

# Chapter 4: Writing your own functions

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Syntax:

```
name_function <- function(arg1, arg2,...){Expression}
```

*Expression* is an R expression that uses the arguments (*arg1*, *arg2*,...) to calculate a value.

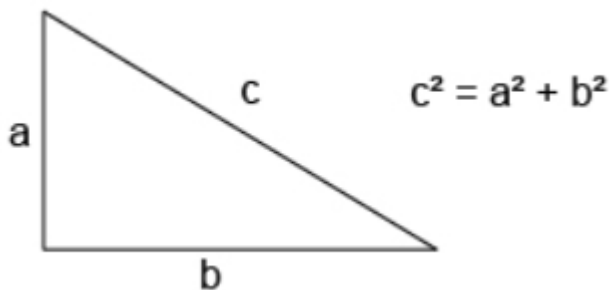
## 1 Rules to write a function:

1. Make and check the body of the function.
2. If the body of the function is OK, generalize it.
3. Apply the function.

---

### Example

Write a function *Pythagoras* to calculate the length of hypotenuse from length of the legs of a right-angled triangle (Theorem of Pythagoras).



Apply your function when  $a = 1$  and  $b = 1$  and apply the function when  $a = 3$  and  $b = 4$ .

## 1.1 Make and check body

**Step 1:** Make the body of the function for a specific case and check whether the body of the function is OK:

```
# Step 1: Make and check the body of the function
a <- 3
b <- 4
c <- sqrt(a^2 + b^2)
c
```

```
## [1] 5
```

## 1.2 Generalization

**Step 2:** If the body of the function is OK, generalize it:

```
# Step 2: Write the function
Pythagoras <- function(a,b)
{
  c <- sqrt(a^2 + b^2)
  print(a)
  print(b)
  c
}
```

## 1.3 Apply

**Step 3:** Apply the function.

How to apply?

- Highlight and submit the function. Then R will recognize it as an R function.
- Apply the created function for other values of the argument(s).

```
# Step 3: Apply the function
Pythagoras(a=1,b=1)
```

```
## [1] 1
```

```
## [1] 1
```

```
## [1] 1.414214
```

```
Pythagoras(a=3,b=4)
```

```
## [1] 3
```

```
## [1] 4
```

```
## [1] 5
```

**Remark:**

1. The last command executed is the **return value** of the function. This can be forced by:
  - using **return** function;
  - using **print** function to force the printout.
2. If you want to obtain several components as result of your function, you have to make use of a list statement.

```
# Use of the list function in your Pythagoras function
Pythagoras <- function(a,b)
{
  c <- sqrt(a^2 + b^2)
  list(a=a, b=b, hypotenusa=c)
}
```

```
# Apply your function
Pythagoras(a=1,b=1)
```

```
## $a
## [1] 1
##
## $b
## [1] 1
##
## $hypotenusa
## [1] 1.414214
```

```
Pythagoras(a=3,b=4)
```

```
## $a
## [1] 3
##
## $b
## [1] 4
##
## $hypotenusa
## [1] 5
```

## 2 Overview of some useful functions in R

Some standard functions

### 2.1 Functions to convert to integers

```
x <- -3.526
```

Function	Description	Result in R for x = -3.526
round(x)	rounds to nearest integer	-4
trunc(x)	leaves out the decimal part	-3
floor(x)	takes the nearest integer which is smaller than x	-4
ceiling(x)	takes the nearest integer which is larger than x	-3

### 2.2 Integer operators

```
x1 <- 21
x2 <- 5
```

Function	Description	Alternative way	Result in R for x1 = 21 and x2 = 5
%%	Integer divide	floor(x1/x2)	4
%%	Modulu reduction	x1-floor(x1/x2)*x2	1

## 2.3 Some common functions

`abs` (computes the absolute value), `log`, `sqrt` (computes the square root), `exp`, `sin`, `cos`, `tan`, `acos`, `asin`, `atan`, `cosh`, `sinh`, `tanh`...

`log(x, base)` has a second (optional) argument, i.e. the base number (default e)

## 2.4 Functions on 1 vector

Function	Description	Result in R for <code>vec &lt;- 1:5</code>
<code>length(vec)</code>	Returns the length of an object	5
<code>sum(vec)</code>	Returns the sum of all the values present in <code>vec</code>	15
<code>prod(vec)</code>	Returns the product of all the values present in <code>vec</code>	120
<code>cumsum(vec)</code>	Returns a vector whose elements are the cumulative sums of <code>vec</code>	1, 3, 6, 10, 15
<code>cumprod(vec)</code>	Returns a vector whose elements are the cumulative products of <code>vec</code>	1, 2, 6, 24, 120
<code>max(vec)</code>		5
<code>min(vec)</code>		1
<code>cummax(vec)</code>	Returns a vector whose elements are the cumulative maxima of <code>vec</code>	1, 2, 3, 4, 5
<code>cummin(vec)</code>	Returns a vector whose elements are the cumulative minima of <code>vec</code>	1, 1, 1, 1, 1
<code>range(vec)</code>	Returns a vector containing the minimum and maximum	1, 5
<code>sort(vec)</code>		1, 2, 3, 4, 5
<code>rev(vec)</code>		5, 4, 3, 2, 1

## 2.5 Functions on 2 vectors or more

`pmax(vec1, vec2...)`, `pmin(vec1, vec2...)`, `max(vec1, vec2...)`, `min(vec1, vec2...)`, etc.

Function	Description	Result in R
<code>pmax(c(1,7,3), c(3,4,5))</code>	Returns a vector with the parallel maxima of the argument vectors	3, 7, 5
<code>max(c(1,7,3), c(3,4,5))</code>	Returns the maximum of all the values present in their arguments	7

## 2.6 Statistical functions

`mean(vec)`, `var(vec)`, `sd(vec)`

### 3 Exercises

1. Write a function which gives the most elementary statistics for a sample  $x$ : min, median, max, mean, sd and length. Apply your function on a vector  $x$  with values from 25 to 80.
2. Write a function `fun1` which produces the text ‘Non-negative number’ if you apply `fun1` to a positive number and ‘negative number’ if you apply `fun1` to a negative number. You can make use of the `ifelse` function in R. Apply this function to the values 9 and -13:

Input	Desired output
<code>x &lt;- 9; fun1(x)</code>	“Non-negative number”
<code>x &lt;- -13; fun1(x)</code>	“Negative number”

3. Write a function to solve an equation of second degree ( $ax^2 + bx + c = 0$ ). To solve this equation, first calculate  $D = b^2 - 4ac$ . In the case  $D > 0$ , there are two roots:  $x_1 = \frac{-b+\sqrt{D}}{2a}$  and  $x_2 = \frac{-b-\sqrt{D}}{2a}$ . If possible, make also a plot of the function. Apply your function for the equation  $-8x^2 + 6x + 4 = 0$ .