Accents	
•	total derivative with respect to time
,	current value in integral
	or general variable whose critical value is to be found
^	maximum value
~	amplitude
Prefixes	
d	total differential
д	in partial derivative (all other variables held constant)
δ	virtual variation (other hidden variables in equilibrium)
Δ	usually difference between values at stable and unstable equi-
	librium configuration, for thermal activation

Roman (and	See eq., Fig., Table	
\overline{A}	constant in phenomenological relations	34h, 61f
	also: general area, e.g. of surface	21i
a	area swept by dislocation	22-1, 22c, 45-2
a_{BOW}	 bowing between two discrete 	
	obstacles	25t
$a_{\mathtt{RUN}}$	 after release in jerky glide 	33a
$a_{ ext{SWEPT}}$	— after activation event at flow stress	25-11
Δa	activation area	41e, 44c', q
$\Delta a'$	apparent activation area	43g, h, 1", 44h
В	drag coefficient per unit length of	
	dislocation	31a
\boldsymbol{b}	amount of Burgers vector for full disl.	22c, 27a
$b_\mathtt{P}$	— for partial dislocation	27a
$\overrightarrow{b}, b_{\mathtt{i}}, b_{\mathtt{i}}^{\circ}$	Burgers vector, components, unit v.	22b
\boldsymbol{C}	normalized obstacle stiffness	42h, i, 63g
\boldsymbol{c}	concentration (atomic or vol. fraction)	25ee, 25-16, 52l'
c_{ij}	elastic stiffness referred to crystal axes	2-I
$c_{\mathbf{v}}$	specific heat per atom at const. vol.	31y
D	(diffusion coefficient)	
d	jog height, dipole spacing	26-1,32x
	also: slip plane spacing	33y, z, cc
	also: activation distance (when $\neq y$)	52n, o
	· ·	, -

\boldsymbol{E}	effective line tension	25n, o, q, r, 25-8
E	line tension (self force per curvature)	23j, k, 25-8
E_{THERM}	thermal energy density	31t
F - THERM	(Helmholtz) free energy	21c, e
ΔF	activation free energy (at given stress)	41-1, 41c
		41-1, 410
F_{o}	total free energy to overcome one	051 04 411 45
	obstacle	25b, 34o, 41h, 45o,
		q, 62g
$F_{\mathtt{BIND}}$	binding energy of one solute atom to	
	dislocation	25mm
$F_{ m KINK}$	free energy of one kink	51n
$F_{ m NUCL}$	free energy to nucleate double kink or	
- NOCE	bulge	51d', l
$F_{\mathtt{STOR}}$	free energy stored during deformation	22g
F DIS	free energy per unit length of	225
J DIS		22 ~ 1/ 1
Œ.	dislocation ("line energy")	23g, h', l, m
Fscrew,		001 1070
$\mathscr{F}_{\mathtt{EDGE}}$:	line energy of screw, edge	23h, i, 25-8
$\Delta {\mathscr F}_{ exttt{DIS}}$	— difference between high and low	
	energy position	24-3, 51-1
${\mathscr F}_{ exttt{BIND}}$	binding energy per unit length of	
	dislocation	24-2
f	cosine of breaking angle	25v, w', 52m
\boldsymbol{G}	free enthalpy, Gibbs free energy	41g+
ΔG	activation free enthalpy (also	41-1, 41a, f, g,
20	"activation energy")	43a', w, 61n
$\overrightarrow{\Delta G}, \overrightarrow{\Delta G}$	— for forward and reverse jump	45c
		430
$\Delta G_{ exttt{NUCL}}$	activation energy for nucleation of	C1 1/ ' "
	bulge or double kink	51d', i, p"
$\Delta {\mathscr G}_{ exttt{DIS}}$	free enthalpy per unit length of	
	dislocation	51-6, 51g"
$\mathrm{g}(\sigma/\mu)$	normalized activation free enthalpy	431'
H	enthalpy	
ΔH	activation enthalpy (also "activation	
	energy")	41-4b, 411, m, 43t
h	partial strain hardening rate	33ee
n	-	51-6
	also: height of partial kink	31-0
i, j	vector and tensor subscripts	
K	effective resisting force of discrete	
	obstacle	25a, g', 52j
K_{x}, K_{y}, K_{θ}	— components of elemental force	52g", h, 5-I
$K_{\mathbf{i}}$	force exerted on body at surface	21h, i
k	Boltzmann's constant,	•
	$k = 1.38 \times 10^{-23} \mathrm{J/K}$	21e
	- 1	*

