KU LEUVEN

Machine Learning: A brief Overview

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Introduction

1.1 Acknowledgements

Regression

Regression is a form of supervised machine learning with as goal to take continuous data and find the equation that best fits the data. This way you'll be able to forecast a specific value.

2.1 Linear Regression

The best fit function searched is just a linear line. See figure 2.1 for an example. Since linear regression is the basis of almost all machine learning algorithms (it is also used in Neural Networks for example), we will elaborate a bit more on how it actually works.

As we know a first order line can be simply represented as y=mx+b. We know x since it are our labels and when training we also know y since it are our features (which we know, since it's supervised learning). So the goal of linear regression is to calculate m and b, calculating m is achieved with the following formula: $m=\frac{\overline{x}\cdot\overline{y}-\overline{xy}}{(\overline{x})^2-\overline{x^2}}$ where the bar over the letters signifies a mean or average. To calculate b the following formaly can be used: $b=\overline{y}-m\overline{x}$. When you use these formulas to calculate the regression line you are actually minimising the squared error between the

regression line's y values and the data's y values. To know how well the regression line predicts the data's y values you can check the outcome of the r squared method, see chapter 6.

2.1.1 Code examples

Two code approaches have been made. The first approach uses the sklearn kit for doing linear regression as well as experimenting with some support vector machines, the approach can be found in appendix A. The second approach shows a more basic linear regression which illustrates it's fundamentals. Since linear regression is the basis of a lot of machine learning algorithms, this code can help you understand the basic building blocks of all these machine learning alorithms. It also shows how the r squared method works. This code can be found in appendix B.

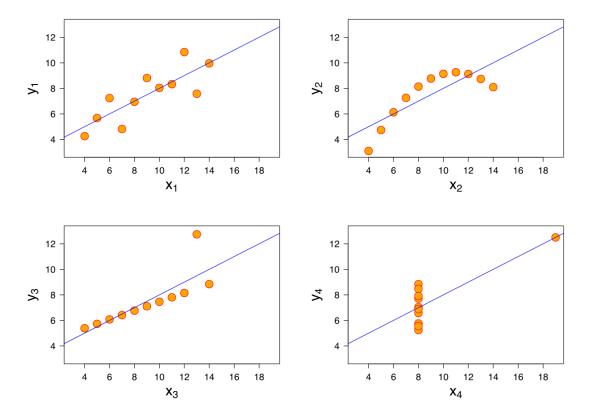


Figure 2.1: Four examples of the function found by linear regression based on the given data points.

Classification

Classification is a form of supervised machine learning (in contrary to Clustering, see chapter 4. It takes examples which we have identified with classes and tries to learn a model that will predict the class of unknown examples. An example of use is to classify tumors as benign or malignant. We feed the classifier the features, such as size and shape, of known results. After the learning phase we can then use this classifier to predict if a given tumor is benign or not.

3.1 K Nearest Neighbors

KNN is a simple but effective classification algorithm. The algorithm works by finding the k neirest neighbors of a given data point and chosing a class based on the labels of these k nearest neighbors. Basically using the majority vote of these neighbors to choose the data point's class. It is also possible to assign weight to the vote of the neighbors for example based on their distance.

A known pitfall for the KNN is that it needs to compare the data in question to all of the points from the dataset. Therefor accuracy is easy to accomplish, but being fast is hard. A way to make it faster is to compare your data only to data within a certain radius. Other pitfalls include: problems with outliers and bad data.

To see how well the KNN performs, one can check it's confidence in two ways, as listed below.

- Correct versus incorrect
- Check the average vote confidence

3.1.1 Code examples

Two code approaches have been made. The first approach uses the *sklearn* kit, the approach can be found in appendix C. The second approach shows a more basic KNN which illustrates it's fundamentals. This code can help you understand the basic building blocks of the algorithm and let you see where it's pitfalls are. The code can be found in appendix D.

3.2 Support Vector Machines

A SVM is a binary classifier. The objective of the Support Vector Machine is to find the best splitting boundary between data. It is a maximum-margin-classifier. It deals in vector space, thus the seperation is done by using a hyperplane. The best hyperplane is the one that contains the widest margin between support vectors, and is called the decision boundary. It is generally much faster than the KNN algorithm and also more resistent for outliers and pointless data. Steps to find the decision boundary:

- 1. Find the support vectors, see figure 3.1. We find these support vectors by maximising the distance between all examples of the two classes.
- 2. The decision boundary runs through the middle of these support vectors, see figure 3.2.

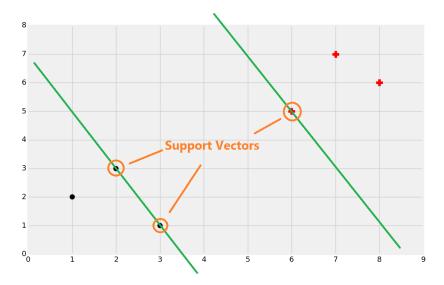


Figure 3.1: Shows the support vectors for this SVM classification problem.

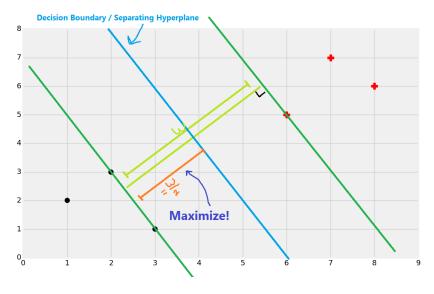


Figure 3.2: Shows the decision boundary for this SVM classification problem.

As you may notice, this method will only work natively on linearly-seperable data and data with only two classes. A way to go beyond the linearly-seperable data limit is using kernels as explained in subsection 3.2.1. To be able to do 3+ classification you can use OVR or OVO, see section 3.2.3 For more details about the specific workings of SVMs I'd like to point out a great SVM Tutorial¹.

3.2.1 Kernels

Kernels are similarity functions, which take two inputs and return a similarity using inner products. This allows us to translate our data to a plausibly infinite number of dimensions in order to find one that has linear separbility, without paying the processing costs to do it. The only requirement to use kernels is to confirm that every interaction with our featurespace is an inner product. The formulas used for SVMs are transformable to inner products, so that is nice. Kernels are also used in other machine learning algorithms than SVMs.

¹http://www.svm-tutorial.com/

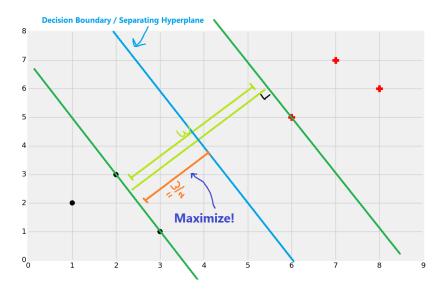


Figure 3.3: Shows the results of van OVR classification.

3.2.2 Soft Margin SVMs

A soft margin SVM allows for some slack on the errors that we might get in the optimisation process (While the standard SVM, a hard-margin, does not allow this wiggle room for error). You can use soft margin SVMs when your data is not perfectly linearly separable, but is very close or when you have a strong over-fitment when using a hard-margin SVM. An over-fitment can be recognised by the number of points on your support vectors versus the number of points of that class. For example if 100% of the positive class' points are on the support vector, this signals a high chance of over-fitment.

3.2.3 OVR and OVO

OVR or *One Verse Rest* seperates each group from the rest and generates decision boundaries for all of these. For example if you have three classes, 1, 2 and 3. Then OVR would compare 1 to (2 and 3), 2 to (1 and 3) and 3 to (1 and 2) and generate decision boundaries for all three options. The problem is that you will almost always have more negatives than positives, since you're maybe comparing one group to three others. This means every classification boundary is actually unbalanced.

OVO or *One Verse One* compares every one class to all others. Thus 1 to 2, 1 to 3, 2 to 1, 2 to 3, 3 to 1 and 3 to 2 deliver all seperate decision boundaries. This tends to result in more balance results.

3.2.4 Code examples

Two code approaches have been made. The first approach uses the *sklearn* kit, the approach can be found in appendix E and is very similar to appendix C. The second approach shows a more basic SVM which illustrates it's fundamentals. This code can help you understand the basic building blocks of the algorithm and let you see where it's pitfalls are. The code can be found in appendix F. No detailed implementation of kernels, soft margin SVMs, OVO or OVR has been implemented.

Clustering

Clustering is a form of unsupervised learning and comes in two major forms: Flat and Hierarchical. With both forms the machine is tasked with receiving a dataset that is just featuresets, and then the machine searches for groups and assigns classes on its own. With Flat clustering the scientist tells the machine how many classes/clusters to fine. With Hierarchical clustering, the machine figures out the groups and how many.

The objective is to find relationships and meaning in data. It can be used in a semi-supervised context, where the scientists use the results from clustiring for further classification or it can be used on truly unknown data, in an attempt to find some structure. Clustering can also be used for typical classification, you just don't need to actually feed it what the classifications are beforehand.

4.1 K-Means

K-Means tries to cluster a given dataset into K clusters. Since you have to give it the number of required clusters, it is a flat clustering algorithm. It works as follows:

- 1. Take the entire dataset, and set, randomly, K number of centroids.
- Calculate the distance of every featureset to the centroids, and classify based on the nearest centroid.
- 3. Now take the mean of all groups, set these as the K centroids and repeat untill optimised. Optimisation is often measured as movement of the centroid.

4.1.1 Code examples

Three code approaches have been made. The first approach uses the *sklearn* kit's K-Means classifier to classify a simple example, the approach can be found in appendix G. The second approach also uses the *sklearn* kit's K-Means classifier but this time to classify nonnumerical data, this approach can be found in appendix H. The third and final approach shows a more basic K-Means classifier which illustrates it's fundamentals. This code can help you understand the basic building blocks of the K-Means classifier. This code can be found in appendix I.

4.2 Mean Shift

Mean Shift is very similar to the K-Means algorithm but you do not need to give it the number of clusters in advance, therefor it is a hierarchical clustering algorithm. The Mean Shift algorithm thus follows the following steps:

- 1. Make all datapoints centroids
- 2. Take mean of all featuresets within a centroid's radius, setting this mean as new centroid.
- 3. Repeat step #2 until convergence.

4.2. MEAN SHIFT

As you may notice the downside is scalability, because we have to start from every datapoint. For finding the mean in step 2 we can use a kernel, you can either use a flat kernel (here we have every featureset with the same weigth) or a Gaussian Kernel (here weight's are assigned by proximity to the kernel's center). The radius as well can be calculated based on the data, as shown in the code-example L.

