Assignment 1: Date, time, and time transformations

Task1:

Function used is R_i = rot3d(angle,axis)

Two imput arguments are required to for the function rot3d. For more information use 'doc rot3d'.

```
for axis = 1:3
    R_2pi = rot3d(rad2deg(2*pi),axis);
    R_0 = rot3d(rad2deg(0),axis);
    R_pi = rot3d(rad2deg(pi),axis);
    Eye_3 = eye(3);
    if (sum(sum(R_2pi == R_0))==9 \&\& ...
    sum(sum(R_2pi == R_pi*R_pi))==9 \&\& ...
    sum(sum(R_2pi == Eye_3)) == 9 \&\& ...
    sum(sum(R_0 == R_pi*R_pi)) == 9 \&\& ...
    sum(sum(R_0 == Eye_3)) == 9 \&\& ...
    sum(sum(R_pi*R_pi == Eye_3))==9)
        disp(append("rot3d seems to be correct for axis: ",num2str(axis)))
    else
        error("rot3d works NOT like intended.")
    end
end
rot3d seems to be correct for axis: 1
rot3d seems to be correct for axis: 2
rot3d seems to be correct for axis: 3
```

Check function rot3d with a test vector:

-1 0

```
e3 = rot3d(90,1)*x

e3 = 3×1

1
0
0
```

From perspective at the origin the matrices are roatating counterclockwise when using positive angles.

Task2:

Function used is [R_ref] = ref3d(axis)

Checking the results with the Identity matrix:

ref3d seems to be correct for axis: 3

```
for axis = 1:3
   if (sum(sum(ref3d(axis)*ref3d(axis) == eye(3)))==9)
      disp(append("ref3d seems to be correct for axis: ",num2str(axis)))
   else
      error("ref3d works NOT like intended.")
   end
end

ref3d seems to be correct for axis: 1
ref3d seems to be correct for axis: 2
```

Checking the results with mutltiplication of reflection matrixes:

ref3d works like intended.

=> Because M1*M2 == M2*M1 this works for all combinations

Task3:

Function used is [E,it] = kepler ecc ano(M,e)

For the kepler ecc ano function an extra paramtermeter could be introduced to define the starting value.

```
[E,iterations] = kepler_ecc_ano(10,0.5) %Some test values
E = 9.8114
iterations = 18
```

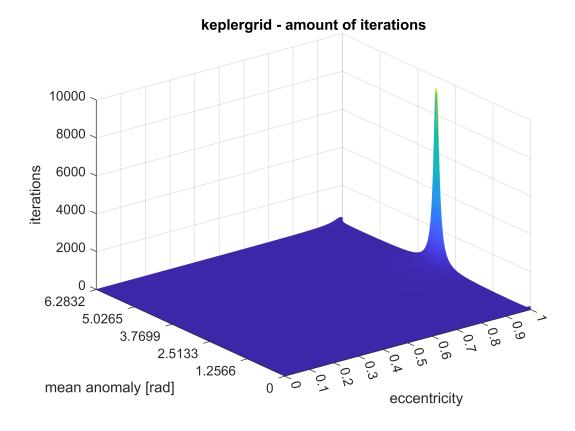
The Grid

```
M_an=0:0.01:2*pi;
ecc=0:0.001:(1-0.001);

keplergrid_E = zeros(length(M_an),length(ecc));
keplergrid_it = zeros(length(M_an),length(ecc));
keplergrid_diff = zeros(length(M_an),length(ecc));
```

Plot iterations

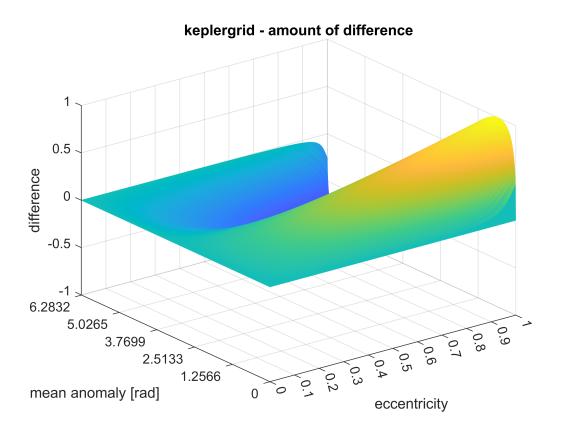
```
figure;
mesh(keplergrid_it)
title('keplergrid - amount of iterations');
xlabel('eccentricity');
ylabel('mean anomaly [rad]');
zlabel('iterations');
xticks([0,100,200,300,400,500,600,700,800,900,1000])
xticklabels({'0','0.1','0.2','0.3','0.4','0.5','0.6','0.7','0.8','0.9','1'})
yticks([0,pi*40,pi*80,pi*120,pi*160,pi*200])
yticklabels({'0',num2str((pi/100)*40),num2str((pi/100)*80), ...
num2str((pi/100)*120),num2str((pi/100)*160),num2str((pi/100)*200)})
```



Plot difference

```
figure;
mesh(keplergrid_diff)
```

```
title('keplergrid - amount of difference');
xlabel('eccentricity');
ylabel('mean anomaly [rad]');
zlabel('difference');
xticks([0,100,200,300,400,500,600,700,800,900,1000])
xticklabels({'0','0.1','0.2','0.3','0.4','0.5','0.6','0.7','0.8','0.9','1'})
yticks([0,pi*40,pi*80,pi*120,pi*160,pi*200])
yticklabels({'0',num2str((pi/100)*40),num2str((pi/100)*80), ...
num2str((pi/100)*120),num2str((pi/100)*160),num2str((pi/100)*200)})
```



Task4:

For the question what the difference is between the two functions:

There is no a really big difference. By converting to degrees, minutes and seconds, the seperated values get multiplyed bei 60 or 3600 and by converting to decimal degrees they are getting divided by 60 or 3600.