	$k_{ extsf{P}}$	also: parameter in particle resistance laws Hall-Petch parameter	52-7 through 14 24i
L		distance between especially strong obstacles	24i, 24-6, 33y, z
	co.	also: specimen length	64a
	\mathscr{L}	any length of dislocation	23f, 24h, 42r, 51-6
	I	average inter-obstacle spacing	25aa
	l_{e}	center-to-center spacing of two obstacles along dislocation, also	05 1 05:: 44:
	1	average of same	25-1, 25jj, 44i
	$l_{\rm n}$	length of dislocation touching n	05.17
,,		obstacles ($\sigma = 0$)	25-17
M		mass per unit length of dislocation	31a, k, 1, n
	$\mathcal{M}_{\text{KINK}}$	mass per unit length of kink	31m, o
	$M_{ m KINK}$	total mass of kink	42u
	m	relative stress sensitivity of the	
		strain rate	34r, 43c, 61b
		(exponent in pheno. relation)	34h
	m_o, m_G	contributions to m	45a, b, 62c, 63g
N		number of vibrational modes of dislocation	42 o
	N	number of dislocation segments per unit volume	
	$N_{ m WAIT}, N_{ m m}$	waiting and mobile segment density	33a, c, s
	N _{NUCL}	nucleation rate per unit volume	51ee
	n	exponent in phenomenological	
		relation $\dot{\gamma}(\sigma)$	61f
		also: negative exponent in obstacle	
		profile law $\tau(\Delta a)$	43v
	n	number: e.g., dislocations in pile-up	24j, p
	$n_{\mathbf{i}}$	unit vector: perpendicular to surface	21i
	,	perpendicular to slip plane	22b
n			25.12
P	$\delta P, P$	fraction of peaks in τ_{LINE} -map below σ fraction of segments released (per unit	25-12
		time)	33a, p
	$P_{t}, P_{\sigma}, P_{\tau}$	partial derivatives of P	33e, f, g, h, j
	$\overrightarrow{P_t}, \overrightarrow{P_t}$	forward and reverse activation rate	45f
	p	exponent in pheno. relation $\Delta G(\sigma)$	43w
	p'	— same for $\Delta G(K)$	441
	p	hydrostatic pressure	43d
_	r	•	
Q	20	operationally defined activation energy	61a, u
	δQ	heat flowing into body	21a
	q	exponent in pheno. relation $\Delta G(\sigma)$	43w

X	i	١

R		radius of curvature of dislocation	
		(avg. or local)	23-5, 24-2, 25s
		also: phonon scattering radius	31u, v
	r	exponent in pheno. relation $\Delta G(\sigma)$	43x'
	r	radius of spherical particle	25ff
	•	also: partial recovery rate	33ff
	r_{o}	inner cut-off radius in disl. energy	23h
	r _P	inner cut-off radius in phonon	
		scattering	31w
S		symbol for the stable equilibrium state	41-1, 41a, 42-1
-	S	entropy	21b, f
	S_1, S_2, S_3	structure parameters	1a, b
	S_{0}	total entropy of activation	41i
	ΔS	activation entropy	41k, o', o", 42n,
		17	43s
	$\Delta S_{ exttt{DIS}}$	entropy associated with dislocation	
	2.0	vibrations	421
	S	normalized plane glide resistance	
		(discrete obstacles)	25ii
\boldsymbol{T}		temperature	21b
	$T_{\mathbf{o}}$	characteristic temperature $T_o(F_o, \dot{\gamma})$	450, 5111
	T_{DEBYE}	Debye temperature	31-1
	$T_{\mathbf{v}}$	temperature below which quantum	
		effects may occur	42k
	t	time	31cc
	t_{ACC}	time constant in equation of motion	31aa
	t_{RUN}	running time between obstacles in	
		jerky glide	33n
	t_{WAIT}	inverse of total release rate \dot{P}	33r
U		symbol for the unstable equilibrium	
		state	41-1, 41a, 42-1
	$oldsymbol{U}$	internal energy	21a, g
	U_{o}	total internal energy of activation	41j, 61 f
	U	internal line energy of disl. at rest	31j
	$\mathscr{U}_{\mathbf{v}}$	internal line energy of moving disl.	31j
	$u_{\mathbf{i}}$	displacement (of surface element)	21h
V		total volume of body	21j, 22c
	V_{o}	constant in phenomenological relation	34u
	ΔV	activation volume (pressure effects)	43d, e'
	\boldsymbol{v}	velocity of dislocation	31j, r, 31cc
	$v_{ m o}$	— initial value	31dd
	\bar{v}	avg. disl. velocity in time, space	32b, f, k, o, q
	\bar{v}_{m}	velocity averaged over mobile	22
		dislocations only	33u
	$v_\mathtt{L}$	Lüders front velocity	64a

