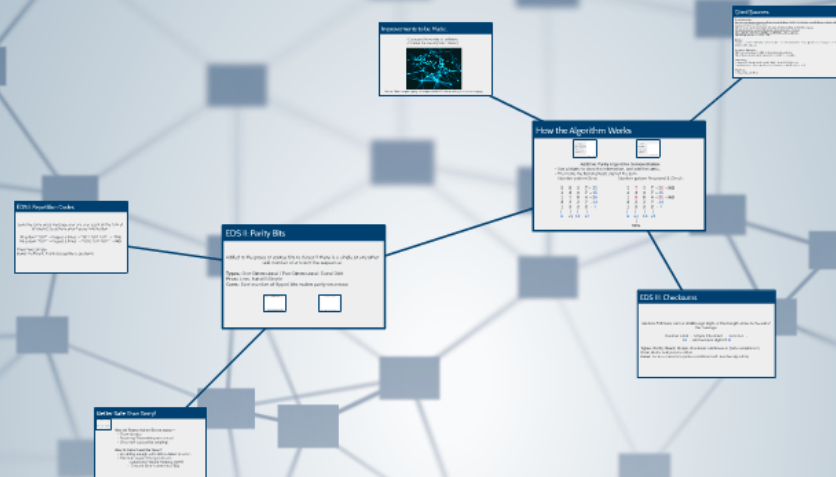


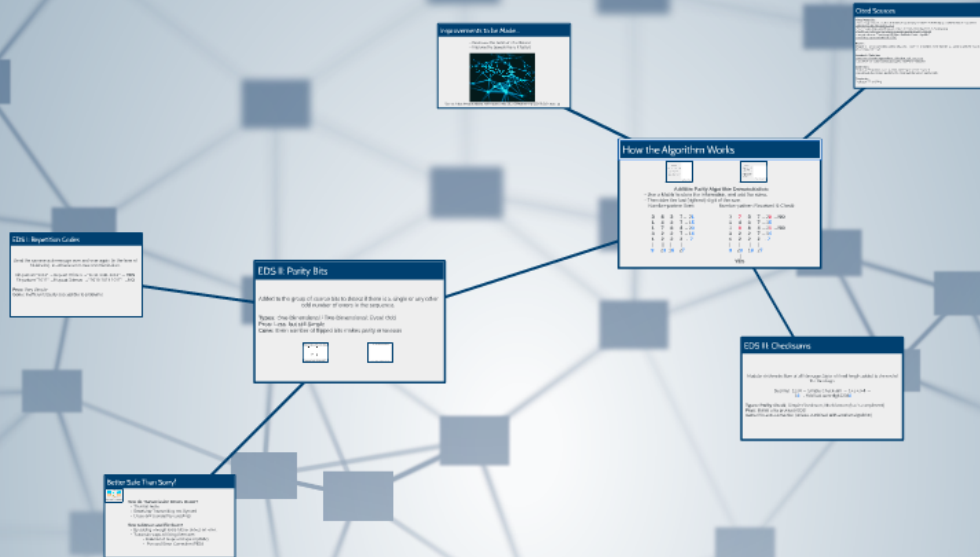
# Reliable Messaging

By Tisa (te557) & Ruofan (rz829)

