CRYLOCK: MINILOCK IN CRYPTOL DAVE ARCHER, THOMAS DUBUISSON MAY, 2015

WHAT IS CRYPTOL?

CRYPTOL

- A DSL for algorithms over generic bitstreams
- A tool for
 - Executing the specified algorithms
 - Stating, verifying, and proving algorithm properties
 - Verifying equivalence of implementations (C, Java, MATLAB...)
 - Generating implementations (LLVM bytecode, VHDL)
- Goal: Cryptol specification is verifiable by inspection against a mathematical definition

IN THE WILD

- Intelligence communities
- Corporate crypto experts
- Crypto research and education community
- Over 10 years of active use

EVERYTHING IS BITS

```
Cryptol> :type 0x1234
0x1234 : [16]
Cryptol> :type [1,2,3,4,5]
[1, 2, 3, 4, 5] : {a} (fin a, a >= 3) => [5][a]
```

FUNCTIONAL, STRONGLY TYPED

CRYPTOL <> SPEC

```
If y=(y_0,y_1,y_2,y_3) then quarter
round(y) = (z_0,z_1,z_2,z_3) where  z_1=y_1\oplus ((y_0+y_3)<\!<\!<7), \\ z_2=y_2\oplus ((z_1+y_0)<\!<\!<9), \\ z_3=y_3\oplus ((z_2+z_1)<\!<\!<13), \\ z_0=y_0\oplus ((z_3+z_2)<\!<\!<18).
```

```
quarterround : [4][32] -> [4][32]
quarterround [y0, y1, y2, y3] = [z0, z1, z2, z3]
  where
    z1 = y1 ^ ((y0 + y3) <<< 0x7)
    z2 = y2 ^ ((z1 + y0) <<< 0x9)
    z3 = y3 ^ ((z2 + z1) <<< 0xd)
    z0 = y0 ^ ((z3 + z2) <<< 0x12)</pre>
```

CRYPTOL <> SPEC

```
SHA256MessageSchedule : [16][32] -> [64][32]

SHA256MessageSchedule M = W where

W = M #

[ s1 (W@(t-2)) + W@(t-7) + s0 (W@(t-15)) + W@(t-16)

| t <- [16 .. 63] ]
```

$$W_{t} = \begin{cases} M_{t}^{(i)} & 0 \le t \le 15 \\ \sigma_{1}^{\{256\}}(W_{t-2}) + W_{t-7} + \sigma_{0}^{\{256\}}(W_{t-15}) + W_{t-16} & 16 \le t \le 63 \end{cases}$$

EXPRESSIVE, SPECIALIZED

```
while (b >= 64) {
    crypto_core_salsa20(x,z,k,sigma);
    for (i = 0; i < 64; i++) c[cpos+i] = m[mpos+i] ^ x[i];
    u = 1;
    for (i = 8; i < 16; i++) {
        u = u + (z[i] & 0xff) | 0;
        z[i] = u & 0xff;
        u >>>= 8;
    }
    b -= 64;
    cpos += 64;
    mpos += 64;
}
```

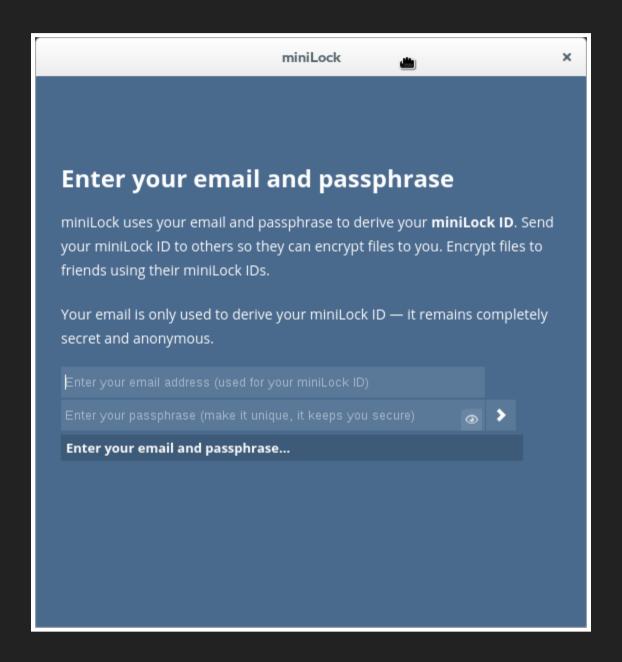
```
salsa = join [ Salsa20(k, v#(split i)) | i <- [0, 1 ...]]
c = m ^ take salsa
```