#	1	221-
$ar{v}_{ ext{RUN}}$	velocity averaged over running disl. terminal velocity of screw dislocations	33k
$v_{ m S} \equiv v_{ m SOUND}$		31e, 34i
v_i, v_l	transverse and longitudinal speed of sound	311
W	work done on body (only in virtual	311
**	variation: δW)	21a, h, j
ΔW	activation work	41-1, 41d, 44e
$\Delta W'$	apparent activation work	43k, 61b'
w	width of discrete obstacle	25-1, 25ff
••	also: interaction range	25-15
	also: width of kink	51-6
	also: width of Lüders front	64b
X	outer cut-off radius in disl. line energy	23h
	also: any distance along	
	quasi-straight disl.	23-4, 23q, 25-4
x	coordinate along avg. disl. direction	23-2, 23q
x_{KINK}	average spacing of kinks	32r
Y	distance perpendicular to quasi-straight	
	dislocation	25-4, 25f
	also: normalized coordinate	51j, k
y	coordinate, direction of average	
	dislocation motion	23a, 31a, 51-1
Δy	activation distance	44c
y_{back}	distance moved by emitted dislocation	
	before source can operate again	32t, v, 33z, aa
$y_{\mathbf{m}}$	distance moved by dislocation before	
	it is trapped	32t, 33y
y_{run}	"forward" distance moved after	
	release	33c
$y_{ extsf{stop}}$	distance moved coasting under inertia	31-2, 31dd
_ y _o	average depth of obstacle	25-1, 31ff
Z	partition function	21e
z	coordinate perpendicular to slip plane	
Greek letters		
	1-1-412424	
a	angle between line direction and	23k
ρ	Burgers vector	
β	bow-out angle	24f', 25-7, 51g
γ	"shear" or "glide": amount of engineering shear strain produced by	
	dislocation glide	22c
V	macroscopic shear produced in waiting	220
γ ₀	time	33d
γ҅₀,γ҅н	constants in pheno. relations	34k, 61e', 61g', s
δ ,,,,	depth of linear barrier	24-3, 24-5, 27b
	L A- 3000000 A-000000	, ,

		macroscopic strain tensor	11k 1 m 64a
	$\epsilon, \epsilon_{ij} \ \epsilon $	amount of unconstrained misfit strain	21k, l, m, 64c 52d
		Lüders strain	52u 64a
	$\epsilon_{ m L}$	activation strain	43e
	$\Delta \epsilon_{ij}$		436
η		separation of partials in extended dislocation	27k 2 III
θ			27b, 2-III
U		angle betw. disl. and particle interface	52-5, 6, 52h
		also: work-hardening rate $d\tau/d\gamma$ at standard T and $\dot{\gamma}$	44n'
	heta'	•	44n
	$\boldsymbol{\Theta}$	— same at zero temperature work-hardening rate dσ/dε	64c
	U	local curvature of dislocation line	
K			23g, j, 25l
λ	4	wavelength of periodic linear barrier	31-3, 4, 32d, 51-1
	Λ	mean-free-path (of kinks)	51aa
	$arLambda_{\mathtt{pp}}$	phonon-phonon mean-free-path	31w
μ		shear modulus in line energy of screw	021- 0 T
	o	dislocation	23h, 2-I
	$\mu_{_{_{_{_{_{_{_{_{_{_{_{_{_{_{_{_{}}}}}}$	— same extrapolated to $T = 0 \text{ K}$	41-5
	μ'	shear modulus in slip plane and slip	21- 27 401 51
		direction	31e, 3-I, 42h, 51c
ν		Poisson's ratio	23i
	$\nu_{ m eff}$	— effective value in edge energy,	2 T
	_	incl. elastic anisotropy	2-I 31i
	$\nu_{\mathbf{D}}$	Debye frequency	31h
	$\nu_{\mathbf{E}}$	Einstein frequency dislocation attempt frequency	3111
	^V FRIEDEL	according to Friedel	42f
		frequency factors in disl. activation	
	$\nu_{\rm G}, \nu_{\rm H}$	freq. factor for bulge nucleation	42a, b, g, j 51w'
	ν _{NUCL}	ground frequency of vibrating	31 W
	ν_0	dislocation segment	42d
ξ		running coordinate along disl. line	23a, 23-4, 25-7
ρ		mass density of material	31e
7		dislocation length per unit volume:	310
	$ ho_{m}$	mobile dislocation density	32m, aa, 33q, 63g
	$ ho_{ ext{RUN}}$	density of running dislocations	33k
	PSOURCE	density of linear dislocation sources	32t, u, 33y
	PWAIT	density of waiting dislocations	33b, c
	P WAIT	generation rate of running dislocation	220,0
	•	(not net change)	33x
σ		applied stress resolved in slip plane and	
		direction	22d
	σ_{ij}	applied stress tensor in arbitrary	
	=	coordinate system	21i, o, p
	σ_{IJ}^{INT} ,qz	internal stress (see τ_{II}^{INT})	21w,y

