

An Open Model of Probabilistic Seismic Hazard Assessment for the Indian Subcontinent

N. Ackerley^{1,2}

¹Istituto Universitario di Studi Superiori, Pavia, Italy

²Université Joseph Fourier, Grenoble, France

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Abstract

Open models enable peer review and collaboration; open models can be built upon.

Contents

1	Introduction	2
1.1	Seismic hazard in the Indian subcontinent	2
1.2	Open science and OpenQuake	3
1.3	Overview	3
2	Implementation	4
2.1	Ground motion prediction logic tree	4
2.2	Seismogenic sources	6
2.2.1	Model layers	6
2.2.2	Areal zones	7
2.2.3	Smoothed-gridded points	10
2.3	Ground-motion prediction equations	13
2.4	Source model logic tree	15
3	Hazard results	16
3.1	Verification	16
3.2	Sensitivity	16
3.3	Discussion	16
4	Conclusions	16
	Bibliography	18
	Appendix A Simplified GMPE logic tree	21
	Appendix B Alternative GMPE logic tree	22
	Appendix C Catalogue evaluation	24

Appendix D Potential source modelling improvements	24
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Appendix E Summary of electronic data	24
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List of Figures

1	Original GMPE logic tree	5
2	Areal source model	9
3	Smoothed seismicity point source model	11
4	Symbolic source model logic tree	16
5	Partial source model logic tree	17
6	Simplified GMPE logic tree	22
7	Depth histogram for mainshocks	25
8	Depth vs. distance for mainshocks in regions with deep events	26

List of Tables

1	Summary of layer characteristics used for source models.	7
2	Comparison of annual seismicity rates	12
3	Ground motion prediction equations	14
4	Relative efficacy of GMPEs for interface subduction.	23

1 Introduction

In this work a seismic hazard model for peninsular India Nath and Thingbaijam (2012) is implemented within the OpenQuake (Pagani et al., 2014; Crowley et al., 2015) platform.

This report is intended to be archived with the input and output files necessary to replicate the results at <https://hazardwiki.openquake.org/>. References to file names in the electronic data are shown in `typewriter` font, as are keywords specific to OpenQuake, such as `bGRRelative`.

1.1 Seismic hazard in the Indian subcontinent

The study of seismic hazard in India has been progressing steadily, from deterministic studies (Bureau of Indian Standards, 2002) to probabilistic seismic hazard assessment (PSHA) and from site-specific towards larger regional studies. Ashish et al. (2016) gives an up-to-date overview of the importance and history of this work. Of particular note is the fact that the Bureau of Indian Standards has not updated their seismic hazard zonation since 2002 (Bureau of Indian Standards, 2002). Nath and Thingbaijam (2012) summarize concerns with this standard (currently in force), including underestimation of hazard, application of single zone factor to regions with very different hazard, and lack of treatment of uncertainty.

Some studies have focused on the extreme hazard of the Himalayas (Bilham et al., 2001) in the the northeast, including the Shillong plateau, (Das et al., 2006) and northwest (Mahajan et al., 2009). Other studies have focused on regions of lesser but nonetheless high hazard such as Gujarat (Yadav et al., 2008) or considered the whole of stable “peninsular India” (Jaiswal and Sinha, 2007; Ashish et al., 2016). Only Bhatia et al. (1999) considered the whole of India, but as Ashish et al. (2016) points out, since it was part of a global hazard mapping project (GSHAP) it only included “only a few sources for Peninsular India focusing on the inter-plate region along the Himalayan belt”.

Nath and Thingbaijam (2012) is thus distinguished from previous work in providing a detailed probabilistic hazard assessment for the whole of India, including neighbouring states such as Bangladesh and Nepal. It is the culmination of several previous works, some unpublished, involving the same group of authors. These works include development of a uniform catalogue (Nath et al., 2010), development of ground-motion prediction equations (GMPEs) specific to the Shillong region (Nath et al., 2012), evaluation of a suite of GMPEs applicable to India (Nath and Thingbaijam, 2011) and development of smoothed-gridded and areal seismicity models (Thingbaijam and Nath, 2011). Although there are inevitably some limitations, as we shall see later, this work represents the current state-of-the-art as far as PSHA in the Indian subcontinent.

(In the discussion of possible improvements to Nath and Thingbaijam (2012) it will be noted that while earlier investigations (Bhatia et al., 1999; Das et al., 2006; Yadav et al., 2008; Jaiswal and Sinha, 2007) relied on areal seismogenic source zonation, Nath and Thingbaijam (2012) adds smoothed-gridded point sources while Ashish et al. (2016) adds fault-modelling. Different types of seismogenic zones address different types of hazard and return periods, and can be effectively combined using logic trees to better encapsulate epistemic uncertainty.)

1.2 Open science and OpenQuake

The seismological research community is a collegial one: researchers generally share data, models, software and results freely. However it is becoming generally recognized that scientific computation is falling short of expectations in terms of reproducibility (Fomel and Claerbout, 2009; Donoho et al., 2009). As computing power grows, so do models and their complexity; it seems that our ability to describe these models is not keeping pace. In other disciplines, the components of a properly-documented experiment are well-known and widely practised. Scientific computing is a relative newcomer, and presents new challenges, such as the constant evolution of programming languages.

Reproducibility is one of the fundamental tenets of science. In the context of scientific computing reproducibility requires, at a minimum, a complete description of model, software versioning and results, open source code, and access to sufficient computing power (Hinsen, 2011).

Nath and Thingbaijam (2012) provides the majority of the model description and results as an electronic supplement. Unfortunately this description is incomplete, and worse, the software used to run the simulations is not freely available. The consequence is that results cannot be verified, errors cannot be corrected and improvements cannot be made.

OpenQuake (Pagani et al., 2014) is a fully-featured suite of software for the modelling of seismic hazard and risk. It is based on the OpenSHA framework Field et al. (2003) but developed in the Python programming language. The source code is open, freely distributable and modifiable, and version-controlled at <https://github.com/gem/>. Input and output files are encoded using and XML schema called the Natural Hazard Risk Markup Language (NRML) and which is both human- and machine-readable. NRML input files are standardized and can be combined between projects; NRML hazard output files can become the input to subsequent risk analyses. OpenQuake is an ideal platform for development of PSHA models. In fact, there is an ongoing effort to build a Global Earthquake Model based on OpenQuake.

1.3 Overview

In Section 2 the process followed to translate the model of Nath and Thingbaijam (2012) for OpenQuake is detailed.

Section 2.1 uses the GMPE logic tree as an introduction to the tectonic subregions and associated GMPEs. Potential improvements in terms of subregion and GMPE selection are

reserved for Appendix B.

Issues relating to tectonic region assignments are addressed in Section 2.2.2. Difficulties encountered in interpreting and implementing the smoothed-gridded seismicity models are detailed in Section 2.2.3 while recommendations for an improved smoothed-gridded model are made in Appendix C. Improvements to source modeling are proposed in Appendix D.

In Section 2.3 issues encountered in implementing ground motion prediction equations (GMPEs) are discussed.

The modelling of source frequency-magnitude distribution (FMD) uncertainty described in Nath and Thingbaijam (2012) turned out to be unimplementable in the strictest sense in OpenQuake and possibly on any platform, so compromises made are described in Section 2.4.

Section 3.1 verifies the current results against those of Nath and Thingbaijam (2012). In particular hazard curves and maps and tables of ground motion with various probabilities of exceedence are presented and evaluated. Inconsistencies between the figures and electronic supplement of Nath and Thingbaijam (2012) are discussed. Section 3.2 investigates the importance of the use of region-specific ground motion prediction via their impact on hazard levels.

Section 3.3 briefly explores the possibilities for future work while reserving more detailed discussion for the appendices.

Finally Appendix E gives an overview of model files and related source code.

2 Implementation

2.1 Ground motion prediction logic tree

The GMPE logic tree conveys some of the complexity of predicting earthquake hazard in peninsular India, and provides a starting point for discussion of both tectonic subregions and the GMPEs associated with them. The logic tree diagrammed in Nath and Thingbaijam (2012, Figure 3) is redrawn for clarity in Figure 1. The tectonic region names and GMPEs listed differ slightly from Nath and Thingbaijam (2012) but are exactly as found in the NRML model input files (e.g. source models mapped in Figure 2 and Figure 3) and the OpenQuake source code.