CRYPTOL IS NOT...

- A protocol description language
 - No means of expressing communication between parties
- A protocol verification suite
 - No reasoning about concurrent actions by multiple parties
- A general-purpose programming language
 - No data management appropriate for general data processing

MINILOCK PROJECT

LOG IN



KEYS

private key = SCrypt (Blake2s(password))

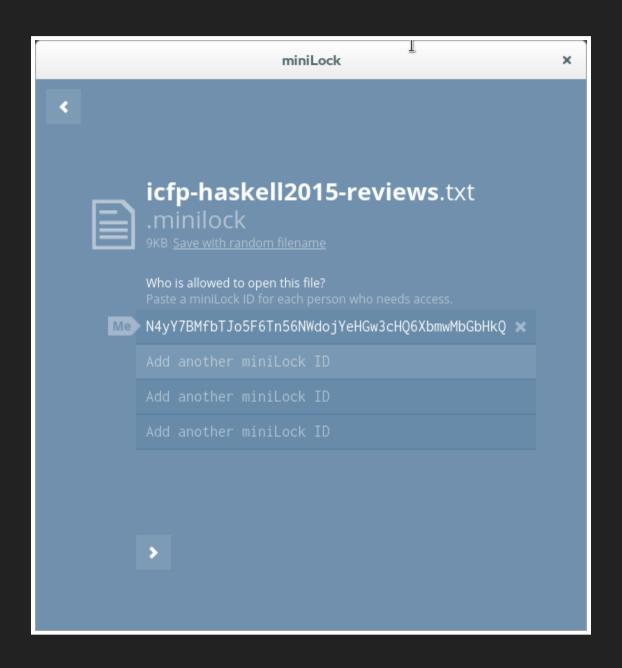
public key = Curve25519(private, 9)

minilock ID = base58(public | blake2s₁(public))

UI



ENCRYPTION



MINILOCK OPERATIONS

$$k \in \{0,1\}^{256}; n \in \{0,1\}^{192}$$

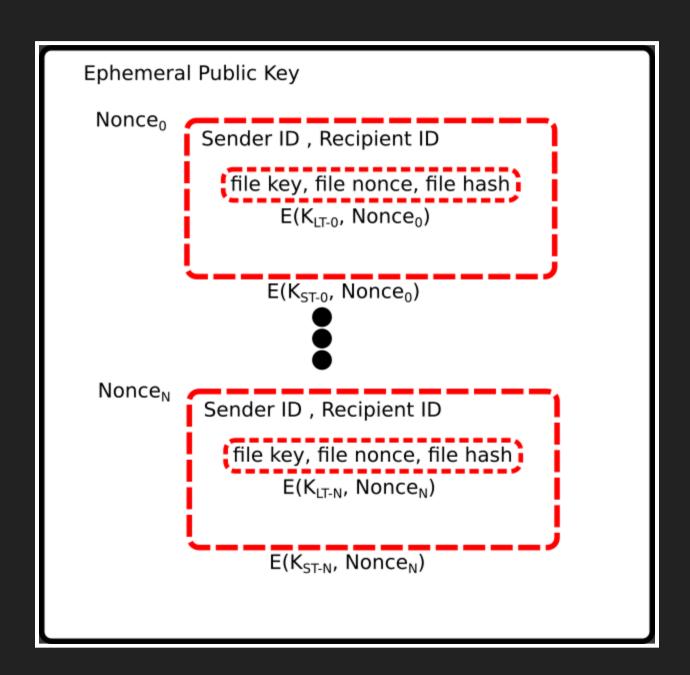
ciphertext = XSalsa20+Poly1305(k, n, file)

