[OS181][WEEK: 00 01 02 03 04 05 06 07 08 09 10]

[http://rms46.vlsm.org/2/216.docx ====== 06FEB 13FEB 20FEB 27FEB 06MAR 13MAR 05APR 12APR 19APR 26APR 07MAY

[CLASS: A B C D E I M X][ID: 1253759225][Name: Cicak Bin Kadal][Rev: 06]

$$\begin{aligned} &\widehat{H}|Y_{n}(t) ? = i \hbar \sqrt{x} |Y_{n}(t) \rangle \\ &\frac{1}{c^{2}} \frac{\partial^{2} \varphi_{n}}{\partial t^{2}} - \nabla^{2} \varphi_{n} + \left(\frac{mc}{\hbar}\right)^{2} \varphi_{n} = 0 \\ &\hbar \frac{\partial}{\partial t_{0}} S = S / \hbar \frac{\partial}{\partial t_{i}} S = \rho_{i} \circ S_{,i-1,...,k}. \\ &+ (Q_{i}) = \sum_{d_{i}=1}^{2} \frac{(2d_{i}-1)!}{(d_{i})^{2}} Q_{i}^{k_{i}} \\ &+ d(X_{i},Z_{i}) \leq d(X_{i},Y_{i}) + d(Y_{i},Z_{i}) \end{aligned}$$

$$\begin{aligned} & \frac{1}{11} | \frac{1}{11} | \frac{1}{12} | \frac{1}{$$



$$\frac{dt}{dv} = \alpha \quad \frac{dx}{dt} = V$$

$$\frac{dv}{dv} = \alpha \quad \frac{dx}{dt} \quad \frac{(v_0 + \alpha^4)}{dt} \quad \frac{dx}{dt} = (v_0 + \alpha^4) \quad \frac{dx}{dt}$$

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$$|\langle x,y \rangle| \langle x|| ||x|| ||y||$$

$$\frac{d\vec{x}}{dt} = \vec{\alpha}$$

$$\frac{d\vec{x}}{dt} = \vec{\nu}$$

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$$\frac{d\vec{x}}{dt} = \vec{\nu}$$

$$\frac{d\vec{x}}{dt} = (\vec{\nu}_0 + \vec{\alpha}_1 t) dt$$

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$$\frac{1}{c^{2}}$$