N7 Quadratic MacIntyre

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I have come to realize that the number of quadratic relatives has a pattern related to the prime number associated with it. It appears that each prime has exactly $\frac{P-1}{2}$ amount of residues. I Say P-1 as I don't believe that 0 is included as a quadratic residue when it comes to the prime numbers. Also not included in the lists is the prime number of 2 which is the only even prime. I believe that as 2 is an even prime, it does not follow the same formulas and theorum as the odd primes.

When it comes to whether or not -1 is a quadratic residue for each prime, there appears to be sort of an alternating pattern between true and false. It appears that if you take each prime and compute prime(mod4), you get 1 for all of the Trues, and a 3 for all of the Falses.

Hence.

P = 1(mod4) = True

p = 3(mod4) = False