

Diseñe un atenuador de Bandas anchas que permita atenuar 30dB intercalado en un cable coaxial de 75Ω.

a) Obtenga una FED que satisfaga las siguientes:

Para Atenuar Necesario $\gamma = \alpha$

~~$$30\text{dB} = Z_0 \lg (\Delta V) \Rightarrow \Delta V = 31,62 \Rightarrow \frac{V_2}{V_1} = \emptyset, 316$$~~

~~$$\frac{V_1}{V_2} = e^{\gamma} = 31,62 \Rightarrow \gamma = 3,45 = \alpha$$~~

$$\frac{\alpha \text{ dB}}{8,69 \text{ dB/npper}} = \alpha \therefore \alpha = \frac{30 \text{ dB}}{8,69 \text{ dB/npper}}$$

$$\boxed{\alpha = 3,45 \text{ npper}}$$

Como solamente debemos obtener $\gamma = \alpha + j\beta \therefore \gamma = \alpha = 3,45 \text{ npper}$

$$T = \begin{pmatrix} Ch(\alpha) & Sh(\alpha) \cdot Z_0 \\ \frac{Sh(\alpha)}{Z_0} & Ch(\alpha) \end{pmatrix} = \begin{pmatrix} 15,8 & 1576 \cdot 75\Omega \\ \frac{1576}{75\Omega} & 15,8 \end{pmatrix}$$

$$T = \begin{pmatrix} 15,8 & 1182,7 \\ \emptyset, 21 & 15,8 \end{pmatrix} \rightarrow \text{esto lo puedo convertir a parámetros } Z$$

$$\left\{ \begin{array}{l} V_1 = V_2 \cdot A + (-I_2) \cdot B \\ I_1 = V_2 \cdot C + (-I_2) \cdot D \end{array} \right.$$

$$Z_{22} = \frac{V_2}{I_2} \Big|_{I_2=0} = D/c$$

$$Z_{11} = \frac{V_1}{I_1} \Big|_{I_2=0} = A/c$$

$$Z_{21} = \frac{V_2}{I_1} \Big|_{I_2=0} = \frac{V_2}{I_1} \quad \begin{matrix} V_1 = V_2 \cdot A \\ I_1 = V_2 \cdot C \end{matrix} \quad \begin{matrix} A/c \\ D/c \end{matrix}$$

$$Z_{12} = \frac{V_1}{I_2} \Big|_{I_1=0} = \frac{V_1}{I_2} \quad \begin{matrix} V_1 = V_2 \cdot A + (-I_2) \cdot B \\ 0 = V_2 \cdot C + (-I_2) \cdot D \end{matrix} \Rightarrow V_1 = I_2 \left(\frac{A}{C} - B \right)$$

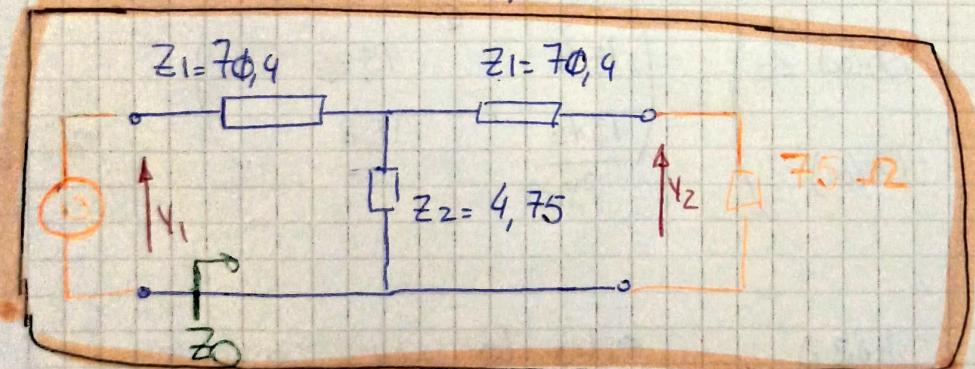
$$Z = \begin{pmatrix} A/c & AD/c - B \\ C/c & D/c \end{pmatrix} ; T = \begin{pmatrix} 15,76 & 1182,73 \\ 0,21 & 15,76 \end{pmatrix}$$