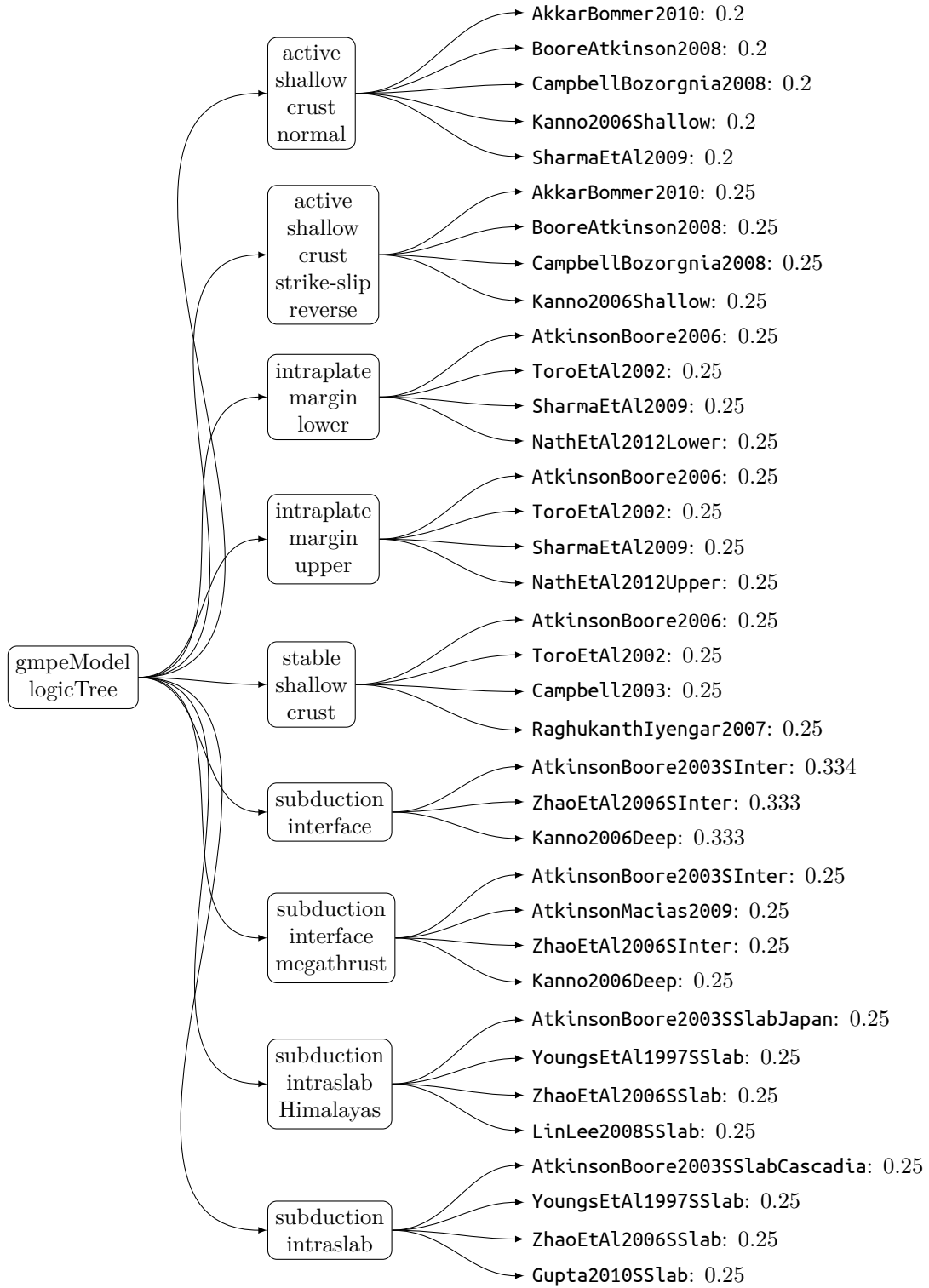


Figure 1: GMPE logic tree of Nath and Thingbaijam (2012), as encoded in `gmpe_logic_tree.xml`. Middle column selects tectonic region types mapped in Figure 2. OpenQuake GMPE class names and assigned weights are given on the right side. GMPE characteristics are summarized in Table 3

Nath and Thingbaijam (2012, Figure 3) show Sharma et al. (2009) being used for normal faulting in the active shallow crust, but normal faulting is the only kind of faulting *not* supported by Sharma et al. (2009). This was assumed to be an error made in the drawing of the logic tree rather than the actual implementation. Thus Figure 1 shows Sharma et al. (2009) given weight only in zones where strike-slip or reverse faulting are predominant.

Although model input files may be “human-readable” no textual format of a directed graph will be easy for a human to read. This sort of error highlights the need for ways of visually diagramming logic trees directly from the model input files. A script for converting NRML logic trees to L^AT_EX was developed for this study.

Assignment of specific zones to tectonic subregions is treated further in Section 2.2.2. In particular methods are discussed for distinguishing between dominant fault mechanisms in the shallow crust and selecting GMPEs for intraslab subduction in deeper layers.

Delavaud et al. (2009) point out that macroseismic intensity observations are more abundant than instrumental recording, and go on to demonstrate that they can be used almost interchangeably for the purpose of quantitative assessment of GMPE efficacy. This is particularly important in areas of low seismicity or sparse instrumentation macroseismic intensity, such as India. Nath and Thingbaijam (2011) have made good use of this fact, but Nath and Thingbaijam (2012) appear to utilize their efficacy assessments imperfectly. This and other issues which could be addressed in future work in this area are addressed in Appendix B.

2.2 Seismogenic sources

The electronic supplement of Nath and Thingbaijam (2012) provides most but not all of the information required to generate a complete source model, even when supplemented by the earlier unpublished work of Thingbaijam and Nath (2011) which focuses specifically on source modelling. This section thus focuses on bridging the gaps to construct a complete source model.

Nath and Thingbaijam (2012) proposed three source models: a single set of areal seismogenic source zones, and two smoothed-gridded point source models. Combining these models using a logic tree (as discussed in Section 2.4 and diagrammed in Figure 4) allows the benefits of each model to be combined. All models are derived from the catalogue of Nath et al. (2010) for sub-catalogues with different minimum magnitudes and depth ranges.

Since some of these GMPEs are new to OpenQuake (see Table 3) a comparison was done between the full model and that obtained with only the standard GMPEs. For this purpose a “simplified” GMPE logic tree was constructed which simply omitted the newly-implemented GMPEs and used equal weighting for the rest. This is shown in Figure 6 and will be discussed in Section 3.2.

2.2.1 Model layers

Thingbaijam and Nath (2011) divide their model into four layers as summarized in Table 1 and Figure 7. Crustal thicknesses vary significantly across the region of study, but the convenience of constant model layer thicknesses turns out to be not entirely unrealistic. The continental crust is 75-80 km thick beneath the Himalayas where the tectonics can be divided into shallow crust and interface (Thingbaijam and Nath, 2011). Similarly in the the Shillong plateau of Northeast India the crust is quite thick and significant variation of stress drop with depth has been noted, with devastating “pop-up” type events Bilham and England (2001) being generated in the lower crust (Nath et al., 2012). In stable continental regions the crustal thickness is a more usual 35-45 km, with seismicity concentrated in the uppermost 25 km. The preceding seismotectonic features can be represented reasonably well using two seismogenic layers: 0-25 km and 25-70 km.

Table 1: Summary of layer characteristics used for source models. Completeness magnitudes and years used in generating original smoothed-gridded seismicity models are from Table 1 of Thingbaijam and Nath (2011). Layer identifiers used throughout this report are indicated. Tops and bottoms of layers have been taken as seismogenic depth limits. Hypocentral depths listed are at mid-layer.

layer	minimum magnitude			4		4.5		5.5	
	depth (km)			start	end	start	end	start	end
	min.	max.	hypo.						
1	0	25	12.5	1994	2008	1964	2008	1903	2008
2	25	70	47.5	1990	2008	1964	2008	1902	2008
3	70	180	125	1996	2008	1964	2008	1914	2008
4	180	300	240	1970	2008	1984	2008	1912	2008

Intra-slab subduction occurs in three or four broad zones: the Hindu-Kush and Pamir ranges in the north-west, the eastern Himalayas and Indo-Myanmar subduction zones in the north-east and the Sumatra-Andaman subduction zone in the south east. Deep-seated seismicity only occurs in the first and last region. The tectonics of the Indo-Myanmar region are a combination of oblique subduction, accretion and collision Wang et al. (2014). These tectonic zones are represented by two deeper seismogenic layers: 70-150 km and 150-300 km.

This stack of depth-limited seismogenic zones can crudely represent the fact that subduction events are generally spread over a dipping plane (see Figure 8). The four-layer structure furthermore captures the fact that there are 4 clear modes in the distribution of depths (see Figure 7).

2.2.2 Areal zones

Areal source models are appropriate when source mechanisms and seismicity rates are relatively uniform across a given area. They can provide a sound basis for regional assessment of b-value, maximum magnitude and other key parameters of a frequency-magnitude distribution, as shown in Thingbaijam and Nath (2011).

Selection of GMPEs (and thus the implementation of GMPE logic trees, see Section 2.1) depends on correct assignment of tectonic region types. The main difficulty in implementing the areal source model of Nath and Thingbaijam (2012) was that although the authors’ intentions were generally clear, tectonic region assignments were not made explicit.

