

## Problem Set 4, Part I

### Problem 1: Sorting practice

1-1)

{7, 10, 13, 27, 24, 20, 14, 33}

1-2)

{7, 13, 14, 24, 27, 20, 10, 33}

1-3)

{7, 13, 14, 20, 10, 24, 27, 33}

1-4)

{10, 7, 13, 27, 24, 20, 14, 33}

1-5)

{10, 7, 13, 27, 24, 20, 14, 33}

1-6)

{7, 13, 14, 27, 24, 20, 10, 33}

### Problem 2: Practice with big-O

2-1)

function	big-O expression
$a(n) = 5n + 1$	$a(n) = O(n)$
$b(n) = 2n^3 + 3n^2 + n\log(n)$	$b(n) = O(n^3)$
$c(n) = 10 + 5n\log(n) + 10n$	$c(n) = O(n\log(n))$
$d(n) = 4\log(n) + 7$	$d(n) = O(\log(n))$
$e(n) = 8 + n + 3n^2$	$e(n) = O(n^2)$

2-2)

Since the outer loop runs  $2n$  times and inner loop runs  $n-2$  times,

$2n * (n-2) = 2n^2 - 4n$ .

Therefore  $O(n^2)$ .

2-3)

Multiplying the First loop 5 times, second loop  $(n^2-2)/2$  times, and third loop  $\log(n)$  times gives  $5 * (n^2-2)/2 * \log(n)$ .

Therefore  $O(n^2\log(n))$ .

**Problem 3: Comparing two algorithms**

*worst-case time efficiency of algorithm A:  $O(n \log(n))$*

*Explanation: After the separation in half, when the left and right numbers store alternate elements, it will cause worst time efficiency.*

*worst-case time efficiency of algorithm B:  $O(n)$*

*Explanation: Since the loop is repeats relevant to the length of the array, the worst efficiency will be caused when the length of the array is the longest.*

**Problem 4: Counting unique values**

**4-1)** The worst case of this algorithm is when there are no same numbers.

**4-2)**  $n * n(i + 1) = n^2 + in + n$

**4-3)**  $O(n^2)$ . Because there are no same numbers, the inner loop have to run all the way through.

**4-4)** The best case of this algorithm is when all the numbers are same.

**4-5)**  $O(n)$  If all the numbers are same, the inner loop have to run 1 times each.

**Problem 5: Improving the efficiency of an algorithm****5-1)**

```
public static int numUnique(int[] arr) {  
    int count = 1;  
    for (int i = 0; i < arr.length - 1; i++) {  
        if (arr[i] != arr[i+1]) {  
            count ++  
        }  
    }  
    return count  
}
```

**5-2)** Since the worst to best case for mereSort is  $n \log n$ , the big- $O$  notation for the new method is  $O(n \log n)$ .

**5-3)** No. Since the best case for the original method was  $O(n)$ , it is more efficient than the new case.

## Problem 6: Practice with references

6-1)

Expression	Address	Value
n	0x128	0x800
n.ch	0x800	'e'
n.next	0x802	0x240
n.prev.next	0x182	0x800
n.next.prev	0x246	0x800
n.next.prev.prev	0x806	0x180

6-2)

```
public static void main(String[] args) {  
    n.next.prev = m;  
    m = n.next;  
    m.prev = n;  
    n.next = m;  
}
```

6-3)

```
public static void addNexts(DNode last) {  
    Dnode trav = last;  
    trav = trav.prev;  
    while (trav.prev != null) {  
        trav.prev.next = trav;  
        trav = trav.prev;  
    }  
}
```

**problem 7: Printing the odd values in a list of integers**

**7-1)**

```
public static void printOddsRecur(IntNode first) {  
    if (first == null) {  
        return;  
    } else {  
        if (first.val % 2 == 1) {  
            System.out.println(first.val)  
        } else {  
            System.out.println(first.next)  
        }  
    }  
}
```

**7-2)**

```
public static void printOddsIter(IntNode first) {  
    while (first != null) {  
        if (first.val % 2 == 1)  
            System.out.println(first.val);  
        first = first.next;  
    }  
}
```