

## Tutorial 1 - Printed test, Version 1

Student Name: \_\_\_\_\_

13.01.2017 08:49 PM

### 1. Chapter 1, Practice Reading Question 1/05

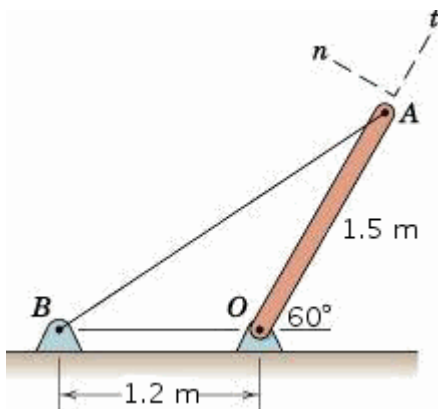
A direction cosine is:

- a. The cosine of the angle between a vector and a particular coordinate axis.
- b. A unit vector that points in the direction of a vector.
- c. The cosine of the angle between a vector and the horizontal plane.
- d. The magnitude of a vector.

Answer: \_\_\_\_\_

### 2. Chapter 2, Practice Problem 2/06

The cable  $AB$  prevents bar  $OA$  from rotating clockwise about the pivot  $O$ . If the cable tension is 750 N, determine the  $n$ - and  $t$ -components of this force acting on point  $A$  of the bar.



Answers:

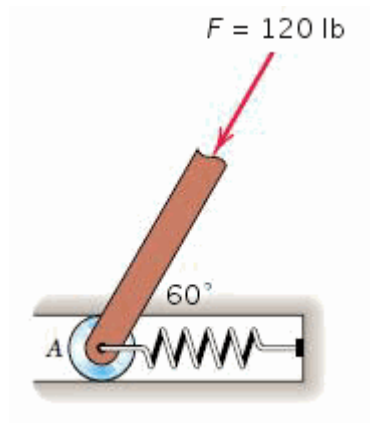
$$T_n = \boxed{\phantom{000}}^{*1} \text{ N}$$
$$T_t = \boxed{\phantom{000}}^{*2} \text{ N}$$

\*1 - significant digits are disabled; notolerance

\*2 - significant digits are disabled; notolerance

### 3. Chapter 2, Problem 2/020

Determine the magnitude  $F_s$  of the tensile spring force in order that the resultant of  $\mathbf{F}_s$  and  $\mathbf{F}$  is a vertical force. Determine the magnitude  $R$  of this vertical resultant force.



Answers:

$$F_s =$$

 <sup>\*1</sup> lb

$$R =$$

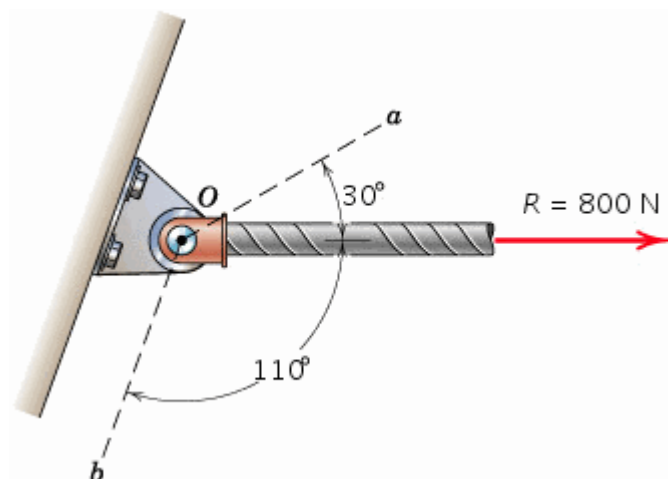
 <sup>\*2</sup> lb

<sup>\*1</sup> - significant digits are disabled; notolerance

<sup>\*2</sup> - significant digits are disabled; notolerance

#### 4. Chapter 2, Problem 2/023 (video solution to similar problem attached)

Determine the scalar components  $R_a$  and  $R_b$  of the force  $\mathbf{R}$  along the nonrectangular axes  $a$  and  $b$ . Also determine the orthogonal projection  $P_a$  of  $\mathbf{R}$  onto axis  $a$ .