~~$$Z = \begin{pmatrix} 75, \phi 476 & 0, \phi 204 \\ 4,761 & 75, \phi 476 \end{pmatrix}$$~~

go cambiadas en radianes

$$T = \begin{pmatrix} 15,8 & 1182,73 \\ 0,21 & 15,8 \end{pmatrix} \rightarrow Z = \begin{pmatrix} 75,15 & 4,7559 \\ 4,7559 & 75,15 \end{pmatrix}$$

Ahora si.... \Rightarrow lo podremos llevar a una ~~forma~~ Red



$$\frac{V_2}{V_1} = \frac{(10,75) / 4,75}{70,4 + (70,4 + 75) / 4,75} = 61,82 \text{ mV} \Rightarrow 20 \log \left(\frac{V_2}{V_1} \right) =$$

$$20 \log \frac{P_2}{P_1} = 20 \log \frac{V_2^2 / Z_0}{V_1^2 / Z_0} = 20 \log \left(\frac{V_2}{V_1} \right)^2$$

$$\text{Si } Z_{12} = Z_{\#1} \Rightarrow \alpha_{per} = \alpha_{Tensión}$$

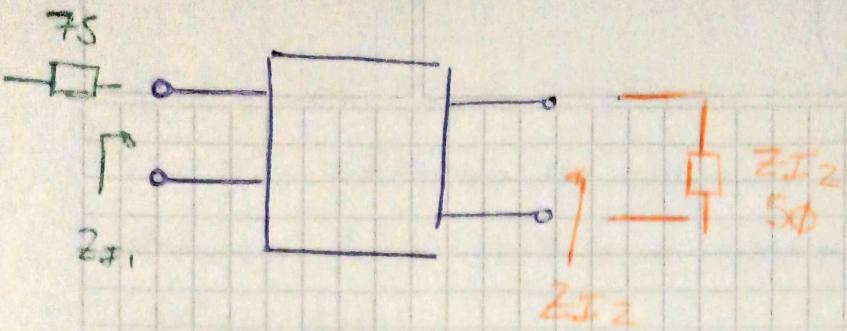
$$\frac{V_2}{V_1} = \frac{\left[(70,4 + 75)^{-1} + 4,75^{-1} \right]^{-1}}{70,4 + \left[(70,4 + 75)^{-1} + 4,75^{-1} \right]^{-1}} \cdot \frac{4,589}{70,4 + 4,589} = 0,0613$$

$$20 \log (V_2/V_1) = -24,24 \text{ dB} \Rightarrow \text{ESTA MUY}$$

$$\frac{V_2}{V_1} = \frac{\left((70,4 + 75)^{-1} + 4,75^{-1} \right)^{-1}}{70,4 + \left((70,4 + 75)^{-1} + 4,75^{-1} \right)^{-1}} \cdot \frac{75}{75 + 70,4}$$

$$\frac{4,589}{70,4 + 4,589} \cdot \frac{75}{75 + 70,4} = 0,0317$$

$$\Rightarrow 20 \log (V_2/V_1) = -29,96 \text{ dB}$$



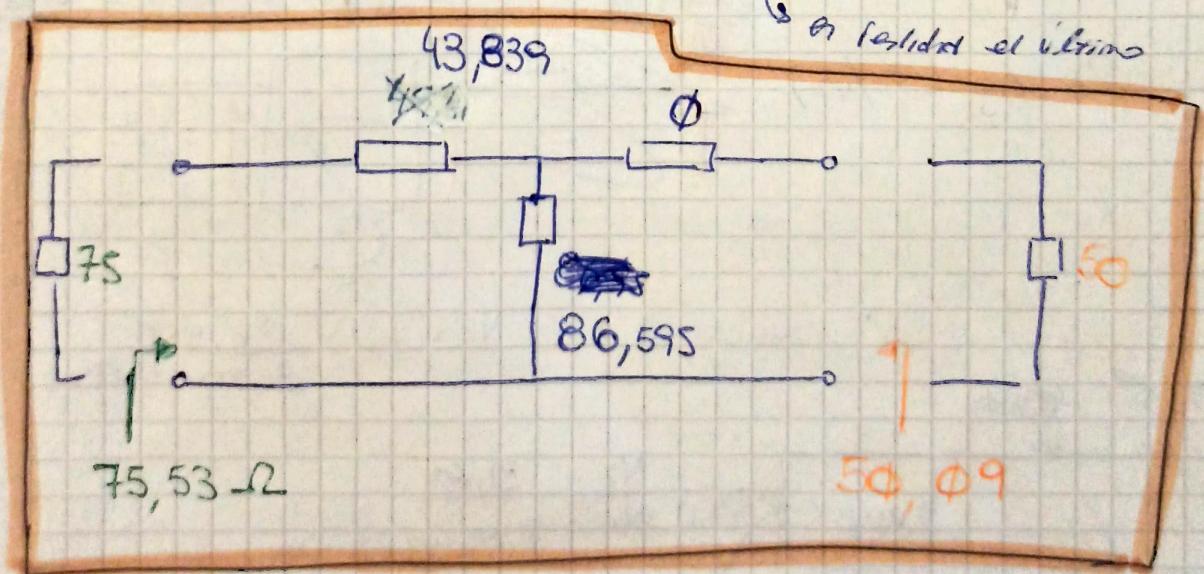
Necesito que no presente los de las flechas