4.2.1 Code examples

Three code approaches have been made. The first approach uses the *sklearn* kit's Mean Shift classifier to classify a simple example, the approach can be found in appendix J. The second approach also uses the *sklearn* kit's Mean Shift classifier but this time to classify nonnumerical data, this approach can be found in appendix K. The third and final approach shows a more basic Mean Shift classifier which illustrates it's fundamentals. This code can help you understand the basic building blocks of the Mean Shift classifier. This code can be found in appendix L.

Neural Network

An artificial neural network network mimics the working of a real brain. The brain exists of neurons that transmit information via synapseses. The computer science way to mimic these neurons is shown in figure 5.1. These work in the bigger context as shown in figure 5.2. In this figure you see different kinds of layers, the input layer (which handles the input), the hidden layer(s) (which pass information) and the output layer (the results). To go from one layer to next you weight the input data, and pass it through the function in the neuron. The function in the neuron is a threshold function (aka activiation function). It is basically the sum of all of the weighted values above or below a certain value. If it is above the threshold the neuron fires a signal (1) otherwise it fires (0). This in turn is then weighted and passed to the next neuron until the output layer is reached. To optimise we can actually drop the threshold value (thanks to Paul Werbos) and use a sigmoid function instead for making the decisions. The weights are initially chosen at random and will be optimised later on.

In a typical feed forward neural network you first pass the information through the network and then you compare your output layer to the hoped results. From here you begin adjusting the weights to minimise loss/cost, this is called backpropagation. This is an optimisation problem that can be used using for example stochastic gradient descent (or more recent options like AdaGrad and the Adam Optimiser). Once all your examples (and you need a lot of examples) are run and your network is optimised, you can start using this network to make often very good predictions.

Sometimes dropouts are used to mimic dead neurons in the brain. This decreases the chance of over-weighted, or otherwise biasing, neurons in the artificial neural network.

5.1 Feed Forward Neural Networks

A feed forward neural network simply passes the information straight through the neural net and uses backpropagation to optimise the weights. For a sentiment predictor Neural Net implementation look at appendix R and for an example implementation for number recognition take a look at appendix Q.

5.1.1 Code

A simple code example of a Feed Forward Neural Network using TensorFlow can be found in appendix O.

5.2 Recurrent Neural Networks

Addresses the necessity of understanding data in sequences. In RNN the output of the previous cyclus is used in the activitation function of this cyclus.

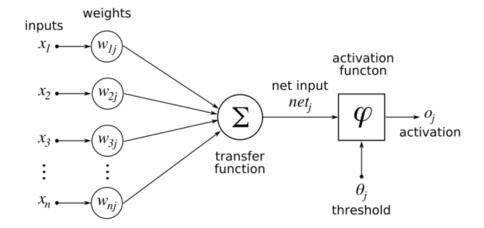


Figure 5.1: Shows the detailed working for one node in an artificial neural network.

5.2.1 LSTM

The Long Short Term Memory cell determines the weight of the previous output and the current input so that your initial input doesn't start to dominate the output. Basically it decides what data to keep and what data to forget. See link¹ for more information.

5.2.2 Code

A simple code example of a LTSM using TensorFlow can be found in appendix P.

5.3 Convolutional Neural Network

Convolution takes the original data and creates feature maps from it. Pooling is the same as down-sampling. Most often used is max-pooling where a region is selected and all values of the region is set equal to the maximum value in that region. The fully connected layer is your typical multilayer perceptron. It roughly has the following structure:

- 1. Convolution
- 2. Pooling
- 3. Convolution
- 4. Pooling
- 5. Fully Connected Layer
- 6. Output

5.3.1 Code

A simple code example of a Convolutional Neural Network using TensorFlow can be found in appendix N. For an implementation of the same code using TFLearn take a look at appendix S

 $^{^{1}}$ http://colah.github.io/posts/2015-08-Understanding-LSTMs/

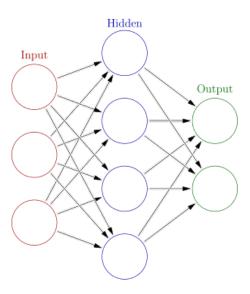


Figure 5.2: Shows the general overview of an artificial neural network.

General Terms

Backpropagation

Centroids Centroids are the centers of clusters.

Confidence Score A score that tells you how accurate and reliable a model is performing based on the test data.

Convex

Cross Validation Is a model validation technique for assessing how the results of a statistical analysis will generalize to an independent data set. It splits the data set in test and training data.

Deterministic Environment The endstate of the environment can be determined based on the current state of the environments and its components.

Decision Boundary In a statistical-classification problem with two classes, a decision boundary is a hyperplane that partitions the underlying vector space into two sets, one for each class.

Dot Product Also known as scalair product or inner product of two vectors \vec{A} and \vec{B} is defined as follows: $\vec{A} \cdot \vec{B} = a_1b_1 + a_2b_2 + ... + a_nb_n$. Two vectors are perpindicular if their dot product equals 0. Dutch translation: inwendig product

Down-sampling

Epoch A cycle of feed forward and back propagation in feed forward neural networks. Too many epochs can cause overfitment, too few can cause bad results.

Eucledian Distance A way to calculate the distance on a plane between points. It uses the following formula: $\sqrt{\sum_{i=1}^{n} (q_i - p_i)^2}$. Measures the length of a line segment between points.

Eucledian Norm Measures the magnitude of a vector, which is basically the length. The equation is also the same as with Eucledian Distance, the name just tells you what space you are using.

Features Descriptive attributes for the data.

Gradient Descent

Hyperplane A hyperplane is a subspace of one dimension less than its ambient space. If a space is 3-dimensional then its hyperplanes are the 2-dimensional planes.

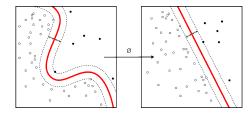


Figure 6.1: An example of simplifying the data by increasing it's dimension.

Kernels Is a kind of transformation on your data. Grossly put it simplifies your data. More specifically kernel methods use kernel functions to operate in a high-dimensional, implicit feature space without ever computing the coordinates of the data in that space, but rather by simply computing the inner products between the images of all pairs of data in the feature space. This is computationally a lot better than using the raw data. For an example see figure 6.1.

Labels What you are trying to predict of forecast for the data.

Lemmatizer A lemmatizertakes similar words and converts them into the same single word.

Linear Algebra The objective of linear algebra is to calculate relationships of points in vector space.

(Maximum) Margin Classifier A margin classifier is a classifier which is able to give an associated distance from the decision boundary for each example. A maximum margin classifier maximises the distance between the decision boundary and all examples.

Object Oriented Programming In short OOP makes it possible to make objects with attributes, these objects can have a certain link towards eachother (subclasses and superclasses).

Preprocessing Used to clean/scale the data before using machine learning techniques. Cleaning for example by replacing NaN data with -99 999, because it will be handled as an outlier, or by interpolating it. Scaling your features so they fall between -1 and 1 is genarally a good idea because it could make the processing faster and more accurate.

Machine Learning Classifier

Machine Learning Model

Norm

One Hot A term from electronics where just one element, out of the others is on. This is useful for multiclass classification tasks. For example representing numbers 0 to 9:

- 0 = [1, 0, 0, 0, 0, 0, 0, 0, 0, 0]
- 1 = [0, 1, 0, 0, 0, 0, 0, 0, 0, 0]
- $\bullet \ 2 = [0,0,1,0,0,0,0,0,0,0]$

. . .

• 9 = [0, 0, 0, 0, 0, 0, 0, 0, 0, 1]

Overfitting Overfitting is the act of fitting the function too much to the given sample data, a bad consequence of overfitting is that future data will not fit the calculated function. And example is shown in figure 6.2.

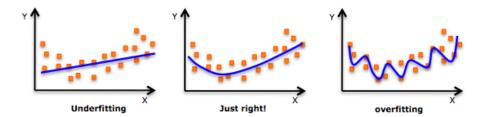


Figure 6.2: Shows underfitting, right fitting and overfitting.

Sigmoid Function

Stochastic Environment The endstate of the environment can not be exactly determined based on the current state of the environment and its objects since there is randomness involved.

Supervised Learning For om machine learning where the scientist teaches the machine by showing it features and then showing it the correct answer (lable). Once the machine is taught, the scientis will usually test the machine on some unseen data, where the scientis still knows the correct answer, but the machine doesn't.

R squared method Also known as coefficient of determination. The squared error is the mean or sum of the distance between the solution values and the actual values. For example in Linear regression the error is the distance between the regression line's y values and the data's y values. The squared error is either a mean or sum of this. Squared error is used because on the one hand it normalises all errors to be positive and on the other hand it punishes outliers harder. Since the squared error is just a relative number to your dataset it has no real meaning, that's why we use the r squared method. This method uses the formula $r^2 = 1 - \frac{SE\hat{y}}{SE_y}$ which is just one minus the division of the squared error of the regression line and the squared error of the mean y line. A number close to 1 means the classifier is performing well, a number close to 0 means it is performing bad. It is a good measure when trying to predict an exact future value, however if you just want to predict a general tendense it is not the best measure.

Support Vector The points closest to the maximum-margin-hyperplane, as shown in figure 3.1.

Tensor A tensor is an array-like object that can hold a matrix, vector or even just a scalar.

Threading Some machine learning algorithms can be split into multiple threads, this is often indicated by the $n_{_}$ jobs parameter in python. Others don't have this luxurary and are known as running linear.

Tokenizer A tokenizer seperates elements. For example a word tokenizer seperates words.

Types of Data With machine learning we can see our data in several groups. It is important that these groups do not overlap, since otherwise a bad representation of results could be shown.

- Training data is the data used to train your machine learning model.
- Testing data is the data used to test your machine learning model.
- Validation data is the data used to validate your machine learning model.

Unsupervised Learning As opposed to supervised learning, the scientist doesn't tell the machine what the classes of featuresets were.

Vector A vector has a magnitude and a direction. The magnitude is the same as the Euclidean distance or norm. For example the $\vec{A} = [4, 3]$ has the direction 4 in dimension 1 and 2 in dimension 2, the magnitudes is $\sqrt{4^2 + 3^2} = 5$.