In layer 1, the shallow crust, assignments were made for this study using a combination of the representative focal mechanisms reported by Nath and Thingbaijam (2012) and fault maps such as the HimaTibetMap database (Styron et al., 2010). Zones obviously dominated by subduction faults were assigned “subduction interface”; for the rest the representative rake was used to distinguish between fault mechanisms, as is customary in GMPE implementations.

$$\text{mechanism} = \begin{cases} \text{reverse} & \text{if } \text{threshold} < \text{rake} < 180 - \text{threshold} \\ \text{normal} & \text{if } \text{threshold} < -\text{rake} < 180 - \text{threshold} \\ \text{strike-slip} & \text{otherwise} \end{cases}$$

A threshold of 30° was chosen, consistent with the OpenQuake implementations of Boore and Atkinson (2008); Campbell and Bozorgnia (2008); Sharma et al. (2009) but not Zhao et al. (2006) which uses 45° . Since the representative focal mechanism was computed as the average

of the moment tensors reported in the GCMT database weighted by magnitude it is biased in favour of the larger earthquakes (Thingbaijam and Nath, 2011).

In layer 2, the deep crust, most zones are assumed to be dominated by interface subduction, except those in the stable continental part of peninsular India.

Intraslab subduction is expected to be dominant in layers 3 and 4. Nath and Thingbaijam (2011) shows that the efficacy of GMPEs varies greatly between the Pamirs in the north-west and the Indo-burman subduction zone in the north-east. Unfortunately, Nath and Thingbaijam (2012) gives no hints as to how to treat intraslab subduction for sources in Andaman-Sumatra and in the eastern Himalayas. In the end it was decided to treat (Nath and Thingbaijam, 2012, Figure 3) as if “Indo-Myanmar” was intended to include the Andaman-Sumatra subduction as well. Thus one group of GMPEs is used for “subduction Himalayas” while another is used for “subduction” (i.e. everywhere else).

The inferred tectonic region assignments assumed are summarized in Figure 2.

Potentially problematic tectonic region type assignments include:

- Zone 17 at the edge of the Pamir ranges is arguably “stable shallow crust” but was assigned “subduction interface”.
- Zone 906 in the Great Himalayas just north of the Shillong plateau was assigned “active shallow crust strike-slip reverse” even though the main trace of the Himalayan subduction fault runs through it, because the representative focal mechanism is strike-slip.
- Zones 903 and 915-918 are predominantly oceanic crust but have been assigned “active shallow crust” or “subduction interface” according to the dominant focal mechanism and fault types. For example zone 903 includes the Murray Ridge and so exhibits predominantly normal faulting as expected for a spreading ridge. It is classified for the purpose of GMPE selection as “active shallow crust normal”, but is likely in reality to produce ground motions distinct from an active continental crust.
- Zones 71, 86 on layer 1 and zones 9031, 9081, 9131, 9151 and 9171 on layer 2 have a values of zero and so were assigned a “no seismicity” type and omitted from the areal source model.
- Zones 169, 170 and 172 on layer 4 capture seismicity at 180-300 km depth, but only Youngs et al. (1997) and Kanno et al. (2006) support depths below 180 km (see Table 3).

Zones numbered as “9xx” in Nath and Thingbaijam (2012) represent the amalgamation of several zones from Thingbaijam and Nath (2011). In some cases this was done because of similarity of source mechanisms and statistics while in others it was necessary because the amount of seismicity in one of the zones was insufficient for FMD characterisation. Furthermore, zones numbered “9xx1” in layer 2 have effectively had their seismicity transferred to the corresponding zones 9XX in layer 1. For example zones 32 and 115 in Thingbaijam and Nath (2011) become zones 908 and 9081 in Nath and Thingbaijam (2012), where zone 9081 has no seismicity.

Note that on layers 3 and 4 two distinct tectonic region types are defined for intraslab subduction (Nath and Thingbaijam, 2012, p. 137). Specifically, the “Indo-Myanmar and Andaman-Sumatra subduction zones” are assigned “intraslab” while the “Himalayas and northwest India-Eurasia convergence” are assigned “intraslab Himalayas”. Different GMPEs are applied in these regions, as described in Section 2.1, in particular the Japan and Cascadia adjustments of Atkinson and Boore (2003) are applied, respectively.

Magnitude-scaling relations are used in PSHA to determine the actual rupture dimensions once a magnitude has been drawn from a frequency-magnitude distribution. These were relatively straightforward to select once the tectonic region assignments were made, since “Wells and Coppersmith (1994) for crustal events and those given by Strasser et al. (2010) for the subduction earthquakes” (Nath and Thingbaijam, 2012, p. 140). It was inferred that for interface and

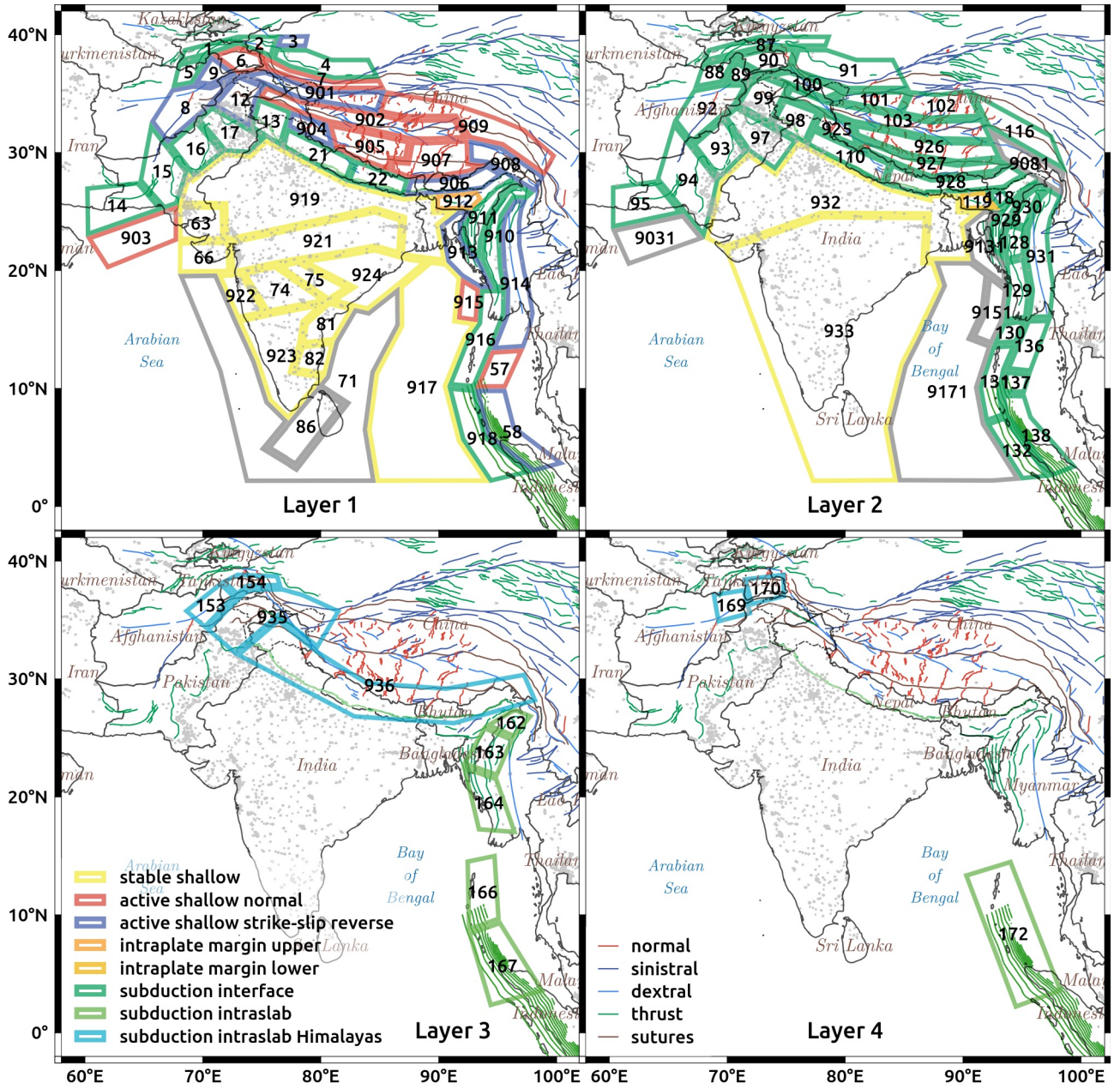


Figure 2: Areal source model tectonic region assignments used in GMPE logic tree. The areal source models are encoded in `areal_source_model.xml`. Zone identification numbers from Nath and Thingbaijam (2012) are indicated. Fault traces are from HimaTibetMap-1.0 (Styron et al., 2010) except the Sumatran subduction fault which is from SLAB 1.0 (Hayes et al., 2012). Fault data from the stable regions of India is lacking. Urban areas, “contiguous patches of built-up land greater than 1 km²” (Schneider et al., 2009), are indicated in darker grey.

intraslab regions **StrasserInterface** and **StrasserIntraslab** should be used, respectively. The comment that “the fault-rupture area estimated from the magnitude is constrained by a factor of 2” (Nath and Thingbaijam, 2012, p. 140) was similarly interpreted as a width/depth aspect ratio of 2.

