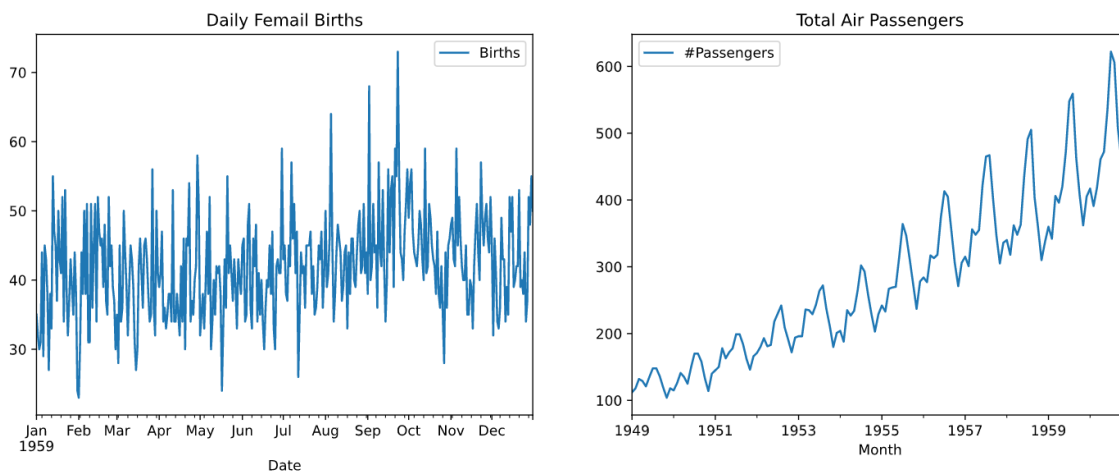
In the section, we will learn how to analyze time series data with Python Statsmodel. Statsmodel contains models and functions that are useful for time series analysis.

3.1 CHECKING ON TIME SERIES STATIONARITY

Time series are stationary if they do not have trend or seasonal effects. Summary statistics calculated on the time series are consistent over time, like the mean or the variance of the observations. Load the two datasets **daily-total-female-births.csv** and **AirPassengers.csv**, and use the multiple methods to check whether the datasets are stationary.

1. Visual Check on plots

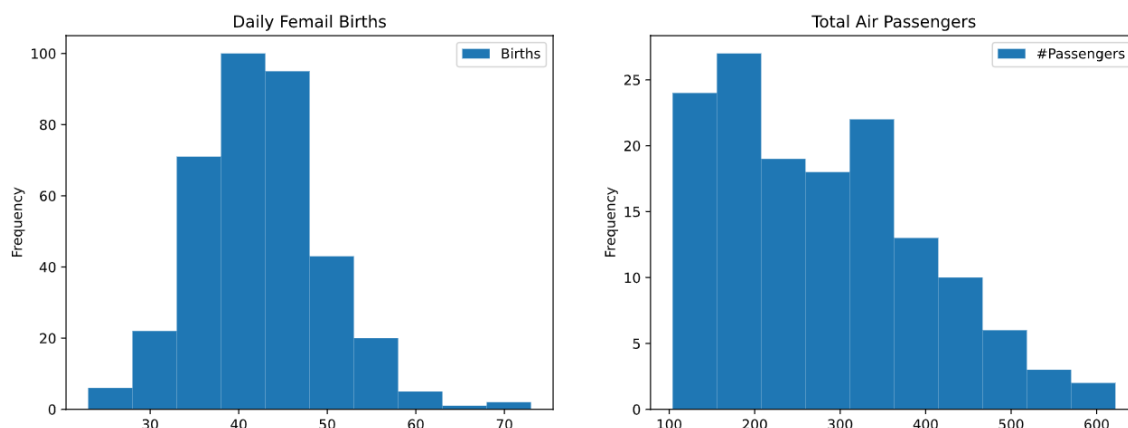
You are required to use Matplotlib to plot line plots for the two time series datasets. You can review the line plots of your data and visually check if there are any obvious trends or seasonality. Your output should look like below:



2. Summary Statistics

A quick check to see if time series is non-stationary is to review summary statistics.

As a first step, you are required to use Matplotlib to plot histograms for both datasets. If the time series is stationary, the data should conform to Gaussian distribution (bell curve) otherwise it is not.



