

НАЦІОНАЛЬНИЙ ТЕХНІЧНИЙ УНІВЕРСИТЕТ УКРАЇНИ
«КИЇВСЬКИЙ ПОЛІТЕХНІЧНИЙ ІНСТИТУТ
ІМЕНІ ІГОРЯ СІКОРСЬКОГО»
Факультет прикладної математики
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Звіт
із лабораторної роботи №5
із дисципліни «Розподілені і хмарні обчислення»

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Мета роботи

Розпаралелити метод обчислення константи π

Опис програми

Завдання 1 – Знайти значення π інтегральним методом:

Integral method:				
threads = 1	time = 1.0236ms	intervals = 1e3	result = 3.1435917357	
threads = 1	time = 1.8837ms	intervals = 1e4	result = 3.1417926444	
threads = 1	time = 20.2237ms	intervals = 1e5	result = 3.1416126535	
threads = 1	time = 190.6306ms	intervals = 1e6	result = 3.1415946536	
threads = 1	time = 2.2004s	intervals = 1e7	result = 3.1415928536	
threads = 2	time = 488.1000 μ s	intervals = 1e3	result = 3.1435917357	
threads = 2	time = 3.6049ms	intervals = 1e4	result = 3.1417926444	
threads = 2	time = 33.6271ms	intervals = 1e5	result = 3.1416126535	
threads = 2	time = 323.2806ms	intervals = 1e6	result = 3.1415946536	
threads = 2	time = 3.3593s	intervals = 1e7	result = 3.1415928536	
threads = 4	time = 667.6000 μ s	intervals = 1e3	result = 3.1435917357	
threads = 4	time = 4.7863ms	intervals = 1e4	result = 3.1417926444	
threads = 4	time = 37.9246ms	intervals = 1e5	result = 3.1416126535	
threads = 4	time = 386.7511ms	intervals = 1e6	result = 3.1415946536	
threads = 4	time = 2.0494s	intervals = 1e7	result = 3.1415928536	
threads = 8	time = 429.7000 μ s	intervals = 1e3	result = 3.1435917357	
threads = 8	time = 2.0653ms	intervals = 1e4	result = 3.1417926444	
threads = 8	time = 19.9812ms	intervals = 1e5	result = 3.1416126535	
threads = 8	time = 194.5903ms	intervals = 1e6	result = 3.1415946536	
threads = 8	time = 1.8623s	intervals = 1e7	result = 3.1415928536	

Завдання 2 - Знайти значення π методом Монте-Карло:

Monte-Carlo method:				
threads = 1	time = 7.5635ms	dots = 1e3	result = 3.1480000000	
threads = 1	time = 12.5296ms	dots = 1e4	result = 3.1292000000	
threads = 1	time = 104.8157ms	dots = 1e5	result = 3.1399200000	
threads = 1	time = 2.7425s	dots = 1e6	result = 3.1397760000	
threads = 1	time = 29.0783s	dots = 1e7	result = 3.1421616000	
threads = 2	time = 2.6740ms	dots = 1e3	result = 3.1960000000	
threads = 2	time = 16.3374ms	dots = 1e4	result = 3.1500000000	
threads = 2	time = 167.9817ms	dots = 1e5	result = 3.1370000000	
threads = 2	time = 1.4877s	dots = 1e6	result = 3.1428520000	
threads = 2	time = 15.7891s	dots = 1e7	result = 3.1422472000	
threads = 4	time = 1.4964ms	dots = 1e3	result = 3.1840000000	
threads = 4	time = 10.1582ms	dots = 1e4	result = 3.1404000000	
threads = 4	time = 101.3026ms	dots = 1e5	result = 3.1488800000	
threads = 4	time = 1.1173s	dots = 1e6	result = 3.1435360000	
threads = 4	time = 5.1307s	dots = 1e7	result = 3.1414956000	
threads = 8	time = 1.4689ms	dots = 1e3	result = 3.0880000000	
threads = 8	time = 10.5564ms	dots = 1e4	result = 3.1460000000	
threads = 8	time = 99.5084ms	dots = 1e5	result = 3.1404400000	
threads = 8	time = 701.6213ms	dots = 1e6	result = 3.1387560000	
threads = 8	time = 3.1639s	dots = 1e7	result = 3.1422936000	

Висновки: Інтегральний метод виявився точнішим за Монте-Карло

Лістинг програми:

```
use std::time::Instant;
use lab_5::constcalc::{picalc, mc_picalc};
use rayon::ThreadPoolBuilder;

fn main() {
    task_intergral();
    task_monte_carlo();
}

fn format_dots(n: i32) -> String {
    let mut dots = n.to_string();
    let len = dots.len();
    if len > 3 {
        let e = len - 1;
        dots = format!("1e{}", e);
    }
    dots
}

fn task_intergral() {
    println!("\nIntegral method:");
    for &threads in [1, 2, 4, 8].iter() {
        let pool =
ThreadPoolBuilder::new().num_threads(threads).build().unwrap();
        for &n in [1e3 as i32, 1e4 as i32, 1e5 as i32, 1e6 as i32, 1e7 as
i32].iter() {
            let start = Instant::now();
            pool.install(|| {
                let pi = picalc(n);
                let duration = start.elapsed();
                println!("  threads = {:<2} | time = {:<10} | intervals = {:<2} |
result = {:.10}",
                        threads, format!("{:.4?}", duration), format_dots(n),
pi);
            });
        }
        println!();
    }
}

fn task_monte_carlo() {
    println!("\n\n\nMonte-Carlo method:");
    for &threads in [1, 2, 4, 8].iter() {
        let pool =
ThreadPoolBuilder::new().num_threads(threads).build().unwrap();
        for &n in [1e3 as i32, 1e4 as i32, 1e5 as i32, 1e6 as i32, 1e7 as
i32].iter() {
            let start = Instant::now();
            pool.install(|| {
```

```
        let pi = mc_picalc(n);
        let duration = start.elapsed();
        println!("  threads = {:<2} | time = {:<10} | dots = {:<2} |
result = {:.10}",
                threads, format!("{:.4?}", duration), format_dots(n),
pi);
    });
}
println!();
}
}
```