Appendices

Appendix A

Regression

In this appendix you can find the code for a linear regression implementation using *sklearn*, as well as some examples of SVMs used for regression.

```
import pandas as pd
import quandl, math
import numpy as np
from sklearn import preprocessing, cross_validation, svm
from sklearn.linear model import LinearRegression
import datetime
import matplotlib.pyplot as plt
from matplotlib import style
# Use Pickle to save any python object
import pickle
# set the api key for quandl
quandl. ApiConfig. api key = "ENzts Lf48qsmWQC xJb"
# Retrieves data from quandli
df = quandl.get("WIKI/GOOGL")
# Only keep relevant adjusted columns
df = df [[ 'Adj. Open', 'Adj. High', 'Adj. Low', 'Adj. Close', 'Adj. Volume']]
# Manipulate data so we can get useful information out of it
# First get the High Low Percentage
df \left[ \ 'HL\_PCT' \ \right] \ = \ \left( \ df \left[ \ 'Adj . \ \_High' \ \right] \ - \ df \left[ \ 'Adj . \ \_Low' \ \right] \right) / \ df \left[ \ 'Adj . \ \_Low' \ \right] * 100.0
# Next get the Daily Percentage
df['PCT_change'] = (df['Adj._Close'] - df['Adj._Open']) / df['Adj._Open'] * 100.0
\# And change the data frame to represent these changes, throw away irrelevant data
df = df [['Adj. Close', 'HL_PCT', 'PCT_change', 'Adj. Volume']]
# Define the column we will try to forecast
forecast_col = 'Adj._Close'
\# Replace the NaN values in the data with -99999
# Reason for this number is that most of the time it will be handled as an outlier.
df. fillna (value=-99999, inplace=True)
# How far do you want to forecast
forecast out = int(math.ceil(0.01 * len(df)))
# All current columns are features, so we need to add a label column, shift is so the
# is the value of Adj. Close of the 1%th data point
```

sklearn needs numpy arrays for the machine learning part. But we did data manipulat

df['label'] = df[forecast_col].shift(-forecast_out)

```
\# Features are represented by X
X = np.array(df.drop(['label'], 1))
\# Scaling the data
X = preprocessing.scale(X)
# Contains the most recent features, which we will predict against
X \text{ lately} = X[-forecast out:]
\# Only take X to the point we have known data labels
X = X[:-forecast out]
# Drop all NaN created by the above actions
df.dropna(inplace=True)
\# Labels are represented by y
y = np.array(df['label'])
\# Splitting the data in test and train data
X_train, X_test, y_train, y_test = cross_validation.train_test_split(X, y, test_size =
# Use linear regression to define a classifier
\# n\_jobs identifies the number of threads that can be made, -1 identifies this to be
clf = LinearRegression(n jobs=-1)
# Train the classifier
clf.fit(X train, y train)
\# Calculate the confidence of our classifier
confidence = clf.score(X test, y test)
\# Show our confidence score using linear regression
print("linear_regression:", confidence)
\# We will also experiment with some SVM's with different kernel functions
for k in ['linear', 'poly', 'rbf', 'sigmoid']:
    clf extra = svm.SVR(kernel=k)
    clf_extra.fit(X_train, y_train)
    confidence = clf_extra.score(X_test, y_test)
    \mathbf{print}\,(\,k\,,\ ":\,\,\smile\,"\,\,,\ \mathrm{confidence}\,)
\# We will move forward with the classifier clf from LinearRegression
\# Calculate our forecast out
forecast set = clf.predict(X lately)
\# \ Add \ a \ forecast \ column \ to \ dataframe
df['Forecast'] = np.nan
# Add the forecast data on the correct points
last date = df.iloc[-1].name
last_unix = last_date.timestamp()
one day = 86400
next_unix = last_unix + one_day
for i in forecast_set:
    \# See what the next forecast date is
    next_date = datetime.datetime.fromtimestamp(next_unix)
    next unix += one day
    \# Set all the columns to nans on forecast dates, except the forecast column, set
    df.loc[next\_date] = [np.nan for \_ in range(len(df.columns)-1)] + [i]
```

```
# Save our learned classifier using pickle
with open('LinearRegression/linearregression.pickle', 'wb') as f:
    pickle.dump(clf, f)
# To use the saved classifier just use the following commented line:
# pickle_in = open('LinearRegression/linearregression.pickle', 'rb')
# clf = pickle.load(pickle_in)

# Let's visualise
# Set the style of our graph
style.use('ggplot')
# Make the graph
df['Adj._Close'].plot()
df['Forecast'].plot()
plt.legend(loc=4)
plt.xlabel('Date')
plt.ylabel('Price')
plt.show()
```

Appendix B

Manual Regression

In this appendix you find a linear regression algorithm build from the ground up.

```
from statistics import mean
import numpy as np
import matplotlib.pyplot as plt
from matplotlib import style
from DataGeneration import create data set
# Define the plotting style
style.use('ggplot')
\# Define some starting points, we use the DataGeneration class to generate the data s
size = 40
variance = 10
xs, ys = create data set(size, variance, step=2, correlation='False')
\# A function that given our x and y calculates the best fitting slope and the best fit
def best_fit_slope_and_intercept(xs, ys):
    \mathbf{m} = (\mathrm{mean}(\mathbf{x}\mathbf{s}) * \mathrm{mean}(\mathbf{y}\mathbf{s}) - \mathrm{mean}(\mathbf{x}\mathbf{s} * \mathbf{y}\mathbf{s})) / (\mathrm{mean}(\mathbf{x}\mathbf{s}) * * 2 - \mathrm{mean}(\mathbf{x}\mathbf{s} * \mathbf{x}\mathbf{s}))
    b = mean(ys) - m*mean(xs)
     return m, b
\# Get the best fitting slope and the
m, b = best fit slope and intercept(xs, ys)
\# Show our best fit slope and y-intercept
print("m_and_b", m, b)
# Create the regression line
regression\_line = [(m*x) + b \text{ for } x \text{ in } xs]
# Let's predict some points based on the regression line
# Our feature
predict x = size + 5
# The predicted label
predict y = (m * predict x) + b
# Print the predicted label
print("Predicted_y:", predict_y, "for_x:", predict_x)
\# Calculates the squared error of given original vector and the predicted vector
def squared_error(ys_orig, ys_line):
     return sum((ys line-ys orig)*(ys line-ys orig))
```

```
# Calculates the coefficient of determination given the original vector and the predicted coefficient_of_determination(ys_orig, ys_line):

# Create a line that is just a constant function of the average of the original y y_mean_line = [mean(ys_orig)] * len(ys_orig)

# Calculate the top part of the r squared method equation squared_error_regr = squared_error(ys_orig, ys_line)

# Calculate the bottom part of the r squared method equation squared_error_y_mean = squared_error(ys_orig, y_mean_line)

# Calculate the full r squared method equation return 1 - (squared_error_regr/squared_error_y_mean)

# Calculate how well the regression line is predicting our values r_squared = coefficient_of_determination(ys, regression_line)

print("r_squared:_", r_squared)

# Visualise data and regression line
```

plt.scatter(xs, ys, color='#003F72', label='data')
plt.scatter(predict_x, predict_y, label='predicted')
plt.plot(xs, regression_line, label='regression_line')

plt.legend(loc=4)

plt.show()

Appendix C

K Nearest Neighbors

In this appendix you can find the code for a K nearest neighbors implementation using sklearn.

```
import numpy as np
from sklearn import preprocessing, cross_validation, neighbors
import pandas as pd
# Read our breast cancer data, gathered from UCI:
        https://archive.ics.uci.edu/ml/datasets/Breast+Cancer+Wisconsin+(Diagnostic)
df = pd.read csv('data/breast-cancer-wisconsin.data')
\# Replace the missing values (represented as ?) by -99999
df.replace('?', -99999, inplace=True)
\# The ID column is not a good classifier, so we will drop that column
df.drop(['id'], 1, inplace=True)
# Define our features (every column except for the class column)
X = np.array(df.drop(['class'], 1))
# Define our labels (the class column)
y = np.array(df['class'])
# Create training and testing data
X train, X test, y train, y test = cross validation.train test split(X, y, test size =
\#\ Define\ the\ classifier , a k nearest neighbor classifier
clf = neighbors. KNeighborsClassifier()
\# Train the classifier
clf.fit(X_train, y_train)
# Check the accuracy of our trained model
accuracy = clf.score(X test, y test)
\# Show us the accuracy
print("Accuracy:", accuracy)
# Let's predict something
\# \ Our \ random \ to \ predict \ features:
example\_measure = np.array([4\,,\ 2\,,\ 1\,,\ 1\,,\ 2\,,\ 3\,,\ 2\,,\ 1]).\,reshape(1\,,\ -1)
\# Predict the result for our random sample
prediction = clf.predict(example_measure)
# Show us the prediction
print("prediction:", prediction)
```

Appendix D

Manual K Nearest Neighbors

In this appendix you find a linear K nearest neighbors build from the ground up.

```
import numpy as np
import matplotlib.pyplot as plt
from matplotlib import style
\# We will use warnings to warn about using lower number of K's than we have groups
import warnings
\# To count the votes
from collections import Counter
import pandas as pd
import random
\# Set the plot style
style.use('fivethirtyeight')
\# Create some random data
dataset = \{ \ 'k' \colon \ [[1 \,, \ 2] \,, \ [2 \,, \ 3] \,, \ [3 \,, \ 1]] \,, \ \ 'r' \colon \ [[6 \,, \ 5] \,, \ [7 \,, \ 7] \,, \ [8 \,, \ 6]] \}
\# The features of the example we want to classify in k or r
new\_features = [5, 7]
\# A function that will return the k nearest neighbors to a given point
\# @param data:
        a dictionary containing the classes and the data for those classes
\# @param predict:
        a vector with the features where for we will make a class prediction
\# @param k:
        the number of nearest neighbors to return, default value 3
#
         Throws a warning when the given k is <= the number of elements in the given d
def k_nearest_neighbors(data, predict, k=3):
    \# First create a warning when the number of data points is smaller than or equal
    if len(data) >= k:
        warnings.warn('K_is_set_to_a_value_less_than_total_voting_groups!')
    \# List with all points and there distances to the prediction
    distances = []
    # For every group calculate the euclidean distance per feature and put it in the
    for group in data:
        for features in data group:
             \# Calculating the Euclidean Norm, we are using numpy because the calculate
```

distances.append([euclidean distance, group])

euclidean distance = np.linalg.norm(np.array(features) - np.array(predict

than when we would do it manually

```
\# Sort the distances and take the first k elements
    votes = [i[1] for i in sorted(distances)[:k]]
    # Count the votes
    # 1 is the number you want, it returns a list of elements like ('r', 3) with 'r'
    \# number of votes, so we take the first element and then the class name by doing
    vote result = Counter(votes).most common(1)[0][0]
    return vote result
# Use the k nearest neighbor algorithm to predict the color of the new features
result = k nearest neighbors (dataset, new features)
# Show us the resulting color
print(result)
# Show our current data
\#\ First\ manipulate\ the\ data\ a\ bit\ and\ add\ it\ in\ a\ scatter\ plot\ ,\ very\ nice\ line\ btw
[[plt.scatter(ii [0], ii [1], s=100, color=i) for ii in dataset[i]] for i in dataset]
# Throw in the example we want to predict, show the resulting color as well
plt.scatter(new_features[0], new_features[1], s=100, color=result)
# Let's now look at the accuracy on the breast cancer data
\# Read our breast cancer data, gathered from UCI:
        https://archive.ics.uci.edu/ml/datasets/Breast+Cancer+Wisconsin+(Diagnostic)
df = pd.read csv('data/breast-cancer-wisconsin.data')
\# Replace the missing values (represented as ?) by -99999
df.replace('?', -99999, inplace=True)
# The ID column is not a good classifier, so we will drop that column
df.drop(['id'], 1, inplace=True)
# Converting the entire data frame to floats
full data = df.astype(float).values.tolist()
\# Shuffle the data
random.shuffle(full_data)
# Split the training and testing data
# Define the test size first
test size = 0.2
\# Define the dictionaries for our test and training data, 2= benign tumor, 4= malign
train set = \{2: [], 4: []\}
test\_set = \{2: [], 4: []\}
\# Split the data in test and training data
train_data = full_data[:-int(test_size*len(full_data))]
test data = full data[-int(test size*len(full data)):]
\# Populate the dictionaries
for i in train data:
    train set [i[-1]]. append (i[:-1])
for i in test data:
    test set [i[-1]]. append (i[:-1])
\# Train and test the data
\# Initialise the total correct predictions to 0 and the total predictions to 0 as well
correct = 0
total = 0
\# For every group in our test_set make a prediction using our train set
for group in test set:
    for data in test set[group]:
        \# Vote using the default number of k's as defined in Scikit
```

