

Homework Assignment #1

Work each of the following problems in its own **individual script file**. Use comments to label which parts of your code correspond to each problem section (e.g., %1a or %2c placed above corresponding code). Each of these 10 problems is worth 10% of your grade for this assignment. Your individual script files should be named "YourName_HW1_Problem#.m" and your .zip file submission on Moodle should be named "YourName_HW1.zip".

Problem 1

Use MATLAB to make the following calculations using the values $x = 5$ and $y = 2$:

- a) $u = x + y$
- b) $v = 3xy$
- c) $w = (4x) / y$
- d) $z = \cos(x)$
- e) $s = 0.3\sin(2y)$
- f) $m = 2y^3 + x^4$

Problem 2

Use MATLAB to evaluate the following expressions:

a) $\frac{82}{7} + \frac{\pi}{120} + (5)(4.2^2)(358.9^{-1})$

b) $\sin\left(\sqrt{\frac{(45.2)(2)}{38} + \frac{1}{7.77}}\right)$

c) $\left(\frac{1.1}{4.23}\right)(4 + 2.58)^5\left(\frac{4.9}{8} - \frac{0.3}{2.2*2.2}\right)^{-0.5}$

Problem 3

Use MATLAB to calculate the following values **without** converting radians to degrees or vice versa:

- a) $\sin(\pi / 4)$
- b) $\cos(40^\circ)$
- c) $\sin^{-1}(0.32)$ (in radians)
- d) $\cos^{-1}(0.71)$ (in degrees)

Problem 4

Use MATLAB to make the following calculations using $x = -5 + 6i$ and $y = 7 + 8i$:

- a) $u = 2x + 3y$
- b) $v = x^2$
- c) $w = y / (x + y)$

Problem 5

Use the `roots()` function to find the roots of the following polynomial:

$$x^5 - 18x^4 + 95x^3 - 70x^2 - 456x + 448$$

After displaying the roots, put them into the `poly()` function to find and display the coefficients of the original polynomial. The MathWorks website and the Function Browser contain information on the use of these functions.

Problem 6

Do the following:

- a) Use two methods to create a vector `x` that has exactly 70 linearly spaced elements with values ranging between 0 and 15.

Note: Typing the elements in by hand is not considered an option except in the case of small vectors (~5 or less elements)!

- b) Use two methods to create a vector `y` with a linear spacing of exactly 0.25 between adjacent elements and that ranges from a minimum value of -2 to a maximum value of 20

- c) Create a vector `z` with 43 logarithmically spaced values ranging from 1 to 1,000,000.

Note: Pay attention to how the `logspace()` function works! Don't just type 100 and 100,000 as arguments; your results will be wrong!

Problem 7

Use MATLAB to plot the following functions over the interval $0 \leq x \leq 10$ on the same plot:

$$u = 8\sin(x) + 1.5$$

$$v = 5\cos(2x) - 3$$

Title the plot "u & v", label the x-axis as "x", and label the y-axis as "y". Make sure to also use the grid command. Generate `x` using `linspace()` such that there are **exactly** 101 elements in the vector, starting with 0 and ending at 10.

Problem 8

$$\begin{bmatrix} 2 & -2 & 4 & 3 \\ -5 & -9 & 10 & 8 \\ 12 & -13 & 5 & 1 \\ 5 & 5 & 7 & 10 \end{bmatrix}$$

Generate the array above (call it "A") in the following four ways:

- a) Create a vector for each row of four elements and then concatenate these vectors vertically. Name these vectors "`a1`", "`b1`", "`c1`", and "`d1`".
- b) Create a vector for each column of four elements and then concatenate these vectors horizontally. Name these vectors "`a2`", "`b2`", "`c2`", and "`d2`".
- c) Create the full array using one line of code: the assignment statement for `A`.

Problem 9

Regenerate the array A from Problem 8 using your preferred method. Do the following with array indexing:

- a) Create a 4x2 array called " B " that consists of all elements in the third and fourth columns of A
- b) Create a 3x4 array called " C " consisting of all elements in the first through third rows of A
- c) Create a 1x1 called " D " consisting of the element in the top-left corner of A (meaning $D = [2]$)

Problem 10

Given the following arrays:

$$A = \begin{bmatrix} 2 & 7 & 1 \\ 3 & 6 & 12 \\ 11 & -5 & 40 \\ 73 & -8 & 31 \end{bmatrix}$$

$$B = \log_{10}(A) + 2$$

Write MATLAB expressions to do the following:

- a) Select just the first column of B , calling this vector b
- b) Evaluate the sum of elements in the fourth row of A
- c) Create a matrix C by multiplying the first column of B and the last column of A **element-by-element**
- d) Use the `min()` function to find the lowest value element in matrix C
- e) Divide the third column of A by the last column of B **element-by-element**