$$T = \left(\begin{array}{c} Ch(\gamma) \cdot \sqrt{Z_{J1}/Z_{J2}} \quad Sh(\gamma) \cdot \sqrt{Z_{J1} \cdot Z_{J2}} \\ \frac{Sh(\gamma)}{\sqrt{Z_{J1} \cdot Z_{J2}}} \quad Ch(\gamma) \cdot \sqrt{\frac{Z_{J2}}{Z_{J1}}} \end{array} \right)$$

$$\gamma = \alpha + j\beta \Big|_{\beta=0} = \frac{5,72 \text{ dB}}{8,686 \text{ dB/degree}} = 0,6585$$

$\approx 86,85$

$$\begin{pmatrix} 1,5 & 43,3 \\ 0,6585 & 1 \end{pmatrix} \Rightarrow Z = \begin{pmatrix} 130,43 & 86,95 \\ 86,95 & 86,95 \end{pmatrix}$$



$$\alpha = \text{to log} \left(\frac{V_2^2 \cdot Z_{f2}}{V_1^2 \cdot Z_{f1}} \right)$$

$$\text{to log} \left[\frac{31,69}{31,69 + } \right]$$

$$\alpha = \text{to log} \left(\frac{\frac{V_1^2}{Z_{f1}}}{\frac{V_2^2}{Z_{f2}}} \right) = 20 \log \left(\frac{V_1}{V_2} \right) + \text{to log} \left(\frac{Z_{f2}}{Z_{f1}} \right) + \text{to log} (50/75)$$

$$V_2 = V_1 \cdot \frac{86,955}{86,955 + 43,839} \Rightarrow \frac{V_1}{V_2} = \cancel{0,504} \quad 1,504 \quad V_2 = V_1 \cdot \frac{86,955}{86,955 + 43,839}$$

$$\frac{V_1}{V_2} =$$

$$\alpha = (-5,948) + (-1,76)$$

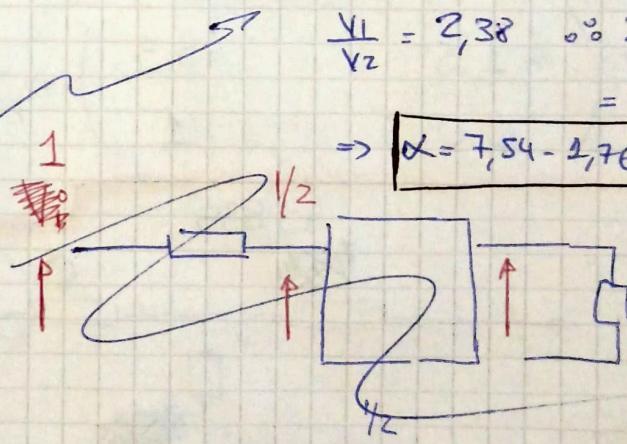
$$\alpha = -7,7$$

$$\frac{V_2}{V_1} = \frac{86,955/50}{(86,955/50) + 43,839}$$

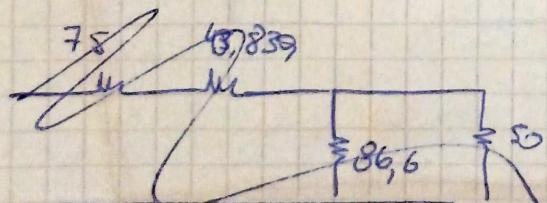
$$\frac{V_1}{V_2} = 2,38 \quad \therefore 20 \log(V_1/V_2) = 7,54 \\ \Rightarrow \boxed{\alpha = 7,54 - 2,76 = 5,78}$$