Appendix E

Support Vector Machine

In this appendix you can find the code for a Support Vector Machine implementation using sklearn.

```
import numpy as np
from sklearn import preprocessing, cross_validation, svm
import pandas as pd
# Read our breast cancer data, gathered from UCI:
         https://archive.ics.uci.edu/ml/datasets/Breast+Cancer+Wisconsin+(Diagnostic)
df = pd.read csv('../data/breast-cancer-wisconsin.data')
\# Replace the missing values (represented as ?) by -99999
df.replace('?', -99999, inplace=True)
\# The ID column is not a good classifier, so we will drop that column
df.drop(['id'], 1, inplace=True)
# Define our features (every column except for the class column)
X = np.array(df.drop(['class'], 1))
# Define our labels (the class column)
y = np.array(df['class'])
# Create training and testing data
X train, X test, y train, y test = cross validation.train test split(X, y, test size =
# Define the classifier, a support vector machine
clf = svm.SVC()
# Train the classifier
clf.fit(X_train, y_train)
# Check the accuracy of our trained model
accuracy = clf.score(X test, y test)
\# Show us the accuracy
print("Accuracy:", accuracy)
# Let's predict something
\# \ Our \ random \ to \ predict \ features:
example\_measure \, = \, np.\,array \, (\, [\, 4 \,\,, \,\, \, 2 \,\,, \,\, 1 \,\,, \,\, \, 1 \,\,, \,\, \, 2 \,\,, \,\, \, 3 \,\,, \,\, \, 2 \,\,, \,\, \, 1 \, ]\,) \,.\,reshape \, (\, 1 \,\,, \,\, \, -1)
\# Predict the result for our random sample
prediction = clf.predict(example_measure)
# Show us the prediction
print("prediction:", prediction)
```

Appendix F

Manual Support Vector Machine

In this appendix you find a Support Vector Machine build from the ground up. import matplotlib.pyplot as plt from matplotlib import style import numpy as np # Our plot style style.use('ggplot') # Our starting data # As you can see we have two classes, -1 and 1 with some data for those classes $data_dict = \{-1: np.array([[1, 7], [2, 8], [3, 8],]),$ 1: $\operatorname{np.array}([[5, 1], [6, -1], [7, 3],])$ $\# A \ class \ definition \ of \ a \ SVM$ # The class doesn't explain all the details of how an SVM works, for more information # look at svm-tutorial.com**class** SupportVectorMachine: # Runs whenever an object is created def __init__(self , visualisation=True): # Set the object variable visualisation to the given value self.visualisation = visualisation # Set the colors for the two classes $self.colors = \{1: 'r', -1: 'b'\}$ $\# \ Visualise \ if \ necessary$ if self.visualisation: self.fig = plt.figure() $self.ax = self.fig.add_subplot(1, 1, 1)$ # A method that visualises the SVM def visualise (self): # scattering known featuresets [[self.ax.scatter(x[0], x[1], s=100, color=self.colors[i]) for x in data dict # Returns the hyperplane point given x, w, b and vdef hyperplane(x, w, b, v): **return** (-w[0] * x - b + v) / w[1]

datarange = (self.min_feature_value*0.9, self.max feature value*1.1)

Some useful variables

hyp $x \min = datarange[0]$

```
hyp x \max = \text{datarange}[1]
    # Graph the positive support vector hyperplane
    \# w.x + b = 1
    psv1 = hyperplane(hyp x min, self.w, self.b, 1)
    psv2 = hyperplane(hyp_x_max, self.w, self.b, 1)
    \verb|self.ax.plot([hyp\_x\_min, hyp\_x\_max], [psv1, psv2], "k")|\\
    \# Graph the negative support vector hyperplane
    \# w.x + b = -1
    nsv1 = hyperplane(hyp_x_min, self.w, self.b, -1)
    nsv2 = hyperplane(hyp_x_max, self.w, self.b, -1)
    self.ax.plot([hyp x min, hyp x max], [nsv1, nsv2], "k")
    # Graph the decision surface
    \# w.x + b = 0
    ds1 = hyperplane(hyp x min, self.w, self.b, 0)
    ds2 = hyperplane(hyp_x_max, self.w, self.b, 0)
    self.ax.plot([hyp_x_min, hyp_x_max], [ds1, ds2], "k")
    \# show the plot
    plt.show()
# Predict the class given a set of features
def predict (self, features):
    # Find the classification given a set of features by looking at the sign of the
    \# following formula: sign(x.w +b)
    classification = np.sign(np.dot(np.array(features), self.w) + self.b)
    \# For visualisation puposes:
    if classification != 0 and self.visualisation:
        self.ax.scatter(features[0], features[1], s=200, marker='*', c=self.colors
    elif self.visualisation:
        print('featureset', features, 'is_on_the_decision_boundary')
    return classification
# train the SVM
def fit(self, data):
    self.data = data
   \#\ Begin\ building\ an\ optimisation\ dictionary , which contains any optimisation
    \# When all optimisations are done we will pick the [w,\ b] value with the lowe
   # in this dictionary
   # The optimisation is done by stepping down the vector w and calculating the
   \# fit the x.w+b equation. The found values will be saved in this dictionary
    # How the dictionary will look: \{/|w|/: [w, b]\}
    opt dict = \{\}
   \# This enables us to check every version of the vector possible
    transforms = [[1, 1], [-1, 1], [-1, -1], [1, -1]]
    \# Pick a starting point that fits our data
    # First put all features in all data
    all data = []
    for yi in self.data:
```

```
for featureset in self.data[yi]:
        for feature in featureset:
            all data.append(feature)
# Then pick the starting point
self.max_feature_value = max(all_data)
self.min feature value = min(all data)
\# We don't need all data anymore so can throw it out of memory
all_data = None
\# For support vectors yi(xi.w+b)=1, we will now start looking for this by
# Pick step_sizes for stepping down the vector, we start with big steps,
# when find the minimum for this step size, we start taking smaller steps to
# By not starting with the smallest steps we save a lot of calculating power.
# This is one way to approach the optimisation problem. With these steps we u
step_sizes = [self.max_feature_value * 0.1,
              self.max_feature_value * 0.01
              self.max_feature_value * 0.001]
# With these steps we will approach b
\# You could implement a similar step size feature for finding an accurate b th
# But for brevity this was skipped. (Might be a TODO for later)
b range multiple = 5
b multiple = 5
latest optimum = self.max feature value*10
\# Now we are ready to approach w and b by stepping
for step in step sizes:
    # Initial pick for w, we can do this because it is a convex problem
   w = np.array([latest optimum, latest optimum])
    \# Step down the convex bowl until you find the optimal point with this ste
    optimized = False
    while not optimized:
        \# Iterate through possible b values
        \# Try every b from -max feature value * b range multiple to +\dots with
        \# step * b multiple
        for b in np.arange(-1*(self.max_feature_value*b_range_multiple),
                            self.max\_feature\_value*b\_range\_multiple,
                           step*b multiple):
            \# Check the equation x.w+b for every possible transformation
            for transformation in transforms:
                \# Transform w
                w t = w * transformation
                found option = True
                \# Implement the constraint: yi(xi.w + b) >= 1
                # Weakest link of SVM, SMO tries to fix this
                for i in self.data:
                    for xi in self.data[i]:
                        yi = i
                        \#\ Check\ if\ constraint\ fulfilled
                        if not yi*(np.dot(w t, xi) + b) >= 1:
                            found option = False
                            break # TODO als het niet werkt kom eens hier kij
```

[5,6],[6,-5],[5,8]]

Make predictions
for p in predict_us:
 svm.predict(p)

Show us the magic sym.visualise()

```
if not found option:
                                  break # TODO als het niet werkt kom eens hier kijken
                          # If constrained fulfilled then add the option to our optimis
                          if found option:
                              opt dict[np.linalg.norm(w t)] = [w t, b]
                 \# Check if the first element of the vector w is < 0, we can stop sear
                 \# already check the w's < 0 with the transformations
                 if w[0] < 0:
                     optimized = True
                     print('Optimized_a_step.')
                 else:
                     # Step on w to approximate the optimal value better
                     w = w - step
             # We found an optimum, so let's see what our best possible w and b are. F
            # The w and b where the magnitude (aka the norm) of w is minimal
             \# Calculate all the norms
             norms = sorted([n for n in opt_dict])
             # Our optimal choice
             {\tt opt\_choice} \ = \ {\tt opt\_dict} \, [\, {\tt norms} \, [\, 0\, ] \, ]
             self.w = opt\_choice[0]
             self.b = opt\_choice[1]
             # Redefine our latest optimum
             latest optimum = opt choice [0][0] + step *2
# Create an SVM object
svm = SupportVectorMachine()
\# Make our data fit
svm.fit(data=data_dict)
\# Values to predict
predict_us = [[0, 10],
               [1,3],
               [3, 4],
               [3,5],
               [5,5],
```