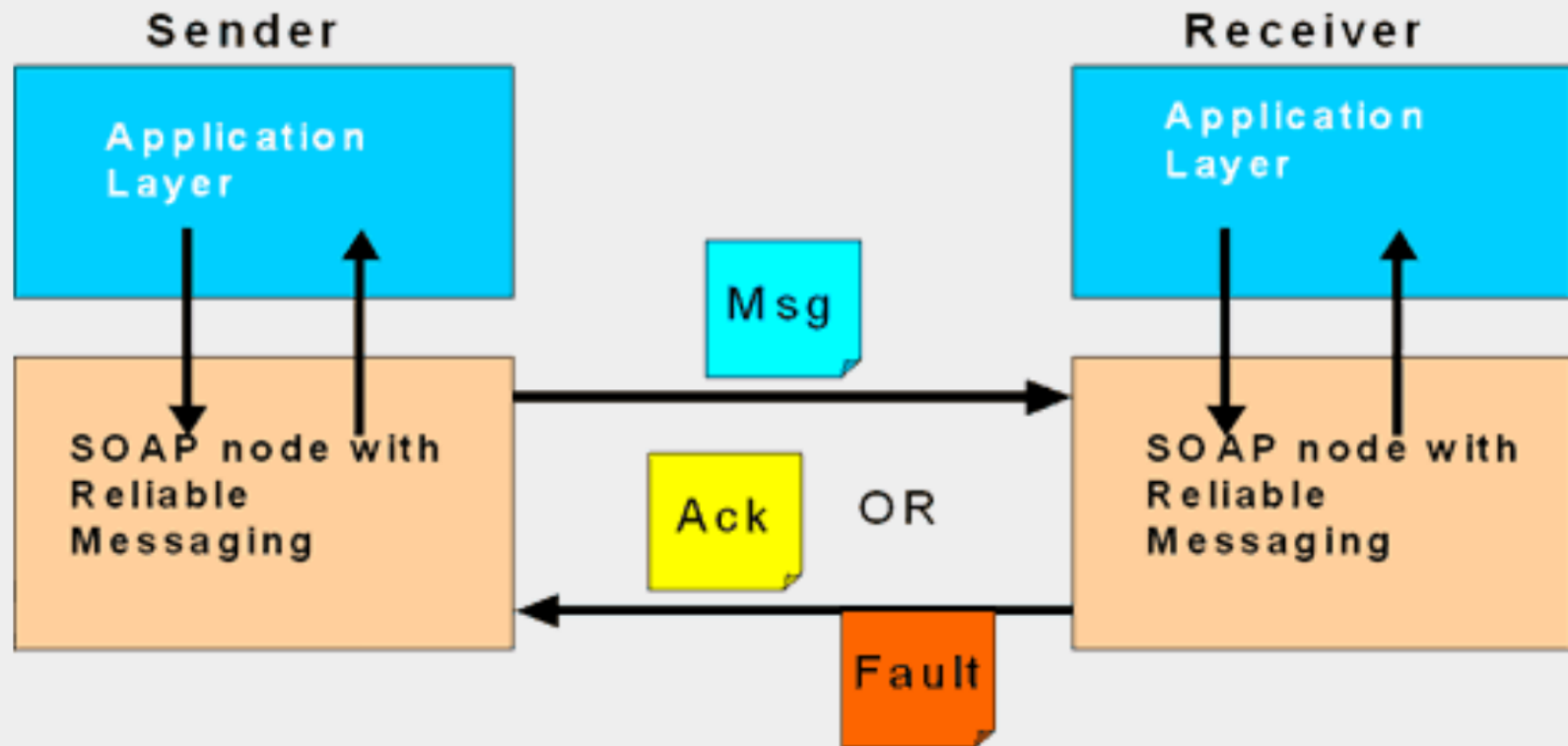


# Reliable Messaging

By Tisa (te557) & Ruofan (rz829)



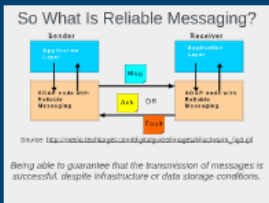
# So What Is Reliable Messaging?



Source: [http://media.techtarget.com/digitalguide/images/Misc/wsrn\\_fig3.gif](http://media.techtarget.com/digitalguide/images/Misc/wsrn_fig3.gif)

*Being able to guarantee that the transmission of messages is successful, despite infrastructure or data storage conditions.*

# Better Safe Than Sorry!



## How do Transmission Errors Occur?

- Thermal noise
- Receiving-Transmitting not Synced
- Cross-talk (caused by coupling)

## How to Detect and Fix them?

- By adding enough *extra* bits to detect an error.
- Two main ways of fixing them are:
  - Automated Repeat Request (ARR)
  - Forward Error Correction (FED)

# EDS I: Repetition Codes

Send the same exact message over and over again (in the form of bit-blocks), to achieve error-free communication.

