

## 5. Exercise

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### Exercise 5.1

Important numbers:

$$\mathbf{B:} \frac{20\,000\,000 \text{ Records}}{40 \frac{\text{Records}}{\text{Page}}} = 500\,000 \text{ Pages}$$

$$\mathbf{R:} 40 \frac{\text{Records}}{\text{Page}}$$

**1.a)**  $\sigma_{ID=500}$

Answer: Use path A3 for this Equality Selection.

Explanation:

Sorted:  $D \log_2 B \approx 19D$

Clustered  $B^+$  tree:  $D(1 + \log_G 0.15B)$

Hash index:  $2D < 19D$

If A2 is cheapest, then  $D(1 + \log_G 0.15B) < 2D \Rightarrow \log_G 75000 < 1 \Rightarrow G > 75000$ , unpractical!

**1.b)**  $\sigma_{ID \neq 500}$

Answer: Use path A1 for this scan of relation

Explanation:

type	formula	cost
sorted	$B \cdot D$	$500\,000D$
$B^+$ tree	$0.15BD + 1.5BD$	$825\,000D$
hash index	$BD(R + 0.125)$	$20\,062\,500D$

**1.c)**  $\sigma_{ID > 500 \wedge ID < 1500}$

Answer: A2 for range selection

Explanation:

Sorted:  $D(\log_2 B + \# \text{matchingPages})$

Clustered  $B^+$  tree:  $D(\log_G 0.15B + \# \text{matchingPages})$

Hash index:  $BD = 500\,000D$ , obviously larger than the other two.

If  $\text{cost}(A2) < \text{cost}(A1)$ , then  $\log_G 0.15B < \log_2 B \approx 19 \Rightarrow G > 75\,000^{\frac{1}{19}} \approx 1.8 \Rightarrow G \geq 2$ . So usually A2 is cheaper than A1.

## 2

Nest: 200 bytes/record, 200 tuples

Egg: 10 bytes/record, 5000 tuples

EggInNest: 50 bytes/record, 100 000 tuples

2000 bytes/page, 7 buffer pages, cost(an index access)=2 I/Os

### 2.a)

$$\text{Nest: } \frac{2000\text{bytes/page}}{200\text{bytes/record}} = 10 \text{ records/page} \Rightarrow \frac{200\text{records}}{10\text{records/page}} = 20 \text{ pages}$$

$$\text{Egg: } \frac{2000\text{bytes/page}}{10\text{bytes/record}} = 200 \text{ records/page} \Rightarrow \frac{5000\text{records}}{200\text{records/page}} = 25 \text{ pages}$$

$$\text{EggInNest: } \frac{2000\text{bytes/page}}{50\text{bytes/record}} = 40 \text{ records/page} \Rightarrow \frac{100\,000\text{records}}{40\text{records/page}} = 2500 \text{ pages}$$

### 2.b) i.

Costs for using block-nested loop join:

M=25 I/Os, N=2500 I/Os, B=7

$$\text{Costs} = M + \left\lceil \frac{M}{B-2} \right\rceil * N = 25 + \left\lceil \frac{25}{7-2} \right\rceil * 2500 = 12525 \text{ I/Os}$$

### 2.b) ii.

Costs for using index-nested loop join with a clustered hash index:

There exists a hash index on eid on Egg.  $\Rightarrow$  Loop of Egg is the inner loop.

M=2500 I/Os, N=25 I/Os

$$\text{Costs} = M + (\text{tuplesOfOutLoop} * \text{CostOfFindingMatchingInnerTuples}) = 2500 + 100\,000 \times 2 = 202500 \text{ I/Os}$$

### 2.b) iii.

Both relations are sorted on join colum.  $\Rightarrow$  The Sort-Merge Join is the best with

$$\text{costs} = M+N = 2500 + 25 = 2525 \text{ I/Os}$$

## Exercise 5.2

### 1.

Split the computing into two parts:

- Finding the first suitable records

1. through the stated average size and load we retrieve  $0.15 \cdot B$  data entries

2. the height of such a tree then is given by  $\log_G 0.15 \cdot B$

3. Since every one has to be read we multiply it by  $D$

$$\Rightarrow D \cdot (\log_G 0.15 \cdot B)$$

- find first following non-suitable record We then continue reading the index structure until we encounter a record that is not suitable. Through the clustering we know that there are no suitable records following. So we read the number of suitable records =  $\#matchingPages$  many records

$$\Rightarrow D \cdot \#matchingPages$$

$$\Rightarrow D \cdot (\log_G 0.15 \cdot B) + D \cdot \#matchingPages = D \cdot (\log_G 0.15 \cdot B + \#matchingPages)$$

**2.**

- read the page of the hash-group, which contains all entries that satisfy the equality  $\Rightarrow D$
- read the data entry satisfying the equality  $\Rightarrow D$

$$\Rightarrow D + D = 2D$$

**3.**

- the costs of retrieving the file containing the data computes as in Exercise 5.2.1 to  $D \cdot (\log_G 0.15 \cdot B)$
- the costs of finding the data entry is constant  $D$
- rewriting the index page and datafile takes  $2D$

$$\Rightarrow D \cdot (\log_G 0.15 \cdot B) + D + 2D = D \cdot (3 + \log_G 0.15 \cdot B)$$

## Exercise 5.3

- Regarding Q1:

Equality Selection based on its primary key sno:

type	formula	cost
heap	$\frac{1}{2}BD$	$500D$
Sorted	$D \cdot \log_2 B$	$9.97D$
Clustered Tree Index	$D \cdot (1 + \log_G 0.15B)$	$2.09D$
Unclustered Tree Index	$D \cdot (1 + \log_G 0.15B)$	$2.09D$
Unclustered Hash Index	$2D$	$2D$

$\Rightarrow$  for Q1 a unclustered hash index on sno would be the best option. A(n) (un)clustered tree index would only be very slightly less efficient.

- Regarding Q2:

Range Selection based on the salary:

Obviously a tree index is the most efficient for such queries. Also having a clustered tree index would be more efficient than an unclustered tree index, since otherwise each suitable

records would cost 1 page I/O. A clustered tree index can read the records continuously which results in less page I/Os.

So a clustered tree index would be the best choice.

- Regarding Q3:  
maybe indexing sno?