

Mesh to Voxel Transformations for Optimised Physics-Based Interactions

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Motivation

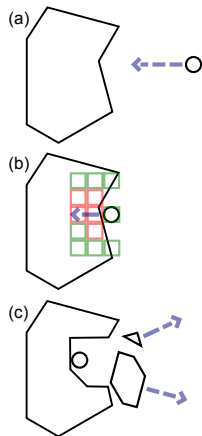


Figure: A simple collision and its volumetric resolution.

- ▶ Meshes only store surface information
- ▶ Reasoning on interior difficult
- ▶ Most destruction algorithms limited
 - ▶ Only work on convex shapes
 - ▶ Or have to split concave shapes first
- ▶ By precomputing volume data we have an $O(1)$ check for inside/outside a shape

Voxelisation

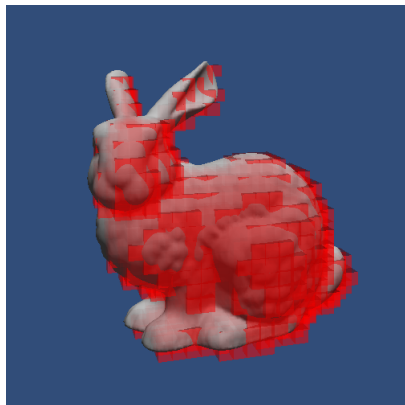


Figure: Voxelisation of the 'Stanford Bunny' model, composed of 69,666 triangles.

- ▶ HLSL GPU implementation
- ▶ Triangle phase
 - ▶ Project triangle onto XZ plane
 - ▶ Find intersected voxel columns
 - ▶ Mark first voxel below triangle
- ▶ Propagation phase
 - ▶ Moves up Y plane
 - ▶ XORs with voxels below

Destruction

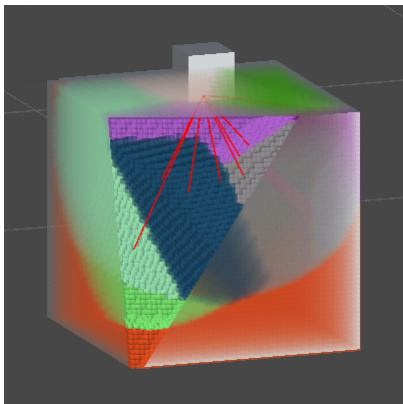


Figure: Labelling of voxels to their correct fragments.

- ▶ Process collision information
 - ▶ Find collision point
 - ▶ Calculate force
 - ▶ Generate fragment points
- ▶ Construct 3D voronoi diagram
 - ▶ Label each voxel by nearest point
 - ▶ Within radius
- ▶ Find islands
 - ▶ Flood fill

Rebuilding the Mesh

Marching Tetrahedrons

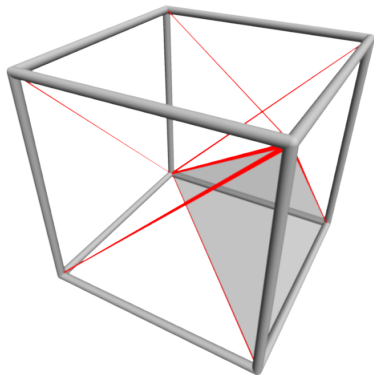


Figure: A cube divided into six tetrahedra, with one tetrahedron shaded.

- ▶ Form triangles
 - ▶ For each cube of 8 voxels
 - ▶ Look up correct triangle

Rebuilding the Mesh

Marching Tetrahedrons

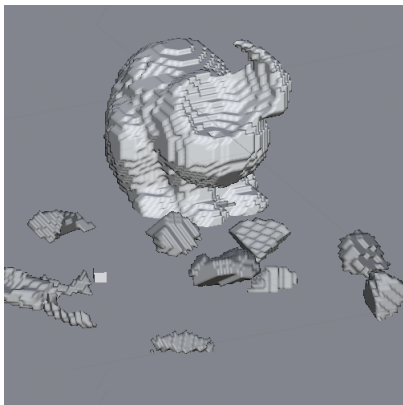


Figure: Fractured Stanford Bunny remeshed using the Marching Tetrahedrons algorithm.

- ▶ Form triangles
 - ▶ For each cube of 8 voxels
 - ▶ Look up correct triangle
- ▶ Problems
 - ▶ Too slow (implementation?)
 - ▶ Wasted complexity on interior voxels
 - ▶ Detail loss
- ▶ Working on new solution

The Next Steps

- ▶ Implement new remeshing algorithm
- ▶ Optimise for speed
 - ▶ Multithreading
 - ▶ Remove unnecessary complexity
- ▶ Post destruction calculations
 - ▶ Fragment mass
- ▶ Evaluation
 - ▶ Framerate
 - ▶ Memory usage
 - ▶ Physical accuracy
- ▶ Write-up