

# Elevator systems - optimization

## Abstract

Imagine we want to construct a building and we want to design an elevator system for it. How can we do it, so the elevator system is the most efficient one for this specific building? We run simulations of different elevator systems and different algorithms, compare them and pick the best one. This is what this program is about.

## Problem

Given a building  $b$  from set of all buildings  $B$ , we would like to construct an elevator system for this building  $e_b \in E_b$ , where  $E_b$  is set of all elevator systems for  $b$ , such as  $e_b$  is the most efficient one.

Now let's define what exactly is a building and an elevator system. Building is defined by number of floors and population distribution. Population distribution at a given time is:

- how likely there is a request for elevator on some floor
- what's the probability of person going from floor A to floor B
- total population size

Population distribution changes over time.

Formally, building is a tuple  $(n_b, p_b)$ , where  $n_b \in \mathbb{N}$  and  $p_b \in P_b$ , where  $P_b$  is a set of all population distributions for building  $b$ . Population distribution  $p_b \in P_b$  for a building  $b$  is a function  $p_b : \mathbb{N} \rightarrow (w_b, w_f, s)$ , where  $w_b : F \rightarrow [0, 1]$ , where  $F = \{1, 2, \dots, n_b\}$ , be a probability function representing how likely a request for elevator will occur at  $j$ -th floor,  $w_f$  is an  $n_b$ -tuple  $(w_1, w_2, \dots, w_{n_b})$ , where  $w_i : F \rightarrow [0, 1]$  are probability functions and  $w_i(i) = 0$ , for  $i \in \{1, \dots, n_b\}$ , representing probability of person wanting to go from  $i$ -th floor to  $j$ -th floor, where  $j \in F$ , and  $s \in \mathbb{N}$ , representing total population size. Defining population distribution this way,  $p_b(t)$  represents some population distribution at time  $t$  and we can simulate change of population distribution over time ( $t$  can represent parts of day, where in the morning there is an up peak and in the afternoon there is a down peak, so the population distribution has to change).

Elevator system is defined by set of elevators and strategy. It only makes sense to define elevator system only for some specific building. Before we formally define elevator system and strategy, we must first define the following.

Elevator  $e \in E$  is a tuple  $(a, A, P)$ , where  $A$  is a set of possible actions (such as move up, move down, idle, board, ...) and  $P$  is a set of elevator's parameters (such as capacity, acceleration, speed, current capacity, ...),  $a \in A$  is a current action and  $E$  is a set of all possible elevators.

Situation at time  $t \in \mathbb{N}$  of building  $b$  is a tuple  $(L, p_b, f_t, g_t)$ ,  $f_t : L \rightarrow F$ ,  $g_t : F \rightarrow \mathbb{N}$ , where  $L \subseteq E$ . Situation describes elevators, population distribution,

in what floors are elevators and number of requests at a given time. Note that some elevator's parameters can change over time, such as people count or current capacity, so it makes sense to define situation this way.

Strategy is a function  $s : S \rightarrow S$ , where  $S$  is set of all situations.

And finally, elevator system  $e_b \in E_b$  for building  $b$  is a tuple  $(L, s)$ , where  $L$  is a set of elevators of a building  $b$  and  $s$  is a strategy function.

Now we know what an elevator system is, we can try to optimize it.

We will measure efficiency by some efficiency function  $q_b \in Q_b : E_b \rightarrow \mathbb{R}$ , where  $Q_b$  is set of all efficiency functions for  $b$ . If for some two elevator systems  $e_{b1}, e_{b2} \in E_b$   $q_b \in Q_b : q_b(e_{b1}) > q_b(e_{b2})$ , we say that  $e_{b1}$  is more efficient than  $e_{b2}$  according to  $q_b$ . Depending by what metrics we consider elevator system efficient, we choose appropriate efficiency function.

TODO:

Define waiting for elevator

- number of situations between first button press (request) and first elevator on the same floor with action board
- number of situations between boarding of a person in elevator and getting him off on the desired floor

Metrics

- average/worst-case/median/... waiting time for elevator
- average/worst-case/median/... waiting time in elevator

My approach

- take some elevator system and evaluate it through efficiency function
- efficiency function runs simulations on this elevator system
- I choose reasonable set of efficiency functions beforehand
- pick the best elevator system based on requirements and collected data (e.g. pick elevator system that performs best on average for every efficiency function)

**Example:**

We want to find the most efficient elevator system for building with 10 floors and we would like to use only 3 elevators. We assume, that majority of people will arrive at 8am and they would like to go to office floors, which are floors 5 to 10. At 12pm many people would like to visit restaurant at floor 1. At 13pm the same people would like to go back to their offices. Between 17pm and 18pm, we predict that almost everyone would like to go to floor 0. We think that this behaviour will be very similar each day.

**Run of one simulation:**

## Definitions

TODO: \* make this more software oriented, math definitions above \* delete some and update

## Simulation

- It is a discrete simulation, where every step of the simulation elevators can either move up, down, stay or board people (these are all the events). It uses standard discrete simulation techniques and patterns.