Answers:

$$R_a =$$
  <sup>\*1</sup> N

$$R_b =$$
  <sup>\*2</sup> N

$$P_a =$$
  <sup>\*3</sup> N

<sup>\*1</sup> - significant digits are disabled; notolerance

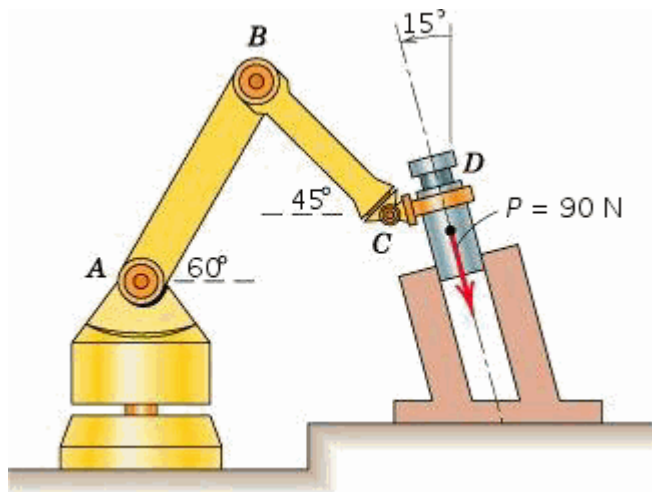
<sup>\*2</sup> - significant digits are disabled; notolerance

<sup>\*3</sup> - significant digits are disabled; notolerance

#### 5. Chapter 2, Problem 2/029

In the design of the robot to insert the small cylindrical part into a close-fitting circular hole, the robot arm must exert a 90-N force  $P$  on the part parallel to the axis of the hole as shown. Determine the components of the force which the

part exerts *on* the robot along axes (a) parallel and perpendicular to the arm  $AB$ , and (b) parallel and perpendicular to the arm  $BC$ . The parallel direction is  $t$  and the perpendicular direction is  $n$ . Report your answers as positive numbers.



Answers:

(a)  $AB$ :

$$P_t = \boxed{\phantom{000}}^{*1}\text{N},$$

$$P_n = \boxed{\phantom{000}}^{*2}\text{N}$$

(b)  $BC$ :

$$P_t = \boxed{\phantom{000}}^{*3}\text{N},$$

$$P_n = \boxed{\phantom{000}}^{*4}\text{N}$$

\*1 - significant digits are disabled; notolerance

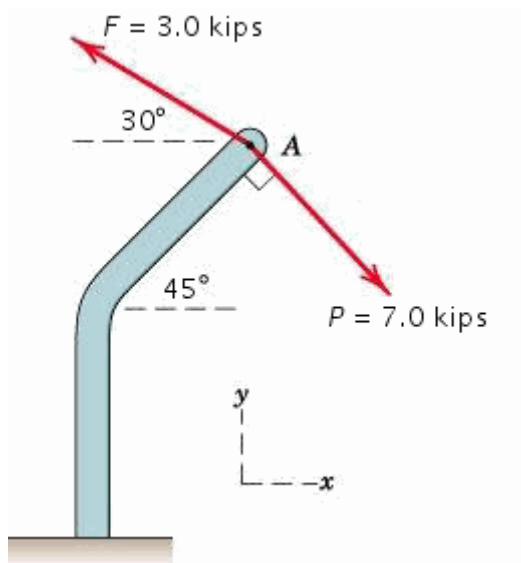
\*2 - significant digits are disabled; notolerance

\*3 - significant digits are disabled; notolerance

\*4 - significant digits are disabled; notolerance

## 6. Chapter 2, Supplemental Problem 2/03

The two forces shown act at point A of the bent bar. Determine the resultant  $\mathbf{R}$  of the two forces.