Next, for each of the dataset, you are required to split the dataset into two groups. You are going to calculate the mean and variance of each group and compare the values. Remember for a stationary time series, they should always have the same mean and variance values. Your output should look like below:

```
For Female Birth Dataset, group 1 mean = 39.76, group 2 mean = 39.76,  
group 1 variance = 49.49, group 2 variance = 48.98  
  
For Air Passenger Dataset, group 1 mean = 182.90, group 2 mean = 377.69,  
group 1 variance = 2275.69, group 2 variance = 7471.74
```

3. Statistical Test

The Augmented Dickey-Fuller test is a type of statistical test called a unit root test.

The intuition behind a unit root test is that it determines how strongly a time series is defined by a trend. The null hypothesis of the test is that the time series can be represented by a unit root, that it is not stationary (has some time-dependent structure). The alternate hypothesis (rejecting the null hypothesis) is that the time series is stationary.

You are required to use the function from Statsmodel and to perform Augmented Dickey-Fuller test on both of the time series datasets.

```
Female Birth Dataset p-value: 0.000052  
Air Passenger Dataset p-value: 0.991880
```

- *P-value > 0.05: Fail to reject the null hypothesis (H_0), the data has a unit root and is **non-stationary**.*
- *P-value ≤ 0.05: Reject the null hypothesis (H_0), the data does not have a unit root and is **stationary**.*

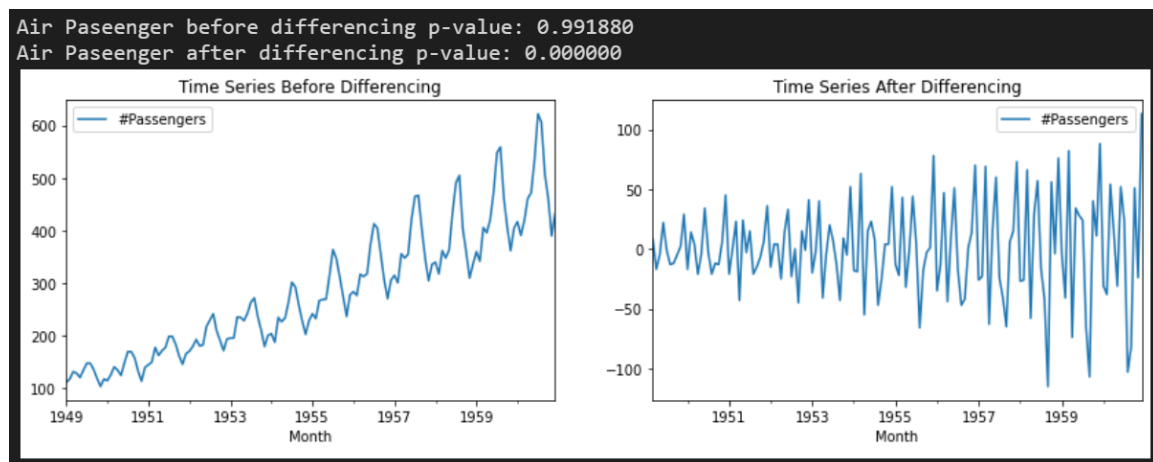
3.2 MAKE THE TIME SERIES STATIONARY BY DIFFERENCING

As we can see from the above stationarity test, the time series data **AirPassengers.csv** is non-stationary. One way to make the time series stationary is by differencing the time series.

Therefore, you are required to use Statsmodel function to difference the time series data.

(Hint: `from statsmodels.tsa.statespace.tools import diff`)

After the differencing operation, you are required to run Augmented Dickey-Fuller test to see whether the new time series is stationary. Also, you should plot the time series before and after differencing operation. Your output should look similar to below:



4.