Since it is not explicitly stated in Nath and Thingbaijam (2012) the seismogenic depth was assumed to be midway between the minimum and maximum for each layer. Potential refinements to this setup are discussed in Appendix D.

The supplementary information required to generate the fully specified areal source model from the electronic supplement files **polygonlay%d.txt** and **seismicitylay%d.txt** files in the is contained in **auxiliary data.csv**.

2.2.3 Smoothed-gridded points

Smoothed-gridded seismicity models aim to replicate geographic variations of activity rates in a catalogue-driven way. Typically a smoothing kernel is used which enforces a correlation distance and limits the resolution.

Some details of the smoothing are contained in the unpublished Thingbaijam and Nath (2011): a Gaussian kernel was used, following the methodology of Frankel (1995) with correlation distances of 65 and 85 km for m_{min} of 4.5 and 5.5 respectively.

After some discussion with K. Thingbaijam it was decided that although the models are described as “spatially varying annual activity rates” (Nath and Thingbaijam, 2012, p. 140) the electronic supplement actually contains spatially smoothed total seismicity, i.e. number of events (per cell). In order to convert this information to activity rates, i.e. number of events per year (per cell), it was necessary to obtain the duration of each sub-catalogue. Fortunately this missing ingredient is summarized in (Thingbaijam and Nath, 2011, Table 1) and reproduced in Table 1.

Given the total seismicity N and the length in years of the relevant catalogue T (see Table 1) the annual rate ν for a given model is obtained using:

$$\nu = N/T \quad (1)$$

In OpenQuake each point in the smoothed seismicity model is treated as a point source with a specified frequency-magnitude distribution: at a minimum a , b and m_{max} must be specified. Nath and Thingbaijam (2012) indicate that “ b -value and m_{max} remain fixed within the source zone”. Thus in the present study for the smoothed seismicity model the parameters b and m_{max} of the truncated Gutenberg-Richter magnitude-frequency distributions are inferred from the areal source model zonation. For points inside zones with non-zero a values in the areal source model this is trivial; for points outside these zones the zone with the shortest perpendicular distance to the point was chosen.

A gridded point source model also requires specification of tectonic region type and source mechanism for the selection and implementation of GMPEs, as well as the uncertainty in the FMDs. Thus the same procedure was used to assign tectonic subregion, rake, dip, strike, magnitude scaling relations, σ_b and $\sigma_{m_{max}}$. For example the tectonic subregion assignments are shown for the smoothed-gridded model with $m_{min} = 4.5$ in Figure 3.

The truncated Gutenberg-Richter magnitude-frequency distribution in OpenQuake implements

$$\lambda(M \geq m) = 10^{a-bm} = e^{\alpha-\beta m}$$

Ignoring events below some threshold m_{min} , the annual rate becomes

$$\lambda(M \geq m_{min}) = e^{\alpha-\beta m_{min}} e^{-\beta(m-m_{min})} = \nu e^{-\beta(m-m_{min})}$$

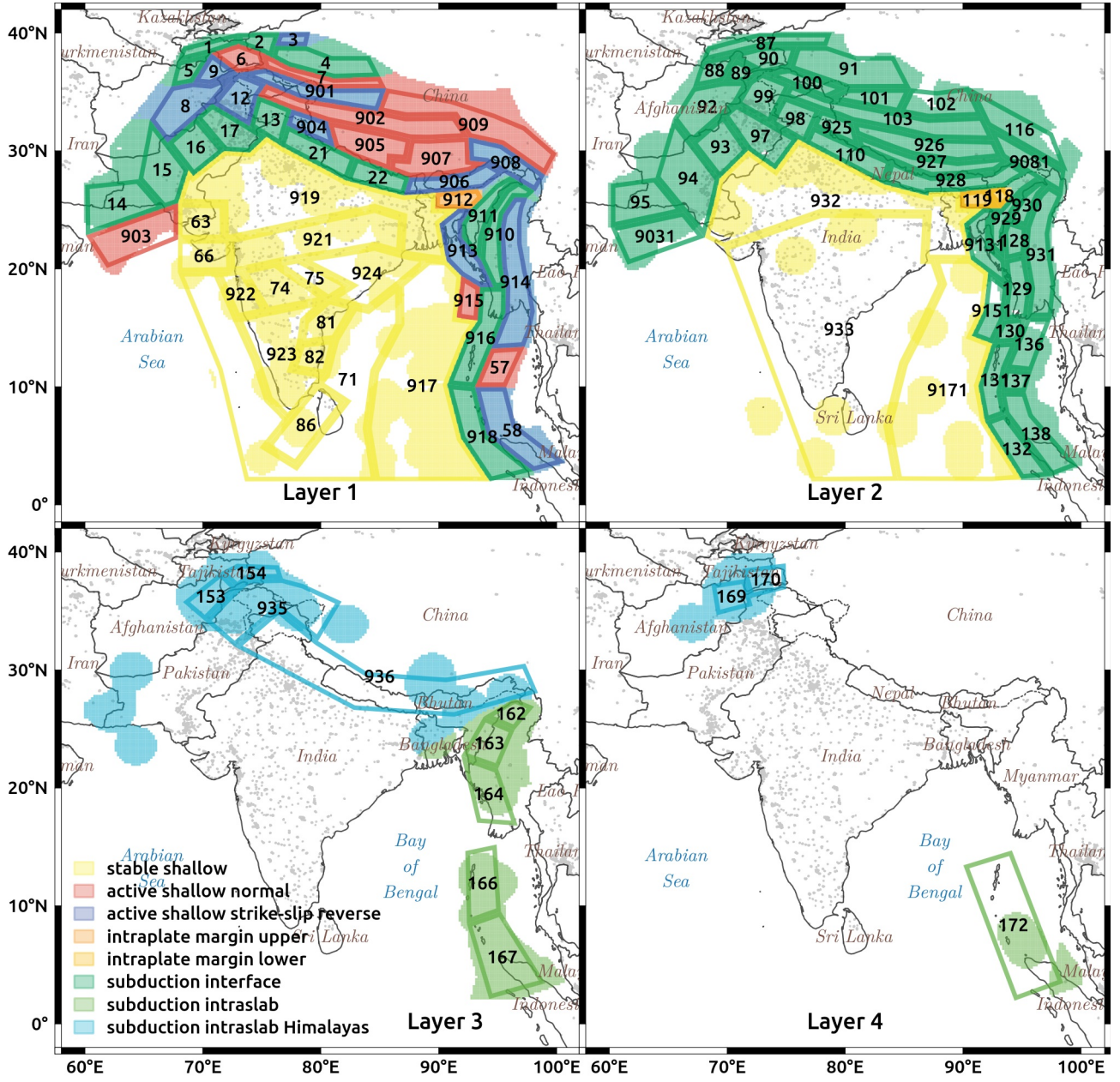


Figure 3: Tectonic region assignments and activity rates for smoothed seismicity point source model. The smoothed seismicity source models are encoded in `smoothed_source_model_mmin4.5.xml` and `smoothed_source_model_mmin5.5.xml`

Thus to compute the a value for a point source from the activity rate ν for a given magnitude threshold, we take into account the b value for the zone as follows:

$$a = \log_{10}(\nu) + bm_{min}$$

Table 2: Comparison of annual seismicity rates for areal model, smoothed-gridded seismicity model and catalogue. In each case the value shown is the average or expected number of events per year ν above the given minimum magnitude. Catalogue events and smoothed-gridded point sources are only counted if the epicentre is within one of the zones of the areal model.

m_{min}	4.5			5.5		
source	areal	smoothed	catalogue	areal	smoothed	catalogue
layer						
1	80	130	54	8.4	4.1	3.1
2	68	174	78	10.4	3.6	3.8
3	36	89	40	2.9	1.7	1.6
4	12	43	10	1.6	1.2	1.2
total	194	435	182	23.3	10.6	9.7

Similarly to compute the activity rate for an areal source we can use

$$\nu = 10^a - 10^{bm_{min}} \quad (2)$$

In order to verify that the smoothed and areal models are approximately equivalent to each other and the catalogue, annual activity rates were computed for each. Areal activity rates were computed using (2). Smoothed model activity rates were computed by summing the seismicity for all points and then applying (1). Catalogue activity rates were computed by querying the catalogue of Nath et al. (2010) with appropriate minimum magnitudes and within the bounds of the areal source model. Note also that events are only counted if the epicentre is within one of the zones of the areal model. This was done on a layer-by-layer basis as well as over the whole model.