Appendix G

K-Means

In this appendix you find the use of scikit's K-Means classifier for simple data.

```
import matplotlib.pyplot as plt
from matplotlib import style
import numpy as np
from sklearn.cluster import KMeans
style.use('ggplot')
# Our data set
X = np.array([[1, 2], [1.5, 1.8], [5, 8], [8, 8], [1, 0.6], [9, 11]])
\# Fit the data
{\tt clf} \; = \; {\tt KMeans} (\, {\tt n\_clusters} \! = \! 2)
clf.fit(X)
\# Grab the centroids
centroids = clf.cluster centers
\# Grab the labels
labels = clf.labels_
\# visualise
colors = ["g.", "r.", "c.", "y."]
# Color the data set according to the given labels by the classifier
for i in range (len(X)):
     plt.\,plot\left(X[\,i\,][\,0\,]\,\,,\,\,\,X[\,i\,][\,1\,]\,\,,\,\,\,colors\left[\,labels\left[\,i\,\,\right]\,\right]\,,\,\,\,markersize\,{=}10\right)
\# Also show the centroids
plt.scatter(centroids[:, 0], centroids[:, 1], marker="x", s=150, linewidths=5, zorder=
plt.show()
```

Appendix H

Nonnumerical K-Means

In this appendix you find the use of scikit's K-Means classifier for nonnumerical data.

```
import numpy as np
from sklearn.cluster import KMeans
from sklearn import preprocessing, cross validation
import pandas as pd
# Read the excel file which contains the data
df = pd.read_excel('../data/titanic.xls')
# Drop unimportant columns
df.drop(['body', 'name'], 1, inplace=True)
df.fillna(0, inplace=True)
\# Convert the non-numerical data in the data set to numerical data
def handle non numerical data(df):
    columns = df.columns.values
    # Go through every column
    for column in columns:
        # Initialise a dictionary for our numerical value of a label
        text digit vals = \{\}
        \# Function to convert a textual label to its numerical representation
        def convert_to_int(val):
            return text digit vals [val]
        \# If the values of a column are nonnumerical, convert them
        if df[column].dtype != np.int64 and df[column].dtype != np.float64:
            \# The contents of a column
            column contents = df[column].values.tolist()
            \# The unique elements of a column
            unique elements = set (column contents)
            # Add all unique elements to the dictionary
            for unique in unique elements:
                if unique not in text digit vals:
                    text digit vals[unique] = x
            \# Convert column from their nonnumerical representation to their numerical
            df[column] = list(map(convert to int, df[column]))
    return df
\# Convert the nonnumerical data to numerical data
```

df = handle non numerical data(df)

```
\# Since using flat clustering we need to tell it how many clusters to find.
# We are going to look for groups of survivors and non-survivors
\# If you want to see how much of an impact individual features have on the end result
\# You can uncomment these lines. If the accuracy drops significantly,
\# it has a large impact on the results.
# df.drop(['boat'], 1, inplace=True)
\# df. drop(['sex'], 1, inplace=True)
\# Our \ X \ data \ (without \ the \ survivor \ feature)
X = np.array(df.drop(['survived'], 1).astype(float))
\# Preprocess our X, aka scale it to range between -1 and 1
X = preprocessing.scale(X)
# Our y data, aka the survivor feature
y = np.array(df['survived'])
# Define our classifier
clf = KMeans(n clusters=2)
# Fit the data
clf. fit (X)
\# Let's check our accuracy, for us survivors are 1 and non-survivors are 0, but clusted
\# uses random labels, so our accuracy is whatever is highest, since with clustering m
\# could be labeled 1 and survivors 1.
correct = 0
for i in range (len(X)):
    predict me = np.array(X[i].astype(float))
    predict_me = predict_me.reshape(-1, len(predict_me))
    prediction = clf.predict(predict_me)
    if prediction [0] = y[i]:
        correct += 1
# Calculate the accuracy of the predictions
accuracy = (correct/len(X))
print("Accuracy:", accuracy)
```

Appendix I

Manual K-Means

In this appendix you find the implementation of a K-Means classifier from the ground up.

```
import matplotlib.pyplot as plt
from matplotlib import style
import numpy as np
style.use('ggplot')
# Our data set
X = np.array([[1, 2], [1.5, 1.8], [5, 8], [8, 8], [1, 0.6], [9, 11]])
class KMeans:
    \# @var k
            The number of clusters
    #
    \# @var tol
            The tolerance for optimisation
    \# @var max_iter
            The maximum number of iterations to run for the optimisation.
    def __init__(self, k=2, tol=0.001, max_iter=300):
        self.k = k
        self.tol = tol
        self.max iter = max iter
    # This method fits the given data to the model
    def fit (self, data):
        \# Set the initial centroids, to the first k elements of the given data set
        self.centroids = \{\}
        for i in range (self.k):
            self.centroids[i] = data[i]
        \# For a maximum nr of iterations optimise the data classification
        for i in range(self.max_iter):
            \# Initialising classification dictionary
            self.classifications = \{\}
            for j in range(self.k):
                self.classifications[j] = []
            \# Do the actual classification based on the distance of the data point to
            for featureset in data:
                \# The distance to all centroids of a given feature set
                distances = [np.linalg.norm(featureset-self.centroids[cen]) for cen in
                \# Classify the feature set to the class of the centroid with the small
```

classification = distances.index(min(distances))

```
\# Remember the previous centroids to check if we fulfill the tolerance re-
            prev centroids = dict(self.centroids)
            \# Find the new centroids
            for classification in self.classifications:
                \# The new centroids are the averages of all the feature sets in the c
                 self.centroids [classification] = np.average (self.classifications [classifications])
            \# Check if currently optimised
            optimised = True
            for c in self.centroids:
                # Previous centroid
                 original centroid = prev centroids[c]
                # Current centroid
                 current centroid = self.centroids[c]
                # If it moved more than the tolerance, show how much it moved and set
                 if np.sum((current centroid-original centroid)/original centroid*100)
                     optimised = False
            \# If we fulfill the requirements, we are optimised and can stop optimising
            if optimised:
                break
    # Predicts the class of the given feature set
    def predict (self, data):
        distances = [np.linalg.norm(data - self.centroids[centroid]) for centroid in
        classification = distances.index(min(distances))
        return classification
# Define our classifier
clf = KMeans()
# Fit our data
clf.fit(X)
\# visualise
colors = 10*["g", "r", "c", "b", "k"]
# Add the centroids to the plot
for centroid in clf.centroids:
    plt.scatter(clf.centroids[centroid][0], clf.centroids[centroid][1], marker="o", centroids[centroid][1]
\# Add all data to the plot, with their classification
for classification in clf. classifications:
    color = colors [classification]
    for featureset in clf. classifications [classification]:
        plt.scatter(featureset[0], featureset[1], marker="x", color=color, s=150, line
# Let's see how well we perform for unknown data
unknowns = np.array([[1, 3], [8, 9], [0, 3], [5, 4], [6, 4]])
\# ask a prediction for the unknowns and plot them
for unknown in unknowns:
    classification = clf.predict(unknown)
    plt.scatter(unknown[0], unknown[1], color=colors[classification], marker="*", s=1
\# plot
plt.show()
```

self.classifications[classification].append(featureset)

Appendix J

Mean Shift

plt.show()

```
In this appendix you find the use of scikit's Mean Shift classifier for simple data.
from sklearn.cluster import MeanShift
from sklearn.datasets.samples generator import make blobs
import matplotlib.pyplot as plt
from mpl_toolkits.mplot3d import Axes3D
from matplotlib import style
style.use('ggplot')
# The centers for the generated blob data
centers = [[1, 1, 1], [5, 5, 5], [3, 10, 10]]
\#\ Our\ feature\ sets , generate\ data\ using\ a\ generator
X, _{-} = make\_blobs(n\_samples=500, centers=centers, cluster\_std=1.5)
\# Mean Shift classifier
ms = MeanShift()
# Fit the feature sets
ms. fit (X)
# Get the assigned labels
labels = ms.labels_{-}
\# Get the cluster centers
cluster centers = ms.cluster centers
sorted(cluster centers, key=lambda x: x[0])
\# Show the predicted centers vs the original ones
print(len(centers), "original_centers_for_data_generation:", centers)
print(len(cluster_centers), "predicted_centers_by_Mean_Shift:", cluster_centers)
# Initialise the 3D plot
colors = 10*['r', 'g', 'b', 'c', 'k', 'y', 'm']
fig = plt.figure()
ax = fig.add subplot(111, projection='3d')
# Add the feature sets to the plot
for i in range (len(X)):
    ax.scatter(X[i][0], X[i][1], X[i][2], c=colors[labels[i]], marker='o')
# Add the cluster centers to the plot
ax.scatter(cluster_centers[:, 0], cluster_centers[:, 1], cluster_centers[:, 2], market
           linewidths=5, zorder=10)
# Show the plot
```

Appendix K

Nonnumerical Mean Shift

In this appendix you find the use of scikit's Mean Shift classifier for nonnumerical data.

```
import numpy as np
import pandas as pd
from sklearn.cluster import MeanShift
from sklearn import preprocessing
\# When running you can ignore the warning, the program takes a while to make it's call
# Read the excel file which contains the data
df = pd.read_excel('../data/titanic.xls')
original_df = pd.DataFrame.copy(df)
# Drop unimportant columns
df.drop(['body', 'name'], 1, inplace=True)
df. fillna (0, inplace=True)
\# Convert the non-numerical data in the data set to numerical data
def handle non numerical data(df):
    columns = df.columns.values
    \# Go through every column
    for column in columns:
        \# Initialise a dictionary for our numerical value of a label
        text digit vals = \{\}
        \# Function to convert a textual label to its numerical representation
        \mathbf{def} convert_to_int(val):
            return text digit vals [val]
        # If the values of a column are nonnumerical, convert them
        if df[column].dtype != np.int64 and df[column].dtype != np.float64:
            \# The contents of a column
            column_contents = df[column].values.tolist()
            # The unique elements of a column
            unique elements = set (column contents)
            # Add all unique elements to the dictionary
            for unique in unique elements:
                if unique not in text digit vals:
                    text\_digit\_vals[unique] = x
            \# Convert column from their nonnumerical representation to their numerica
            df[column] = list(map(convert_to_int, df[column]))
    return df
```

```
\# Convert the nonnumerical data to numerical data
df = handle non numerical data(df)
\# Our \ X \ data \ (without \ the \ survivor \ feature)
\stackrel{''}{X} = \operatorname{np.array}(\operatorname{df.drop}(['survived'], 1).\operatorname{astype}(\operatorname{\mathbf{float}}))
\# Pre-process our feature sets, aka scale it to range between -1 and 1
X = preprocessing.scale(X)
# Our y data, aka the survivor feature
y = np. array(df['survived'])
\# Define our classifier
clf = MeanShift()
# Fit the data
clf. fit (X)
# Get the labels from our classifier
labels = clf.labels
\# Get the cluster centers from our classifier
cluster_centers = clf.cluster_centers_
\# Add a cluster group column to our original data set (This is to view what kind of c
original\_df['cluster\_group'] = np.nan
\# populate the new column
for i in range (len(X)):
    original df['cluster group'].iloc[i] = labels[i]
# Check the survival rate of each of the found groups
\# First get the number of clusters
n\_clusters\_ = len(np.unique(labels))
\# initialise a dictionary for the survival_rates of the clusters
survival rates = \{\}
\# Add the survival rates of the clusters to the dictionary
for i in range (n clusters ):
    \# Get all the rows in our original df where the cluster group equals the current
    temp df = original df[(original df['cluster group'] == float(i))]
    \# Get all the survivals in the cluster
    survival_cluster = temp_df[(temp_df['survived'] == 1)]
    # Calcualte survival rate
    survival rate = len(survival cluster)/len(temp df)
    survival rates [i] = survival rate
# Show us the survival rates, the number of groups and survival rates can differ every
\# \ randomness \ is \ involved
print(survival rates)
```