Just a lilte note to the two functions:

The task was to convert a vector of angles with unit decimal degree into vectors of degree, minute and decimal second.

We instead convertet the decimal degree vector into a matrix of

degree, minute and decimal seconds. The reason behind this change is

that is way more clear where every coordinate starts and ends.

Becuase of this change is also way more easy to use in further functions.

```
TestDecimalDegrees = [-31.2342,12.425,93.2334,-178.23]
TestDecimalDegrees = 1 \times 4
 -31.2342
           12.4250
                   93.2334 -178.2300
De_Mi_Se_Matrix = DecDeg_To_De_Mi_Se(TestDecimalDegrees)
De_Mi_Se_Matrix = 4 \times 3
 -31.0000
          14.0000
                     3.1200
  12.0000
          25.0000
                   30.0000
  93.0000 14.0000
                    0.2400
-178.0000 13.0000
                    48.0000
DecDegVector = De_Mi_Se_To_DecDeg(De_Mi_Se_Matrix)
DecDegVector = 1 \times 4
 -31.2342
          12.4250
                   93.2334 -178.2300
if (sum(TestDecimalDegrees == DecDegVector)==length(TestDecimalDegrees))
        disp("The Decimal Degrees got transferd between the two functions " + ...
             "without correctly.")
else
        error("DecDeg_To_De_Mi_Se and De_Mi_Se_To_DecDeg arent inverse " + ...
             "to each other.")
end
```

The Decimal Degrees got transferd between the two functions without correctly.

Task5:

```
year = 2021;
month = 11;
day = 22;
hour = 01; %CET
minute = 0;
second = 0;
```

Change time zone

```
[year,month,day,hour] = CET_hour_To_UTC_hour(year,month,day,hour);
```

Corrected Time

```
[year,month,day,hour,minute,second] = Get_UT1_sec(year,month,day,hour,minute,second)
```

```
year = 2021
month = 11
day = 21
hour = 23
minute = 59
```

```
[jd_UT1,~] = gre2jd(year,month,day,hour,minute,second);
```

Calculate Earth roation angle / Calculate T UT1

```
T_UT1 = jd_UT1 - 2451545.0;

ERA = 2 * pi * ...
    (0.7790572732640 + 1.00273781191135448 * T_UT1);

Ra_ERA = Get_Radius_From_Cycles_of_Radius(ERA);
```

Convert radiant to degree

```
Randiant_to_Degree_value = 360/(2*pi);

deg = Randiant_to_Degree_value*Ra_ERA;
```

Calculate the Decimal hours, minutes and seconds

```
De_Mi_Se_ERA = DecDeg_To_De_Mi_Se(deg);
De_Mi_Se_ERA(3) = round(De_Mi_Se_ERA(3));
```

Earth roation angle:

```
De_Mi_Se_ERA

De_Mi_Se_ERA = 1×3
60 55 24
```

Greenwich Apparent Sidereal Time

```
t = (jd_UT1 -2451545.0)/36525;

GMST = (F(jd_UT1)*86400 + 24110.54841 -86400/2 + ...
8640184.812866 * t + 0.093104 * t * t -...
6.2e-6 * t * t * t)/3600; % hour

equinox = get_equinox(year,month,day,jd_UT1)
```

```
equinox = -1.8733e-06

GAST = GMST + equinox;

GAST = Get_Hours_From_HourCycles(GAST);

DecDeg_To_De_Mi_Se(GAST)
```

```
ans = 1 \times 3
4.0000 4.0000 48.8826
```

Task6:

```
VLBI_Group_Delay_TT = 0.02 %sconds in TT

VLBI_Group_Delay_TT = 0.0200

VLBI_Group_Delay_TCG = TTdiv_To_TCGdiv(VLBI_Group_Delay_TT)

VLBI_Group_Delay_TCG = 0.0200

VLBI_Group_Delay_TCB = TCGdiv_To_TCBdiv(VLBI_Group_Delay_TCG)
```

Difference in meter

VLBI Group Delay TCB = 0.0200

```
c = 299792458; %m/s

VLBI_Group_Delay_In_Meter = ((c * VLBI_Group_Delay_TCB) / c) - ...
        ((c * VLBI_Group_Delay_TT) / c);

disp(append("The difference is: ", ...
        num2str(VLBI_Group_Delay_In_Meter * 10^6), " micro meter"))
```

The difference is: 0.19759 micro meter

Ratio between gravitational relativistic term and special relativistic term

```
% Values from the calculations as in the function TCGdiv_To_TCBdiv
gravitantional_potential = 887384185629.236;
Special_relativistic_term = 450000000;

GS_ratio = gravitantional_potential / Special_relativistic_term;
disp(append("gravitantional_potential is ", ...
    num2str(GS_ratio), " times as large as the Special_relativistic_term"))
```

gravitantional_potential is 1971.9649 times as large as the Special_relativistic_term

We can't see that the gravitational relativistic term is about twice as large as the special relativistic term.