The results are tabulated in Table 2. Both the areal and smoothed models tend to overestimate the seismicity in the catalogue. Discrepancies between the areal model and the catalogue are likely an artefact of taking the total seismicity for a given zone, computing a frequency-magnitude distribution, and applying that FMD uniformly over the zone. Discrepancies between the smoothed model and the catalogue cannot be explained by the smearing effect of the smoothing kernel, because this should result in smoothed seismicity rates lower than the catalogue rates when computed over the same area, whereas we observe smoothed seismicity rates which are higher. Improvements to the smoothed seismicity model are proposed in Appendix D.

Other issues of note:

- Zones 9031, 9081, 9131, 9151 and 9171 on layer 2 have m_{max} values of zero. These zones all the the smoothed seismicity points in or nearest to these zones on layer 2 were assigned the m_{max} values from the corresponding zones on layer 1, namely zones 903, 908, 913, 915 and 917.
- Given that the Japan/Cascadia regional adjustments are used for intraslab subduction, it is not clear why they are not also applicable for interface subduction.
- Although the hazard maps in the electronic supplement are at 0.2° and the paper says the smoothed-gridded models are also at 0.2° they are in fact at 0.1° . Figure 3 shows the model at just 0.2° for convenience.

2.3 Ground-motion prediction equations

In order to evaluate seismic hazard across the Indian subcontinent it is necessary to consider a wide range of tectonic and crustal propagation regimes, including some which may be unique to the region. In all, Nath and Thingbaijam (2012) uses 21 GMPEs from 17 references, summarized in Table 3.

Nine of these GMPEs were new to OpenQuake. These were implemented following the quality assurance procedures described in Pagani et al. (2014). In this section the focus is on the necessity and appropriateness of these new GMPEs, as well as concerns which arose during their implementation.

In the process of the development of a GMPE specific to the Indian Himalayas, an area of rapid urbanization and elevated hazard Sharma et al. (2009) excluded shallow India-Bangladesh and deep India-Burma border events from their database on the basis that PGA has different distance scaling. This observation points to the necessity of different GMPEs for these types of events, in the former case a GMPE specific to the Shillong plateau Nath et al. (2012) and in the latter case, one specific to Indoburman subduction Gupta (2010).

The Shillong plateau (zones 118 and 912 in Figure 2) is an example of a tectonic regime specific to India. Situated in between the Himalayan and Indoburman subduction zones it would be considered a stable crustal region were it not for the massive normal faulting events known to occur there. The great Assam earthquake of 1897 destroyed buildings within several hundred km. The two main structures involved, the Dauki and Oldham faults, are capable of $M > 8$ plateau-building events with a recurrence interval of 3-8 kyr each (Bilham and England, 2001). Nath et al. (2012) notes stress drop apparently increasing with depth and models κ using a database of recent and minor but well-recorded earthquakes, and uses this information to develop stochastic models for events in the upper and lower crust. The simulations are of vertical rather than horizontal motion at a hard-rock site.

The GMPE of Sharma et al. (2009) is intended for the Indian Himalayas but is based on data from both Zagros Mountains in Iran and the Himalayas. The database included only a small number of events (see Table 3), of which only a few were in the Himalayas, and none a result of normal faulting. Compared to the other models available for active regions it is the only one based on data from India. It is furthermore a valuable addition to a logic tree in the Shillong plateau because unlike the other models available for that region, it is not based on stochastic simulation. The GMPE lacks a M^2 term and so Cotton et al. (2006) would counsel against its inclusion in a logic tree, but it is retained for lack of an alternative for the region. During implementation it was observed that it does not actually define coefficients for PGA so they were assumed to be the same as for the spectral acceleration at 0.04 s.

The GMPE of Gupta (2010) is essentially a regionalization of Atkinson and Boore (2003) for intraslab subduction. On the basis of a database of just three events, the constant term of Atkinson and Boore (2003) was recalculated, leaving the distance, depth, magnitude and site amplification terms unchanged.

The GMPE of Raghukanth and Iyengar (2007) was developed for the stable shallow crust of peninsular India using stochastic simulation. Raghukanth and Iyengar (2007) actually describe three models based on regional variations in Q , for Koyna-Warna, southern India and western-central India, plus a model for all of peninsular India obtained by sampling the regional models in proportion to their landmass. It has been assumed that Nath and Thingbaijam (2012) did not use the regional models. In implementing Raghukanth and Iyengar (2007) typographical errors were identified in the coefficient Tables 2, 3 and 5 by comparing results obtained with the smoother published curves in Figures 3 and 5. The grossest error in Table 2(b) was fixed while 3 other errors causing a maximum error of approximately 10% error were not fixed (see

Table 3: Ground motion prediction equations used in this study. “N” indicates that models were newly implemented in OpenQuake for the current study. “S” indicates that the model has since been superseded by an equivalent model from the same authors. Among the databases used, “ENA” stands for eastern North America, and “NGA” stands for next generation attenuation. The tectonic region “Type” uses the following abbreviations: “active” shallow crust, “intraplate” margin, “stable” continental crust, “interface” subduction and “intraslab” subduction. N_E and N_R are the number of earthquakes and records in the database, respectively. H , M and R are the ranges of depth, magnitude and distance over which the GMPE is considered by the authors to be valid. The component “C” for which the GMPE is defined can be “H” for unspecified horizontal, “R” for random horizontal, “A” for average of horizontals, “M” for median of horizontals “G” for geometric mean of horizontals rotated into most adverse (GMRotI50) (Boore et al., 2006), “S” for peak of square root of sum of squares of horizontals or “V” for vertical.

OpenQuake class	Reference	N	S	Database	Type	N_E	N_R	H [km]		M		R [km]		C
ToroEtAl2002	Toro (2002)			ENA	stable	simulation				5.0	8.0	1000		A
Campbell2003	Campbell (2003)			ENA	stable	hybrid				5.0	8.2	0	1000	A
AtkinsonBoore2006	Atkinson and Boore (2006)			ENA	stable	simulation		2	30	5.0	8.3		1000	H
RaghukanthIyengar2007	Raghukanth and Iyengar (2007)	✓		peninsular India	stable	simulation		5	15	4.0	8.0		300	A
BooreAtkinson2008	Boore and Atkinson (2008)		✓	NGA-West1	active	58	1574			5.0	8.0	0	200	G
CampbellBozorgnia2008	Campbell and Bozorgnia (2008)		✓	NGA-West1	active	72	942			4.0	8.0	0	200	G
SharmaEtAl2009	Sharma et al. (2009)	✓		Himalayas & Zagros	active	16	201			5.0	7.0		100	A
AkkarBommer2010	Akkar and Bommer (2010)		✓	Europe & Middle East	active	131	532			5.0	7.6	0	100	A
NathEtAl2012Upper	Nath et al. (2012)	✓		Shillong	intraplate margin	simulation		0	25	4.8	7.6	10	100	V
NathEtAl2012Lower		✓		plateau				25	40	4.8	8.1			
AtkinsonBoore2003SInter	Atkinson and Boore (2003)			global	interface	80	1155	20	50	5.0	8.3	10	550	R
ZhaoEtAl2006SInter	Zhao et al. (2006)		✓	Japan	interface	269	1520	25	50	5.0	8.3		300	A
AtkinsonMacias2009	Atkinson and Macias (2009)			Cascadia	interface	simulation				7.5	9.0		400	R
Kanno2006Shallow	Kanno et al. (2006)	✓		Japan	active <i>or</i> interface	83	3769	0	30	5.5	8.2		450	S
Kanno2006Deep	Kanno et al. (2006)	✓		Japan	intraslab	111	8150	30	200	5.5	8.2		450	S
YoungsEtAl1997SSlab	Youngs et al. (1997)			global	intraslab	164	480	50	229	5.0	7.8	10	500	A
AtkinsonBoore2003SSlabJapan	Atkinson and Boore (2003)	✓		global	intraslab	80	1155	50	100	5.0	8.3	30	550	R
AtkinsonBoore2003SSlabCascadia														
ZhaoEtAl2006SSlab	Zhao et al. (2006)		✓	Japan	intraslab	269	1725	50	120	5.0	8.3		300	A
LinLee2008SSlab	Lin and Lee (2008)			Northeast Taiwan	intraslab	54	4823	39	161	4.1	6.7	40	600	A
Gupta2010SSlab	Gupta (2010)	✓		Indoburman Arc	intraslab	3	56	91	148	6.3	7.2		375	M

http://docs.openquake.org/oq-hazardlib/master/gsim/raghukanth_ityengar_2007.html).

Kanno et al. (2010) specifies two models, for shallow and deep events, based on data predominantly from Japan. Rather than distinguishing between seismotectonic regimes, this GMPE gives appropriate scaling relations based on depth alone. Thus “both crustal and subduction interface events fall into the category of shallow events” (p. 883) where “shallow” is defined as a “focal depth of 30 km or less” (p. 883). This flexibility allows the GMPE to be used for many tectonic regimes, although as discussed in Appendix B it should in future work be restricted to regions where it demonstrates good efficacy.