For each recipient:

- K_{LT} = Curve25519(Sender, Receiver)
- RecipInfo = IDs $||E_{K_{\parallel}}||E_{\parallel}||$ n ||b|| blake2s(file))
- KST = Curve25519(Ephemeral, Receiver)
- RI = $E_{K_{St}}$, nonce (RecipInfo)

Header = Ephemeral Public Key | Nonce_{1...N} $||RI_{1...N}$

MINILOCK FORMAT



CRYPTOL SPEC

- About two weeks, including time spent with tooling
- ~1500 lines of primitives
- ~200 lines of minilock-specific glue code
- Interoperable
 - File constructed with crylock can be opened by Minilock

grain of salt

Original (javascript) ~4000 lines and 700 lines respectively.

PRIMITIVES USED

- Key derivation
 - SHA256
 - HMAC
 - PBKDF2
 - SCrypt
- Encapsulation
 - NaCl's crypto_box
 - XSalsa
 - Poly1305
 - o Curve25519
 - Blake2s
- Formatting
 - Base64, Base58

DEMONSTRATION

BRASS TACKS

PROPERTIES

```
property Salsa20_doubleround_has_no_collisions x1 x2 =
  x1 == x2 \mid \mid doubleround x1 != doubleround x2
Salsa20> :check Salsa20_doubleround_has_no_collisions
Using random testing.
passed 100 tests.
Coverage: 0.00% (100 of ...)
Salsa20> :exhaust Salsa20_doubleround_has_no_collisions
Using exhaustive testing.
  0%Ctrl-C
Salsa20> :set prover=z3
Salsa20> :prove Salsa20_doubleround_has_no_collisions
0.E.D.
```

BRASS TACKS: PROPERTIES

Theorem 1 For any 32-bit value A, an input of the form $\begin{pmatrix} A-A\\A-A \end{pmatrix}$ is left invariant by the **quarterround** function, where -A represents the only 32-bit integer satisfying $A+(-A)=0 \pmod{2^{32}}$.

Theorem 2 Any input of the form
$$\begin{pmatrix} A - A & A - A \\ B - B & B - B \\ C - C & C - C \\ D - D & D - D \end{pmatrix}$$
, for any 32-bit values A, B, C and D , is left invariant by the **rowround** transformation.

Theorem 3 Any input of the form
$$\begin{pmatrix} A & -B & C & -D \\ -A & B & -C & D \\ A & -B & C & -D \\ -A & B & -C & D \end{pmatrix}$$
, for any 32-bit values A,B,C and D , is left invariant by the **columnround** transformation.

Theorem 4 Any input of the form
$$\begin{pmatrix} A & -A & A & -A \\ -A & A & -A & A \\ A & -A & A & -A \\ -A & A & -A & A \end{pmatrix}$$
 for any 32-bit value A, is left invariant by the **doubleround** transformation.

BRASS TACKS: PROPERTIES

```
property theorem1 a = quarterround [a, -a, a, -a] == [a, -a, a, -a]
property theorem2 a b c d = rowround val == val
    where \overline{\text{val}} = [a, -\overline{a}, a, -\overline{a}]
                      ,b,-b,b,-b
                      , C, -C, C, -C
                      , d, -d, d, -d]
property theorem3 a b c d = columnround val == val
    where val = [a, -b, c, -d]
                      ,-a,b,-c,d
                      ,a,-b,c,-d
                      ,-a,b,-c,d]
property theorem4 a = doubleround val == val
    where val = [a, -a, a, -a]
                      ,-a,a,-a,a
                      , a, -a, a, -a
                      ,-a,a,-a,a]
```

BRASS TACKS: PROPERTIES

```
Salsa20> :set prover=any
Salsa20> :prove theorem1
Q.E.D.
Salsa20> :prove theorem2
Q.E.D.
Salsa20> :prove theorem3
Q.E.D.
Salsa20> :prove theorem4
Q.E.D.
```