$$\alpha = \underbrace{(-7,948)}_{5,72} - (-1,76)$$

$$20 \log(V_1/V_2)$$



$$V_2 = (V_1) \cdot \frac{86,955}{86,955 + 43,839}$$



$$\frac{V_2}{V_1} = \frac{31,69}{31,69 + 43,839 + 75}$$

$$\frac{V_1}{V_2} = 4,74 \Rightarrow 20 \log(V_1/V_2) =$$

No es posible aceptar sin atenuar, Vimos que en la attenuación del Cudi, polo obtenemos una attenuación de tensión y otra attenuación debido al salto de impedancias. Aclaro! Son circuitos pasivos! esto!

P_{ref}

Para 80dB tendriamos:

$$\alpha = \frac{80 \text{ dB}}{8,689} = 9,2070$$

$$T = \begin{pmatrix} 6123,0078 & 81,64 \\ 306.150,38 & 4082,0052 \end{pmatrix}$$

$$Z = \begin{pmatrix} 0,02 & 0,0001 \\ 0,00326 \times 10^{-3} & 0,0133 \end{pmatrix}$$

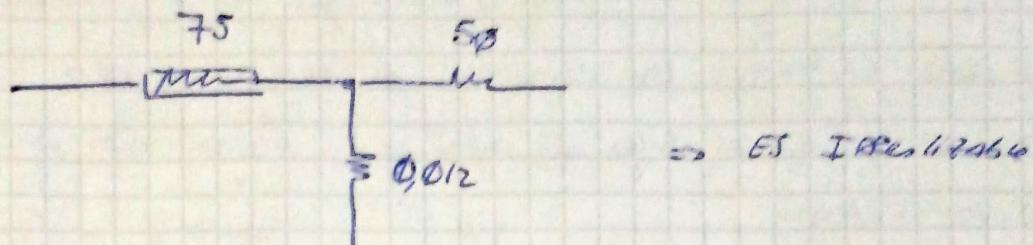
esto debería correr
pero en realidad
es irreal

$$T = \begin{pmatrix} 6123,0078 & 306.150,3857 \\ 81,64 & 4082,0052 \end{pmatrix}$$

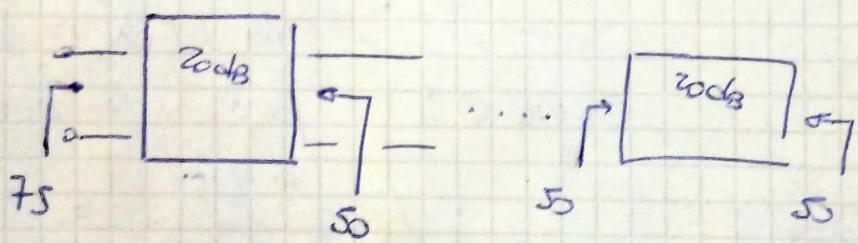
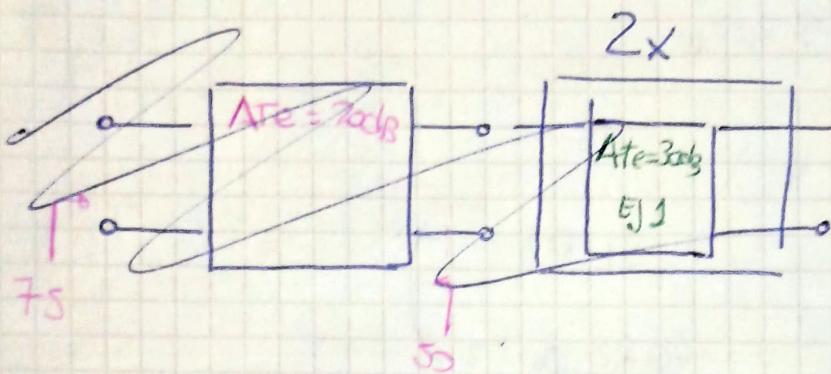
$$Z = \begin{pmatrix} 75,00... & 0,00427 \\ 0,0122 & 50 \end{pmatrix}$$

deberían correr
pero no corren

La curvatura es que es irreducible por lo



Esto lo podemos resolver trazando



$$\alpha = \frac{2\phi \text{dB}}{\cancel{8,686 \text{ dB/hepper}}} = 2,3\phi 2,55 \text{ hepper}$$

$$T_1 = \begin{pmatrix} 6,1847 & 3\phi 3,115 \\ \phi, \phi 808 & 4,123 \end{pmatrix}$$