Table 3 shows that layer 4 (180-300 km) is significantly deeper than deepest events used in regression for Atkinson and Boore (2003, 100 km), Lin and Lee (2008, 161 km), Zhao et al. (2006, 120 km) and Gupta (2010, 148 km). Of the GMPEs used for interface subduction in layer 4 only Youngs et al. (1997, 229 km) includes events in the correct depth range. In future work it would be beneficial to identify GMPEs appropriate for use in the depth range of layer 4 (see Appendix B).

Oddly, Kanno et al. (2006) is specified to 200 km depth, but is only used for interface events (layer 2). Given the poor efficacy of Kanno et al. (2006) in the Hindukush/Pamirs it makes sense that it should be omitted in the Himalayas, but not in the Indo-Myanmar subduction zone.

It should be noted, finally, that Kanno et al. (2006) is defined for the “peak square root of the sum of squares of two orthogonal horizontal components in the time domain” (p. 880). Since the peak value is taken after computing the vectorial sum of the horizontals this is different from the (similarly rare) “vectorial addition” of Douglas (2003) where the sum is taken after peak values are located in the time domain. This ground motion intensity measure component is more conservative than choosing a random horizontal component or the average of the peak horizontal components, but it is less conservative than the aforementioned vectorial addition. Table 3 shows that GMPEs for many different ground motion components are mixed in Nath and Thingbaijam (2012); this practice is not unusual but if left uncorrected errors do propagate through to hazard curves, and the resulting aleatory uncertainty is under-estimated Beyer and Bommer (2006). OpenQuake tracks the type of horizontal component measured in its base `GroundShakingIntensityModel` class, but does not currently make the necessary corrections to the mean or standard deviation of the ground motion.

2.4 Source model logic tree

The source model logic tree is shown in symbolic form in Figure 4.

Nath and Thingbaijam (2012) accounts for the epistemic uncertainty in seismicity model parameters by estimating the standard deviations of b and m_{max} in each source zone and assigning weights to ± 1 standard deviation for each source. This results in a source model logic tree too large to represent on a page; just a portion of it is shown in Figure 5.

Note that although Figure 4 of Nath and Thingbaijam (2012) shows the activity rate ν (and by implication a) varying with b , no estimates of the standard deviation of a or ν . The in OpenQuake happens to recalculate a as b . After modifying b using the uncertainty type `bGRRelative` the a value is automatically recalculated to maintain constant total moment rate. It has been assumed that this is the behaviour which Nath and Thingbaijam (2012) implemented.

The fact that Figure 5 has to be truncated is not simply a lack of page space. Despite the common rendering of them in parallel, full enumeration actually takes place in series, so rather than just 3×223 branches there are in fact $3^{223} \approx 10^{106}$, or just over a googol of branches. Not only was full-enumeration out of the question, even partial enumeration was problematic on the current version of OpenQuake code.

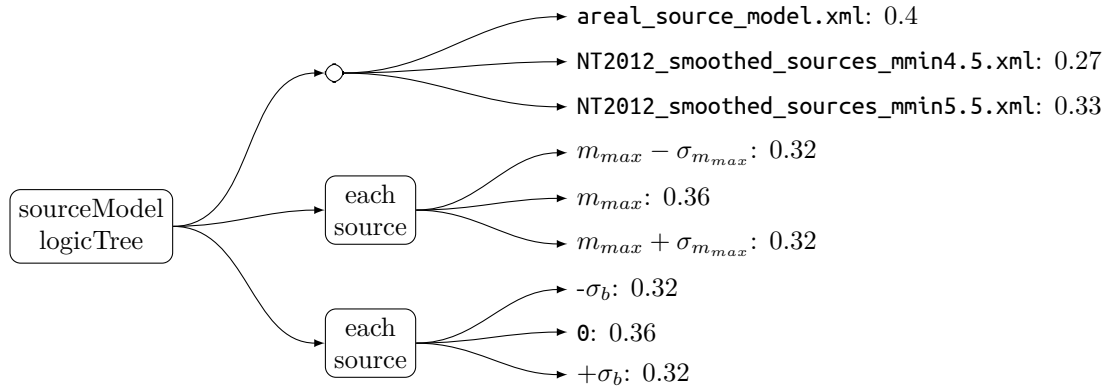


Figure 4: Symbolic source model logic tree of Nath and Thingbaijam (2012).

It is unlikely that Nath and Thingbaijam (2012) performed full-enumeration. Some practitioners

3 Hazard results

3.1 Verification

Validation of PSHA results would require comparison against observed hazard, and would require a much larger dataset than is currently available. In this work we are merely verifying that the current model gives result close to those of Nath and Thingbaijam (2012).

3.2 Sensitivity

3.3 Discussion

4 Conclusions

Acknowledgement

Thanks to Kiran Thingbaijam for clarifications and engaging discussion. Thanks to Amanda for your support.

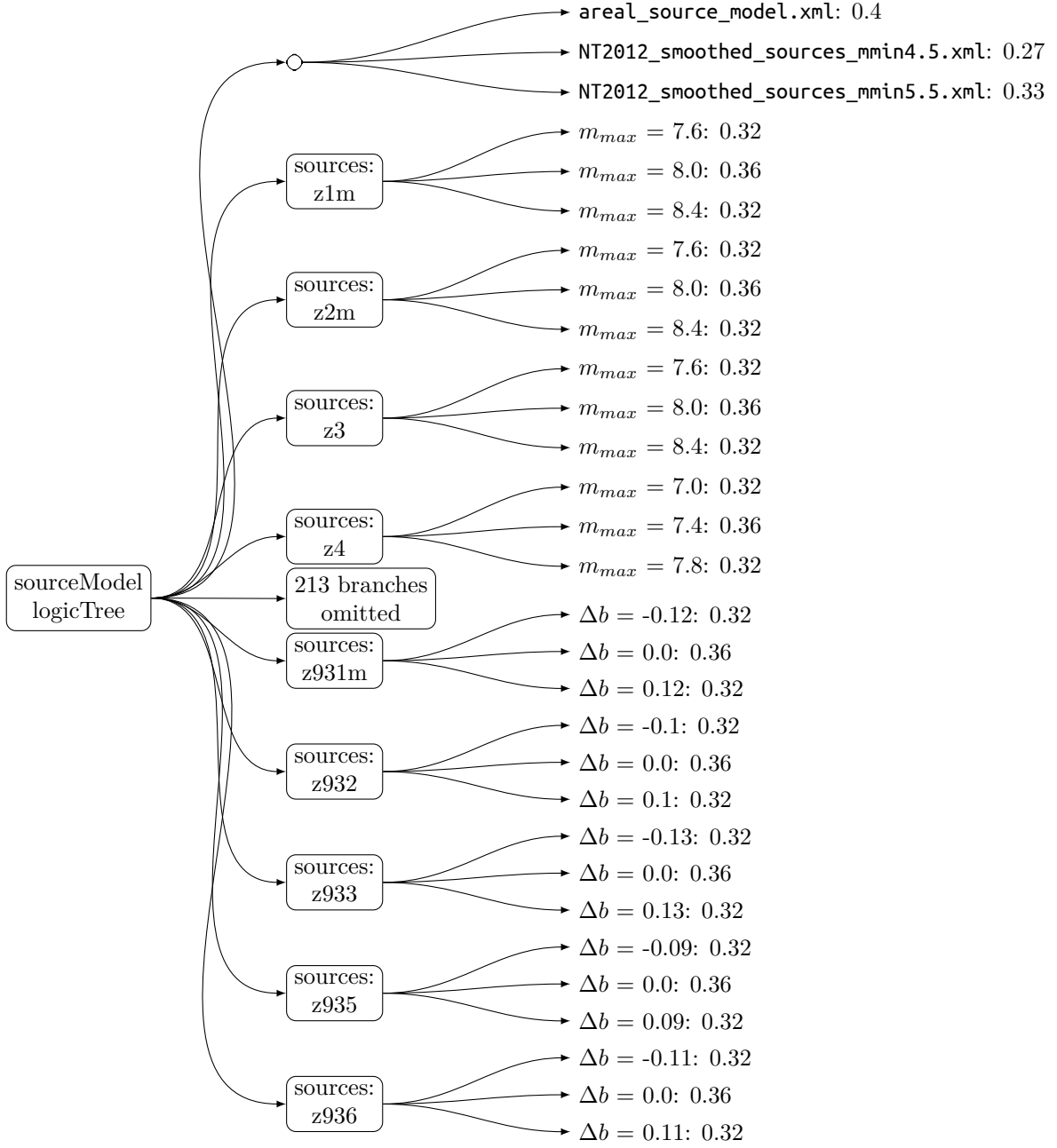


Figure 5: Partial source model logic tree of Nath and Thingbaijam (2012). The full model is encoded in `source_model_logic_tree.xml`

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Appendix A Simplified GMPE logic tree

A simplified logic tree used in initial studies is shown in Figure 6.

