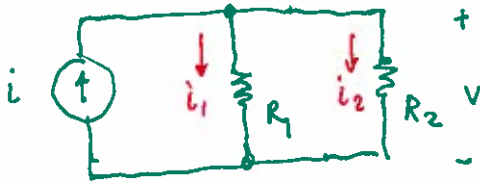


Current division (continued)



We have $R_{eq} = \frac{R_1 R_2}{R_1 + R_2}$

$$V = i \left(\frac{R_1 R_2}{R_1 + R_2} \right)$$

Individual currents are: $i_1 = \frac{V}{R_1} = \frac{i}{R_1} \left(\frac{R_1 R_2}{R_1 + R_2} \right)$

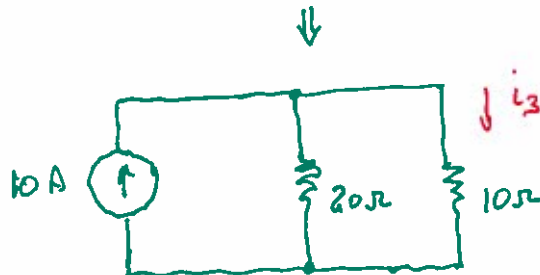
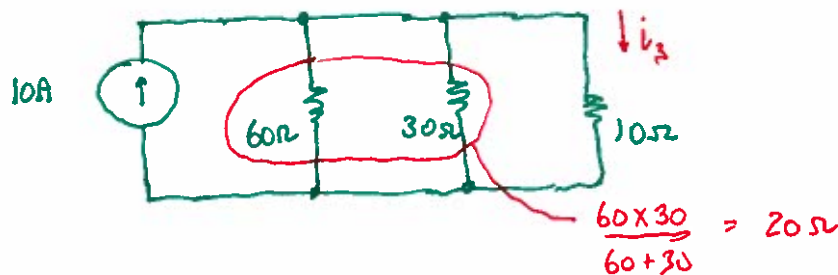
$$= i \left(\frac{R_2}{R_1 + R_2} \right)$$

note similarity to voltage divider, except it's the other branch's resistor (R_2)

Not as straightforward as voltage division when more than two resistors

- when more than two resistors in parallel, we may group them.

Example 1: Find i_3



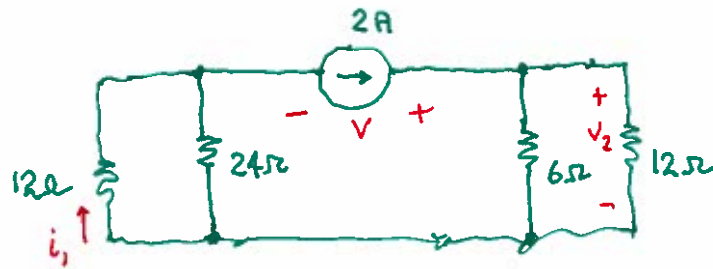
note the other branch's resistance.

Current division by inspection gives

$$i_3 = \frac{20}{20 + 10} \times 10$$

$$= 6.67 \text{ A}$$

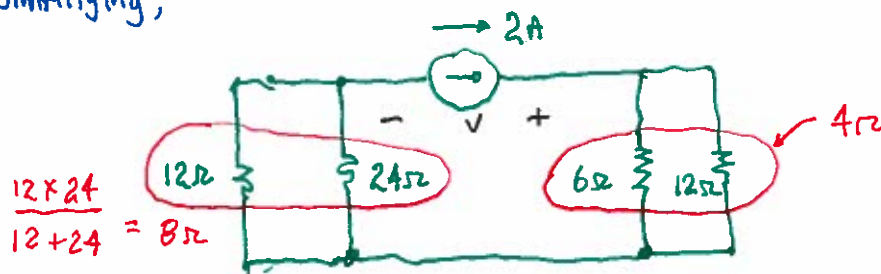
Example 2: Find V , i_1 and V_2 in the following



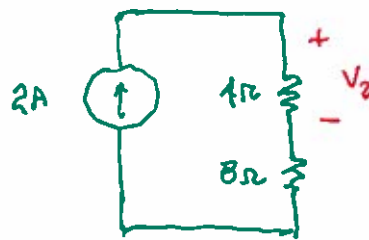
Many ways to proceed.

- Strategy:
- Find the total resistance connected to the source; then find V
 - Use voltage division to find V_2
 - Use current division to find i_1

Simplifying,



Redraw:



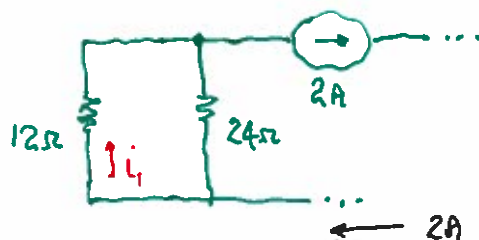
$$R_{eq} = 4 + 8 = 12\Omega$$

$$\text{Hence, } V = 2 \times R_{eq} = 24V$$

By voltage division, we may write by inspection

$$V_2 = \frac{4}{4+8} \times V = \frac{1}{3} \times 24 = 8V$$

On the left side of the circuit



By current division, we may write by inspection

$$i_1 = \frac{24}{24+12} \times 2A = 4/3 A$$

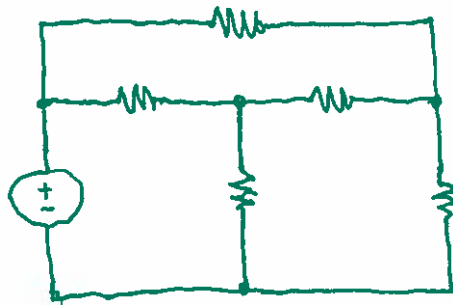
the other branch's resistance.

Node-voltage analysis

The previous method of circuit analysis by series/parallel circuit manipulation works well for many circuits, but ...

- it's an "ad-hoc" method; depends on circuit
- doesn't apply to all circuits

E.g.,



Yikes!

- nothing in series
- nothing in parallel.

Node-voltage analysis works for any circuit.

Basic steps:

1. Identify nodes, and decide on a reference node.
2. Apply KCL at nodes; develop a system of equations in terms of node voltages.
3. Solve for node voltages

Step 1: Identify nodes and node voltages