## Attributes

- Scheduler

## Elevator

- Are controlled by Central Elevator Scheduler
- Elevator in a building. There might be elevators with different parameters in the same building, hence each of a different type.
- Elevator doesn't need to have all attributes set. Some elevators can't know how many people is on board and knows just the current weight. Some others might not even know the current weight.

## Attributes

- speed
- capacity
- acceleration
- average waiting time of elevator for passengers getting on/off
- current number of people
- current weight

## Actions

- up()
- down()
- stay()
- board()

## Building

- Building where we want our efficient elevator system.
- number of floors
- number of elevators and elevator types

### Population distribution

- Assigns each floor how likely a person on this floor would like to use an elevator and where probably would the person go, at a given time.
- e.g. In an office building in the afternoon from office floors it is very likely a person would call an elevator and would like to get to floor one or underground (parking), because their workday is over, but in the morning it will be the other way around (down peak or up peak period).

### Attribues

- time
  - time of day
  - can be discretized in morning, after lunch, afternoon or in hours, minutes, ...
- each floor has list of probabilities, each corresponding to what floor a person might want to get (e.g. floor 1: 2 - 0.2, 3 - 0.3 4 - 0.2 5 - 0.2 6 - 0.1)
- each floor has probability of person wanting to use the elevator (e.g. floor 1 - 0.8, floor 2 - 0.05, ... floor 6 (last) - 0)
- population size
  - how many persons can spawn in a day
  - represents total number of people using building's elevators current day

### Situation

- Represents where (in what floors) are all the elevators and where are all the people either waiting for elevator or already in an elevator.
- Central elevator scheduler makes decisions based on the current situation.
- Every time an event happens, the current situation changes to next situation. Situations are atomic.
- Some attributes might be set or might not. It depends how sophisticated you want your elevator system to be. For example, if elevator system users have some sort of ID card, than each person can call an elevator by the id card and therefore the CES could be certain about the number of people in a given floor. In this scenario, situation should carry this information. But in a different scenario, where users don't have an identification, CES couldn't know how many people is actually waiting on each floor. It's only information is how many times a button is pressed (and one person can press the button how many times he likes), so in this scenario it might not make sense to remember people count.

### Attributes

- list of elevators

- list of floors with people count
- list of floors with indication whether there is a request for elevator or not

### Central Elevator Scheduler

- Gives instructions to elevators based on the current situation, meaning it assigns every elevator some action (event). Central Elevator Scheduler obeys some scheduling algorithm.
- Can use different scheduling algorithms at different times (e.g. would like to use different scheduling algorithm in the morning and in the afternoon).

### Attribues

- population distribution
  - it's crucial that CES has this knowledge, because thanks to this, it can decide globally and not just locally by the current situation
- situation
- strategy - algorithms to obey at given times

### Evaluation function

- evaluates given strategy

TODO: \* too early to specify user guide \* general and user simulations arent very clear ## How to use? You can either run your own simulations based on different parameters, compare different algorithms and try to optimize it for yourself or you can use more sophisticated approach and let this program run several simulations with different algorithms and tweaked parameters to find the most optimal solution.

### Parameters

These are parameters you are able to set before running the simulation: 1. number of floors in the building 1. number of elevators 1. population distribution 1. each elevator's parameters 1. CES strategy

### Optimization simulations

#### What to optimize?

- It is quite obvious, that the more elevators and the more efficient they are the more efficient is our elevator system going to be. However, we would like to minimize the number of elevators, because each lift shaft is economicaly just a wasted space, that could have been used for something more profitable.
- The same goes for elevator parameters (speed, capacity, ...). It's reasonable to keep them bounded below some maximum parameters, to make each elevator affordable.

- Hence, it makes sense to try to optimize our elevator system not just solely on performance but also on it's cost.
- Nevertheless, how good elevator system is will ultimately determined by some Evaluation function, that can use completely different evaluating principle.

### **General simulation**

- in general simulation, you don't specify number of elevators and their qualities.
- general simulation tries to not only optimize strategy, but also optimize number of elevators and their parameters to satisfy some Evaluation function.
- general simulation just runs multiple concrete strategies with different elevator counts and qualities and compares those using some quality function.
- You can choose the Evaluation function
  - best bet would be quality function based on some price-quality ratio

### **Concrete simulation**

- you specify concrete number of elevators and their qualities
- concrete simulation just tries to find the best possible strategy for given building and population distribution

### **User Simulation**

- After some optimization simulation has found the best approach how to tackle given building and population distribution, it might be convenient to try to run a simulation with found optimal elevator system and see how it behaves for yourself. This is exactly what user simulation is for.
- During user simulation, you can play around and change some parameters, to see how adaptive optimal solution is and have feel for how it behaves:
  1. spawn persons to exact floors
  2. change CES strategy
  3. tweak population distribution

### **Future**

- it would be great to not just have very simple scheduling algorithms at our disposal but also some more sophisticated techniques, like genetic algorithms, machine learning etc ...