Design Document for Assignment 4: The Permutations of Denver Long

Purpose:

The purpose of this assignment is to answer the age old computer science problem, The Traveling Salesman Problem. Imagine you are a salesman that needs to visit a set of cities in the shortest amount of time, returning back to where you started? You would want to find which path that visits all cities and returns back to the beginning has the shortest distance. These paths are called Hamiltonian Paths. In this assignment we will implement 3 ADTs, a Stack, a Path, and a Graph, as well as a Depth First Search algorithm in a main function to figure out which path will be the shortest out of all possible paths.

```
Implementation:
Graph
graph create
        creates the graph structure, allocates memory and sets undirected to pos/negative and sets vertices
graph delete
        deletes graph, frees memory
graph vertices
        returns number of vertices in graph
graph add edge
        adds and edge from i to j with weight k, returns bool if successful
graph has edge
        returns bool if there is an edge between imputed i and j
graph visited
        returns bool if specified vertex has been visited
graph mark visited
        mark specified vertex as visited in visited array
graph mark unvisited
        mark specified vertex as unvisited in visited array
graph print
        optional function to help with debugging
Stack
stack create
        creates a stack, allocates memory for struct and array. Does not allocate anything if it cant
        allocate for both
stack delete
        deletes stack by freeing memory
stack empty
        returns bool if stack is empty
stack full
        return bool if stack is full
stack size
        returns stack size using top
stack push
```

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pushes value onto stack
stack pop
        pops top value from stack
stack peek
        puts top value in stack in specified variable x
stack print
        prints stack to outfile in a specific format
Path
path create
        creates path and underlying stack, allocates memory for both
path delete
        deletes path and stack, frees memory
path push vertex
        pushes vertex onto path, adds weight to total length of path
path pop vertex
        pops vertex from path, removes weight from total length of path
path vertices
        returns number of vertices in path
path length
        returns length of path using weights of vertices in path
path copy
        copies path from one path to another
path print
        prints number of vertices and the stack using stack print
```

The file that we will create an executable and run will include the main function as well as the dfs function on top of it. The main function has an opt arg, which sees what has been imputed. It reads which file will be used as infile and outfile, and if none are specified use the standard infile and out file. open both the infile and outfile, read the values from infile and store them in their respectful space, like cities go into the cities array, edges go into the graph, and vertices go into the variable vertices. the infile is closed, and then dfs is run.

Depth First Search:

This function will be used as the algorithm to find the shortest path in our graph. It will go through Hamiltonian Paths, and when it finds a shorter one, it stores it as the shortest path. We mark the current vertex as visited and add it to our current path. Now we check if the current path we have is full and there is an edge from the last vertex to the first one, and if it is, add the first path to the end to make a complete loop. We then check to see if it is the shortest path. If it is, change the smallest length to the current path's length, and copy the current path to the shortest path. Remove the first vertex from the end of the path. If the path instead is not full or there is no edge between the latest vertex and the start, we check to see if our current path is too big to be the shortest path anyway. If it is still possible for it to be the smallest path, cycle through neighboring nodes that havent been visited yet and recursively call each of them. After all is checked and done, remove the current vertex from the path.

If h is triggered, print Synopsis, close the outfile and terminate the program. Print the shortest path into the outfile, and then close the outfile. Free all of the allocated memory.

Pseudocode:

```
dfs(graph, current vertex, current path, shortest path, cities array, outfile, verbose printing)

recursive counter +1

mark v visited

push v to curr path

if #vertices in path = #vertices in graph and graph has edge from v to 0

push 0 vertex to path

if(verbose printing)

print path to outfile

if curr path length is less than smallest length

smallest length = current path length

copy path from current to shortest

temp = 0

pop top vertex from curr path to temp
```

if there is an edge from v to w in graph
if w is NOT visited
dfs(graph, w, curr path, short path, cities array, outfile, verbose)

mark v in graph unvisited pop vertex from current path into v

else if length of curr path is less than smallest length

for w from 0 to number of vertices in G w++