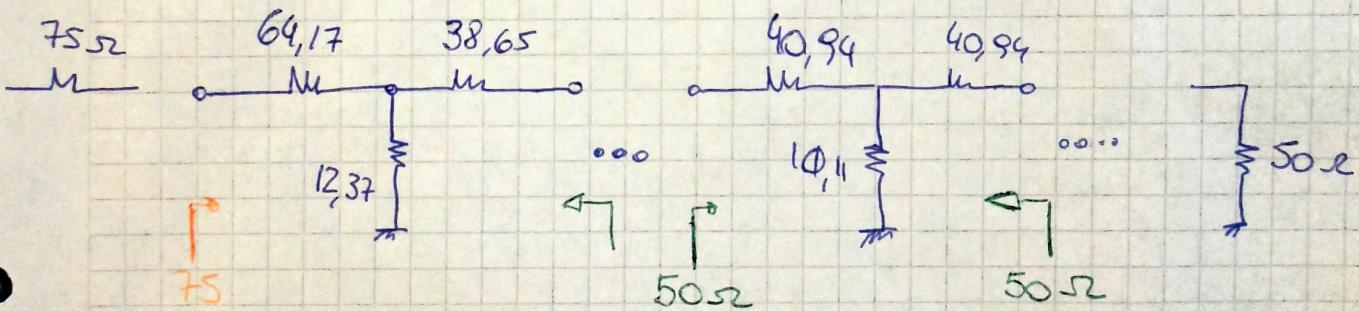
$$T_2 = \begin{pmatrix} 5, \phi 498 \\ \phi, \phi 989 \end{pmatrix}$$

$$\begin{array}{ll} 247,49 \\ \cancel{4,989} \\ 5, \phi 498 \end{array}$$

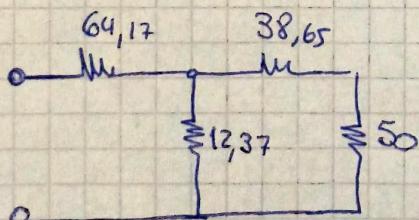
$$Z_1 = \begin{pmatrix} 76,54 & 12,47 \\ \cancel{(12,37)} & 51, \phi 2 \end{pmatrix}$$

$$\begin{pmatrix} 51, \phi 5 & 10,11 \\ 10,11 & 51, \phi 5 \end{pmatrix}$$

Tomo este



Verifico en Spice



$$\Delta t = 10 \log \left(\frac{P_1}{P_2} \right)$$

$$10 \log \left(\frac{V_1^2 / Z_{J1}}{V_2^2 / Z_{J2}} \right)$$

$$V_2 = V_1 \cdot \frac{12,37 / (38,65 + 50)}{12,37 / (38,65 + 50) + 64,17} \quad \frac{10 \log \left(\frac{V_1}{V_2} \right)^2}{50 + 38,65} + 10 \log \left(\frac{Z_{J2}}{Z_{J1}} \right)$$

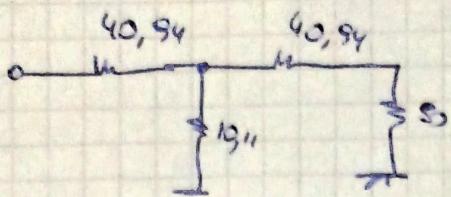
$$\frac{V_1}{V_2} = \cancel{12,37} / 12,25$$

$$10 \log \left(\frac{V_1}{V_2} \right) + 10 \log \left(\frac{Z_{J2}}{Z_{J1}} \right)$$

$$\cancel{12,37} + (-1,70) \Rightarrow \boxed{\Delta t = 20 \text{ dB}}$$

$$AT = 20 \log (V_1/V_2) + 20 \log (1)$$

$$\Delta T =$$



$$\frac{V_2}{V_1} = 5,499 \cdot \frac{50}{50+40,94}$$
$$AT =$$

$$\frac{V_2}{V_1} = \frac{(50+40,94)/10,11}{40,94 + (50+40,94)/10,11} \cdot \frac{50}{50+40,94}$$

$$\boxed{20 \log (V_1/V_2) = 20 \text{ dB} = AT}$$