TI0153 - Trabalho de Conclusão de Curso II Department of Teleinformatics Engineering Federal University of Ceará - UFC

Optimal Control: An application to a non-isothermal continuous reactor

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Simulations

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Introduction



$$\begin{pmatrix} \text{Time rate of} \\ \text{change of mass} \\ \text{in the system} \end{pmatrix} = \begin{pmatrix} \text{Mass} \\ \text{entering} \\ \text{the system} \end{pmatrix} - \begin{pmatrix} \text{Mass} \\ \text{leaving} \\ \text{the system} \end{pmatrix}$$



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Mathematical Models for Chemical Reactors General Properties of Dynamical Models Experiments



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State-Feedback Controllers



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Optimal Control



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Optimal State Estimation

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