# Wednesday Mar 1, 2017

#### Last time:

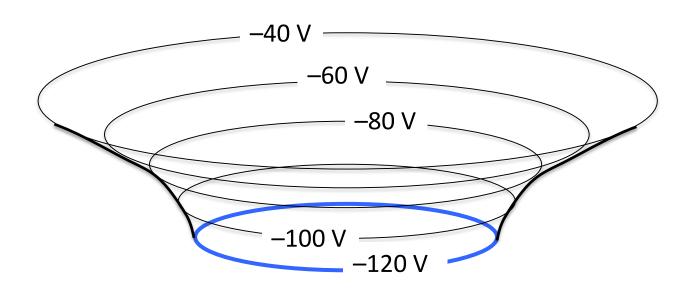
- Equipotential surfaces: visualizing electric potential
- Electrostatic work
- Conductors and electric potential
- Interpreting equipotential surfaces

# Today:

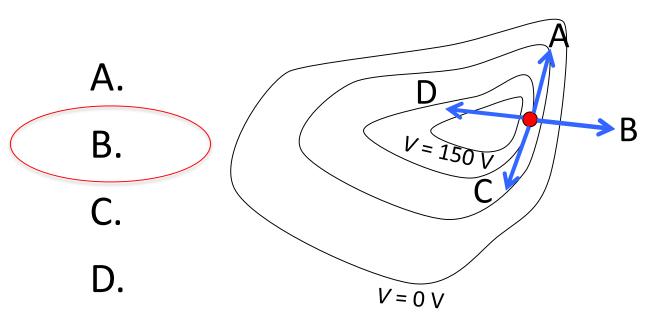
- Interpreting equipotential surfaces
- ΔV applications
- Potential of a dipole and line of charge

# Equipotential surfaces for charged shell

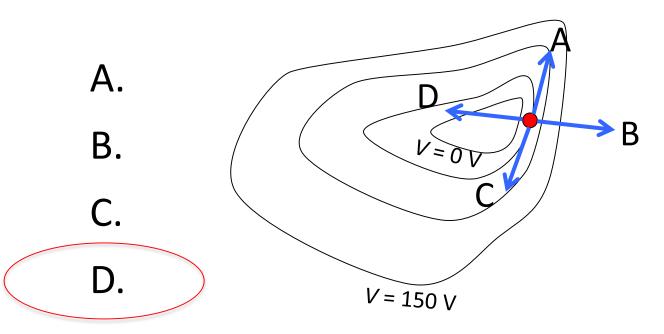
Equipotential surfaces give you information about where a charged particle is allowed to go, based on its energy. If you release a marble in a bowl at some height h, it will never be able to reach a higher height. Similarly, if you release a positive charge from some potential, it can never reach a higher potential unless supplied with extra energy.



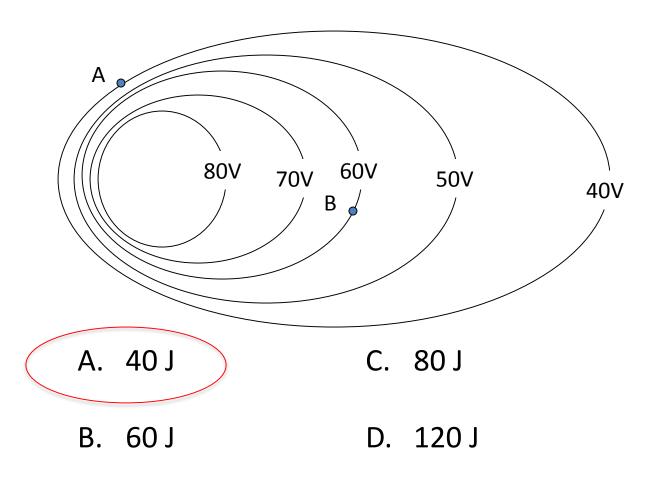
Equipotential surfaces are shown below. If a positively charged particle were released from rest at the point indicated, in which direction would the particle begin to move?



