

# Presentation title

Presentation subtitle

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Some institute

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## First section

## A slide with bullet points

- Represent Abelian groups on the computer
- Compute on Abelian groups
- Solve equations, factor group homomorphisms

# A slide with a theorem and a proof.

## Theorem (Integral)

$$\oint_{\Gamma} \mathbf{F} \cdot d\mathbf{\Gamma} = \iiint_S \nabla \times \mathbf{F} \cdot d\mathbf{S}$$

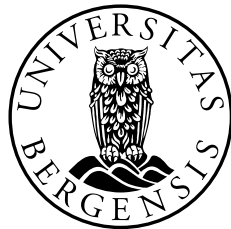
## Proof.

Here's the proof, if  $a \rightarrow b$ , then  $\int_a^b \sum_i^n k^i$ .



# A slide with two columns

- Represent Abelian groups
- Compute on Abelian
- Solve equations <sup>1</sup>



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<sup>1</sup>Often useful.

## Second section

# A slide with blocks

title of the bloc

$$\operatorname{div} \mathbf{F}|_p = \lim_{V \rightarrow \{p\}} \iint_{S(V)} \frac{\mathbf{F} \cdot \hat{\mathbf{n}}}{|V|} dS,$$

title of the bloc

$$\nabla r(x) = \frac{2}{x^*x} (Ax - r(x)x)$$



## Third section

## A slide using pause

- Represent Abelian groups on the computer

## A slide using pause

- Represent Abelian groups on the computer
- Compute on Abelian groups

## A slide using pause

- Represent Abelian groups on the computer
- Compute on Abelian groups
- Solve equations, factor group homomorphisms

# A final figure

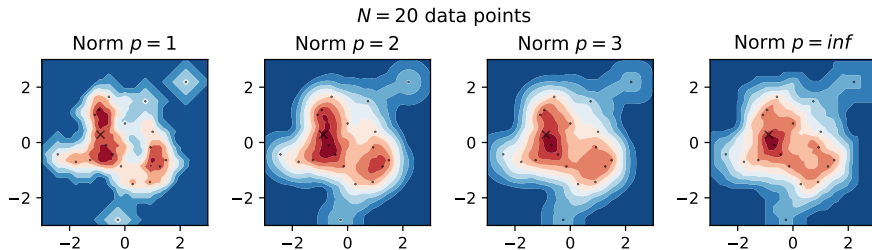


Figure: Kernel density estimation.