Bit-pattern "1011" → Repeat 3 times → "1011 1011 1011" → **YES**

Bit-pattern "1011" → Repeat 3 times → "1010 1011 1011" → **NO**

**Pros:** Very Simple

**Cons:** Inefficient; Easily susceptible to problems

# EDS II: Parity Bits

Added to the group of source bits to detect if there is a single or any other odd number of errors in the sequence.

**Types:** One-Dimensional / Two-Dimensional; Even/ Odd

## Pros: Less, but still Simple

**Cons:** Even number of flipped bits makes parity erroneous

## One-Dimensional Parity-Bit Check

**Two Dimension Parity Check – Parity Byte**

0110100	1
1011010	0
0010101	1
1111101	1
1001011	0
1001110	1

Source: <https://storage.googleapis.com/cloudprologs-us-central1-647891232544/storage.googleapis.com/cloudprologs-us-central1-647891232544/logs/one-dimensional-parity-bit-check.html>

**Two-Dimensional Parity-Bit Check**

0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0
1	1	1	1	1	1	1	1
0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0

Row parity  
Col parity

0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0
0	0	1	0	1	0	1	0

Row parity  
Col parity

Source: <http://slideplayer.com/slide/4511590/>, Slide 13

# One-Dimensional Parity-Bit Check

## Two Dimension Parity Check – Parity Byte

0110100      1

1011010      0

0010110      1

1110101      1

1001011      0

---

1000110      1

Source: <https://image.slidesharecdn.com/lecture3logicalinklayer-140821205754-phpapp01/95/lecture-3-logical-link-layer-60-638.jpg?cb=1408654854>



# Two-Dimensional Parity-Bit Check

1	0	0	1	0	0	
0	0	0	0	0	1	←
1	0	0	1	0	0	
1	1	0	1	1	0	
<hr/>						
1	0	0	1	1	1	
						↑

One error

1	0	0	1	0	0	
0	0	0	0	0	1	←
1	0	0	1	0	0	
1	0	0	1	1	0	←
<hr/>						
1	0	0	1	1	1	

Two errors

1	0	0	1	0	0	
0	0	0	0	1	0	1
1	0	0	1	0	0	
1	0	0	1	1	0	←
<hr/>						
1	0	0	1	1	1	
						↑

Three errors

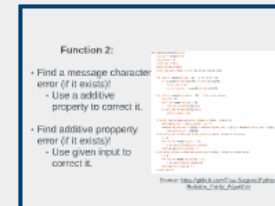
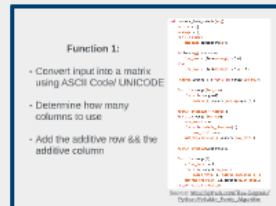
1	0	0	1	0	0	
0	0	0	0	1	0	1
1	0	0	1	0	0	
1	0	0	0	0	1	0
<hr/>						
1	0	0	1	1	1	

Four errors

Source: <http://slideplayer.com/slide/4811598/>, Slide 13



# How the Algorithm Works



## Additive Parity Algorithm Demonstration:

- Use a Matrix to store the information, and add the sums.
- Then take the last (rightest) digit of the sum.

Number-pattern Sent:

3	8	3	7 → 21
1	4	3	7 → 15
1	7	8	4 → 20
3	2	2	7 → 14
1	2	2	2 → 7
9	23	18	27

Number-pattern Received & Check:

3	7	3	7 → 20 → NO
1	4	3	7 → 15
1	8	8	4 → 21 → NO
3	2	2	7 → 14
1	2	2	2 → 7
9	23	18	27
	YES		

## Function 1:

- Convert input into a matrix using ASCII Code/ UNICODE
- Determine how many columns to use
- Add the additive row && the additive column

```
def numbers_into_matrix(msg):  
    matrix = []  
    message = []  
    for i in msg:  
        message.append(ord(i))  
  
    if len(msg) % 4 == 0:  
        len_row = (len(message) // 4)  
    else:  
        len_row = (len(message) // 4 + 1)  
  
    [matrix.append([]) for i in range(len_row)]  
  
    for i in range(len_row):  
        for a in range(4):  
            matrix[i].append(message.pop(0))  
  
    matrix_checksum = matrix[:]  
    for i in range(len_row):  
        row_total = 0  
        for e in matrix_checksum[i]:  
            row_total += e  
        matrix_checksum[i].append(row_total)  
  
    matrix_checksum.append([])  
  
    for i in range(5):  
        colum_total = 0  
        for a in range(len_row):  
            colum_total += matrix_checksum[a][i]  
        matrix_checksum[-1].append(colum_total)  
    return matrix_checksum
```