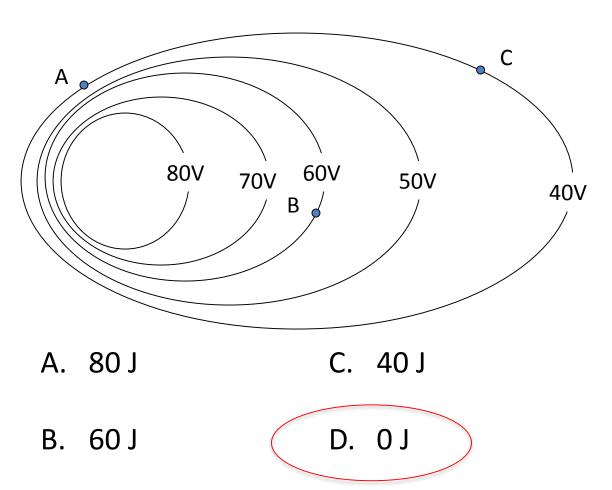
Equipotential surfaces are shown below. If a positively charged particle were released from rest at the point indicated, in which direction would the particle begin to move?



How much energy (in Joules) would 2C of charge gain if it was pushed from point A to point B?



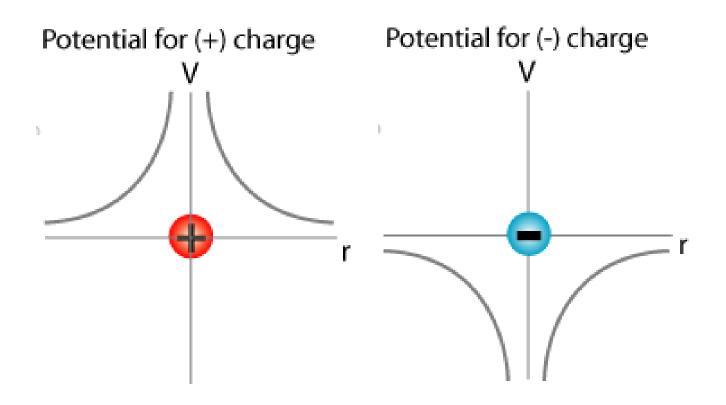
How much energy (in Joules) would 2C of charge gain if it was pushed from point A to point B, then to point C?



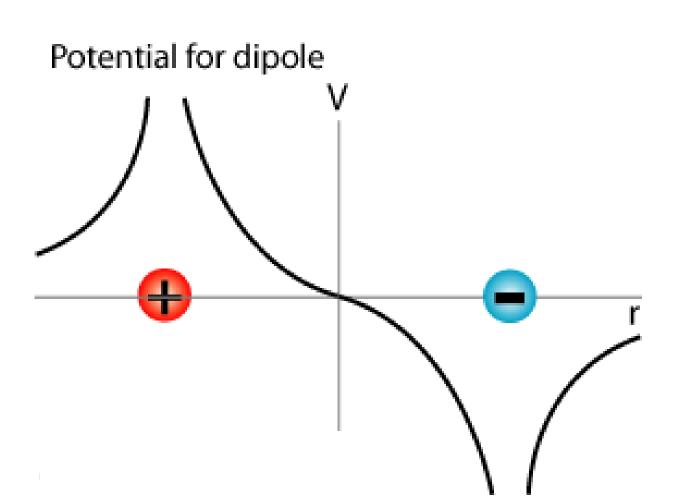
# Potential of the dipole - general

Document camera

### **Potential**

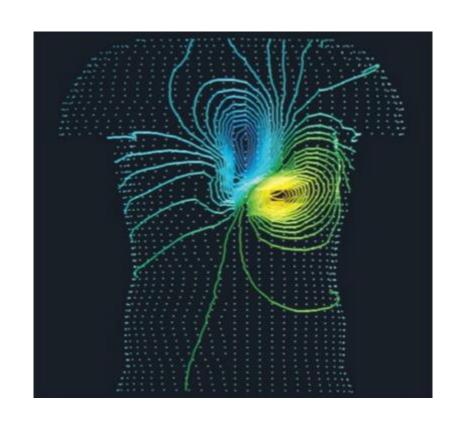


### **Potential**



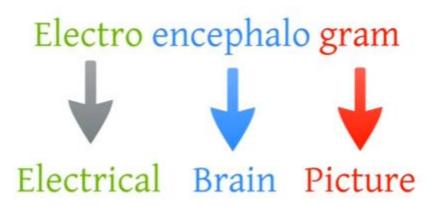
# EKG (ECG) Electrocardiogram

- The equipotential lines near the heart are slightly distorted lines for an electric dipole
- Electric activity of the heart can be monitored by measuring the potential differences