BRASS TACKS: NO RESULTS

Theorem 7 Any pair of inputs A, B with a difference of

$$A - B = A \bigoplus B = \begin{pmatrix} 0x80000000 & 0x80000000 & 0x80000000 & 0x80000000 \\ 0x80000000 & 0x80000000 & 0x80000000 & 0x80000000 \\ 0x80000000 & 0x80000000 & 0x80000000 & 0x80000000 \\ 0x80000000 & 0x80000000 & 0x80000000 & 0x80000000 \end{pmatrix}$$

will produce the same output over any number of rounds.

```
property theorem7 a b =
    a ^ b != diff || Salsa20Words a == Salsa20Words b
    where
    diff = [ 0x80000000 | _ <- [0..15]]</pre>
```

Last minute result: Boolector did terminate after an unimpressive week+ of computation.

BRASS TACKS: POSITIVE RESULTS

```
property speckKeyExpansionInjective x y =
    x == y || speckKeyExpansion x != speckKeyExpansion y

SimonAndSpeck> :set prover=boolector
SimonAndSpeck> :prove speckKeyExpansionInjective
Q.E.D.

property simon_ident_128_128 k p =
    simonD_128_128 k (simonE_128_128 k p) == p

SimonAndSpeck> :set prover=any
SimonAndSpeck> :prove simon_ident_128_128
Q.E.D.
```

BRASS TACKS: NEGITIVE RESULTS

BEYOND CRYPTOL

SOFTWARE ANALYSIS WORKBENCH

- SAWScript: a special-purpose scripting language
 - Construct, manipulate, and query mathematical models of software semantics
 - Supports LLVM, JVM, Cryptol
 - Proofs of properties using automated provers
 - Compositional proof techniques
- Represents 'Term's in a dependently typed lambda calculus
- Interface via an interactive REPL or batch scripts

SAW: TRIPLE DES EXAMPLE

```
m <- cryptol_load "DES.cry";
enc <- define "enc" {{ m::DES.encrypt }};
dec <- define "dec" {{ m::DES.decrypt }};
dec_enc <- time (prove abc {{ \k m -> dec k (enc k m) == m }});
enc_dec <- time (prove abc {{ \k m -> enc k (dec k m) == m }});
letss = simpset [dec_enc, enc_dec];
let{{
  enc3 k1 k2 k3 msg = enc k3 (dec k2 (enc k1 msg))
  dec3 k1 k2 k3 msg = dec k1 (enc k2 (dec k3 msg))
  dec3_enc3 k1 k2 k3 msg = dec3 k1 k2 k3 (enc3 k1 k2 k3 msg) == ms
}};
time (prove do {simplify ss; abc; } {{ dec3_enc3 }});
```

```
Valid
Time: 4.694s
Valid
Time: 4.718s
Valid
Time: 0.003s
```

SOFTWARE ANALYSIS WORKBENCH: COMPOSITIONAL PROOFS

```
Valid
Valid
Valid
Valid
Valid
Valid
Proving Theorem 7
Valid
```

EQUIVALENCE CHECKING

```
void core(u8 *out,const u8 *in,const u8 *k,const u8 *c) {
    u32 w[16], x[16], y[16], t[4];
    int i, j, m;
    FOR(i,4) {
        x[5*i] = 1d32(c+4*i);
        x[1+i] = 1d32(k+4*i);
        x[6+i] = 1d32(in+4*i);
        x[11+i] = 1d32(k+16+4*i);
    FOR(i, 16) y[i] = x[i];
    FOR(i,20) {
        FOR(j,4) {
            FOR(m, 4) t[m] = x[(5*j+4*m)%16];
```

EQUIVALENCE CHECKING

ENDING NOTES

REFERENCES

- Cryptol : http://cryptol.net
- Code: https://github.com/GaloisInc/cryptol
- Slides: https://github.com/TomMD/cryptol-slides
- SAW: Initial non-commercial release Monday