Source: [https://github.com/Tisa-Segovic/Python-Reliable\\_Parity\\_Algorithm](https://github.com/Tisa-Segovic/Python-Reliable_Parity_Algorithm)

## Function 2:

- Find a message character error (if it exists)!
  - Use a additive property to correct it.
- Find additive propperty error (if it exists)!
  - Use given input to correct it.

```
def correct_error(matrix):
    len_row = len(matrix)
    len_column = 5
    error_row = None
    error_column = None
    error_row_sum = None # For the actual matrix code

    for row in range(len_row - 1): # For error row
        if np.sum(matrix[row][:4]) != matrix[row][4]:
            error_row = row
            error_row_sum = np.sum(matrix[row][:4])

    for col in range(len_column - 1): # For error column
        col_sum = 0
        for i in range(len_row - 1):
            col_sum += matrix[i][col]
        if col_sum != matrix[-1][col]:
            error_column = col

    if error_row == None and error_column == None: # No error
        matrix[len_row - 1][len_column - 1] = (
            int(matrix[len_row - 1][0]) + int(matrix[len_row - 1][1]) + int(matrix[len_row - 1][2]) + int(
                matrix[len_row - 1][3]))
    elif error_row == None and error_column != None: # Matrix row error
        m = 0
        for row in range(len_row - 1):
            m += matrix[row][error_column]
        matrix[-1][error_column] = m
    elif error_column == None and error_row != None: # Matrix column error
        n = 0
        for col in range(len_column - 1):
            n += matrix[error_row][col]
        matrix[error_row][-1] = n
    return matrix
```

Source: [https://github.com/Tisa-Segovic/Python-Reliable\\_Parity\\_Algorithm](https://github.com/Tisa-Segovic/Python-Reliable_Parity_Algorithm)

# EDS III: Checksums

Modular Arithmetic Sum of all *Message Digits* of fixed length added to the end of the message.

Decimal 1234 → Simple Checksum →  $1+2+3+4 \rightarrow$   
10 → Add last sum digit 12340

**Types:** Parity Check, Simple Checksum, Modularsum (two's compliment)

**Pros:** Builds onto previous EDS

**Cons:** No auto-correction (unless combined with another algorithm)

# Improvements to be Made...

- Decrease the number of collisions
- Improve the speed (make it faster)



Source: <https://images.idgesg.net/images/article/2017/09/networking-100735059-large.jpg>

# Cited Sources

## Visual Materials:

<https://image.slidesharecdn.com/lecture3logicalinklayer-140821205754-phpapp01/95/lecture-3-logical-link-layer-60-638.jpg?cb=1408654854>  
<https://images.idgesg.net/images/article/2017/09/networking-100735059-large.jpg>  
[http://media.techtarget.com/digitalguide/images/Misc/wsrn\\_fig3.gif](http://media.techtarget.com/digitalguide/images/Misc/wsrn_fig3.gif)  
[https://github.com/Tisa-Segovic/Python-Reliable\\_Parity\\_Algorithm](https://github.com/Tisa-Segovic/Python-Reliable_Parity_Algorithm)  
<http://slideplayer.com/slide/4811598/>

## Books:

Chapter 5 - Error-Correcting Codes: Mistakes That Fix Themselves, Nine Algorithms that Changed the Future, *MacCormick*, 2012 ed.

## Academic Websites:

[https://en.wikipedia.org/wiki/Error\\_detection\\_and\\_correction](https://en.wikipedia.org/wiki/Error_detection_and_correction)  
<https://www.computerscience.gcse.guru/theory/error-detection>

## Code from:

Professor ZZ skeleton code used for Unit Project 1, Unit Project 2  
Pseudocode from Nine Algorithms that Changed the World, *MacCormick*

## Thanks to:

Professor ZZ, and Bing

# Reliable Messaging

By Tisa (te557) & Ruofan (rz829)

