```
%1.i
x = zeros(1,40);
xn = 3;
n=1; %Initial Conditions
while n = 41 %Started a while loop to iterate untill n = 41 so that it calculates from 1 to 4
    x(1,n) = xn;%assigning values to the nth place in the vector x
    xn = 5^n * sqrt(4*(2- sqrt(4-(xn/5^n)^2))); % calculating the next itteration in the sequence
e and assigning it to xn
    n = n+1;%keeping track of irterations
end
fprintf("1.i) the vector x is \n")
fprintf('%1.4f',x)%formating and printing the vector keeping an appropriate precision
%1.ii
naxis = (1:40);
constant = ones(1,40)*3.0366; setting up other 1D arrays for plotting
\operatorname{subplot}(1,2,1) %I went for a subplot as i like the direct comparison
plot(naxis,constant,naxis,x),axis([-1,41,-1,4]), legend('x vector','alpha'),xlabel('value of
n'), ylabel('value of x_n'), title('The Sequence of x n')%plotting the first vector x against
the constant
%1 ₹7
y = zeros(1,40); %See question 1.i for the comments on these lines of working as it is the sa
me code again
yn = 3;
n = 1;
while n ~= 41
     y(1,n) = yn;
     yn = (4*yn)/(sqrt(4*(2+ sqrt(4-(yn/5^n)^2))));
     n = n+1;
fprintf("\n\n1.v) the vector y is \n") %Slightly different formating so everything prints to c
onsole nicely spaced
fprintf('%1.4f',y)
%1 vri
naxis = (1:40); %See question 1.ii
constant = ones(1,40)*3.0366;
subplot(1,2,2)
plot(naxis,constant,naxis,y),axis([-1,41,2.99,3.05]), legend('y vector','alpha'),xlabel('valu
e of n'), ylabel('value of y n'), title('The Sequence of y n')
%2.a
xn = 2;
n = 0;
test = true;
x = zeros(1);  Setting up initial conditions
while test == true %my logic tests are within the loop as i like the flexibility this affords
when coding at the expense of a clean look
   xn2 = (16*xn^5 + 1)/(20*xn^4 - 1); %assigning the value of the next iteration to a separat
e value for comparison test
   n = n+1;%tracking number of iteraions
   x(1,n)=xn;%assigning value to vector for plotting
    xn = xn2;%resetting value for next loop
```

```
if ((xn - xn2)^2) < 10^{(-20)} testing first endpoint condition, i did not use abs here as
i thought this would be more elegant but in retrospect it probably wasnt
        if ((4*xn2^5 - xn2 - 1)^2) < 10^(-20)% testing second enpoint condition
            test = false; % setting test varible to false so that the next while loop will end
the looping
   end
   if n == 1000% testing if the sequence likely isnt converging
       test = false; %ending loop
   end
end
fprintf("\n\n2.a) the final value of x is ")
fprintf('%f n', x(1,n))%formating and printing to console, this could have been done in one 1
ine but i was originally going to do it differntly and im a lazy coder
figure (2) % switching to my next figure as im creating a seperate graph
naxis = (1:n);%setting up graph varibles
plot(naxis,x),xlabel('value of n'),ylabel('value of x_n'),title("Curve of Newtons Method") %J
ust plotting
```

## 1.i) the vector x is 3.0000 3.0352 3.0366 3.0366 3.0366 3.0366 3.0366 3.0366 3.0366 3.0369 3.0385 3.2539 0.0000 0. 0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 00 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000

1.v) the vector y is 3.0000 3.0352 3.0366 3.

2.a) the final value of x is 0.857804



