Multiplex stream graphs : tableau récapitulatif des notions existantes pour les streams et les multilayer et pour les Stream-multilayer

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Classical Graphs $G = (V, E)$	**Stream graphs** $S = (T, V, W, E)$	**Multilayer** $M = (V_M, E_M, V, L)$	**Multilayer stream graphs** $M = (T, T_M, V, W_M, E_M, \mathcal{L})$
-	-	intra-layer graph	intra-layer graph
-	-	inter-layer graph	inter-layer graph
-	covergage	-	intra/inter layer coverage
-	$\text{cov}(S) = \frac{\lvert W\rvert}{\lvert T\times V\rvert}$	-	(importance de garder les V_M ?)
-	G_t graph at t	-	M_t
-	Graph induced	-	Multilayer induced
-	$G(S)$	-	$M_I(M)$
-	-	underlying graph	underlying Stream
-	-	$G(M)$	S_U
Number of nodes $\lvert V\rvert$	Number of nodes $\frac{\lvert W\rvert}{\lvert T\rvert}$	Number of nodes $\lvert V\rvert$	Number of nodes $\frac{\lvert W\rvert}{\lvert T\rvert}$??? problem
number of links $\lvert E\rvert$	number of links $\frac{\lvert E\rvert}{\lvert T\rvert}$	number of links $\lvert E_M\rvert$	number of links ??? to do
-	compactness $\frac{\lvert W\rvert}{\lvert T'\times V'\rvert}$	-	compactness ???
-	uniformity $U = \frac{\sum_{uv\ V\otimes V} \lvert T_u\cap T_v\rvert}{\sum_{uv\in V\otimes V} \lvert T_u\cup T_v\rvert}$	-	uniformity ??? to do
density $\frac{\lvert E\rvert}{\lvert V\rvert\otimes\lvert V\rvert} = \frac{\lvert E\rvert 2}{\lvert V\rvert(\lvert V\rvert-1)}$	density $\delta(S) = \frac{\sum_{uv\in V\otimes V} \lvert T_{uv}\rvert}{\sum_{uv\in V\otimes V} \lvert T_u\cap T_v\rvert} = \frac{\int_{t\in T} \lvert E_t\rvert dt}{\int_{t\in T} \lvert V_t\otimes V_t\rvert dt}$	??	density ?

- : doesn't exists

Classical Graphs	**Stream graphs**	**Multilayer**	**Multilayer stream graphs**
Degree = number of neighbours	degree of v = number of nodes on the neighbourhood . $d(v) = \sum_{u \in V} \frac{\lvert T_{uv} \rvert}{\lvert T \rvert}$	multiple possibilities : node-layer / aggregated graph / underlying graph...	???