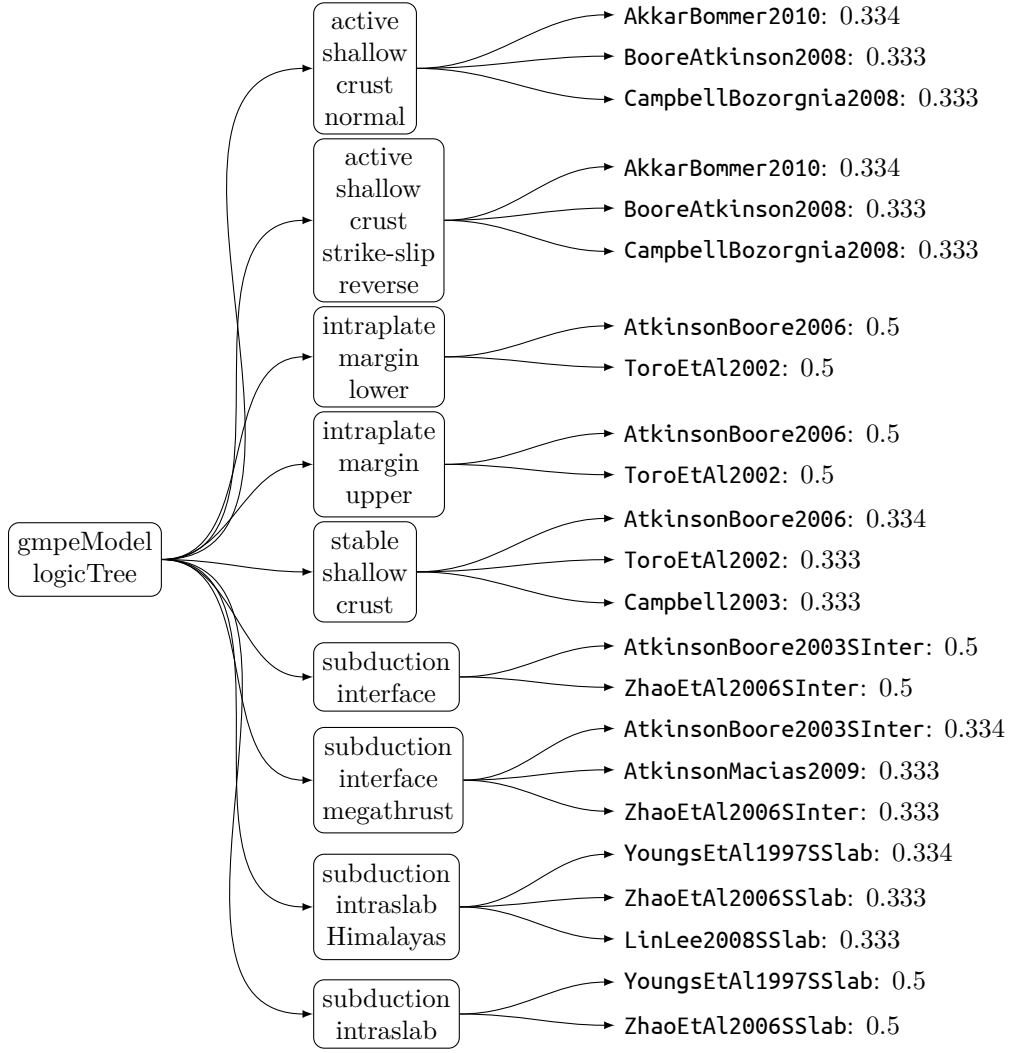


Figure 6: Simplified GMPE logic tree employing only established OpenQuake models, as encoded in `gmpe_logic_tree_omit_new.xml`. See Figure 6 for complete description.

Appendix B Alternative GMPE logic tree

In this section, possible improvements to the GMPE logic tree of Nath and Thingbaijam (2012) in future work are discussed.

An obvious upgrade to the GMPE logic tree of Nath and Thingbaijam (2012) would be to use updated models, whenever they exist, as per the recommendations of Cotton et al. (2006). For example, the NGA-West1 models of 2008 were superseded in 2014 by NGA-West2, and so the newer models should be used Bozorgnia et al. (2014). Models which have been superseded and should be updated are indicated in Table 3. This is trivial to implement since the newer models have already been implemented in OpenQuake.

A less straightforward but nonetheless important improvement would be to select GMPEs and

possibly also to assign weights using measures of GMPE efficacy. Delavaud et al. (2009) point out that macroseismic intensity observations are more abundant than instrumental recording and go on to demonstrate that the two can be used almost interchangeably for the purpose of quantitative assessment of GMPE efficacy. This is particularly important in areas of low seismicity or sparse instrumentation, such as India. Nath and Thingbaijam (2011) have made good use of this fact, but Nath and Thingbaijam (2012) appear to utilize their efficacy assessments only imperfectly.

For example in Nath and Thingbaijam (2012, Figure 3) there is a branch for megathrust earthquakes, because the GMPE of Atkinson and Macias (2009) demands it, but no regional distinctions are made. Yet Table 4 shows clear differences in GMPE efficacy between interface subduction in the Himalayas and in the Andaman-Sumatra subduction zone.

Table 4: Relative efficacy of GMPEs for interface subduction in the Indian subcontinent. Negative average sample log likelihood (LLH) scores are from (Nath and Thingbaijam, 2011, Table 5) while weights are computed using Delavaud et al. (2012b).

(a) Himalayas				(b) Andaman-Sumatra			
Model	LLH	weight	DSI	Model	LLH	weight	DSI
KAN06	2.4190	0.19	12.2	ATMA09	2.5644	0.30	1.4
NATH09	2.4280	0.18	11.5	MEPA10	3.3970	0.17	-43.0
ATBO03	2.5733	0.17	0.8	ATBO03	3.4345	0.16	-44.5
ZHAO06	2.6512	0.16	-4.5	PETE04	3.5942	0.15	-50.3
LILE08	2.6789	0.15	-6.3	ZHAO06	3.7918	0.13	-56.7
YOU97	2.7117	0.15	-8.4	KAN06	4.2216	0.09	-67.8

It appears as though GMPEs for all megathrust earthquakes were chosen by taking the top four ranking GMPEs (by LLH) for events in the Himalayas. Many authors (Scherbaum et al., 2009; Nath and Thingbaijam, 2011; Delavaud et al., 2012a; Anbazhagan et al., 2015) seem unduly interested in "ranking", i.e. constructing an ordered list of GMPEs. This is not a horse race. Scherbaum et al. (2009) suggests a way to turn an LLH score into a logic-tree weight and Delavaud et al. (2012b) developed the concept of "data support index". Using these measures Table 4 shows that in the Himalayas the data support the models more-or-less equally, and so it would make no sense to omit Youngs et al. (1997) or Lin and Lee (2008) on this basis.

A better method than applying an arbitrary LLH cutoff for pruning logic tree branches would be to apply the principles of mutual exclusivity and collective exhaustiveness Scherbaum et al. (2009). Models should be excluded if they are very similar in their predictions, particularly if the methodology for producing them is similar. As an example, note that among the models applied in the stable shallow crust, all but Raghukanth and Iyengar (2007) were developed for eastern North America, and all but Campbell (2003) are based on stochastic simulations. Since Atkinson and Boore (2006) and Toro (2002) have similar methodologies and Nath and Thingbaijam (2011) show that they have similar LLH scores they are not mutually exclusive and in future work it would make sense to omit one, likely the latter since it has a slightly higher LLH. By the same token, the addition of a fully-empirical model (if it exists) would bring the set of GMPEs closer to being collectively exhaustive, as would improved models specific to peninsular India or its subregions.

Whereas a distinction is made in Nath and Thingbaijam (2012) between intraslab subduction in the Himalayas and Indo-Burman subduction zones, none is made for interface subduction. Table 4 suggests that model efficacy does differ greatly between the two regions. While many models are equally supported for the data in the Himalayas, several, notably Kanno et al. (2006),

are used by Nath and Thingbaijam (2012) where they are not well-supported by the data. Therefore, in future work it would be appropriate to select subduction interface GMPEs differently in the Himalayas, the Indo-Burman subduction zone and Andaman-Sumatra.

Care must be taken when using efficacy measures to assess GMPEs in seismically stable regions. For example, it is dangerous to recommend a GMPE for a regions on the basis of a single event. One study which does just this is (Anbazhagan et al., 2015). In an extreme case they propose different logic tree weights for Anjar and Bhuj even though the epicentres and depths were very close together. In contrast Nath and Thingbaijam (2011) compute LLH for 7 regions (using 38 events total) and state that, “individual events do not have significant number of observations to support a viable ranking basis.” Anbazhagan et al. (2015) furthermore seem to misuse the concept of data support index (DSI) by simply setting weights to zero when the DSI is negative. In contrast Delavaud et al. (2012b) insist that the difference between DSIs is more diagnostic than the sign of a given DSI.

