

On the Subject of Fixing Malfunctions

Turning it off and on again didn't help....this time.

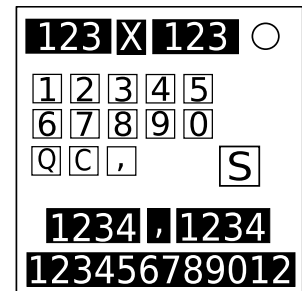
Follow the original manual for instructions on how to operate the module.

There are 3 cases you will need to differentiate between in order to solve Malfunctions: Either 1 is added/subtracted to the query results, the query responses, or the function number itself. There will only be one case active and it will never change.

Query the 3 functions, in order, into the module. If the response can be found "staircasing" either up or down the table, it's the third case. "Staircasing" up means $X = -1$, and the starting function is the function from the first query response. "Staircasing" down means $X = +1$.

If instead, the responses could all be found on the same row, BUT are all either 1 greater or 1 fewer than the ones shown in the table, then it's the second case, and $X = +1$ or -1 , respectively, with the original function being the row in the table.

If neither of these are true, then more queries are needed. Next, input the column queries like before, but take away 1 from each query (i.e. 2450,114 instead of 2451,115). Do the same for each query, plus 1. If one of the trio of results from these sets exactly matches a row in your table, that function is the target function. If it came from the set where you subtracted 1 from each query, then $X = +1$. If it came from the set where you added 1 to each query, then $X = -1$. If both trios of results matches a row, an additional query will be needed to figure out which function is correct.



	2451, 115	6313, 201	1550, 45
0	274176	1249380	64974
1	36	82	20
2	196	2687	700
3	7	7	7
4	1	1	4
5	6	6	3
6	9	9	8
7	84	39	99
8	281865	1268913	69750

9	10	10	11
10	5	6	5
11	126	28	125
12	2455	6313	1555
13	6680865	2945913	8069750
14	4	2	4
15	4	5	4
16	79	119	25
17	2	2	2
18	25666	65142	15955
19	2566	6514	1595
20	*	*	*
21	5	3	0
22	6	5	6
23	4140	16482	900
24	15676	46714	3575
25	11	11	9
26	2336	6112	1505
27	12	27	35
28	10500	10500	9000
29	3	4	3
30	6007516	39854170	2402545
31	350	901	258
32	*	*	*
33	8	8	7
34	116	214	45
35	21	31	34

Once you determine if your letter condition is true or false, apply the offset ABOVE your letter if $X = -1$, and BELOW your letter if $X = +1$. (i.e. if $X = +1$, and your module has the letter S, you'd use S's rule but apply T's offset.)

Once you have found the starting function and X, apply the rule corresponding to the letter on the bomb based on the following table:

Condition	True	False
A: KBU or M in SN?	+6	-4
B: Battery, indicator, or port count = 2?	+2	-3
C: First character in SN a digit?	+5	-4
D: Lit BOB indicator?	+8	-8
E: Unlit BOB indicator?	+6	-2
F: First character in SN a letter?	+6	-5
G: Parallel port but no Serial port?	+1	-5
H: At least one empty port plate?	+1	-3
I: No batteries?	+1	+5
J: Vowel in SN?	+5	-3
K: Indicators > 3?	+4	-1
L: Battery count even?	+6	+7
M: Ports > indicators?	+3	-7
N: More lit than unlit indicators?	+3	-5
O: Indicators > batteries?	+6	-1
P: Indicator count even?	+2	-3
Q: ERI or S in SN?	+1	-3
R: Exactly 3 letters in SN?	+3	-2
S: Batteries > ports?	+2	+4
T: Batteries > 4?	+4	+1
U: Lit and unlit indicator count equal?	+2	-2
V: JQX or Z in SN?	+7	+1
W: At least three ports?	+3	-5
X: No indicators?	+3	-3
Y: 4+ SN digits?	+4	-1
Z: No ports?	+5	-1

Use your new function as the final function, and the two numbers surrounding the letter on the module as a and b to solve the module, not applying X or its rule in any way.

#0: $\text{abs}(a \text{ minus } 3) \text{ times } \text{abs}(b \text{ minus } 3)$
#1: Larger modulo smaller
#2: 10,000 modulo Larger
#3: 7
#4: (Larger divided by smaller) modulo 10
#5: Triple the number of odd numbers
#6: 10 minus ($\text{abs}(\text{digits in } a \text{ minus digits in } b)$)
#7: (sum of digits in a) times (sum of digits in b)
#8: a times b
#9: a plus b, modulo 12
#10: Highest digit
#11: $((a \text{ modulo } 10) \text{ cubed}) \text{ plus } ((b \text{ modulo } 10) \text{ cubed})$
#12: Lunar Addition
#13: $\text{abs}(10,000 \text{ minus } a) \text{ times } \text{abs}(1,000 \text{ minus } b)$
#14: (Larger modulo smaller) modulo 8
#15: Number of different digits
#16: Smaller minus (Larger modulo Smaller)
#17: Number of different odd digits
#18: $((a + b) \text{ times } 10) \text{ plus } (\text{abs}(a - b) \text{ modulo } 10)$
#19: a plus b
#20: (a times b) divided by (ports + 2)
#21: (a times b) modulo 10
#22: Number of different digits missing
#23: (Larger modulo smaller) times smaller
#24: $a + (b \text{ squared})$
#25: 11 minus twice the number of non-two-digit variables
#26: $\text{abs}(a \text{ minus } b)$
#27: (a times b) modulo 73
#28: Digits in a and b times 1,500
#29: 3 plus the number of numbers over 2,500
#30: (a squared) + b
#31: Larger divided by (digits in both a and b)
#32: $a + b + \text{concatenated serial number digits} + 1$
#33: 8 minus (Number of numbers below 100)
#34: (a modulo 50) + b
#35: Larger divided by smaller

* Additional queries may be needed to be assured of the correction function and X, and to potentially differentiate the two edgework-related functions (#20, and #32).