PERFORM TIME SERIES FORECASTING

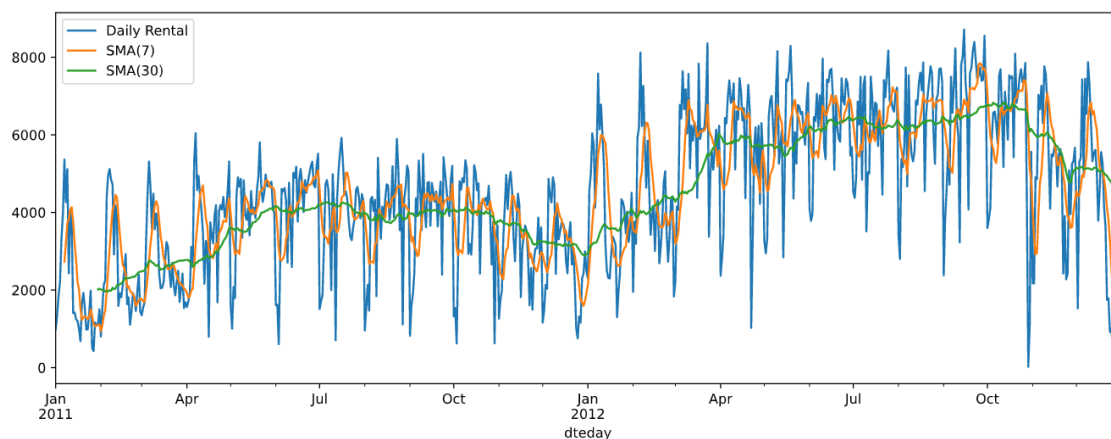
4.1 BUILD A SIMPLE MOVING AVERAGE MODEL

In this task, you are required to build a simple moving average model on the bikesharing.csv dataset. The purpose of the simple moving average is to smooth the fluctuating time series data, in order to visualize trends and generate insights.

Step 1: Calculate the daily total bike rental (using groupby function)

Step 2: Plot the daily total bike rental data, and see if you can identify any trend or insights.

Step 3: Produce a 7-day moving average and a 30-day moving average data and plot on top of the daily total bike rental data. Can you see any trend and insight this time?



4.2 BUILD HOLT-WINTERS EXPONENTIAL SMOOTHING MODEL

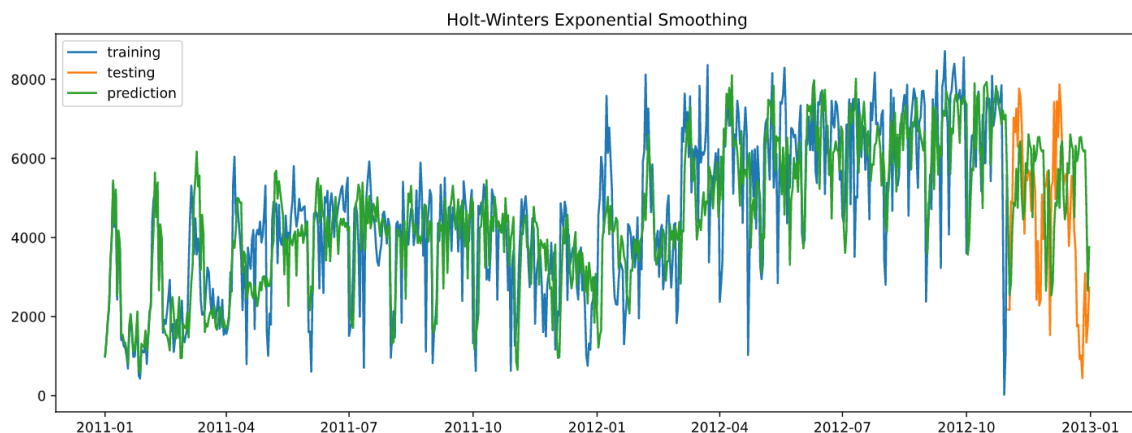
In this task, you are required to build a Holt-Winters exponential smoothing model on the bikesharing.csv dataset. The model should be able to capture historical data and predict future daily bike rental.

In order to verify the model accuracy, you should use data from 2011-01-01 to 2012-10-31 as your training data, and data from 2012-11-01 to 2012-12-31 as testing data.