	LOC	total local stress tensor	21n, o, w
	$\sigma_{ij}^{ m LOC}$	"effective stress" in continuous glide	32g, i
	$\sigma_{ m eff}$	constant in phenomenological relation	34k, v
	σ_0	stress at which terminal velocity is	5-rk, r
	σ_{LIM}	reached	31z
au		glide resistance	22e
	$ ilde{ au}$	mechanical threshold (abbrev. for	
		$\hat{ au}_{ exttt{PLANE}})$	22i, 43w", 52
	î	amplitude of element glide resistance	32d
	$ au_{i\mathbf{j}}$	deformation resistance	21u
	$ au_{ ext{ij}}^{ ext{INT}}$	deformation resistance due to internal	
	•,	stresses	21y
	$ au_{ exttt{BACK}}$	back stress in pile-up	24m,n
	$ au_{DYN}$	dynamic threshold	31-4
	$ au_{ ext{ELEM}}$	element glide resistance	23-2, 23b, 25-10
	$ au_{ extsf{FLOW}}$	flow stress (also abbreviated τ)	44o
	$ au_{ ext{IDEAL}}$	ideal (or "theoretical") shear strength	34j, 51c
	$ au_{ ext{INT}}$	internal stress from mobile disl.	32e, 1, bb
	$ au_{ m u}$	athermal glide resistance plateau	43-6
	$ au_{LINE}$	line glide resistance	23c, 25-10, 31a, 41a
	$ au_{ m P}$	Peierls stress	51a, b
	$ au_{ extsf{PLANE}}$	plane glide resistance	24i, 25-10, 25dd,
		-	ww, 44a, b
	$ au_{SELF}$	dislocation self stress	23e, f, j
	$ au_{ extsf{STOR}}$	average element glide resistance	22g, 45j
	$ ilde{ au}_{ exttt{THERM}}$	thermal shear stress amplitude	31t
	$ au_1, au_2$	line or plane resistance due to one	24-6,24i,33i',43w''' 44-9,10,11
	4	mechanism	44-9, 10, 11
	Δau	difference in glide resistance from two mechanisms	24-6
,			24-0
φ		half the cusp angle at a discrete	25g, v, 25-4, 52-5
		obstacle	23g, v, 23-4, 32-3
χ		free energy per unit area: — of antiphase-boundary	52b
	Харв	— of (stacking) fault	27c, 2-III
	$\chi_{\text{FAULT}}, \chi_{\text{SF}}$		52f, g
	XINT	— of interface (precipitate-matrix) complement of bow-out angle β	23-4, 5, 25-7
4	Ψ	dissipation function ($\delta \Psi$ only)	21r, s, t, v, 22f
	_	an atomic frequency	31f
a	$\omega_{\mathbf{A}} \equiv \omega_{\mathbf{ATGM}}$ Ω	atomic requency	31i, q, 34l
	24	atomic volume	· · · · · · · · · · · · · · · · · · ·