## $\begin{array}{c} {\rm CSE~4301/5290~Homework~4}\\ {\rm Due:~Nov~13,~Wed,~5pm;~Submit~Server:~class=ai~,}\\ {\rm assignment=hw4} \end{array}$

For programming problems (Lisp, Java, C, or C++):

- Submit:
  - all files that are needed to compile and run
  - README.txt with compilation and run instructions
- Your program should compile and run on code.fit.edu (Linux, remote access via ssh) or hopper.cs.fit.edu (Windows, remote access via Remote Desktop).
- 1. Q7.10, p281, 3Ed (Q7.8, p237, 2Ed). For 3Ed, add part g:  $(Big \wedge Dumb) \vee \neg Dumb$
- 2. In proof by contradiction (using the resolution inference rule), when  $KB \wedge \neg \alpha$  is unsatisfiable, we know  $\alpha$  is true. What do we know about  $\alpha$  when  $KB \wedge \neg \alpha$  is satisfiable? When can we know that  $\alpha$  is false? Explain your answers.
- 3. Prove that:
  - (a)  $(a \lor b) \land (\neg b \lor c)$  entails  $a \lor c$  [correct "resolution"]
  - (b)  $(a \lor b \lor c) \land (\neg b \lor \neg c \lor d)$  does not entail  $a \lor d$ . [incorrect "resolution"]
- 4. Q7.2, p280, 3Ed (Q7.9, p238, 2Ed): Write sentences in propositional logic, translate them into clauses, use resolution to infer answers for the three queries.
- 5. Programming: Given clauses (CNF) in propositional logic, use resolution with at least two strategies to gain speed [described in the comments] to solve two problems:
  - (a) Wumpus, p247, 3Ed (p208, 2Ed): The initial KB has  $R_1 R_3$ ; percepts are  $R_4$  and  $R_5$ ; queries are:

```
i. a pit at [1,2]?
ii. a pit at [2,2]?
```

(b) Unicorn, Q7.2, p280, 3Ed (Q7.9, p238, 2Ed): no percepts, three queries.

Represent a clause (disjunction) using a string or a list. For example,  $a \vee \neg b \vee c$  is represented as:

```
"a !b c"
(a (not b) c)
```

(defun ask-kb (kb query) ...)

Represent CNF using a string or a list. For example,  $(a \lor \neg b \lor c) \land (\neg a \lor d)$  is represented as:

```
"(a !b c) (!a d)"
((a (not b) c) ((not a) d))
```

For c, c++, java, you should have at least three modules: KB, TestWumpus, and TestUnicorn. Functions/methods in your implementation (stated in LISP) include:

add percepts (a list of clauses) to kb and return the updated kb

```
(defun tell-kb (kb percepts) ...)
; given kb (a list of clauses), use resolution to infer an answer
; for the query
; return answer for the query
```

```
; initialize kb, add percepts to kb,
; print queries and corresponding answers
; return 'done
(defun test-wumpus ()
    (let* ((kb ...) ...)
    ...
)
)
(defun test-unicorn ()
    (let* ((kb ...) ...)
    ...
)
```

## CSE 5290 only

- 6. Formulate proof by contradiction using the resolution inference rule into a state-space search problem that finds the shortest proof (fewest applications of the resolution inference rule). For using A\*, discuss a (non-constant-zero and non-constant-one) heuristic and explain why it is admissible.
- 7. Programming: Given logical sentences, convert them into CNF in the format used in the programming Problem 5 above. The allowed connectives are:

Connective	prefix	infix
$\wedge$	and	&
V	or	1
_ ¬	not	!
$\Rightarrow$	imply	=>
$\Leftrightarrow$	bicond	<=>

For example,  $a \wedge b \Rightarrow c$  is represented as:

```
"(a & b) => c"
(imply (and a b) c)
```

For c,c++, java, your should have at least four modules: Convert ToCNF, Test Toy Convert, Test Wumpus Convert, and Test Unicorn Convert. The functions/methods (stated in LISP) include:

```
; convert sentence into CNF and return CNF
(defun convert-to-cnf (sentence) ...)
; convert toy kb to CNF, return CNF
; print each sentence and its cnf
(defun test-tov-convert ()
  (let* ((kb '(
            (and (not a) b)
                                 : "!a & b"
                                  "b | (c & d)'
            (or b (and c d))
                                 ; "!(d | e)"
            (not (or d e))
                                  "!(e & f)"
            (not (and e f))
            (imply (and f g) h);
                                   "(f & g) => h"
            (bicond (and h (not i)) (and j k)) ; "(h & !i) <=> (j & k)"
       )))
    ...)
; convert the wumpus initial kb (Problem 5a) to CNF, return CNF
 print each sentence and its CNF
(defun test-wumpus-convert () ...)
; convert the unicorn intital kb (Problem 5b) to CNF, return CNF
 print each sentence and its CNF
(defun test-unicorn-convert () ...)
```