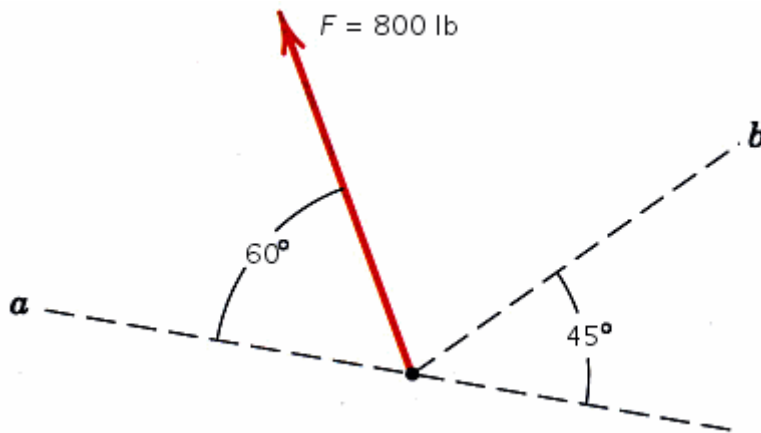
Answer:  $\mathbf{R} = (\boxed{\phantom{000}}^{*1}\mathbf{i} + \boxed{\phantom{000}}^{*2}\mathbf{j})$  kips

\*1 - significant digits are disabled; notolerance

\*2 - significant digits are disabled; notolerance

**7. Chapter 2, Supplemental Problem 2/06 (detailed solution attached)**

Determine the components of the 800-lb force  $\mathbf{F}$  along the oblique axes  $a$  and  $b$ . Also, determine the projections of  $\mathbf{F}$  onto the  $a$ - and  $b$ -axes.



Answers:

Components:

$$F_a = \boxed{\phantom{000}}^{*1} \text{ lb,}$$

$$F_b = \boxed{\phantom{000}}^{*2} \text{ lb}$$

Projections:

$$P_a = \boxed{\phantom{000}}^{*3} \text{ lb,}$$

$$P_b = \boxed{\phantom{000}}^{*4} \text{ lb}$$

\*1 - significant digits are disabled; notolerance

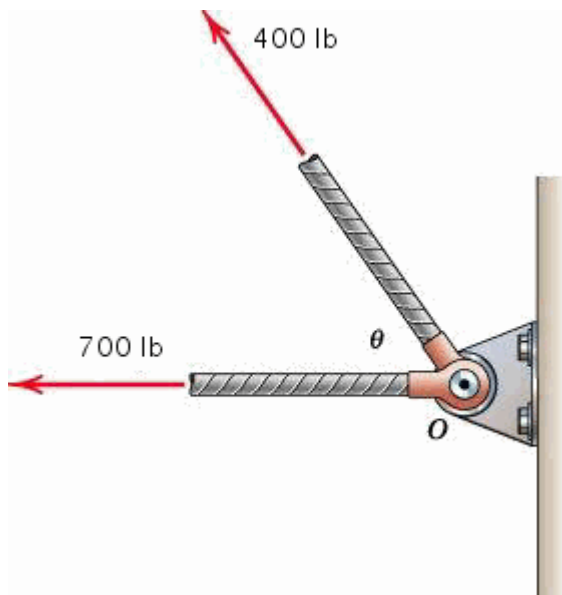
\*2 - significant digits are disabled; notolerance

\*3 - significant digits are disabled; notolerance

\*4 - significant digits are disabled; notolerance

**8. Chapter 2, Supplemental Problem 2/08**

At what angle  $\theta$  must the 400-lb force be applied in order that the resultant  $\mathbf{R}$  of the two forces have a magnitude of 1000 lb? For this condition what will be the angle  $\beta$  between  $\mathbf{R}$  and the horizontal?



Answers:

$$\theta = \boxed{\phantom{000}}^{*1o}$$

$$\beta = \boxed{\phantom{000}}^{*2o}$$

<sup>\*1</sup> - significant digits are disabled; notolerance

<sup>\*2</sup> - significant digits are disabled; notolerance