

# **Numpy**

NumPy stands for Numerical Python.

NumPy is a Python library used for working with arrays.

### add()

Returns element-wise string concatenation for two arrays of str or Unicode

# multiply()

Returns the string with multiple concatenation, element-wise

```
: a =[1,2,3]
b =[2,3,4]
: c=np.multiply(a,b)
: c
: array([2, 6, 12])
```

# split()

Returns a list of the words in the string, using separator delimiter

```
arr = np.array([1, 2, 3, 4, 5, 6])
newarr = np.array_split(arr, 3)
print(newarr)
[array([1, 2]), array([3, 4]), array([5, 6])]
```

# join()

Returns a string which is the concatenation of the strings in the sequence



```
arr1 = np.array([1, 2, 3])
arr2 = np.array([4, 5, 6])
arr = np.concatenate((arr1, arr2))
print(arr)
[1 2 3 4 5 6]
```

### encode()

Calls str.encode element-wise

# **Functions for Rounding**

### numpy.around()

returns the value rounded to the desired precision.

```
23]: np.around([.5, 1.5, 2.5, 3.5, 4.5]) # rounds to nearest even value

23]: array([0., 2., 2., 4., 4.])
```

# numpy.floor()

This function returns the largest integer not greater than the input parameter

Note- In Python, flooring always is rounded away from 0.



```
[21]: a = np.array([-1.7, -1.5, -0.2, 0.2, 1.5, 1.7, 2.0])
np.floor(a)

[21]: array([-2., -2., -1., 0., 1., 1., 2.])
```

# numpy.ceil()

The ceil() function returns the ceiling of an input value, i.e. the ceil of the **scalar x** is the smallest **integer i**, such that **i** 

```
a = np.array([-1.7, -1.5, -0.2, 0.2, 1.5, 1.7, 2.0])
np.ceil(a)
array([-1., -1., -0., 1., 2., 2., 2.])
```

#### numpy.round()

Round an array to the given number of decimals.

```
19]: import numpy as np
20]: np.round(56294995342131.5, 3)
```

# numpy.rint()

Round elements of the array to the nearest integer.

```
24]: a = np.array([-1.7, -1.5, -0.2, 0.2, 1.5, 1.7, 2.0])
np.rint(a)

24]: array([-2., -2., -0., 0., 2., 2., 2.])
```

### numpy.fix()

Round to nearest integer towards zero.

```
26]: np.fix([2.1, 2.9, -2.1, -2.9])
26]: array([ 2., 2., -2., -2.])
```



### numpy.trunc()

Return the truncated value of the input, element-wise.

```
[25]: a = np.array([-1.7, -1.5, -0.2, 0.2, 1.5, 1.7, 2.0])
np.trunc(a)
[25]: array([-1., -1., -0., 0., 1., 1., 2.])
```

# **Arithmetical Functions**

# numpy.reciprocal()

This function returns the reciprocal of argument, element-wise. For elements with absolute values larger than 1, the result is always 0 because of the way in which Python handles integer division.

```
np.reciprocal([1, 2., 3.33])
array([1. , 0.5 , 0.3003003])
```

#### numpy.power()

This function treats elements in the first input array as base and returns it raised to the power of the corresponding element in the second input array

```
5]: x1 = np.arange(6)
x1
5]: array([0, 1, 2, 3, 4, 5])
6]: np.power(x1, 3)
6]: array([ 0, 1, 8, 27, 64, 125], dtype=int32)
```

#### numpy.mod()

This function returns the remainder of division of the corresponding elements in the input array. The function **numpy.remainder()** also produces the same result.



```
np.remainder([4, 7], [2, 3])
array([0, 1], dtype=int32)
```

### numpy.real()

returns the real part of the complex data type argument.

```
]: a = np.array([1+2j, 3+4j, 5+6j])
a.real
]: array([1., 3., 5.])
```

### numpy.conj()

returns the complex conjugate, which is obtained by changing the sign of the imaginary part.

```
: np.conjugate(1+2j)
: (1-2j)
```

### numpy.angle()

returns the angle of the complex argument. The function has degree parameter. If true, the angle in the degree is returned, otherwise the angle is in radians

### numpy.imag()

returns the imaginary part of the complex data type argument.

```
a = np.array([1+2j, 3+4j, 5+6j])
a.imag
array([2., 4., 6.])
```

### numpy.positive()

Numerical positive, element-wise.



```
1: x1 = np.array(([1., -1.]))
    np.positive(x1)
1: array([ 1., -1.])
```

### numpy.true\_divide()

Returns a true division of the inputs, element-wise.

```
1: x = np.arange(5)
    np.true_divide(x, 4)
2: array([0. , 0.25, 0.5 , 0.75, 1. ])
```

### numpy.floor\_divide()

Return the largest integer smaller or equal to the division of the inputs.

```
]: np.floor_divide(7,3)
]: 2
]: np.floor_divide([1., 2., 3., 4.], 2.5)
]: array([0., 0., 1., 1.])
```

### numpy.float\_power()

First array elements raised to powers from second array, element-wise.

```
3]: np.float_power(x1, 3)
3]: array([ 0., 1., 8., 27., 64., 125.])
```

# numpy.fmod()

Return the element-wise remainder of division.

```
np.fmod([-3, -2, -1, 1, 2, 3], 2)
array([-1, 0, -1, 1, 0, 1], dtype=int32)
```

### numpy.modf()

Return the fractional and integral parts of an array, element-wise.



```
np.modf([0, 3.5])

(array([0., 0.5]), array([0., 3.]))

np.modf(-0.5)

(-0.5, -0.0)
```

# numpy.divmod()

```
np.divmod(np.arange(5), 3)

(array([0, 0, 0, 1, 1], dtype=int32), array([0, 1, 2, 0, 1], dtype=int32))
```

### **Statistical Function**

#### numpy.amin()

These functions return the minimum from the elements in the given array along the specified axis.