Appendix L

Manual Mean Shift

In this appendix you find the implementation of a Mean Shift classifier from the ground up.

```
import matplotlib.pyplot as plt
 from matplotlib import style
 import numpy as np
 style.use('ggplot')
\# Our data set
X = \text{np.array} \left( \left[ \left[ 1 \;,\;\; 2 \right],\;\; \left[ 1.5 \;,\;\; 1.8 \right],\;\; \left[ 5 \;,\;\; 8 \right],\;\; \left[ 8 \;,\;\; 8 \right],\;\; \left[ 1 \;,\;\; 0.6 \right],\;\; \left[ 9 \;,\;\; 11 \right],\;\; \left[ 8 \;,\;\; 2 \right],\;\; \left[ 10 \;,
\# Used colors
 colors = 10*["g", "r", "c", "b", "k"]
\# The Mean Shift class
 class MeanShift:
                # @var radius
                                                    The radius for our Mean Shift algorithm, our algorithm will find this by
                 \# @var radius norm step
                                                   The step with which the radius increases.
                 def __init__(self, radius=None, radius_norm_step=100):
                                   self.radius = radius
                                   self.radius norm step = radius norm step
                 \# Fits the given data to the classifier
                 def fit(self, data):
                                  # If the radius is not defined, we will find it ourselves
                                   if not self.radius:
                                                   all_data_centroid = np.average(data, axis=0)
                                                   all_data_norm = np.linalg.norm(all_data_centroid)
                                                    self.radius = all data norm / self.radius norm step
                                  # Initialise a dictionary for our centroids
                                  centroids = \{\}
                                  # the initial centroids are all our data points
                                  for i in range(len(data)):
                                                   centroids\,[\,i\,]\,=\,data\,[\,i\,]
                                  \#\ our\ weights\ for\ changing\ the\ radius
                                  weights = [i for i in range(self.radius_norm_step)][::-1]
                                  \# \ Optimise \ the \ centroids
```

```
while True:
    new centroids = []
    # For every centroid, find every all feature sets within it's radius and
    # centroid based on the mean of these feature sets.
    for i in centroids:
        in radius = []
        centroid = centroids[i]
        \# Go over every feature set to see if it's in the current centroid's
        \# Let every feature set vote for this change in radius, by using their
        for featureset in data:
            distance = np.linalg.norm(featureset-centroid)
            if distance = 0:
                distance = 0.0000000001
            weight index = int(distance/self.radius)
            if weight index > self.radius norm step -1:
                weight index = self.radius norm step-1
            to_add = (weights [weight_index] ** 2) * [featureset]
            in_radius += to_add
        \# Calculate the new centroid based on all feature sets in the radius
        new_centroid = np.average(in_radius, axis=0)
        \# and add it as a tuple to the new centroids
        new centroids.append(tuple(new centroid))
    # Continue only with the unique new centroids
    uniques = sorted(list(set(new centroids)))
    \# Because our radius is changing, it is possible that centroids are very
    \# We want to merge these:
    to_pop = []
    for i in uniques:
        for ii in [i for i in uniques]:
            if i = ii:
                pass
            # Check if the given centroid is within the radius of another cen
            elif np.linalg.norm(np.array(i)-np.array(ii)) <= self.radius:
                to pop.append(ii)
                break
    \# Remove the centroids that are too close to other centroids
    for i in to pop:
        try:
            uniques.remove(i)
        except:
            pass
    \# Remember the previous centroids
    prev centroids = dict(centroids)
    # Set the unique new centroids as the current centroids
    centroids = \{\}
    for i in range(len(uniques)):
        centroids [i] = np.array (uniques [i])
    \# Check if optimised, only optimised when the current centroids are equal
    optimised = True
    for i in centroids:
        if not np.array_equal(centroids[i], prev_centroids[i]):
            optimised = False
```

```
if not optimised:
                                              break
                           # If optimised, break
                           if optimised:
                                    break
                  \# Set the centroids of this class to the calculated centroids
                   self.centroids = centroids
                  \# Classify our data as well on the found centroids
                   self.classifications = \{\}
                  \# Add a place in the dictionary for every centroid
                  for i in range(len(self.centroids)):
                            self.classifications[i] = []
                  \# Classify every feature set in the data
                  for featureset in data:
                           \# Compare distance to all centroids
                           distances = [np.linalg.norm(featureset-self.centroids[centroid]) for cent
                           \# The classification is the centroid that is closest
                            classification = (distances.index(min(distances)))
                           \# add the classification
                            self.classifications[classification].append(featureset)
         \# Predicts the class of a given feature set
         def predict (self, data):
                  \# Compare distance to all centroids
                  distances = [np.linalg.norm(featureset - self.centroids[centroid]) for centroid
                  \# The classification is the centroid that is closest
                  classification = (distances.index(min(distances)))
                  return classification
# Create the classifier
clf = MeanShift()
# Fit the data
clf. fit (X)
\# Get our calculated centroids
centroids = clf.centroids
\# Visualise
\# add the centroids to the plot
for c in centroids:
         plt.scatter(centroids[c][0], centroids[c][1], color='k', marker='*', s=150)
\# Add all classifications to the plot
for classification in clf. classifications:
         color = colors [classification]
         for featureset in clf. classifications [classification]:
                   plt.scatter\left(featureset\left[0\right],\ featureset\left[1\right],\ marker="x",\ color=color,\ s=150,\ lineset[1],\ marker="x",\ color=color,\ s=150,\ lineset[1],\ l
\# add the original feature sets to the plot
plt.scatter (X[:, 0], X[:, 1])
\# show the plot
plt.show()
```

Appendix M

Create Sentiment Featureset

In this appendix you find the implementation for creating a sentiment featureset.

```
import os
from nltk.tokenize import word tokenize
import numpy as np
import random
\# Pickle helps to save progress, so you don't need to start from the beginning every
import pickle
from collections import Counter
from nltk.stem import WordNetLemmatizer
# Tp download the natural language toolkit, do:
\# import nltk
\# nltk.download()
# Define the lemmatizer
lemmatizer = WordNetLemmatizer()
\# Set the number of lines used (make smaller if you want a smaller data size)
hm lines = 100000
# Function that creates a lexicon given a file with positive examples and a file with
def create lexicon (pos, neg):
    # Initialise the lexicon
    lexicon = []
    with open(pos, 'r') as f:
        # Read all lines in the pos file
        contents = f.readlines()
        \# For every line tokenize the words of the line and add them to the lexicon
        for 1 in contents:
            all_words = word_tokenize(1)
            lexicon += list(all_words)
    # Same principle as for the pos file above
    with open(neg, 'r') as f:
        contents = f.readlines()
        for 1 in contents:
            all words = word tokenize(1)
            lexicon += list(all words)
    # Lemmatize all words in our lexicon
    lexicon = [lemmatizer.lemmatize(i) for i in lexicon]
    \# Count the number of occurrences of every word in our lexicon
```

w counts = Counter(lexicon)

```
# Initialise a new lexicon where we remove very rare and very common words like "
    12 = []
    for w in w_counts:
        \# If a given word shows up more than 50 times but less than a 1000 add them to
        # These values should be tweaked to fit your data set (e.g. based on %) but to
        if 1000 > w_counts[w] > 50:
            12.append(w)
    \# Show the length of this new lexicon
    print("Initial_lexicon_length", len(lexicon), "Filtered_lexicon_length:", len(l2)
    return 12
# Function that maps the occurrence of a word in a sample to the zeros array represen
# in a lexicon by turning them "on" (changing them to 1)
def sample handling (sample, lexicon, classification):
    # Initialise our feature set
    featureset = []
    with open(sample, 'r') as f:
        \# Read all lines in the sample file
        contents = f.readlines()
        \# Only handle the first hm_line nr of lines
        for l in contents [:hm lines]:
            # Tokenize the words in the line
            current words = word tokenize(1.lower())
            # Lemmatize the words from the line
            current_words = [lemmatizer.lemmatize(i) for i in current_words]
            # Initialize the features with a zer array
            features = np.zeros(len(lexicon))
            \# For every word in our lines' words turn the appropriate element in the .
            for word in current words:
                if word.lower() in lexicon:
                    index_value = lexicon.index(word.lower())
                     features [index value] += 1
            \# Add the features of this line to our feature set with the given classifi
            features = list(features)
            featureset.append([features, classification])
    return featureset
\# Function to create training and test sets
\mathbf{def} create_feature_sets_and_labels(pos, neg, test_size=0.1):
    \# Use the create_lexicon function to generate a lexicon for the pos and neg files
    lexicon = create lexicon (pos, neg)
    # Create features based on all pos and neg features
    features = []
    features += sample\_handling(pos, lexicon, [1, 0])
    features += sample_handling(neg, lexicon, [0, 1])
    random.shuffle(features)
    features = np.array(features)
    \# Calculate the number of testing examples
    testing_size = int(test_size*len(features))
    \# Generate training and testing data sets (x and y)
    train x = list(features[:, 0][:-testing size])
```

```
train_y = list(features[:, 1][:-testing_size])
test_x = list(features[:, 0][-testing_size:])
test_y = list(features[:, 1][-testing_size:])

return train_x, train_y, test_x, test_y

# Runner
if __name__ == '__main__':
    # Our root directory of this file (In the Neural Network folder)
ROOT_DIR = os.path.dirname(os.path.abspath(__file__))
train_x, train_y, test_x, test_y = create_feature_sets_and_labels(ROOT_DIR + '/.../
    # Write results away with pickle
with open(ROOT_DIR + '/.../pickle_dump/sentiment_set.pickle', 'wb') as f:
    pickle.dump(([train_x, train_y, test_x, test_y]), f)
```