In summary, in future work it is recommended to:

1. Replace models which have been superseded, in particular update NGA-West1 models to NGA-West2.
2. Split both intra-slab and interface subduction into Himalayan, Indo-Burman and Andaman-Sumatran tectonic subregions.
3. Use efficacy measures to select GMPEs more rigorously.
4. Incorporate models using different methodologies and/or databases, e.g. the BC Hydro subduction model of Abrahamson et al. (2016).
5. Incorporate models using more region-specific models.
6. Prune models which are quite similar to those already used, e.g. Toro (2002).

Appendix C Catalogue evaluation

Appendix D Potential source modelling improvements

- Base hypocentral depths on actual seismogenic depth distribution as shown in Figure 7. Placing the hypocentral depth at the modes of the overall catalogue would be a minor improvement. Better still would be to capture the mode or to construct an approximate distribution for each areal zone.
- Model the main Himalayan thrust as a simple fault. In particular K et al. (2014) breaks the fault into three segments and provides necessary details such as dip and depth limits. No variation of dip with depth is given, which is perhaps unrealistic, but at least the result is simpler to model. Not all of the slip is being taken up on the frontal thrust; there are second and third folds which take up significant amount of slip, but the first is the most important from the standpoint of risk.
- Model the Oldham and Dauki faults under the Shillong plateau as simple faults (Bilham et al., 2001).

Appendix E Summary of electronic data

This is an appendix because if you’re reading this then you should already have the zip file with all of this data.

`auxiliary data.csv`

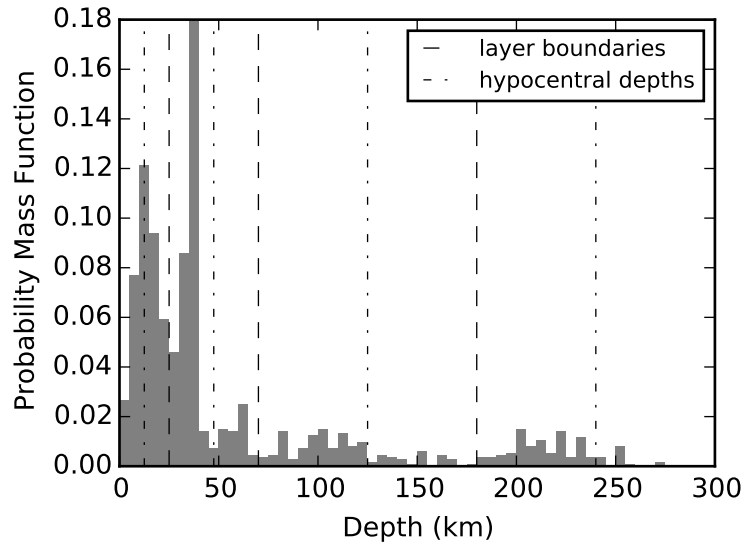


Figure 7: Depth histogram for mainshocks over magnitude 5.5. Mainshock identification is that of Nath et al. (2010). Seismogenic layer boundaries and hypocentral depths used in the current implementation are indicated as dashed and dash-dotted lines respectively.

Listing 1: phase1-job.ini

```
[general]

description = Open PSHA for India - Phase 1
calculation_mode = classical
random_seed = 42

[geometry]

sites_csv = NT2012_Table_3_lon_lat.csv

[logic_tree]

number_of_logic_tree_samples = 1000

[erf]

rupture_mesh_spacing = 5.0
width_of_mfd_bin = 0.1
area_source_discretization = 10.0

[site_params]

reference_vs30_type = measured
reference_vs30_value = 800.0
reference_depth_to_2pt5km_per_sec = 5.0
reference_depth_to_1pt0km_per_sec = 100.0

[calculation]

source_model_logic_tree_file = source_model_logic_tree.xml
gsim_logic_tree_file = gmpe_logic_tree_omit_new.xml
```

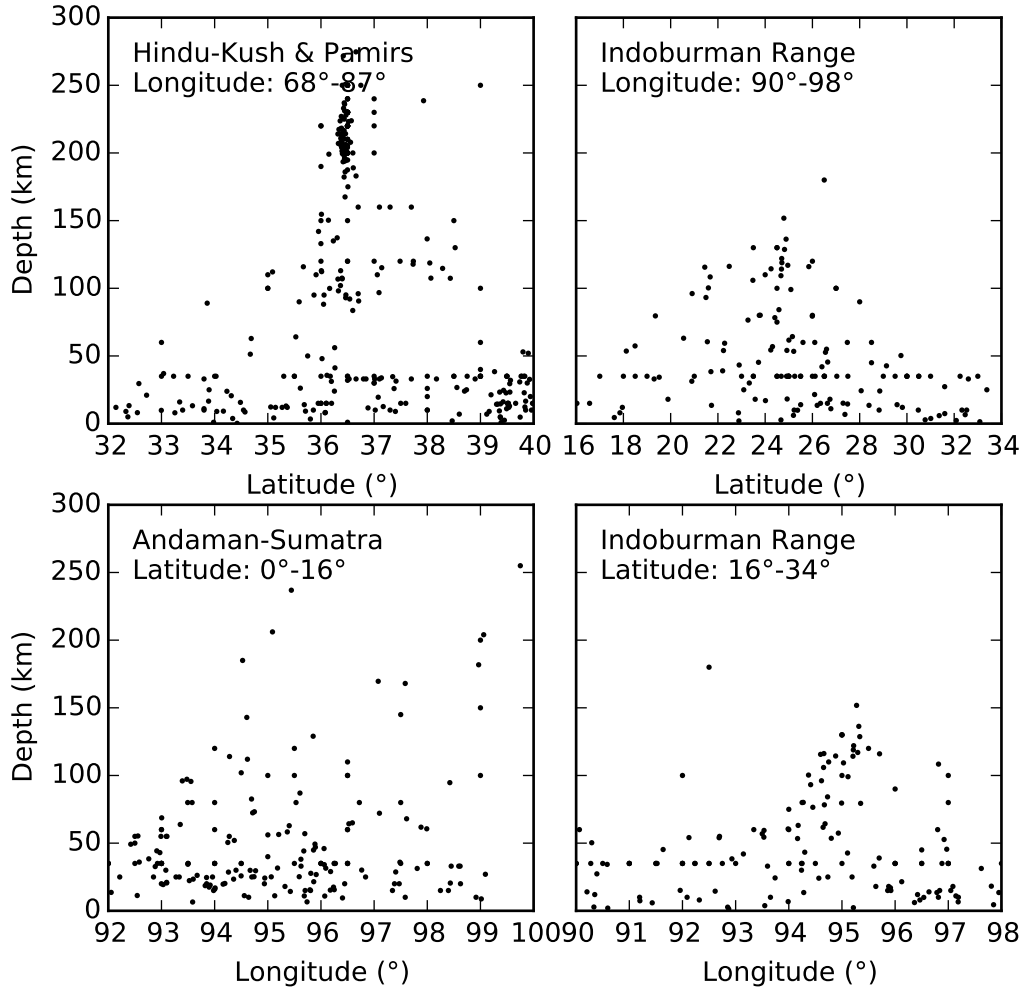


Figure 8: Depth vs. distance for mainshocks in regions with deep events. Subregions are indicated on each map; top left is the Hindu-Kush and Pamir ranges in the northwest of India viewed from the east, top right is the Andoman-Sumatran subduction zone viewed from the south while bottom left and right are beneath the Indoburman range and viewed from the east and south respectively. Sub-catalogues were selected for events over magnitude 5.5 within a rectangular box of latitude and longitude as indicated on each individual plot. Horizontal and vertical axes are plotted at different scales.

```

investigation_time = 1.0
intensity_measure_types_and_levels = {"PGA": [0.0047, 0.0068, 0.01, 0.015, 0.022, 0.033, 0.047, 0.068,
0.1, 0.15, 0.22, 0.33, 0.47, 0.68, 1.0, 1.5, 2.2, 3.3, 4.7], "SA(0.2)": [0.0047, 0.0068, 0.01, 0.015,
0.022, 0.033, 0.047, 0.068, 0.1, 0.15, 0.22, 0.33, 0.47, 0.68, 1.0, 1.5, 2.2, 3.3, 4.7], "SA(1.0)":
[0.0047, 0.0068, 0.01, 0.015, 0.022, 0.033, 0.047, 0.068, 0.1, 0.15, 0.22, 0.33, 0.47, 0.68, 1.0,
1.5, 2.2, 3.3, 4.7]}
truncation_level = 3
maximum_distance = 200.0

```

[output]

```
export_dir = ./export
mean_hazard_curves = true
hazard_maps = true
uniform_hazard_spectra = true
poes = 0.002105 0.00040397
individual_curves = false
```