$\frac{1}{2}(x) = \frac{1}{2}(0) + \frac{1}{2}(0) \times \frac{1}{2} + \frac{1}{2}(0) \times \frac{1}{$ Seif : 12 - 12 globet , d.G. on off different chan be ohis Taylorentuschlung von fande Stelle O. Hier sogar Dans Lift de Ansalmake Tay be alway offer :

exp : C -> C

7x. exp(ix) ale turblier und behadh

$$= \sum_{q=0}^{\infty} \frac{1}{(z_{q})}(z_{x}) + \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{x})$$

$$= \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{y}) + \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{q})$$

$$= \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{q}) + \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{q}) + \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{q})$$

$$= \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{q}) + \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{q}) + \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{q})$$

$$= \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{q}) + \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{q}) + \sum_{q=0}^{\infty} \frac{1}{(2q_{q})}(z_{q})$$

exp (ix) 1 2 (ix) qx9

- x+ 4/4.12 + 8/6.4+

$$Q_{u} = \pi - \chi - \chi_{u} + \chi_{v}$$

$$Q_{u} = \pi - \chi_{v} + \chi_{v} + \chi_{v}$$

$$M_{v} Q_{u} = \chi_{v} - \chi_{v} + \chi_{v}$$

$$M_{v} Q_{u} - \chi_{u} = \chi_{v} + \chi_{v}$$

$$M_{v} Q_{u} - Q_{u} = \chi_{v} + \chi_{v}$$

even-better-pi-sequence

5.123

missigned für RC4)= Th work on soldler Ausust wicht lusbesoudere, folls P1>1, steckt in dies- Micatz (4500. fir abodre Expore to die 4,000 4ut prepreps c... (26) = A + Bhr + ChP2+ Dh 13+... mit Pripzipziolie tuforcation (dof of R(D) = 0 !! ist ein Kusentz S, 2 2 2 0 8

un merò callei (2) 2(4) = A+ By + Chr. "infer aproximation and a (sualest P.) -) highstes weed Wollen die approximation ouds de verschiedene (7)(4),21 Ausout Spalter unmerisos bestimme 55=R(45) ty=R(46) ... 17 " L(h) Sz=R(42) S1 = R(h)

Seite 2 realth unter:

Folkeder (5's approximient die approximation 12, $S_{R}-S_{00}$ $= \alpha \cdot \begin{pmatrix} h_{1} \\ h_{2} \end{pmatrix} \Leftrightarrow Ausodz$ E tehler des With we Raver Kif beredue Gous Liste [S,..., S,] Saun war Limsu=So => (mplemedierer l Sn = S(h/22) 12.12.

18,12, Wordenholms 2-+ypes

Ma A A mKE: (a.A) -> Ba -> A, B gegeber

(-1-) (-1-)

7(a.A). (A.) [ype

Ax C 1= 5 (No.x).C)a = 2.C

Days ist