Appendix N

 $weights = {$

Convolutional Neural Network

In this appendix you find the implementation of a convolutional neural network using TensorFlow.

```
import tensorflow as tf
from tensorflow.examples.tutorials.mnist import input data
\# In this file we use the MNIST data set and TensorFlow to predict the number of a given
\# written number from 0 to 9.
\# Our data set
mnist = input data.read data sets("/tmp/data/", one hot=True)
\# The number of classes, 0 to 9 so 10 classes
n classes = 10
# Batch size to train the network
batch size = 128
# The rate at which we drop neurons
keep rate = 0.8
keep prob = tf.placeholder(tf.float32)
# Defining some placeholders in our graph, 784 because we are working on 28 by 28 pix
# the shape of the variable for TensorFlow)
x = tf.placeholder(tf.float32, [None, 784])
y = tf.placeholder(tf.float32, [None, n classes])
\# Convolution
\mathbf{def} \operatorname{conv2d}(x, W):
    \# The stride parameter dictates the movement of the window, in this case one pixe
    return tf.nn.conv2d(x, W, strides = [1, 1, 1, 1], padding='SAME')
\# Pooling
\mathbf{def} \ \mathrm{maxpool2d}(\mathbf{x}):
    # The stride parameter dictates the movement of the window, in this case two pixe
    \# ksize is the size of the pooling window, in this case a 2x2 window for pooling
    return tf.nn.max pool(x, ksize=[1, 2, 2, 1], strides=[1, 2, 2, 1], padding='SAME'
def cnn model(data):
    \# Define the weights
```

'W conv1': tf. Variable (tf.random normal ([5, 5, 1, 32])),

5x5 convolution, 1 input image, 32 outputs

```
\# 5x5 convolution, 32 input images, 64 outputs
        'W conv2': tf. Variable (tf. random normal ([5, 5, 32, 64])),
        \# Fully connected 7*7*64 inputs, 1024 outputs
        'W fc': tf. Variable (tf. random normal ([7*7*64, 1024])),
        # Output layer 1024 inputs, 10 outputs (class prediction)
        'out': tf. Variable(tf.random normal([1024, n classes]))
    }
    \# Define biases
    biases = {
        'b_conv1': tf.Variable(tf.random_normal([32])),
        'b conv2': tf. Variable (tf.random normal([64])),
        'b fc': tf. Variable (tf. random normal ([1024])),
        'out': tf. Variable (tf.random normal ([n classes]))
    }
    # Reshape input to 4D tensor
    data = tf.reshape(data, shape=[-1, 28, 28, 1])
    \# Convolution Layer, using our function conv2d
    conv1 = tf.nn.relu(conv2d(data, weights['W_conv1']) + biases['b_conv1'])
    \# Max pooling
    conv1 = maxpool2d(conv1)
    \# Convolution layer
    conv2 = tf.nn.relu(conv2d(conv1, weights['W conv2']) + biases['b conv2'])
    conv2 = maxpool2d(conv2)
    # Fully connected layer
    fc = tf.reshape(conv2, [-1, 7*7*64])
    fc = tf.nn.relu(tf.matmul(fc, weights['W fc']) + biases['b fc'])
    # Dropping some neurons
    fc = tf.nn.dropout(fc, keep_rate)
    # Output layer
    output = tf.matmul(fc, weights['out']) + biases['out']
    return output
def train neural network(x):
    \# Produces the initial predictions
    prediction = cnn model(x)
    \# Measure how wrong our predictions are
    cost = tf.reduce_mean(tf.nn.softmax_cross_entropy_with_logits(prediction, y))
    \# We use AdamOptimizer as our cost optimisation function
    optimizer = tf.train.AdamOptimizer().minimize(cost)
    # Define the number of epochs
    hm epochs = 10
    \# Start a session
    with tf. Session() as sess:
        # Initialise all variables
        sess.run(tf.global variables initializer())
        # Train for the number of epochs
        for epoch in range(hm_epochs):
            # We will keep track of our error
            epoch loss = 0
            # Train for every batch
            for in range(int(mnist.train.num examples/batch size)):
                # get the x and y data for this epoch (from the MNIST data set)
```

```
epoch_x, epoch_y = mnist.train.next_batch(batch_size)
    # Run the optimiser and cost function on our data
    _, c = sess.run([optimizer, cost], feed_dict={x: epoch_x, y: epoch_y})
    epoch_loss += c
    # Print our progress
    print('Epoch', epoch, 'completed_out_of', hm_epochs, 'loss', epoch_loss)

# Count the number of correct predictions
    correct = tf.equal(tf.argmax(prediction, 1), tf.argmax(y, 1))
# Check our prediction accuracy on the test data set
    accuracy = tf.reduce_mean(tf.cast(correct, 'float'))
    print('Accuracy:', accuracy.eval({x: mnist.test.images, y: mnist.test.labels})

# Run the training method
train_neural_network(x)
```

Appendix O

Neural Network Example

In this appendix you find the implementation of a simple example of a Neural Network using TensorFlow.

```
# TensorFlow is a package that allows us to work with tensors very efficiently
import tensorflow as tf
\# Creates nodes in a graph = the construction phase
# Creates a constant value node equal to 5
x1 = tf.constant(5)
# Creates a constant value node equal to 6
x2 = tf.constant(6)
\# Create a multiplication operation node in our graph
result = tf.mul(x1, x2)
\# As shown it is still just an abstract graph, the multiplication has not been execute
print("Our_abstract_graph", result)
# First we build the graph, next we launch it
sess = tf.Session()
\# Run the result operation from above
print("The_result", sess.run(result))
\# Close the session when finished
sess.close()
```

Appendix P

Long Short Term Menomory

In this appendix you find the implementation of a LTSM using TensorFlow.

```
import tensorflow as tf
from tensorflow.examples.tutorials.mnist import input data
from tensorflow.python.ops import rnn, rnn cell
# This file uses a LSTM to predict the number of a given image. It does this by taking
\# in as sequential input as chunks.
\# Our data set
mnist = input_data.read_data_sets("/tmp/data/", one_hot=True)
# Some basic variables
hm epochs = 3
n classes = 10
batch size = 128
chunk\_size = 28
n_{chunks} = 28
rnn size = 128
# Defining some placeholders in our graph
x = tf.placeholder('float', [None, n_chunks, chunk_size])
y = tf.placeholder('float')
def rnn model(data):
    # Initialise the weights and biases of the rnn layer randomly
    layer = {'weights': tf.Variable(tf.random_normal([rnn_size, n_classes])),
             'biases': tf. Variable(tf.random normal([n classes]))}
    \# Fit the data to the TensorFlow requirements
    data = tf.transpose(data, [1, 0, 2])
    data = tf.reshape(data, [-1, chunk_size])
    data = tf.split(0, n chunks, data)
    # Create the LSTM cell
    lstm cell = rnn cell.BasicLSTMCell(rnn size, state is tuple=True)
    \# Create the rnn
    outputs, states = rnn.rnn(lstm cell, data, dtype=tf.float32)
    \# Calculate the output
    output = tf.matmul(outputs[-1], layer['weights']) + layer['biases']
    return output
```

```
def train neural network(x):
    # Produces the initial predictions
    prediction = rnn model(x)
    \# Measure how wrong our predictions are
    cost = tf.reduce_mean(tf.nn.softmax_cross_entropy_with_logits(prediction, y))
    \# We use AdamOptimizer as our cost optimisation function
    optimizer = tf.train.AdamOptimizer().minimize(cost)
    \# Start a session
    with tf. Session() as sess:
        \# Initialise all variables
         sess.run(tf.global variables initializer())
         # Train for the number of epochs
         for epoch in range (hm epochs):
             # We will keep track of our error
             epoch loss = 0
             # Train for every batch
             \mathbf{for} \ \_ \ \mathbf{in} \ \mathbf{range} ( \mathbf{int} \, (\, \mathtt{mnist} \, . \, \mathtt{train} \, . \, \mathtt{num} \_ \mathtt{examples} / \, \mathtt{batch} \_ \, \mathtt{size} \, ) \, ) \, :
                  \# get the x and y data for this epoch (from the MNIST data set)
                  epoch_x, epoch_y = mnist.train.next_batch(batch_size)
                  epoch x = epoch x.reshape((batch size, n chunks, chunk size))
                  \# Run the optimiser and cost function on our data
                  _{, c = sess.run([optimizer, cost], feed\_dict=\{x: epoch\_x, y: epoch\_y\}]}
                  epoch loss += c
             \# \ Print \ our \ progress
             print('Epoch', epoch, 'completed_out_of', hm_epochs, 'loss', epoch_loss)
         # Count the number of correct predictions
         correct = tf.equal(tf.argmax(prediction, 1), tf.argmax(y, 1))
         \# Check our prediction accuracy on the test data set
         accuracy = tf.reduce_mean(tf.cast(correct, 'float'))
         print('Accuracy:', accuracy.eval({x: mnist.test.images.reshape((-1, n_chunks,
                                               y: mnist.test.labels }))
\# Run the training method
train neural network(x)
```

Appendix Q

Number Recognition using Neural Nets

In this appendix you find the implementation of a neural network using TensorFlow to implement a number recognition program.

```
import tensorflow as tf
from tensorflow.examples.tutorials.mnist import input data
# In this file we use the MNIST data set and TensorFlow to predict the number of a give
\# written number from 0 to 9.
\# Our \ data \ set
mnist = input data.read data sets("/tmp/data/", one hot=True)
# Start building our model by defining the number of nodes in every hidden layer
n \text{ nodes } hl1 = 500
n \text{ nodes } hl2 = 500
n_nodes hl3 = 500
\# The number of classes, 0 to 9 so 10 classes
n classes = 10
# Batch size to train the network
batch size = 100
# Defining some placeholders in our graph, 784 because we are working on 28 by 28 pix
\# the shape of the variable for TensorFlow)
x = tf.placeholder('float', [None, 784])
y = tf.placeholder('float')
def neural_network_model(data):
     \# Defines the weights and biases for the network randomly
     # biases here are a value that is added to our sums (so that our network still wo
     \# a 0), these biases will need to be op
     hidden\_1\_layer \,=\, \{\, \hbox{`weights': } tf. Variable\,(\, tf. random\_normal\,([784\,,\ n\_nodes\_hl1])\,)\,\,,
                             'biases': tf.Variable(tf.random_normal([n_nodes_hl1]))}
     hidden_2_layer = { 'weights': tf. Variable(tf.random_normal([n_nodes_hl1, n_nodes_hl2])) }
'biases': tf. Variable(tf.random_normal([n_nodes_hl2])) }
     hidden_3_layer = {'weights': tf.Variable(tf.random_normal([n_nodes_hl2, n_nodes_hl2, n_nodes_hl2))}
output_layer = {'weights': tf.Variable(tf.random_normal([n_nodes_hl3]))}
'biases': tf.Variable(tf.random_normal([n_nodes_hl3, n_classes]))
'biases': tf.Variable(tf.random_normal([n_classes]))}
```