Using Holt-Winters exponential smoothing model, your output should look similar to below:

(Hint:

`from statsmodels.tsa.holtwinters import ExponentialSmoothing`)



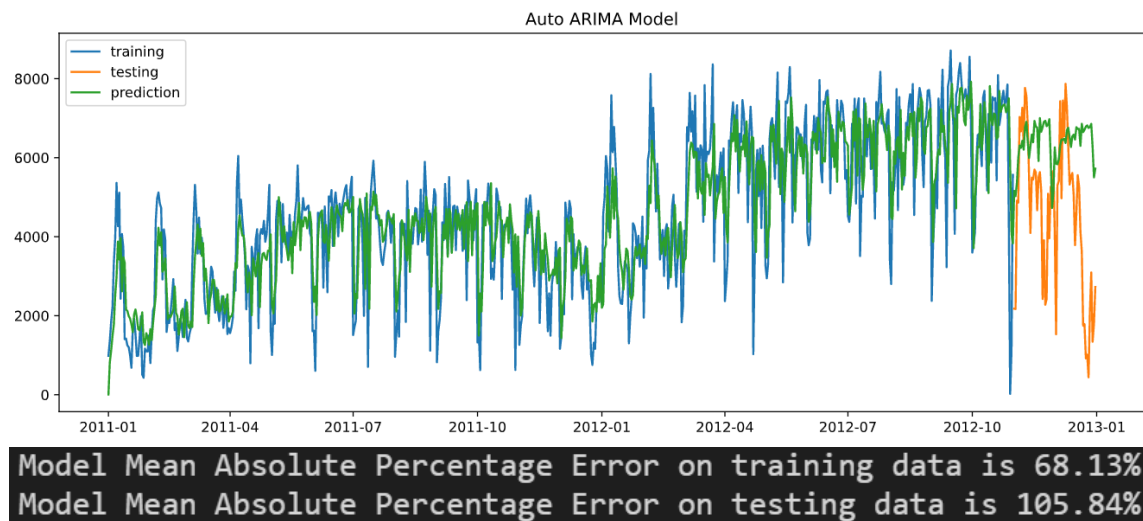
Model Mean Absolute Percentage Error on training data is 76.50%
Model Mean Absolute Percentage Error on testing data is 90.48%

4.3 BUILD ARIMA FORECAST MODEL

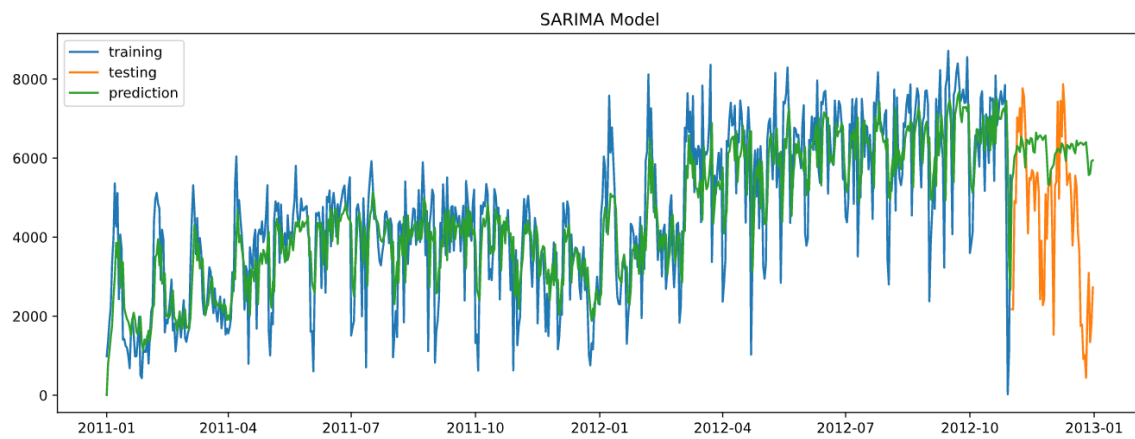
In this task, you are required to build a Seasonal ARIMA model on the bikesharing.csv dataset. The model should be able to capture historical data and predict future daily bike rental.

In order to verify the model accuracy, you should use data from 2011-01-01 to 2012-10-31 as your training data, and data from 2012-11-01 to 2012-12-31 as testing data.

Using Auto ARIMA model, your output should look similar as below:



If you use SARIMA model, your model output should look similar to below:



```
Model Mean Absolute Percentage Error on training data is 70.57%
Model Mean Absolute Percentage Error on testing data is 99.24%
```

4.4 OPTIMIZED YOUR ARIMA FORECAST MODEL (CHALLENGE QUESTION)

This is an optional challenging task for you to try. How do you optimize your ARIMA forecast model in order to maximize the accuracy on the testing data? Try to break my record!

```
My Best Result:
MAPE on training data: 65.28%
MAPE on testing data: 51.7%
```