# EEG electroencephalogram

 Way of measuring the electrical potentials that the brain produces



# Wednesday Mar 1, 2017 class 2

#### Last time:

- Interpreting equipotential surfaces
- ΔV applications
- Potential of a dipole

### Today:

- Potential of line of charge
- Additional examples

#### Vector quantities

$$\vec{F}_{qq'} = \frac{1}{4\pi\varepsilon_0} \frac{qq'}{r^2} \hat{r}$$

$$\vec{E} = \frac{\vec{F}_{qq'}}{q'} = \frac{1}{4\pi\varepsilon_0} \frac{q}{r^2} \hat{r}$$

$$\vec{F} = q\vec{E}$$

$$\vec{E}(\vec{r}) = \frac{1}{4\pi\varepsilon_0} \int \frac{dq}{r^2} \hat{r}$$

#### Scalar quantities

$$U_{q'+q} = \frac{1}{4\pi\varepsilon_0} \frac{qq'}{r}$$

$$V = \frac{U_{q'+q}}{q'} = \frac{1}{4\pi\varepsilon_0} \frac{q}{r}$$

$$U = qV$$

$$V(r) = \frac{1}{4\pi\varepsilon_0} \int \frac{dq}{r}$$

$$U_{b} - U_{a} = -q_{0} \int_{a}^{b} \overrightarrow{E} \cdot \overrightarrow{dl}$$

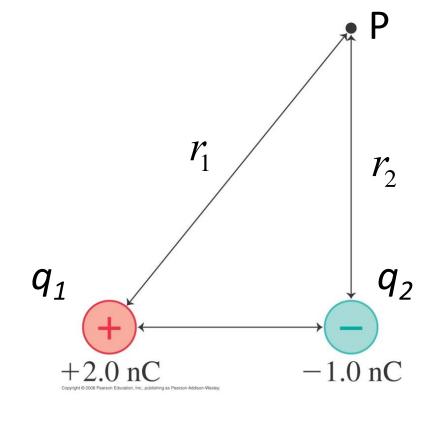
$$V_{b} - V_{a} = -\int_{a}^{b} \overrightarrow{E} \cdot \overrightarrow{dl} = \int_{b}^{a} \overrightarrow{E} \cdot \overrightarrow{dl}$$

Finding V at point P.

#### Potential is a scalar

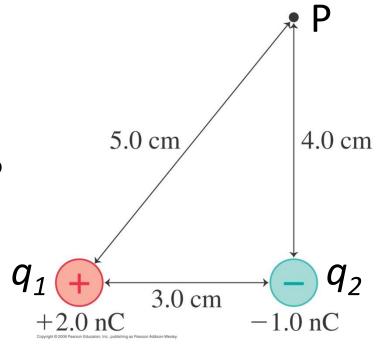
#### There are no components

Just add the potentials



V at P =  $(V_1$  at P due to  $q_1$ ) +  $(V_2$  at P due to  $q_2$ ).

What is the electric potential at point P for the arrangement of two charges shown to the right?



A. 585*V* 

C. 1600 V

B. 135*V* 

D. -140*V* 

 At midpoint between the two equal, but opposite charges:





- A. E=0 and V=0
- B. E points to the right 0 and V>0
- C. E points to the left and V<0
- D. E points to the right 0 and V=0
- E. E points to the left and V=0

At midpoint between the two equal positive charges







- A. E=0 and V=0
- B. E>0 and V>0
- C. E=0 and V>0
- D. E<0 and V<0
- E. E=0 and V<0

At midpoint between the two equal negative charges







- A. E=0 and V=0
- B. E>0 and V>0
- C. E=0 and V>0
- D. E<0 and V<0
- E. E=0 and V<0

# Potential of the line of charge