Here we start the feed forward flow # layer 1 = input data * weights + biases

```
11 = tf.add(tf.matmul(data, hidden 1 layer['weights']), hidden 1 layer['biases'])
    l1 = tf.nn.relu(l1)
    \# layer 2 = layer 1 * weights + biases
    12 = tf.add(tf.matmul(11, hidden 2 layer['weights']), hidden 2 layer['biases'])
    12 = tf.nn.relu(12)
    \# layer 3 = layer 2 * weights + biases
    13 = tf.add(tf.matmul(12, hidden 3 layer['weights']), hidden 3 layer['biases'])
    13 = tf.nn.relu(13)
    \# \ output = layer \ 3 * weights + biases
    output = tf.matmul(13, output_layer['weights']) + output_layer['biases']
    return output
def train neural network(x):
    # Produces the initial predictions
    prediction = neural network model(x)
    # Measure how wrong our predictions are
    cost = tf.reduce_mean(tf.nn.softmax_cross_entropy_with_logits(prediction, y))
    \# We use AdamOptimizer as our cost optimisation function
    optimizer = tf.train.AdamOptimizer().minimize(cost)
    \# Define the number of epochs
    hm epochs = 10
    \# Start a session
    with tf. Session() as sess:
        \# Initialise all variables
        sess.run(tf.global variables initializer())
        \# Train for the number of epochs
        for epoch in range(hm_epochs):
            # We will keep track of our error
            epoch loss = 0
            \# Train for every batch
            for in range(int(mnist.train.num examples/batch size)):
                \# get the x and y data for this epoch (from the MNIST data set)
                epoch_x, epoch_y = mnist.train.next_batch(batch_size)
                \# Run the optimiser and cost function on our data
                _{, c = sess.run([optimizer, cost], feed\_dict=\{x: epoch\_x, y: epoch\_y\}]}
                epoch loss += c
            \# Print our progress
            print('Epoch', epoch, 'completed_out_of', hm epochs, 'loss', epoch loss)
        \# Count the number of correct predictions
        correct = tf.equal(tf.argmax(prediction, 1), tf.argmax(y, 1))
        \# Check our prediction accuracy on the test data set
        accuracy = tf.reduce mean(tf.cast(correct, 'float'))
        print('Accuracy:', accuracy.eval({x: mnist.test.images, y: mnist.test.labels}
# Run the training method
train neural network(x)
```

Appendix R

Sentiment Analyses with Neural Nets

In this appendix you find the implementation of a sentiment analyses using Neural Networks from TensorFlow.

```
import os
 import tensorflow as tf
 import numpy as np
 \mathbf{from}\ \ \mathrm{NeuralNetwork}.\ \mathrm{create\_sentiment\_featuresets}\ \ \mathbf{import}\ \ \mathrm{create\_feature\_sets\_and\_labels}
\# In this file we will use TensorFlow to correctly identify the sentiment of a given
\#\ Our\ root\ directory\ of\ this\ file\ (In\ the\ Neural\ Network\ folder)
ROOT\ DIR = os.path.dirname(os.path.abspath(\__file\_\_))
 train_x, train_y, test_x, test_y = create_feature_sets_and_labels(ROOT_DIR + '/../data
                                                                                                                                                                                                                                                                                              ROOT DIR + '/../data
# Start building our model by defining the number of nodes in every hidden layer
 n\_nodes\_hl1 = 1500
 n\_nodes\_hl2 = 1500
 n \text{ nodes } hl3 = 1500
\# The number of classes, 0 to 9 so 10 classes
 n classes = 2
 # Batch size to train the network
 batch size = 100
# Defining some placeholders in our graph, 784 because we are working on 28 by 28 pix
# the shape of the variable for TensorFlow)
x = tf.placeholder('float')
y = tf.placeholder('float')
 def neural network model(data):
                 # Defines the weights and biases for the network randomly
                 # biases here are a value that is added to our sums (so that our network still wo
                  \# a 0), these biases will need to be op
                  \label{eq:hidden_layer} \mbox{hidden} \mbox{$\underline{\ 1_{layer} = \{'weights': tf.Variable(tf.random\_normal([len(train\_x[0]), n\_node, n]), n\_node, n])$} \mbox{$\underline{\ 1_{layer} = \{'weights': tf.Variable(tf.random\_normal([len(train\_x[0]), n\_node, n]), n\_node, n]\}$} \mbox{$\underline{\ 1_{layer} = \{'weights': tf.Variable(tf.random\_normal([len(train\_x[0]), n\_node, n]), n\_node, n]\}$} \mbox{$\underline{\ 1_{layer} = \{'weights': tf.Variable(tf.random\_normal([len(train\_x[0]), n\_node, n]), n\_node, n]\}$} \mbox{$\underline{\ 1_{layer} = \{'weights': tf.Variable(tf.random\_normal([len(train\_x[0]), n\_node, n]), n\_node, n]\}$} \mbox{$\underline{\ 1_{layer} = \{'weights': tf.Variable(tf.random\_normal([len(train\_x[0]), n\_node, n]), n\_node, n]\}$} \mbox{$\underline{\ 1_{layer} = \{'weights': tf.Variable(tf.random\_normal([len(train\_x[0]), n\_node, n]), n\_node, n]\}$} \mbox{$\underline{\ 1_{layer} = \{'weights': tf.Variable(tf.random\_normal([len(tf.random], n]), n\_node, n]\}$} \mbox{$\underline{\ 1_{layer} = \{'weights': tf.Variable(tf.random\_normal([len(tf.random], n]), n\_node, n]\}$} \mbox{$\underline{\ 1_{layer} = \{'weights': tf.Variable(tf.random], n], n]$} \mbox{$\underline{\ 1_{layer} = 
                                                                                                 'biases': tf. Variable(tf.random normal([n nodes hl1]))}
                 hidden_2_layer = {'weights': tf.Variable(tf.random_normal([n_nodes_hl1, n_nodes_hl2]))}

hidden_3_layer = {'weights': tf.Variable(tf.random_normal([n_nodes_hl2]))}

hidden_3_layer = {'weights': tf.Variable(tf.random_normal([n_nodes_hl2, n_nodes_hl2, n_
```

```
# Here we start the feed forward flow
   \# layer 1 = input data * weights + biases
   11 = tf.add(tf.matmul(data, hidden 1 layer['weights']), hidden 1 layer['biases'])
    l1 = tf.nn.relu(l1)
   \# layer 2 = layer 1 * weights + biases
    12 = tf.add(tf.matmul(11, hidden 2 layer['weights']), hidden 2 layer['biases'])
    12 = tf.nn.relu(12)
    \# layer 3 = layer 2 * weights + biases
    13 = tf.add(tf.matmul(12, hidden_3_layer['weights']), hidden_3_layer['biases'])
    13 = tf.nn.relu(13)
    \# \ output = layer \ 3 * weights + biases
    output = tf.matmul(13, output layer['weights']) + output layer['biases']
    return output
def train_neural_network(x):
    # Produces the initial predictions
    prediction = neural network model(x)
    \# Measure how wrong our predictions are
    cost = tf.reduce_mean(tf.nn.softmax_cross_entropy_with_logits(prediction, y))
    \# We use AdamOptimizer as our cost optimisation function
    optimizer = tf.train.AdamOptimizer().minimize(cost)
    # Define the number of epochs
   hm epochs = 10
    \# Start a session
    with tf. Session() as sess:
       \# Initialise all variables
        sess.run(tf.global_variables_initializer())
        # Train for the number of epochs
        for epoch in range(hm_epochs):
            # We will keep track of our error
            epoch loss = 0
            # Train for every batch, we manually select the batch
            i = 0
            while i < len(train x):
                # Start point of this batch
                start = i
                # End point of this batch
                end = start + batch size
                \# Select the batch for the x set and y set
                batch x = np.array(train x[start:end])
                batch y = np.array(train y[start:end])
                # Run the optimiser and cost function on our data
                _{, c = sess.run([optimizer, cost], feed\_dict=\{x: batch x, y: batch y\})}
                epoch loss += c
                i += batch size
            \# Print our progress
            print('Epoch', epoch, 'completed_out_of', hm_epochs, 'loss', epoch_loss)
        # Count the number of correct predictions
        correct = tf.equal(tf.argmax(prediction, 1), tf.argmax(y, 1))
        # Check our prediction accuracy on the test data set
        accuracy = tf.reduce mean(tf.cast(correct, 'float'))
        print('Accuracy:', accuracy.eval({x: test x, y: test y}))
```

 $\# \ Run \ the \ training \ method \\ train_neural_network(x)$

Appendix S

Use model to predict # model.predict(x)

Convolution with TFLearn

In this appendix you find the implementation of a convolutional neural net using TFLearn.

```
import tflearn
from tflearn.layers.conv import conv_2d, max_pool_2d
from tflearn.layers.core import input data, dropout, fully connected
from tflearn.layers.estimator import regression
import tflearn.datasets.mnist as mnist
\# This file shows an abstraction of the convolution implementation used in tensorflow-
\# Load the mnist data
X, Y, test x, test y = mnist.load data(one hot=True)
\# Reshaping
X = X.reshape([-1, 28, 28, 1])
test_x = test_x.reshape([-1, 28, 28, 1])
# Building the CNN
\# Input layer
convnet = input data(shape=[None, 28, 28, 1], name='input')
# 2 layers of convolution and pooling
convnet = conv 2d(convnet, 32, 2, activation='relu')
convnet = max pool 2d(convnet, 2)
convnet = conv_2d(convnet, 64, 2, activation='relu')
convnet = max pool 2d(convnet, 2)
\# Fully connected layer, with dropout
convnet = fully connected (convnet, 1024, activation='relu')
convnet = dropout (convnet, 0.8)
# Output layer
convnet = fully_connected(convnet, 10, activation='softmax')
convnet = regression(convnet, optimizer='adam', learning_rate=0.01, loss='categorical_
# Create the model
model = tflearn.DNN(convnet)
\# Train the model
model.\,fit\,(\{\,\verb"input": X\}\,,\ \{\,\verb"targets": Y\}\,,\ n\_epoch=10,\ validation\_set=(\{\,\verb"input": test\_x\,\}\,)
          snapshot step=500, show metric=True, run id='mnist')
```

```
\# Save model \\ \# model. save (filename)
```

 $\# \ Load \ model, , \ you'll \ still \ need \ to \ set \ the \ structure \ of \ the \ model \ though , \ since \ load \ \# \ model. \\ load (filename)$