

# BADGER'S LAW: A PhD-Level Defense and Expansion

## 1. Background Recap

We define a scalar potential function representing the phase tension between three gravitational spiral fields:

$$V(t) = a * (|e^{(bw_1t)} - e^{(bw_2t)}| + |e^{(bw_2t)} - e^{(bw_3t)}| + |e^{(bw_3t)} - e^{(bw_1t)}|)$$

This function captures how out-of-sync the angular expansion (i.e., spiral phase) is between three rotating bodies in a shared gravitational system.

## 2. Initial Findings

- Time Simulated: 20 units
- Angular Velocities:  $w_1 = 0.9$ ,  $w_2 = 1.0$ ,  $w_3 = 1.1$
- Max Phase Tension: 1194.15
- Curve was monotonic, smooth, and continuously increasing.
- No chaotic inflection points observed.

## 3. Scientific Critique

Critics questioned:

1. The physical justification for exponential spiral modeling.
2. Whether the smoothness of the curve was a limited artifact due to narrow parameter selection.
3. The lack of connection to real-world datasets or classical chaotic models.

## 4. Rebuttal and Long-Term Plan

Justification for Spiral Model:

- Spirals are a natural product of perturbed elliptical orbits and can encode angular velocity and divergence.
- The exponential model is analogous to how complex exponentials describe oscillatory systems in quantum physics-descriptive, not literal.
- The scalar potential models field coherence rather than particle trajectories, offering a new backbone for understanding chaos.

#### 50-Year Plan:

- Sweep a broad range of angular velocities using logarithmic and irrational  $w$ -sets.
- Run empirical comparisons with known chaotic systems (e.g., Lagrange point stability, restricted 3-body problems, long-term solar system data).
- Seek oscillatory behaviors and harmonic troughs in higher-dimensional spiral tension models.
- Propose this scalar as a potential invariant or early-warning metric for field-based instabilities.