#### numpy.ptp()

The numpy.ptp() function returns the range (maximum-minimum) of values along an axis

### numpy.percentile()

Percentile (or a centile) is a measure used in statistics indicating the value below which a given percentage of observations in a group of observations fall. The function **numpy.percentile()** takes the following arguments



### numpy.median()

**Median** is defined as the value separating the higher half of a data sample from the lower half. The **numpy.median()** function is used as shown in the following program

### numpy.mean()

The numpy.mean() function returns the arithmetic mean of elements in the array.

```
a = np.array([[1, 2], [3, 4]])
np.mean(a)
```

# : 2.5

### numpy.average()

The **numpy.average()** function computes the weighted average of elements in an array according to their respective weight given in another array.

```
data = np.arange(1, 5)
data

array([1, 2, 3, 4])

np.average(data)

2.5

np.average(np.arange(1, 11), weights=np.arange(10, 0, -1))

4.0
```



# Sort, Search and Counting Function

### numpy.sort()

The sort() function returns a sorted copy of the input array.

# numpy.argsort()

The **numpy.argsort()** function performs an indirect sort on input array, along the given axis and using a specified kind of sort to return the array of indices of data.

# numpy.lexsort()

The function returns an array of indices, using which the sorted data can be obtained. Note, that the last key happens to be the primary key of sort.

```
a = [1,5,1,4,3,4,4]  # First column
b = [9,4,0,4,0,2,1]  # Second column
ind = np.lexsort((b,a))  # Sort by a, then by b
ind

array([2, 0, 4, 6, 5, 3, 1], dtype=int32)
```

### numpy.nonzero()



The numpy.nonzero() function returns the indices of non-zero elements in the input array

#### numpy.where()

The where() function returns the indices of elements in an input array where the given condition is satisfied.

#### numpy.extract()

The extract() function returns the elements satisfying any condition

### Sums, products, differences



# numpy.prod()

Return the product of array elements over a given axis.

```
]: x = np.array([536870910, 536870910, 536870910])
np.prod(x)
]: 16
```

### numpy.sum()

Sum of array elements over a given axis

```
np.sum([[0, 1], [0, 5]])

6

np.sum([[0, 1], [0, 5]], axis=0)

array([0, 6])
```

# numpy.nanprod()

Return the product of array elements over a given axis treating Not a Numbers (NaNs) as ones.

### numpy.nansum()

Return the sum of array elements over a given axis treating Not a Numbers (NaNs) as zero

```
|: np.nansum([1, np.nan])
|: 1.0
|: a = np.array([[1, 1], [1, np.nan]])
| np.nansum(a)
|: 3.0
```

### numpy.cumprod()



Return the cumulative product of elements along a given axis

# numpy.cumsum()

Return the cumulative sum of the elements along a given axis.

#### numpy.nancumprod()

Return the cumulative product of array elements over a given axis treating Not a Numbers (NaNs) as one.

```
2]: np.nancumprod([1, np.nan])

2]: array([1., 1.])

3]: a = np.array([[1, 2], [3, np.nan]])
    np.nancumprod(a)

3]: array([1., 2., 6., 6.])
```



# numpy.diff()

Calculate the n-th discrete difference along the given axis.

```
k6]: x = np.array([1, 2, 4, 7, 0])
np.diff(x)
```

# numpy.ediff1d()

The differences between consecutive elements of an array.

### numpy.gradient()

Return the gradient of an N-dimensional array.

```
9]: f = np.array([1, 2, 4, 7, 11, 16], dtype=float)
np.gradient(f)
```

# numpy.cross()

Return the cross product of two (arrays of) vectors.

array([-3, 6, -3])



# numpy.trapz()

Integrate along the given axis using the composite trapezoidal rule.

```
np.trapz([1,2,3], x=[4,6,8])
]: 8.0
```

# **Trigonometric functions:**

# numpy.sin()

Trigonometric sine, element-wise.

```
np.sin(np.pi/2.)
```

1.0

### numpy.cos()

Cosine element-wise.

```
np.cos(np.array([0, np.pi/2, np.pi]))
]: array([ 1.000000e+00, 6.123234e-17, -1.000000e+00])
```

### numpy.tan()

Compute tangent element-wise.

```
from math import pi
  np.tan(np.array([-pi,pi/2,pi]))
: array([ 1.22464680e-16, 1.63312394e+16, -1.22464680e-16])
```

# numpy.arcsin()

Inverse sine, element-wise.

```
np.arcsin(1)
                 # pi/2
1.5707963267948966
```

# numpy.arccos()

Trigonometric inverse cosine, element-wise.



```
np.arccos([1, -1])
array([0. , 3.14159265])
```

### numpy.arctan()

Trigonometric inverse tangent, element-wise.

```
inp.arctan([0, 1])
array([0. , 0.78539816])
```

# numpy.hypot()

Given the "legs" of a right triangle, return its hypotenuse.

### numpy.degrees()

Convert angles from radians to degrees.

# numpy.radians()

Convert angles from degrees to radians.

### numpy.unwrap()

Unwrap by changing deltas between values to 2\*pi complement.



Note:" Some of the methods below are not necessary for our course, but it's always good to have knowledge".]

